```
house III maison
   sentence 2:
  Draw Alignments:
                 a: the house
                                     a2:
 Sentence 1
                        La maison
                                                  maison
                        house
  sentence 2
                        maison
 Initialisation:
      Source - side - vocabulary = { the , house }
                                            size = 2
         + (maison | the) = --- =
         t ( (a | house ) = ---
         t ( maison | house ) = _ = = = =
Iteration 1 - Step 1 (Expectation): alignment probability
 P(e, a, f) = t( (a | the) x t (maison) house) = = x = = 4
 P(e, az|f) = t (maison | the) x t (la | house) = 7x = 7
 P(e, as|f) = t(maison|house) = \frac{1}{2}
```

Normal IBM Model 1.

sentence 1 :

the house III la maison

Iteration | - Step | (Expectation): Normalize alignment probability

$$P(a_{1}|\mathbf{E},F) = \frac{P(e,a_{1}|f)}{\sum_{\alpha} P(E,\alpha|F)} = \frac{P(e,a_{1}|f)}{P(e,a_{1}|f) + P(e,a_{2}|f)}$$

$$= \frac{1/\mu}{1/\mu + 1/\mu} = \frac{1}{2}$$

$$P(a_{2}|E,F) = \frac{P(e,a_{2}|f)}{\sum_{\alpha} P(E,\alpha|F)} = \frac{P(e,a_{2}|f)}{P(e,a_{1}|f) + P(e,a_{2}|f)} = \frac{1/\mu}{1/\mu + 1/\mu} = \frac{1}{2}$$

$$P(a_{3}|E,F) = \frac{P(e,a_{3}|f)}{\sum_{\alpha} P(E,\alpha|F)} = \frac{P(e,a_{3}|f)}{P(e,a_{3}|f)} = 1$$

$$Iteration| - Step = (max) : collect counts$$

$$C(|a|fhe) = P(a_{1}|E,F) \times Count(|a|fhe) = \frac{1}{2} \times 1 = \frac{1}{2}$$

$$C(maison|fhe) = P(a_{2}|E,F) \times Count(maison|fhe) = \frac{1}{2} \times 1 = \frac{1}{2}$$

$$C(maison|house) = P(\alpha_{1}|E,F) \times Count(maison|house) + \frac{1}{2} \times 1 = \frac{1}{2}$$

C (maison | the) = 
$$P(a_2|E,F) \times Count$$
 (maison | the) =  $\frac{1}{2} \times 1 = \frac{1}{2}$   
C (  $1a \mid house$  ) =  $P(a_2|E,F) \times Count$  ( $1a \mid house$  ) =  $\frac{1}{2} \times 1 = \frac{1}{2}$   
C (  $1a \mid house$  ) =  $P(a_1|E,F) \times Count$  ( $1a \mid house$  ) =  $\frac{1}{2} \times 1 = \frac{1}{2}$   
P ( $1a \mid E,F$ ) × Count ( $1a \mid house$ ) =  $\frac{1}{2} \times 1 + |x| = \frac{1}{2}$ 

 $P(\alpha_3|E,F) \times Count(maison/house) = \frac{1}{2}x|+|x| = \frac{3}{2}$ Iteration | - steple max): normalize  $t(|a|the) = \frac{c(|a|the)}{\sum_{x} c(x|the)} = \frac{c(|a|the)}{c(|a|the) + c(|maison|the)} = \frac{1}{\sum_{x} c(x|the)}$  $t \text{ (maison | the)} = \frac{C(\text{maison | the})}{\sum_{x} c(x | \text{the})} = \frac{C(\text{la|the})}{c(\text{laftle}) + C(\text{maison | the})} = \frac{1/z}{1/z + 1/z} = \frac{1}{z}$  $\pm (|a| \text{house}) = \frac{1/2}{1/2 + 3/2} = \frac{1}{4}$ 

 $t (maison | house) = \frac{3/2}{1/2 + 3/2} = \frac{3}{4}$ 

Iteration 2 - Step 1 (Exp): alignment probability

P(e, a, 1f) = 
$$\frac{1}{2} \times \frac{3}{4} = \frac{3}{8}$$

P(e, a, 1f) =  $\frac{1}{2} \times \frac{4}{4} = \frac{1}{8}$ 

P(e, a, 1f) =  $\frac{3}{4}$ 

## Iteration 2 - Step 1 (EXP): Normalize alignment probability

$$P(\alpha_{1}|E,F) = \frac{3/8}{3/8 + 1/8} = \frac{3}{4}$$

$$P(\alpha_{2}|E,F) = \frac{1/8}{3/8 + 1/8} = \frac{1}{4}$$

$$P(\alpha_{3}|E,F) = \frac{3/4}{3/4} = 1$$

## Iteration 2 - Step 2 (Max): collect counts

$$C((a)) = \frac{3}{4} \times 1 = \frac{3}{4}$$
  
 $C((masion)) = \frac{1}{4} \times 1 = \frac{1}{4}$   
 $C(((a))) = \frac{1}{4} \times 1 = \frac{1}{4}$   
 $C(((a))) = \frac{3}{4} \times 1 = \frac{1}{4}$   
 $C((maison)) = \frac{3}{4} \times 1 + 1 \times 1 = \frac{7}{4}$ 

## Iteration 2 - Step 2 (Max): Normalize

t ( | a | the ) = 
$$\frac{7}{3/4 + 1/4} = \frac{3}{4}$$
  
t ( maison | the ) =  $\frac{7}{3/4 + 1/4} = \frac{7}{4}$   
t ( | a | house ) =  $\frac{7}{4 + 7} = \frac{7}{8}$   
t ( masion | house ) =  $\frac{7}{4 + 7} = \frac{7}{8}$