Live Session Assignment 7

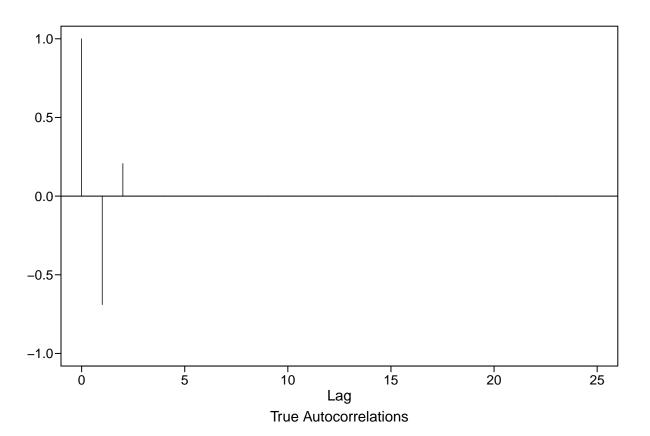
Nikhil Gupta 2020-02-23 21:44:42

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Setup	
library(tswge)	
<pre>## Warning: package 'tswge' was built under R version 3.5.3 library(dplyr)</pre>	
<pre>## Warning: package 'dplyr' was built under R version 3.5.3 ## ## Attaching package: 'dplyr'</pre>	
<pre>## The following objects are masked from 'package:stats': ## ## filter, lag</pre>	
<pre>## The following objects are masked from 'package:base': ## ## intersect, setdiff, setequal, union</pre>	
<pre>## Warning: package 'tidyverse' was built under R version 3.5.2 ## Attaching packages</pre>	tidyve
## v ggplot2 3.2.1 v readr 1.1.1 ## v tibble 2.1.3 v purr 0.3.3 ## v tidyr 0.8.2 v stringr 1.3.1 ## v ggplot2 3.2.1 v forcats 0.3.0	
## Warning: package 'ggplot2' was built under R version 3.5.3	
## Warning: package 'tibble' was built under R version 3.5.3	
## Warning: package 'purrr' was built under R version 3.5.3	
<pre>## Conflicts ## x dplyr::filter() masks stats::filter() ## x dplyr::lag() masks stats::lag() #source("common functions.R")</pre>	- tidyverse_co
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My Calculations

```
# Imaginary Roots
theta = c(2, -1.5)
factor.wge(phi = theta)
## Coefficients of Original polynomial:
## 2.0000 -1.5000
##
## Factor
                           Roots
                                                  Abs Recip
                                                                System Freq
## 1-2.0000B+1.5000B<sup>2</sup>
                           0.6667+-0.4714i
                                                                0.0980
                                                  1.2247
##
acf1 = true.arma.aut.wge(theta = theta)
```

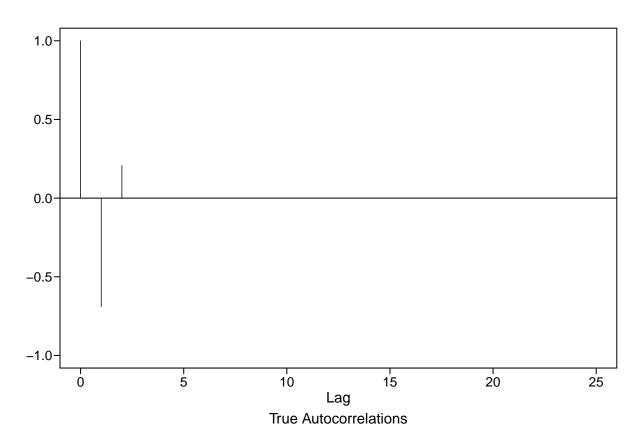


```
# Non Invertible since abs reciprocal > 1 for one of the roots
# The invertible model will have the reciprocal of the current roots

# Original Roots
root1_org = complex(real = 0.6667, imaginary = 0.4714)
root2_org = complex(real = 0.6667, imaginary = -0.4714)

# Inverse of the roots
inv_root1 = 1/root1_org
inv_root2 = 1/root2_org
```

```
inv_root1
## [1] 0.9999897-0.7070574i
inv_root2
## [1] 0.9999897+0.7070574i
# Compute Characteristic Equation
prod = inv_root1 * inv_root2
prod
## [1] 1.49991+0i
\# Char equation: (z - inv\_root1) * (z - inv\_root2)
# = [Z - (1 -0.707i)] * [Z - (1 + 0.717i)]
\# = Z^2 -Z -0.717i*Z -Z +0.717i*Z + prod
# = Z^2 -2Z + 1.5
# = 1 -1.3333Z + 0.6667Z^2
theta = c(1.333, -0.667)
factor.wge(phi = theta)
## Coefficients of Original polynomial:
## 1.3330 -0.6670
##
## Factor
                          Roots
                                               Abs Recip
                                                             System Freq
## 1-1.3330B+0.6670B<sup>2</sup> 0.9993+-0.7076i
                                               0.8167
                                                             0.0981
##
##
acf2 = true.arma.aut.wge(theta = theta)
```



```
print(paste0("Are the ACFs for the 2 models equal: ", all(round(acf1$acf,3) == round(acf2$acf,3))))
## [1] "Are the ACFs for the 2 models equal: TRUE"
cat("\n----\n")
##
## -----
print(acf1$acf)
## [1] 1.0000000 -0.6896552 0.2068966 0.0000000 0.0000000
                                   0.0000000
0.0000000
0.0000000
## [25] 0.0000000 0.0000000
cat("\n--
               ----\n")
##
print(acf2$acf)
 [1] 1.0000000 -0.6897157 0.2070285 0.0000000 0.0000000
                                   0.0000000
0.0000000
## [13]
    0.0000000 0.0000000 0.0000000 0.0000000
                                   0.0000000
## [19]
```

[25] 0.0000000 0.0000000

Answer provided in HW Solutions

```
theta = c(-1.333, -0.667)
factor.wge(phi = theta)

##

## Coefficients of Original polynomial:
## -1.3330 -0.6670

##

## Factor Roots Abs Recip System Freq
## 1+1.3330B+0.6670B^2 -0.9993+-0.7076i 0.8167 0.4019

##

##

acf3 = true.arma.aut.wge(theta = theta)
```

