

# Programming Language Concepts

## Chapter 3 Describing Syntax and Semantics

# Review

- **Syntax** is the description of which strings of symbols are meaningful expressions in a language
- It takes more than syntax to understand a language; need meaning (**semantics**) too
- Syntax is the entry point

# Features of a Good Syntax

- Readable
- Writeable
- Lack of ambiguity
- Suggestive of correct meaning
- Ease of translation

# Elements of Syntax

- **Character set** – typically ASCII
- **Keywords** – usually reserved
- **Special constants** – cannot be assigned to
- **Identifiers** – can be assigned to
- **Operator** symbols (+, -, \*)
- **Delimiters** (parenthesis, braces, brackets,)
- **Blanks** (white space)

# Elements of Syntax

- Expressions
- Type expressions
- Declarations
- Statements (in imperative languages)
- Subprograms (subroutines)

# Elements of Syntax

- Modules
- Interfaces
- Classes (for object-oriented languages)
- Libraries

# Grammars

- Grammars are formal descriptions of which strings over a given character set are in a particular language
- Language designers write grammar
- Language implementers use grammar to know what programs to accept
- Language users use grammar to know how to write legitimate programs

# Sample Grammar

- Language: Parenthesized sums of 0's and 1's
- $\langle \text{Sum} \rangle ::= 0$
- $\langle \text{Sum} \rangle ::= 1$
- $\langle \text{Sum} \rangle ::= \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$
- $\langle \text{Sum} \rangle ::= (\langle \text{Sum} \rangle)$



# BNF Grammars

- Start with a set of characters, **a,b,c,...**
  - We call these *terminals*
- Add a set of different characters, **X,Y,Z,**  
**...**
  - We call these *non-terminals*
- One special non-terminal **S** called *start symbol*

# BNF Grammars

- BNF rules (productions) have form

$$\mathbf{X} ::= y$$

where  $\mathbf{X}$  is any non-terminal and  $y$  is a string of terminals and non-terminals

- BNF grammar is a set of BNF rules such that every non-terminal appears on the left of some rule

# Sample Grammar

- Terminals: 0 1 + ( )
- Non-terminals: <Sum>
- Start symbol = <Sum>

<Sum> ::= 0

<Sum> ::= 1

<Sum> ::= <Sum> + <Sum>

<Sum> ::= (<Sum>)

Can be abbreviated as

<Sum> ::= 0 | 1 | <Sum> + <Sum> | (<Sum>)

# BNF Derivations

- Given rules

$X ::= yZw$  and  $Z ::= v$

we may replace  $Z$  by  $v$  to say

$X \Rightarrow yZw \Rightarrow yvw$

# BNF Derivations

- Start with the start symbol:

$\langle \text{Sum} \rangle \Rightarrow$

# BNF Derivations

- Pick a non-terminal

`<Sum>`  $\Rightarrow$

# BNF Derivations

- Pick a rule and substitute:
  - $\langle \text{Sum} \rangle ::= \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

$\langle \text{Sum} \rangle \Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

# BNF Derivations

- Pick a non-terminal:

$\langle \text{Sum} \rangle \Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$



# BNF Derivations

- Pick a rule and substitute:

- $\langle \text{Sum} \rangle ::= ( \langle \text{Sum} \rangle )$

$\langle \text{Sum} \rangle \Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

# BNF Derivations

- Pick a non-terminal:

$$\begin{aligned} \langle \text{Sum} \rangle &\Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle \\ &\Rightarrow ( \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle \end{aligned}$$

# BNF Derivations

- Pick a rule and substitute:
  - $\langle \text{Sum} \rangle ::= \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

$\langle \text{Sum} \rangle \Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

# BNF Derivations

- Pick a non-terminal:

$\langle \text{Sum} \rangle \Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

# BNF Derivations

- Pick a rule and substitute:

- $\langle \text{Sum} \rangle ::= 1$

$\langle \text{Sum} \rangle \Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + 1 ) + \langle \text{Sum} \rangle$

# BNF Derivations

- Pick a non-terminal:

$\langle \text{Sum} \rangle \Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + 1 ) + \langle \text{Sum} \rangle$

# BNF Derivations

- Pick a rule and substitute:

- $\langle \text{Sum} \rangle ::= 0$

$\langle \text{Sum} \rangle \Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + 1 ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + 1 ) + 0$

# BNF Derivations

- Pick a non-terminal:

$\langle \text{Sum} \rangle \Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + 1 ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + 1 ) + 0$



# BNF Derivations

- Pick a rule and substitute
  - $\langle \text{Sum} \rangle ::= 0$

$\langle \text{Sum} \rangle \Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \langle \text{Sum} \rangle + 1 ) + \langle \text{Sum} \rangle$

$\Rightarrow ( \text{Sum} + 1 ) 0$

$\Rightarrow ( 0 + 1 ) + 0$

# BNF Derivations

- $(0 + 1) + 0$  is generated by grammar

$$\begin{aligned} \langle \text{Sum} \rangle &\Rightarrow \langle \text{Sum} \rangle + \langle \text{Sum} \rangle \\ &\Rightarrow ( \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle \\ &\Rightarrow ( \langle \text{Sum} \rangle + \langle \text{Sum} \rangle ) + \langle \text{Sum} \rangle \\ &\Rightarrow ( \langle \text{Sum} \rangle + 1 ) + \langle \text{Sum} \rangle \\ &\Rightarrow ( \langle \text{Sum} \rangle + 1 ) + 0 \\ &\Rightarrow ( 0 + 1 ) + 0 \end{aligned}$$

# BNF Semantics

- The meaning of a BNF grammar is the set of all strings consisting only of terminals that can be derived from the Start symbol

# Remember Parse Trees

- Graphical representation of a derivation
- Each node labeled with either a non-terminal or a terminal
- If node is labeled with a terminal, then it is a leaf (no sub-trees)
- If node is labeled with a non-terminal, then it has one branch for each character in the right-hand side of rule used to substitute for it

# Example

- Consider grammar:

$$\begin{aligned} \langle \text{exp} \rangle &::= \langle \text{factor} \rangle \\ &\quad | \langle \text{factor} \rangle + \langle \text{factor} \rangle \end{aligned}$$
$$\begin{aligned} \langle \text{factor} \rangle &::= \langle \text{bin} \rangle \\ &\quad | \langle \text{bin} \rangle * \langle \text{exp} \rangle \end{aligned}$$
$$\langle \text{bin} \rangle ::= 0 \mid 1$$

- Build parse tree for  $1 * 1 + 0$  as an  $\langle \text{exp} \rangle$

# Example cont.

- $1 * 1 + 0$ :  $\langle \text{exp} \rangle$

$\langle \text{exp} \rangle$  is the start symbol for this parse tree

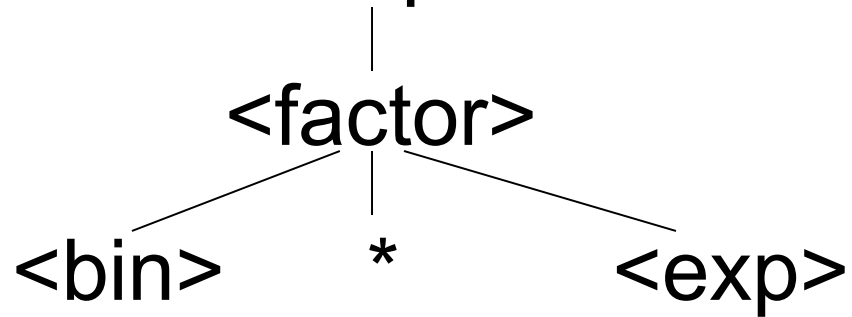
# Example cont.

• 1 \* 1 + 0:    <exp>  
                  |  
                  <factor>

Use rule: <exp> ::= <factor>

# Example cont.

- 1 \* 1 + 0: <exp>

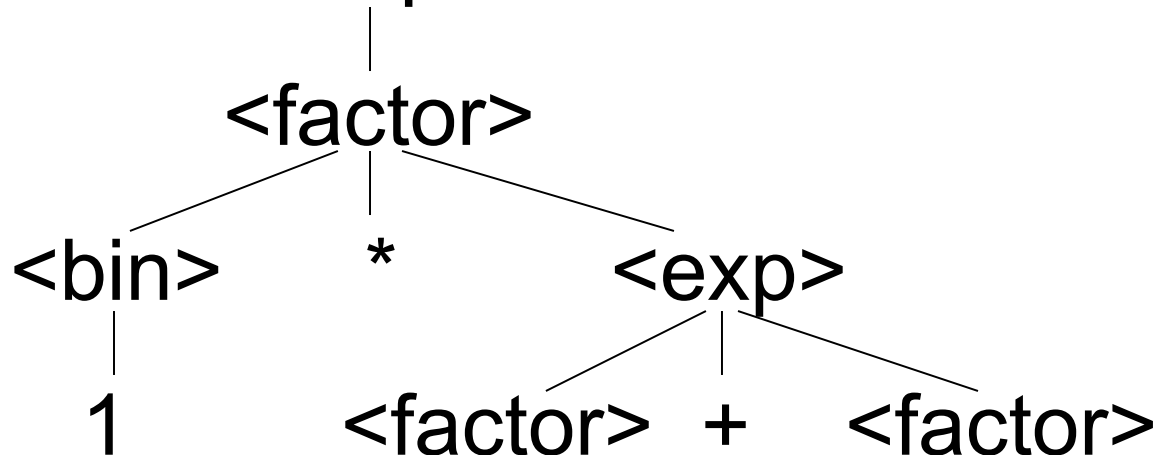


Use rule: <factor> ::= <bin> \* <exp>



# Example cont.

- 1 \* 1 + 0: <exp>

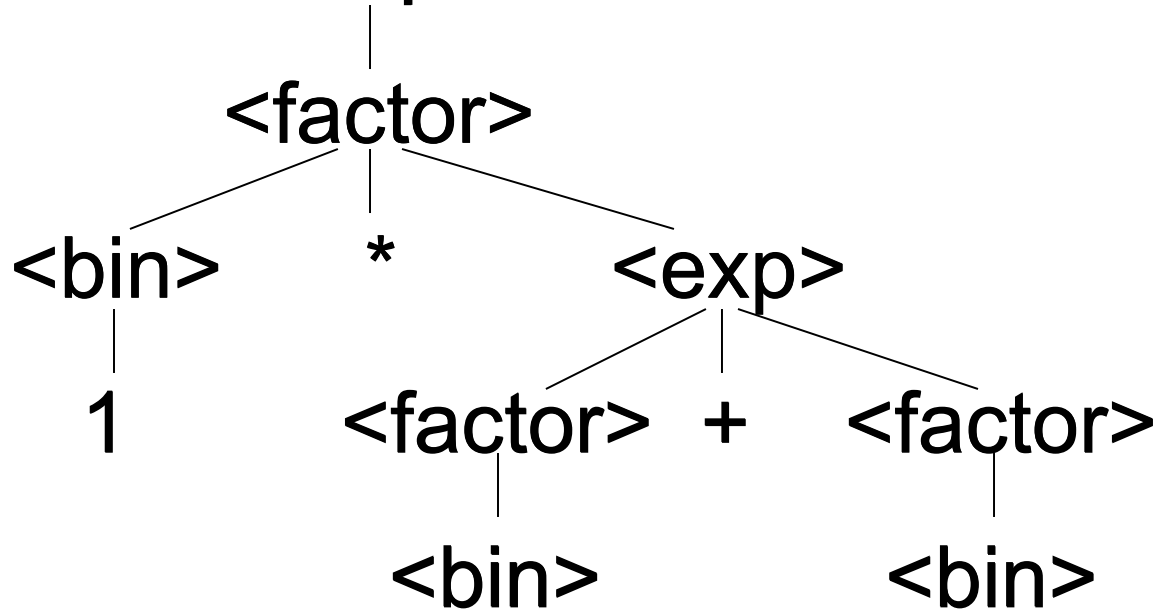


Use rules: <bin> ::= 1 and

<exp> ::= <factor> + <factor>

# Example cont.

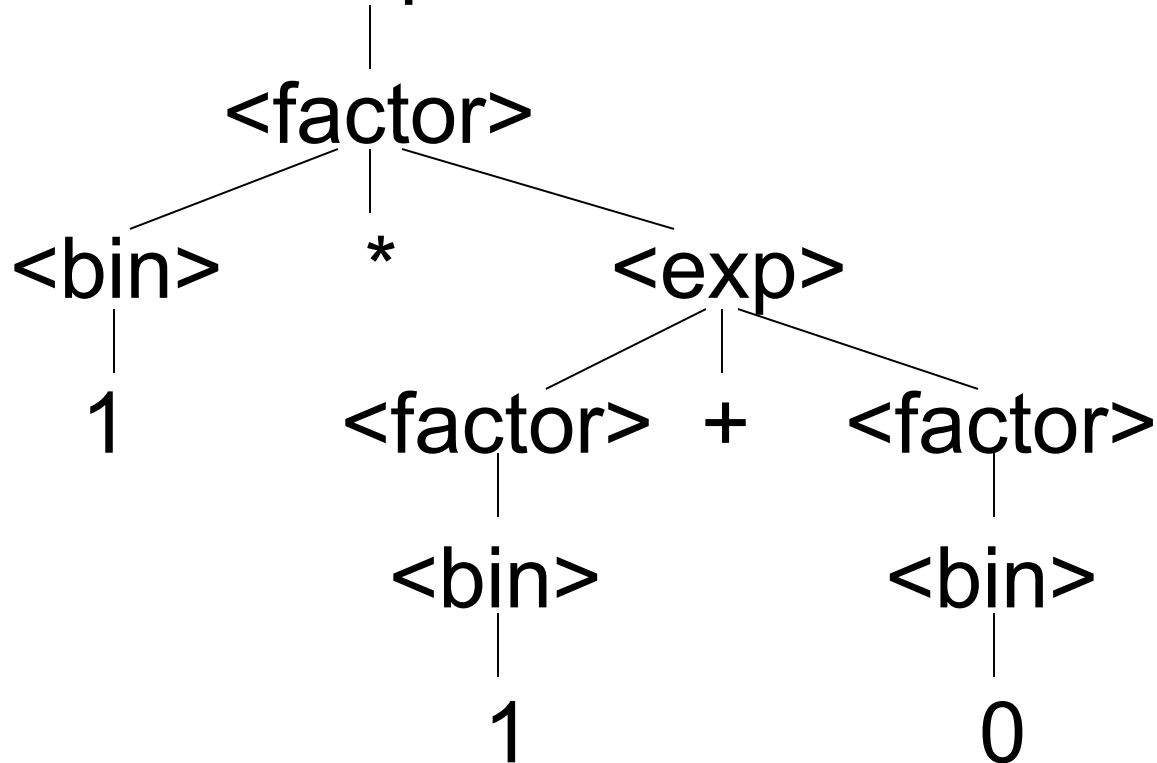
- 1 \* 1 + 0: <exp>



Use rule: <factor> ::= <bin>

# Example cont.

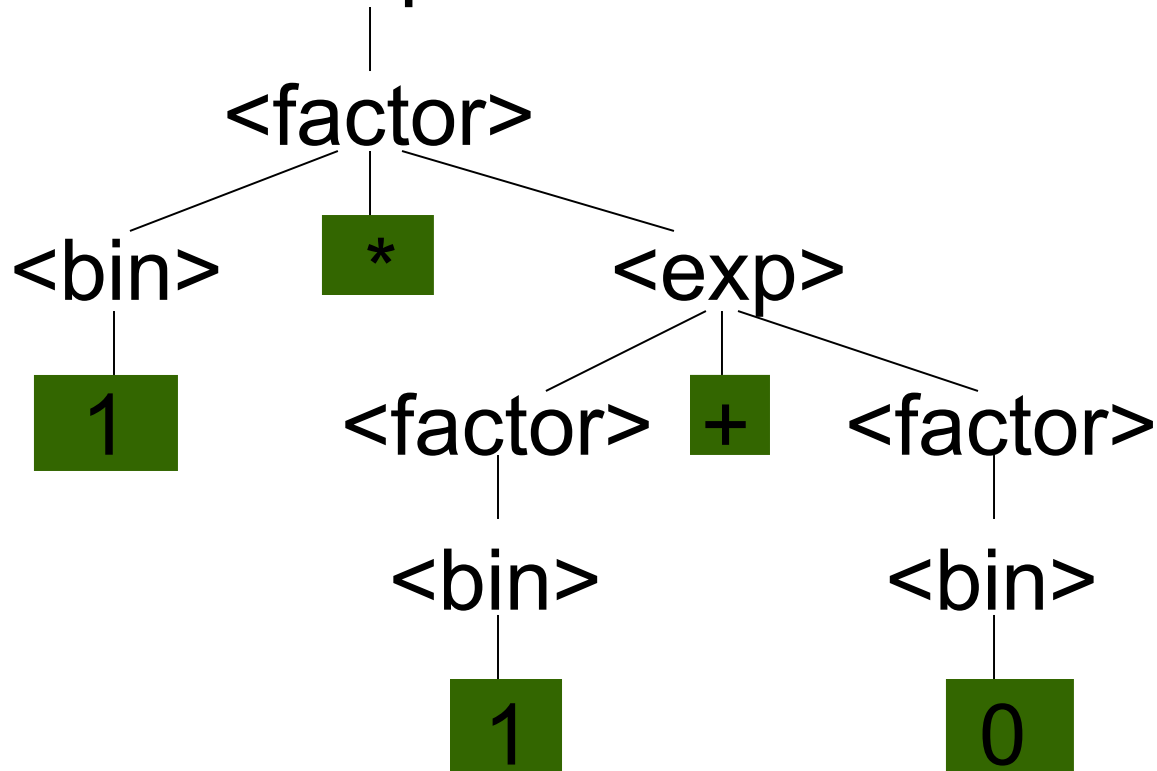
• 1 \* 1 + 0: <exp>



Use rules: <bin> ::= 1 | 0

# Example cont.

- 1 \* 1 + 0: <exp>



Fringe of tree is string generated by grammar

# Where Syntax Meets Semantics

# Three “Equivalent” Grammars

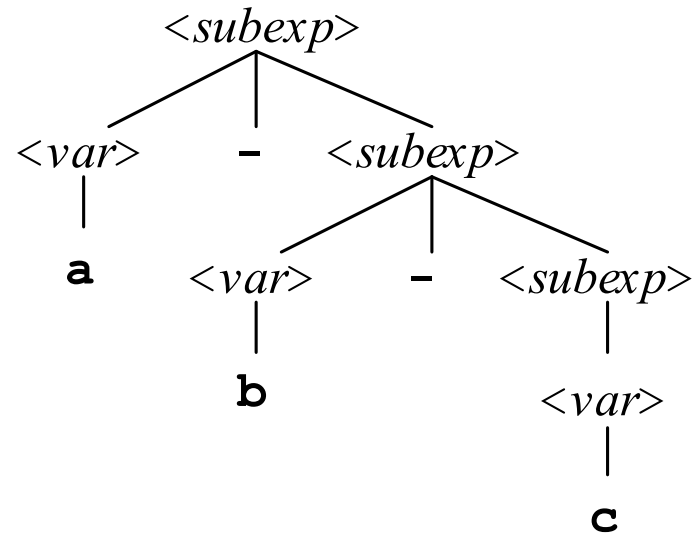
G1:  $\langle \text{subexp} \rangle ::= \mathbf{a} \mid \mathbf{b} \mid \mathbf{c} \mid \langle \text{subexp} \rangle - \langle \text{subexp} \rangle$

G2:  $\langle \text{subexp} \rangle ::= \langle \text{var} \rangle - \langle \text{subexp} \rangle \mid \langle \text{var} \rangle$   
 $\langle \text{var} \rangle ::= \mathbf{a} \mid \mathbf{b} \mid \mathbf{c}$

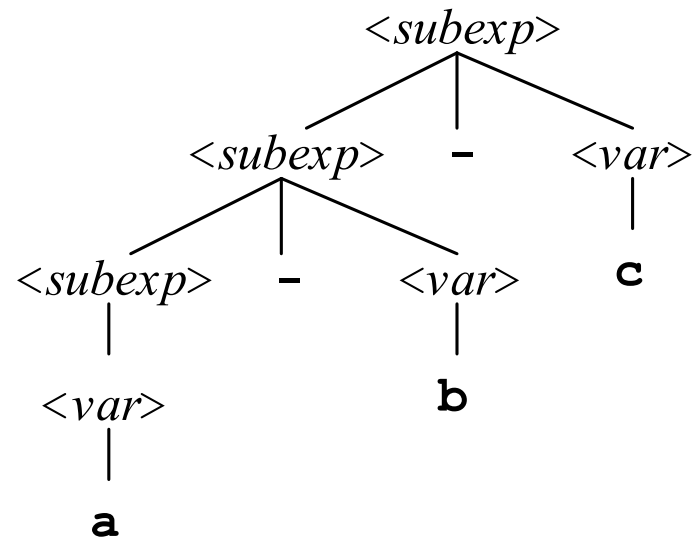
G3:  $\langle \text{subexp} \rangle ::= \langle \text{subexp} \rangle - \langle \text{var} \rangle \mid \langle \text{var} \rangle$   
 $\langle \text{var} \rangle ::= \mathbf{a} \mid \mathbf{b} \mid \mathbf{c}$

These grammars all define the same language: the language of strings that contain one or more **as**, **bs** or **cs** separated by minus signs.

G2 parse tree:



G3 parse tree:



# Why Parse Trees Matter

- We want the structure of the parse tree to correspond to the semantics of the string it generates
- This makes grammar design much harder: we're interested in the structure of each parse tree, not just in the generated string
- Parse trees are where syntax meets semantics



# Outline

- Operators
- Precedence
- Associativity
- Ambiguities
- Cluttered grammars
- Parse trees and EBNF
- Abstract syntax trees

# Operators

- Special syntax for frequently-used simple operations like **addition**, **subtraction**, **multiplication** and **division**
- The word *operator* refers both to the token used to specify the operation (like + and \*) and to the operation itself
- Usually predefined, but not always
- Usually a single token, but not always

# Operator Terminology

- *Operands* are the inputs to an operator, like **1** and **2** in the expression  $1+2$
- *Unary* operators take one operand: **-1**
- *Binary* operators take two: **1+2**
- *Ternary* operators take three: **a?b:c**

# More Operator Terminology

- In most programming languages, binary operators use an *infix* notation: **a + b**
- Sometimes you see *prefix* notation: **+ a b**
- Sometimes *postfix* notation: **a b +**
- Unary operators, similarly:
  - (Can't be infix, of course)
  - Can be prefix, as in **-1**
  - Can be postfix, as in **a++**

# Outline

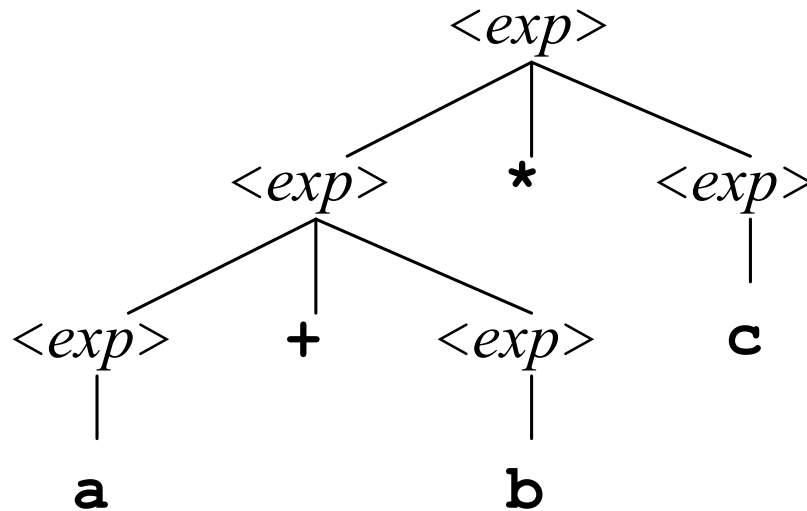
- Operators
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# Working Grammar

$$\begin{array}{lcl} \text{G4:} & \langle exp \rangle & ::= \langle exp \rangle + \langle exp \rangle \\ & & | \langle exp \rangle * \langle exp \rangle \\ & & | (\langle exp \rangle) \\ & & | \mathbf{a} \quad | \quad \mathbf{b} \quad | \quad \mathbf{c} \end{array}$$

This generates a language of arithmetic expressions using parentheses, the operators **+** and **\***, and the variables **a**, **b** and **c**

# Issue #1: Precedence



Our grammar generates this tree for **a+b\*c**. In this tree, the addition is performed before the multiplication, which is not the usual convention for operator *precedence*.

# Operator Precedence

- Applies when the order of evaluation is not completely decided by parentheses
- Each operator has a *precedence level*, and those with higher precedence are performed before those with lower precedence, as if parenthesized
- Most languages put  $*$  at a higher precedence level than  $+$ , so that

$$a+b*c = a+(b*c)$$



# Precedence Examples

- C (15 levels of precedence—too many?)

`a = b < c ? * p + b * c : 1 << d ()`

- Pascal (5 levels—not enough?)

`a <= 0 or 100 <= a`      **Error!**

- Smalltalk (1 level for all binary operators)

`a + b * c`

# Precedence In The Grammar

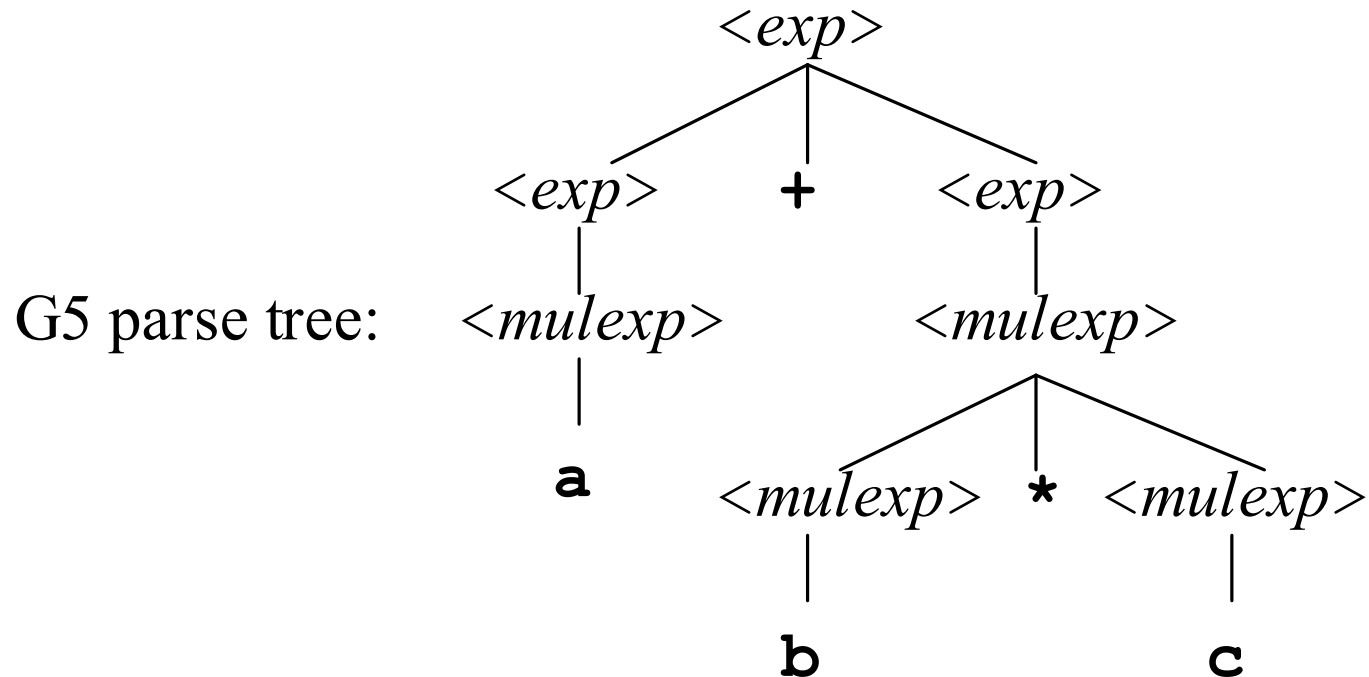
$$\begin{array}{lcl} \text{G4:} & \langle exp \rangle & ::= \langle exp \rangle + \langle exp \rangle \\ & & | \langle exp \rangle * \langle exp \rangle \\ & & | (\langle exp \rangle) \\ & & | \mathbf{a} \quad | \quad \mathbf{b} \quad | \quad \mathbf{c} \end{array}$$

To fix the precedence problem, we modify the grammar so that it is forced to put  $*$  below  $+$  in the parse tree.

G5:

$\langle exp \rangle$	:	:	=	$\langle exp \rangle + \langle exp \rangle$		$\langle mulexp \rangle$
$\langle mulexp \rangle$	:	:	=	$\langle mulexp \rangle * \langle mulexp \rangle$		
						$(\langle exp \rangle)$
						a   b   c

# Correct Precedence

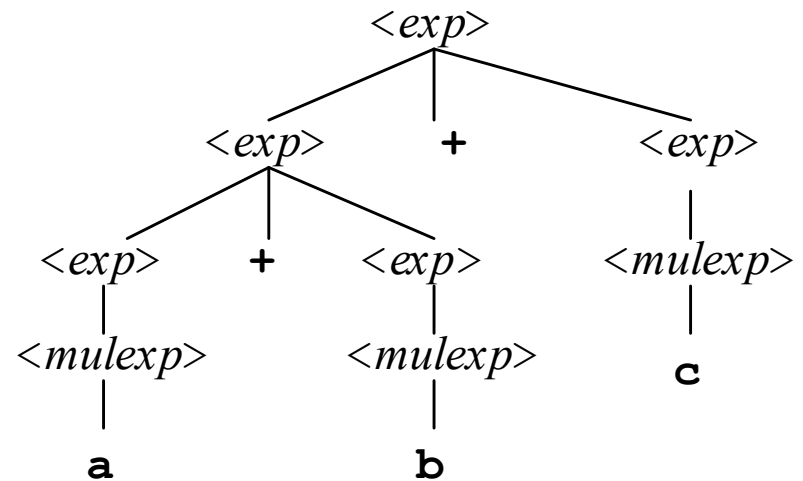
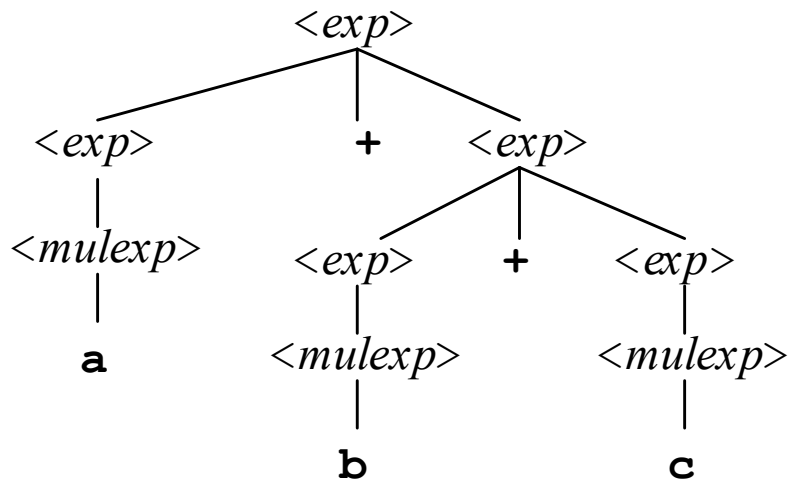


Our new grammar generates this tree for **a+b\*c**. It generates the same language as before, but no longer generates parse trees with incorrect precedence.

# Outline

- Operators
- Precedence
- **Associativity**
- Ambiguities
- Cluttered grammars
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# Issue #2: Associativity



Our grammar G5 generates both these trees for  **$a+b+c$** . The first one is not the usual convention for operator *associativity*.

# Operator Associativity

- Applies when the order of evaluation is not decided by parentheses or by precedence
- *Left-associative* operators group left to right:  $a+b+c+d = ((a+b)+c)+d$
- *Right-associative* operators group right to left:  $a+b+c+d = a+(b+(c+d))$
- Most operators in most languages are left-associative, but there are exceptions

# Associativity Examples

- C
- ML
- Fortran

**a<<b<<c** — most operators are left-associative  
**a=b=0** — right-associative (assignment)

**3-2-1** — most operators are left-associative  
**1::2::nil** — right-associative (list builder)

**a/b\*c** — most operators are left-associative  
**a\*\*b\*\*c** — right-associative (exponentiation)

# Associativity In The Grammar

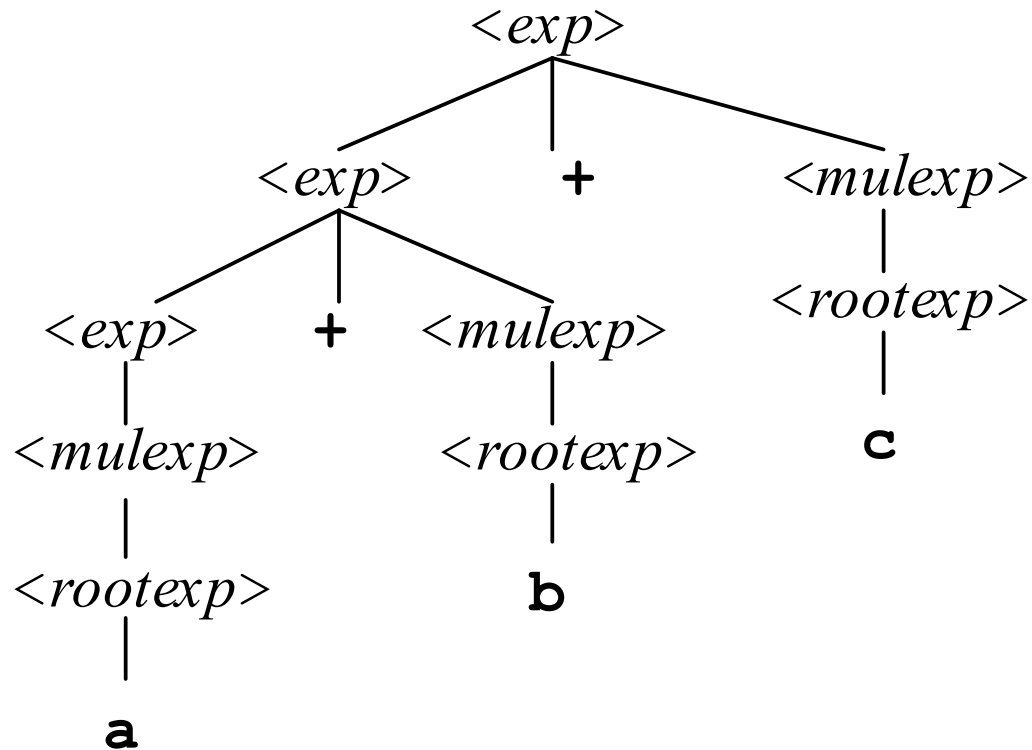
G5:  $\langle exp \rangle ::= \langle exp \rangle + \langle exp \rangle \mid \langle mulexp \rangle$   
 $\langle mulexp \rangle ::= \langle mulexp \rangle * \langle mulexp \rangle$   
 $\mid (\langle exp \rangle)$   
 $\mid \mathbf{a} \mid \mathbf{b} \mid \mathbf{c}$

To fix the associativity problem, we modify the grammar to make trees of **+**s grow down to the left (and likewise for **\***s)

G6:  $\langle exp \rangle ::= \langle exp \rangle + \langle mulexp \rangle \mid \langle mulexp \rangle$   
 $\langle mulexp \rangle ::= \langle mulexp \rangle * \langle rootexp \rangle \mid \langle rootexp \rangle$   
 $\langle rootexp \rangle ::= (\langle exp \rangle)$   
 $\mid \mathbf{a} \mid \mathbf{b} \mid \mathbf{c}$



# Correct Associativity



Our new grammar generates this tree for **a+b+c**. It generates the same language as before, but no longer generates trees with incorrect associativity.

# Outline

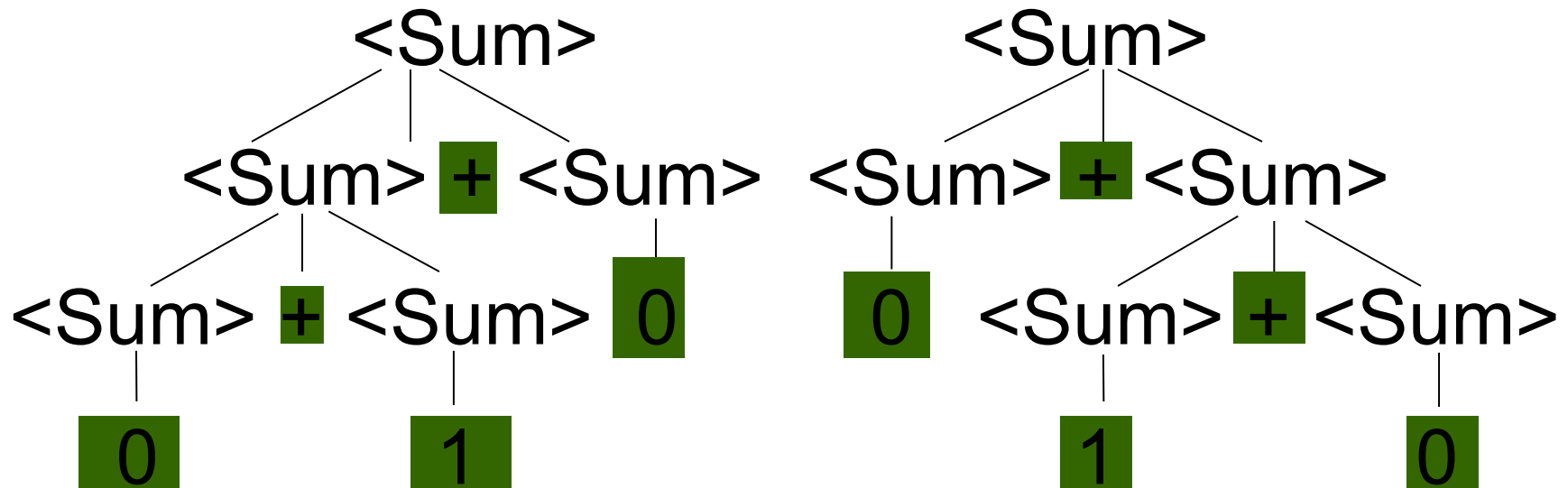
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# Ambiguous Grammars and Languages

- A BNF grammar is *ambiguous* if its language contains strings for which there is *more than one parse tree*
- If all BNF's for a language are ambiguous then the language is *inherently ambiguous*

# Example: Ambiguous Grammar

- $0 + 1 + 0$



# Example

- What is the result for:

$$3 + 4 * 5 + 6$$

# Example

- What is the result for:

$$3 + 4 * 5 + 6$$

- Possible answers:
  - $41 = ((3 + 4) * 5) + 6$
  - $47 = 3 + (4 * (5 + 6))$
  - $29 = (3 + (4 * 5)) + 6 = 3 + ((4 * 5) + 6)$
  - $77 = (3 + 4) * (5 + 6)$

# Example

- What is the value of:

$$7 - 5 - 2$$

# Example

- What is the value of:  
$$7 - 5 - 2$$
- Possible answers:
  - In Pascal, C++, SML assoc. left  
$$7 - 5 - 2 = (7 - 5) - 2 = 0$$
  - In APL, associate to right  
$$7 - 5 - 2 = 7 - (5 - 2) = 4$$



# Two Major Sources of Ambiguity

- Lack of determination of operator precedence
- Lack of determination of operator associatively
- Not the only sources of ambiguity

# Issue #3: Ambiguity

- *G4 was ambiguous*: it generated more than one parse tree for the same string
- Fixing the associativity and precedence problems eliminated all the ambiguity
- This is usually a good thing: the parse tree corresponds to the meaning of the program, and we don't want ambiguity about that
- Not all ambiguity stems from confusion about precedence and associativity...

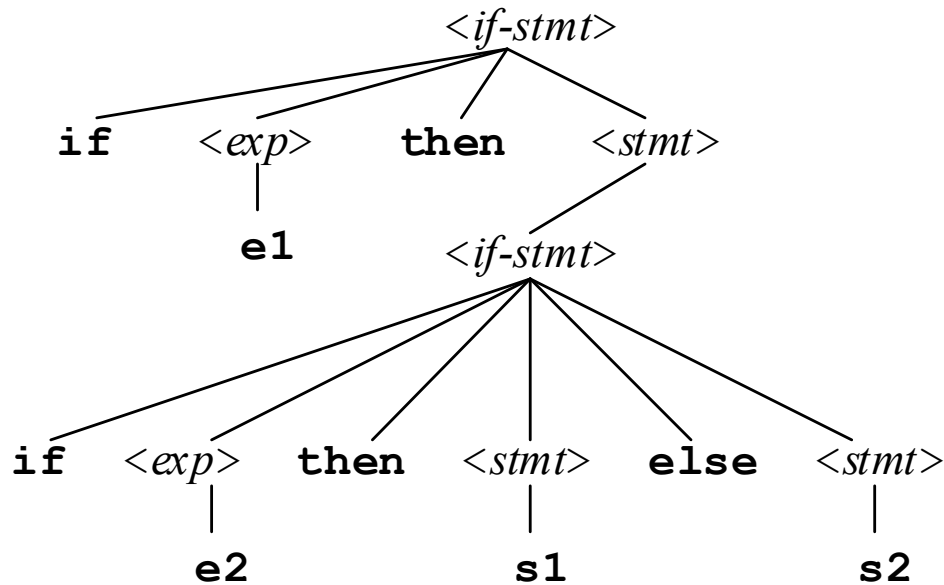
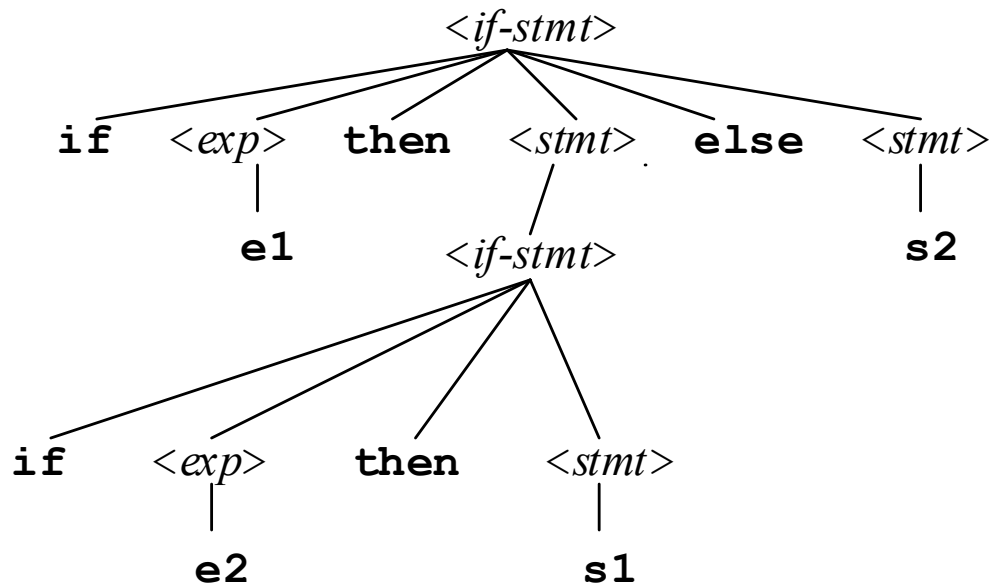
# Dangling Else In Grammars

$$\begin{aligned}\langle stmt \rangle &::= \langle if-stmt \rangle \mid \mathbf{s1} \mid \mathbf{s2} \\ \langle if-stmt \rangle &::= \mathbf{if} \langle expr \rangle \mathbf{then} \langle stmt \rangle \mathbf{else} \langle stmt \rangle \\ &\quad \mid \mathbf{if} \langle expr \rangle \mathbf{then} \langle stmt \rangle \\ \langle expr \rangle &::= \mathbf{e1} \mid \mathbf{e2}\end{aligned}$$

This grammar has a classic “dangling-else ambiguity.” The statement we want derived is

**if e1 then if e2 then s1 else s2**

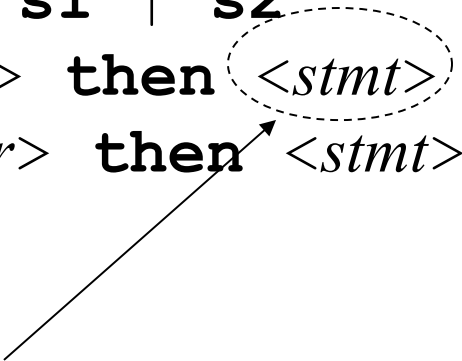
and the next slide shows two different parse trees for it...



Most languages that have this problem choose this parse tree: **else** goes with nearest unmatched **then**

# Eliminating The Ambiguity

$\langle stmt \rangle ::= \langle if-stmt \rangle \mid s1 \mid s2$   
 $\langle if-stmt \rangle ::= \text{if } \langle expr \rangle \text{ then } \langle stmt \rangle \text{ else } \langle stmt \rangle$   
 $\qquad \qquad \qquad \mid \text{if } \langle expr \rangle \text{ then } \langle stmt \rangle$   
 $\langle expr \rangle ::= e1 \mid e2$



We want to insist that if this expands into an **if**, that **if** must already have its own **else**. First, we make a new non-terminal  $\langle full-stmt \rangle$  that generates everything  $\langle stmt \rangle$  generates, except that it can't generate **if** statements with no **else**:

$\langle full-stmt \rangle ::= \langle full-if \rangle \mid s1 \mid s2$   
 $\langle full-if \rangle ::= \text{if } \langle expr \rangle \text{ then } \langle full-stmt \rangle \text{ else } \langle full-stmt \rangle$

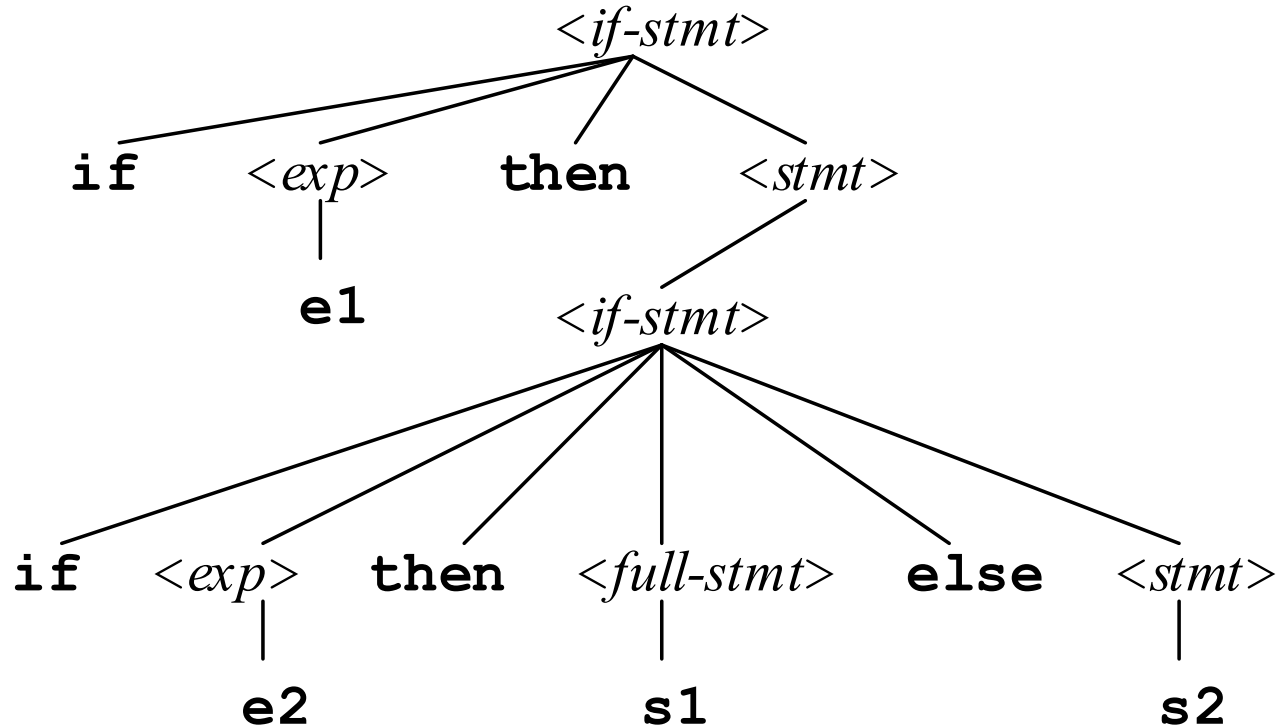
# Eliminating The Ambiguity

$\langle stmt \rangle ::= \langle if-stmt \rangle \mid s1 \mid s2$   
 $\langle if-stmt \rangle ::= \text{if } \langle expr \rangle \text{ then } \langle full-stmt \rangle \text{ else } \langle stmt \rangle$   
 $\qquad \qquad \qquad \mid \text{if } \langle expr \rangle \text{ then } \langle stmt \rangle$   
 $\langle expr \rangle ::= e1 \mid e2$

Then we use the new non-terminal here.

The effect is that the new grammar can match an **else** part with an **if** part only if all the nearer **if** parts are already matched.

# Correct Parse Tree



# Dangling Else

- The grammar trouble reflects a problem with the language, which we did not change
- A chain of if-then-else constructs can be very hard for people to read
- Especially true if some but not all of the else parts are present



# For Example

```
int a=0;  
if (0==0)  
    if (0==1) a=1;  
else a=2;
```

What is the value of **a** after this fragment executes?

Answer: **a=2**, (read both ways)

# Clearer Styles

```
int a=0;  
if (0==0)  
    if (0==1) a=1;  
    else a=2;
```

Better: correct indentation

```
int a=0;  
if (0==0) {  
    if (0==1) a=1;  
    else a=2;  
}
```

Even better: use of a block  
reinforces the structure

# Languages That Don't Dangle

- Some languages define if-then-else in a way that forces the programmer to be more clear
- Algol does not allow the **then** part to be another **if** statement – though it can be a block containing an **if** statement
- Ada requires each **if** statement to be terminated with an **end if**

# Outline

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- Associativity
- Ambiguities
- **Cluttered grammars**
- Parse trees and EBNF
- Abstract syntax trees

# Clutter

- The new if-then-else grammar is harder for people to read than the old one
- It has a lot of clutter: more productions and more non-terminals
- Same with G4, G5 and G6: we eliminated the ambiguity but made the grammar harder for people to read
- This is not always the right trade-off

# Reminder: Multiple Audiences

- Grammars have multiple audiences:
  - **Novices** want to find out what legal programs look like
  - **Experts**—advanced users and language system implementers—want an exact, detailed definition
  - **Tools**—parser and scanner generators—want an exact, detailed definition in a particular, machine-readable form
- Tools often need ambiguity eliminated, while people often prefer a more readable grammar

# Options

- Rewrite grammar to eliminate ambiguity
- Leave ambiguity but explain in accompanying text how things like associativity, precedence, and the dangling else should be parsed
- Do both in separate grammars

# Outline

- Operators
- Precedence
- Associativity
- Ambiguities
- Cluttered grammars
- **Parse trees and EBNF**
- Abstract syntax trees



# EBNF and Parse Trees

- You know that  $\{x\}$  means "zero or more repetitions of  $x$ " in EBNF
- So  $\langle exp \rangle ::= \langle mulexp \rangle \{ + \langle mulexp \rangle \}$  should mean a  $\langle mulexp \rangle$  followed by zero or more repetitions of " $+ \langle mulexp \rangle$ "
- But what then is the associativity of that  $+$  operator? What kind of parse tree would be generated for  $a+a+a$ ?

# Two Camps

- Some people use EBNF loosely:
  - Use `{ }` anywhere it helps
- Other people use EBNF strictly:
  - Use  $\langle exp \rangle ::= \langle mulexp \rangle \{ + \langle mulexp \rangle \}$  only for left-associative operators
  - Use recursive rules for right-associative operators:  $\langle expa \rangle ::= \langle expb \rangle [ = \langle expa \rangle ]$

# About Syntax Diagrams

- Similar problem: what parse tree is generated?
- As in loose EBNF applications, add a paragraph of text dealing with ambiguities, associativity, precedence, and so on

# Outline

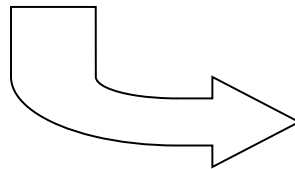
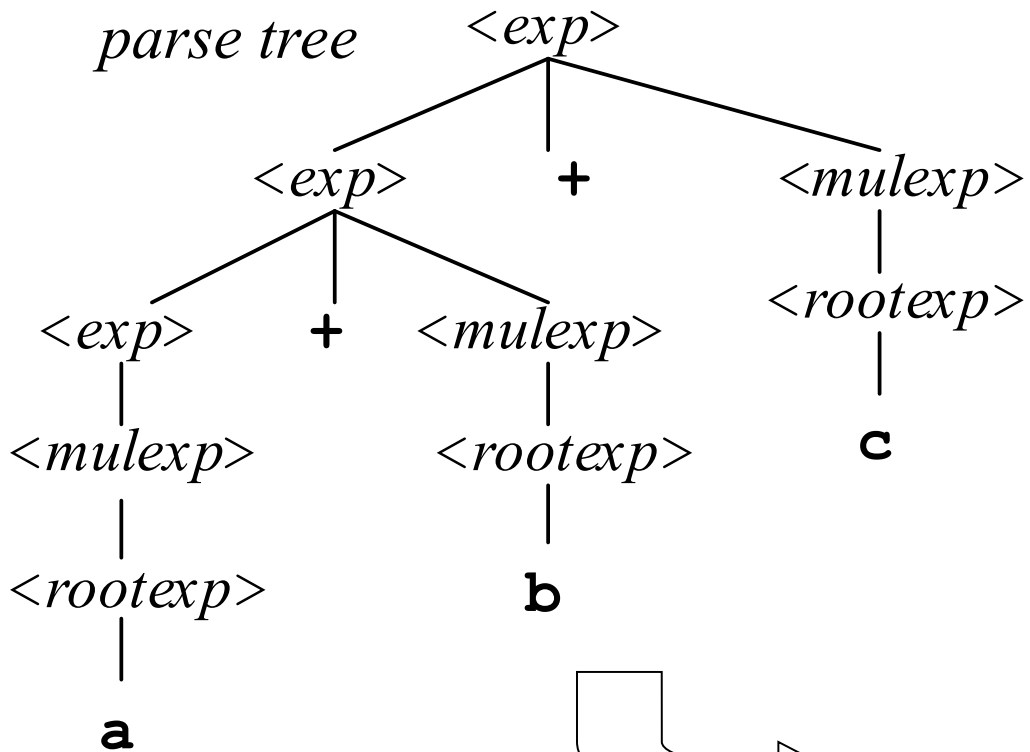
- Operators
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# Full-Size Grammars

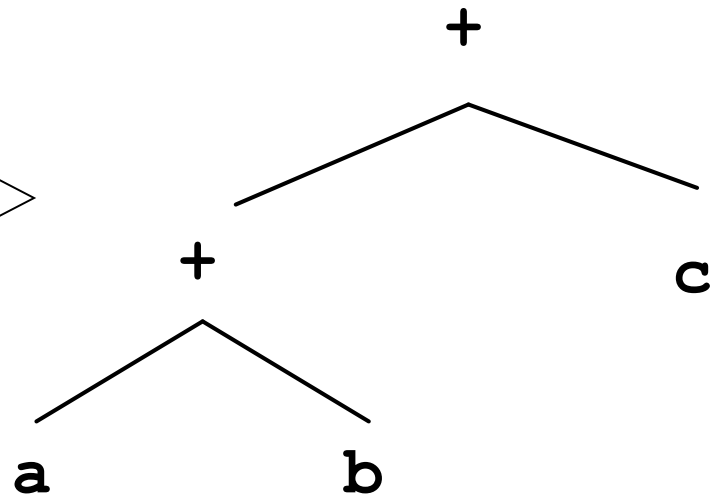
- In any realistically large language, there are **many non-terminals**
- Especially true when in the cluttered but unambiguous form needed by parsing tools
- Extra non-terminals guide construction of unique parse tree
- Once parse tree is found, such non-terminals are no longer of interest

# Abstract Syntax Tree

- Language systems usually store an abbreviated version of the parse tree called the *abstract syntax tree*
- Details are implementation-dependent
- Usually, there is a node for every operation, with a subtree for every operand



*abstract syntax tree*



# Parsing, Revisited

- When a language system parses a program, it goes through all the steps necessary to find the parse tree
- But it usually does not construct an explicit representation of the parse tree in memory
- Most systems construct an *abstract syntax tree* (AST) instead



# Conclusion

- Grammars define syntax, *and more*
- They define not just a set of legal programs, but a parse tree for each program
- The structure of a parse tree corresponds to the order in which different parts of the program are to be executed
- Therefore, grammars contribute to the definition of semantics

# End of Syntax and Semantics