

(WOSC
(data poster))

01	02	03 u	03 l
3 GW events	8 GW events	14 GW events	35 GW events
99 events			
99 events			

DATA

Strain data

Bulk data released in
4 Khz 16 Khz sampling rate

Download software (data extractor module)

Cer VM-FS

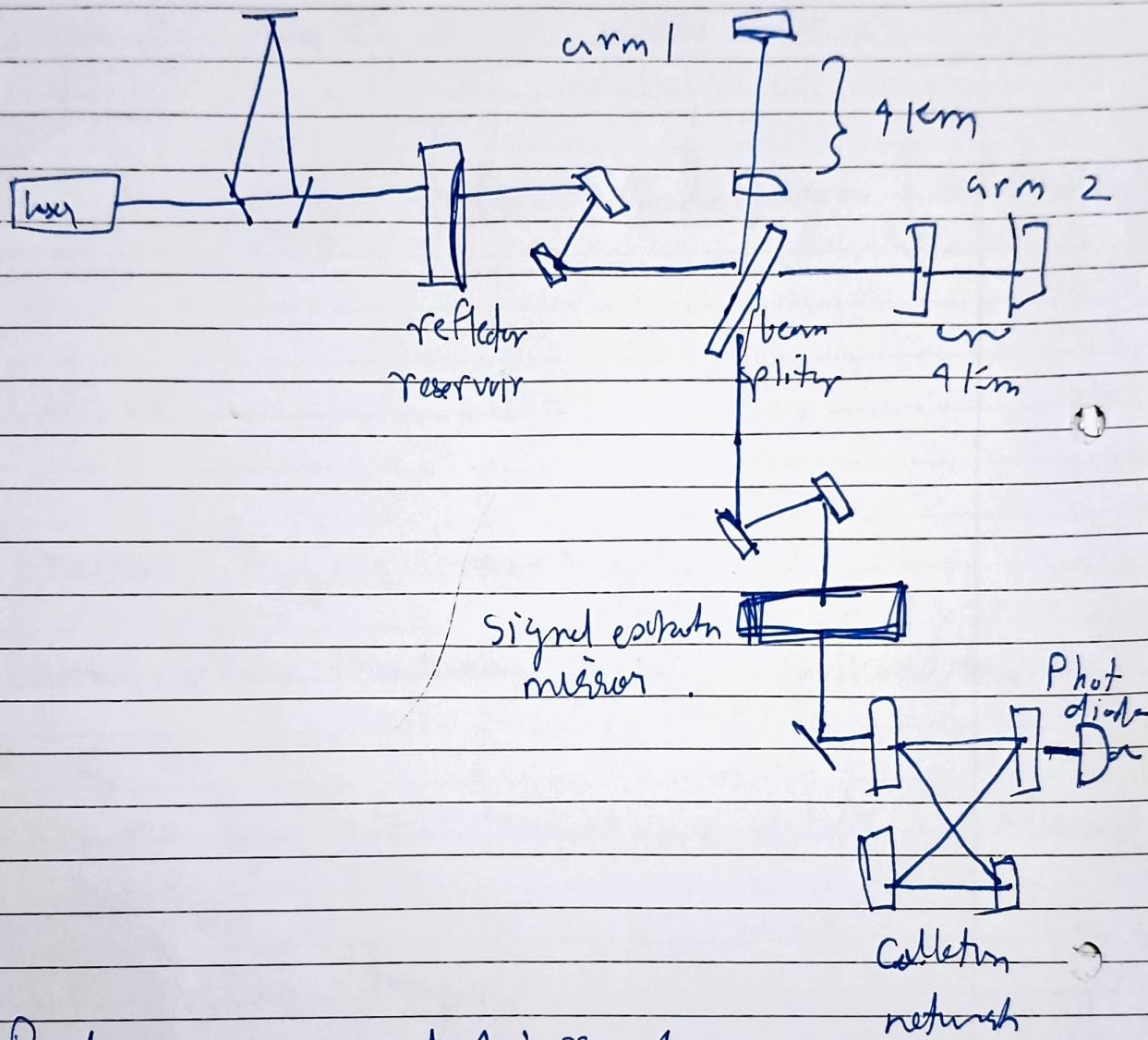
NDS 2
GW py

Versions in events: Diff analysis of data.
Diff calibration / noise removal.

Timeline App: Segments of data based on GPS interval

GRACE DB: showing immediate alerts for other observations

LIGO - Laser Interferometer Gravity Observatory



Baseline noise is point of interest.

$$\text{Gravitational wave strain} = \frac{\text{Misconstr.}}{\text{Length between arms}}$$

$$\text{for LIGO} = \frac{10^{-19} \text{ m}}{4 \text{ km}}$$

Noise: Quantum shot limits laser power
Total control noise - biggest noise factor

Segments: On off, time series data.

CAT 1
CAT 2
CAT 3 } Data Quality says ↓ sensitivity decreases

Web API:

Omission trigger = transient noise

Ground motion, thunderstorm, change in humidity

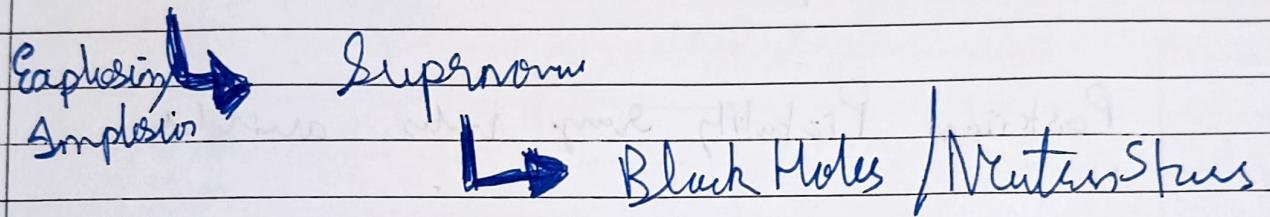
Sensitivity Spy \Rightarrow transient noise detection CNN based

CAT 3 vetoes target

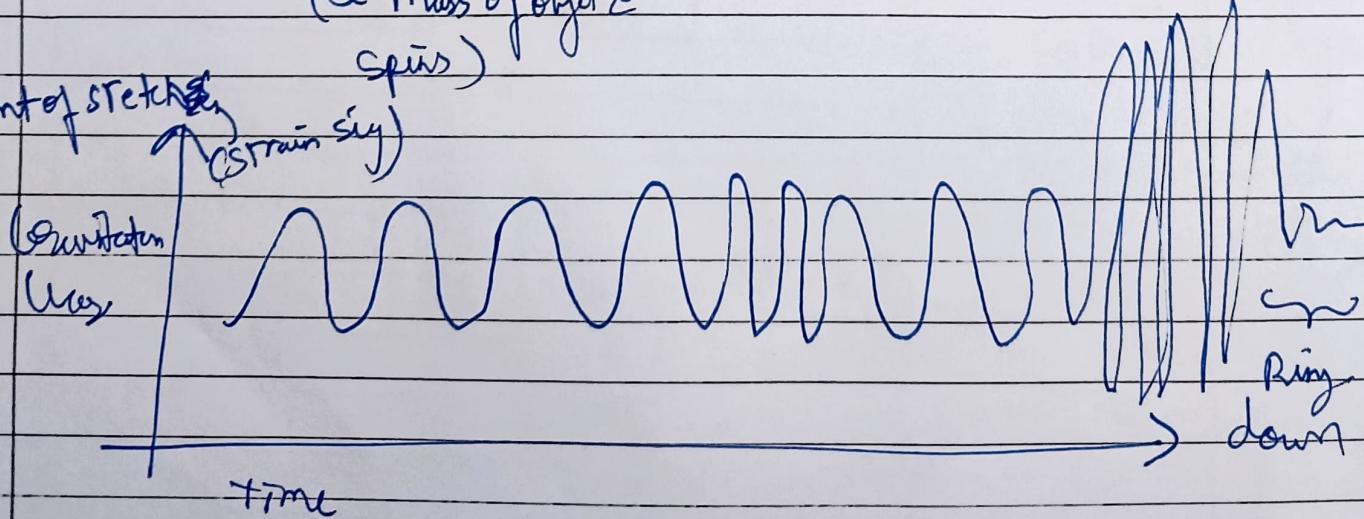
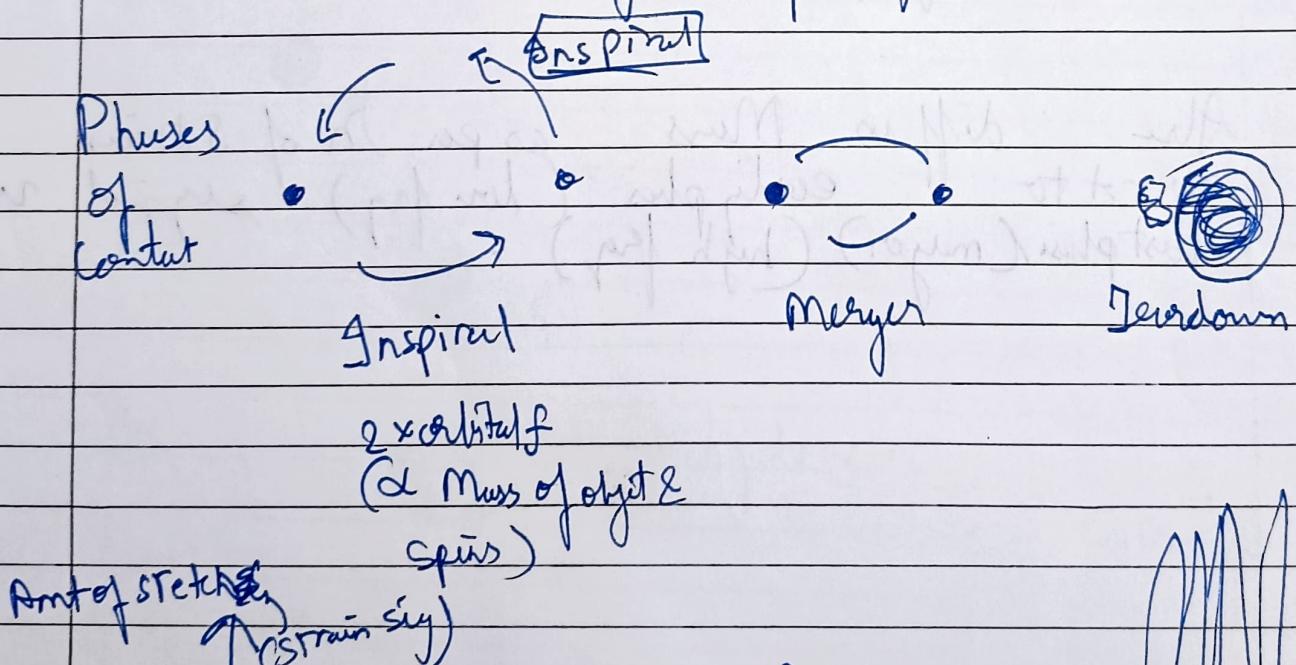
Compact Binary Coalescence.

Stellar evolution
End phase (Cenveyar)

Massive Star ($10 \times \text{Sun}$)



Gravitational Wave signal of merger



Information :

How big & neutron stars / black holes

How fast is their spin

Where & when did they merge

How squishy are neutron stars.

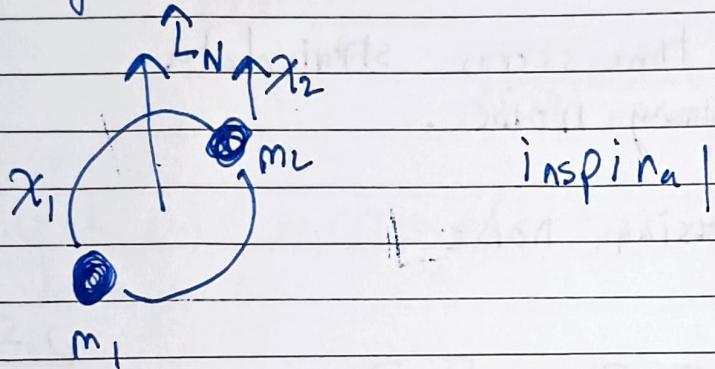
Posterior Probability many rules available.

Also, GW source cross referred to RS to measure age of univ.

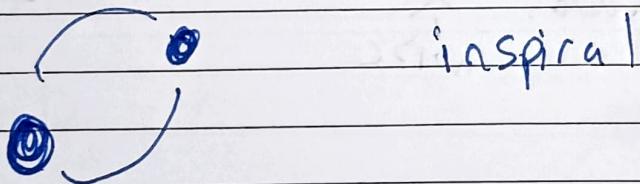
Also diff in Mass as per fn of strain
w.r.t to early plus (low freq) signal vs
last plus (major) (high freq)

PyCBC

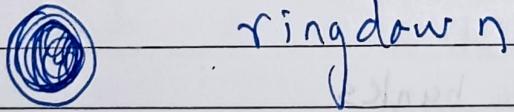
Merger Phases



inspiral



Merger



ringdown

Intrinsic parameters: m_1, m_2 etc masses,
spins.

★ Matched Filtering

Ligo data [Notes]

Discrete time series strain data
with stationary noise.
&
with Gaussian noise

Assumption

$$d[t_i] = n[t_i] + S[b_i] \quad \stackrel{S_{1,2} \sim N}{\sim}$$

strain data.

$$\begin{aligned} p(t) &= 2 \int_{-\infty}^{\infty} df \hat{h}(f) \hat{d}(f) \exp 2\pi i f t \\ &= 2 \int_{-\infty}^{\infty} d\tau h(\tau) d(t - \tau) \end{aligned}$$

P.O.T

1D template banks

$$\{m_1, m_2, s_{12}, s_{22}\}$$

Noise is not strict, Gaussian or white (Power across freq is not same)

$$p(t) = \int_{-\infty}^{+\infty} d\tau \hat{h}(\tau) \hat{d}(t+\tau)$$

estimated & temp data

$$d(\tau) = \int_{-\infty}^{\infty} df \frac{\hat{d}(f)}{\sqrt{S_n(f)}} e^{-j2\pi f T}$$

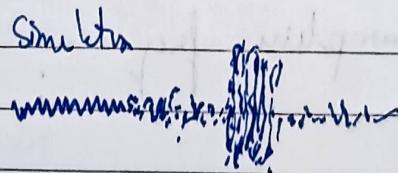
GstLAL MBTA, PyCBC Method using
technique.

GstLAL -

1. Cracking



2. Signal Consistency test



Here no noise.

~~3. IDC~~

Instrumental data Quality.

Based on sensor data channels to verify glitches

Matched filters LLOID metric

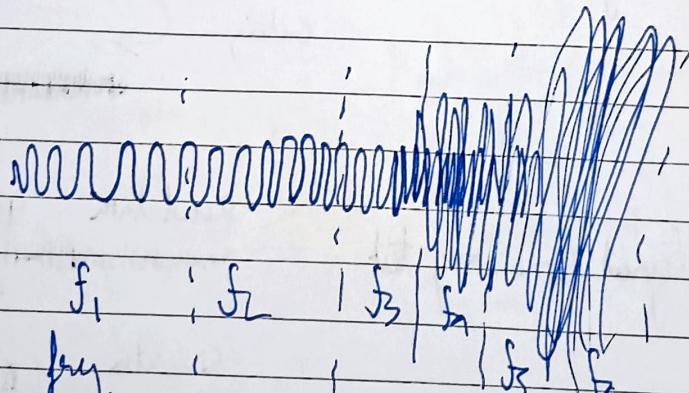
Low Latency Online Infrared Detection

$L_{LLOID} = \text{Timeslice \& Down Sample} + \text{Singular Value Decomposition (SVD)}$

Step1: Timeslice & Down Sample

Signal freq (monotonically increase)

time



Sampling freq : $f_1 ; f_2 ; f_3 ; f_4 ; f_5 ; f_6$

$$f_6 > f_5 > f_4 > f_3 > f_2 > f_1$$

DFFT

Step 2: Singular Value Decomposition.

Scaling to base waveforms

$$H_{ij} = \sum_{\gamma} U_{i\gamma} V_{j\gamma}^T U_{j\gamma}$$

PyCBL8 MBTA \rightarrow Matched filter

\rightarrow in frequency domain
 \rightarrow multipl. v.

1st LAZ
 \rightarrow Convolution
 $p[j] = d[j] * h[j]$

$$\hat{p}[k] = \hat{d}[k] \cdot \hat{h}[k]$$

\rightarrow Perform FFT on blocks of data, then correlate with template.

$$d[k] = \sum_{j=0}^{N-1} d[j] \exp(-2\pi i j k / N)$$

DFFT

Noise handling:

Gating & signal consistency tool

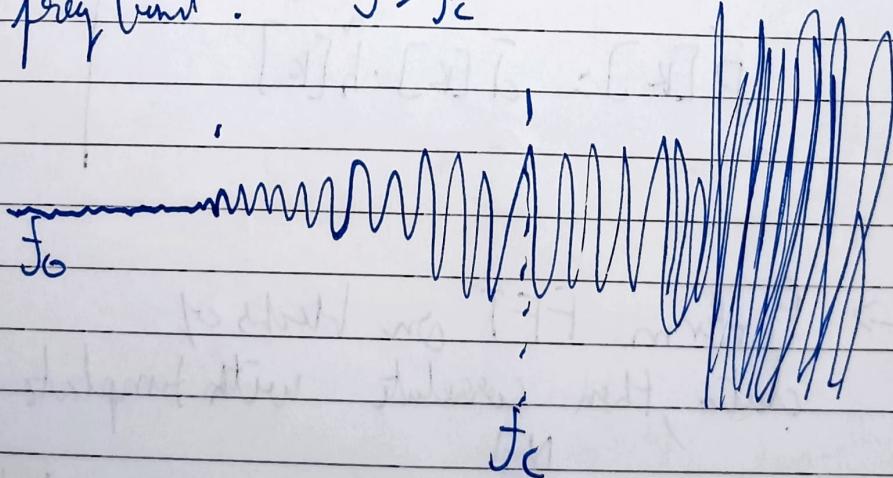
~~DOCE~~ values :- plots to stretch of data
telling if glitches were made

MBTA : refilling high mass templates w/o gating

Step 2: Multi Banding

Low freq band $f_0 < f < f_c$

High freq band $f > f_c$



Parameter Estimation

Tools:

Baye's Theorem $P(A|B) = \frac{P(B|A) P(A)}{P(B)}$

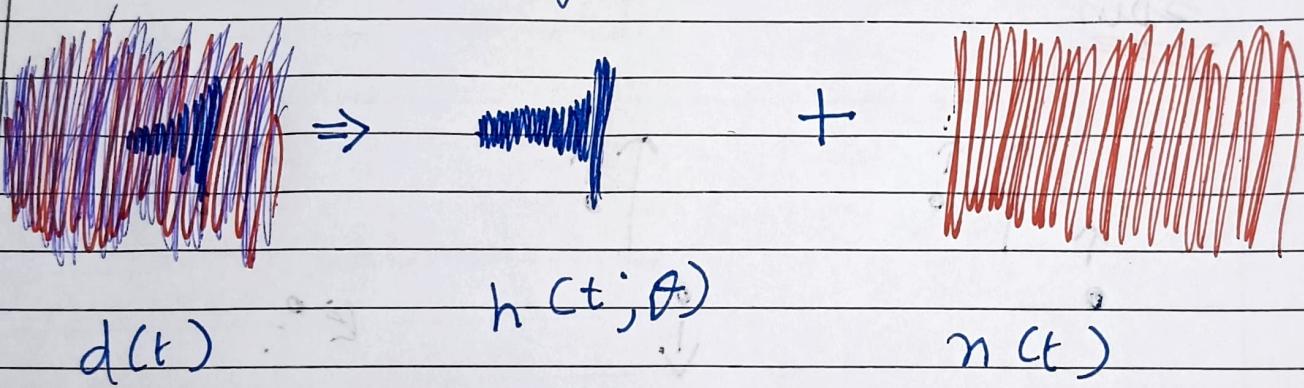
Stochastic Samples: emcee, dmfit

BILBY

Date

Signal

Noise



Signal: Two polarizations.
+ ϵ_x

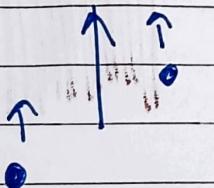
Each polarization { Intrinsic: 3D spin vectors, mass (of C, B, C)
depends on IS } Extrinsic: dust, (RA, Dec) polarizations
parameters angle γ .

$$h(\theta; t) = \sum_{p=x,y} F_p(RA, Dec, \gamma) h_p(\theta; t)$$

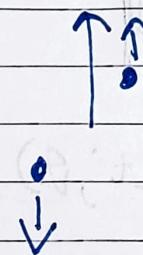
Mass

Mass \uparrow ; signal length \downarrow ; Amplitude \uparrow

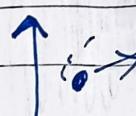
Spin



aligned



misaligned



anti
~~not~~ aligned

Individual spin vector if aligned with orbital momentum, longer streak of signal.
Anti signal.

Misaligned spin vector if not aligned / opposite
shortest signal length.

Same Amplitude All over

When best fit data is subtracted from all data, all left is noise. Hence following a gaussian distribution.

Likelihood distribution for each freq.

$$L(d_i | \theta) = \frac{2\Delta f}{\pi S_n(f_i)} \exp\left(-\frac{2\Delta f}{S_n(f_i)} \frac{|d(f_i) - h(f_i; \theta)|^2}{S_n(f_i)}\right)$$

Total likelihood $L(d|\theta) = \prod_{i=1}^N L(d_i|\theta)$

Prior: human limits about Physically possible or not etc.

Evidence for S vs N.

$$N \Rightarrow Z_n = \frac{2\Delta f}{\pi S_n(f_i)} \exp\left(-\frac{2\Delta f}{S_n(f_i)} |d(f_i)|^2\right)$$

Bayes factor

$$BF_N^S = \frac{Z_S}{Z_N}$$

PSD from estimation

$$y=0$$

$$P(n_i) \sim \exp\left(-2\Delta f \frac{n_i^2}{S_n(f_i)}\right)$$

Welch Method =

Divide time series into small segments

Fourier transform $|d(f)|^2$

Bayes theorem

$$P(\theta|d) = \frac{P(d|\theta)P(\theta)}{P(d)}$$

d = data,

$$P(\theta|d) = p(\theta|d)$$

Posterior distribution

$$\int L(d|\theta) \pi(\theta) = P(d|\theta) P(\theta)$$

Likelihood, Prior

$$Z_s = P(d) = \int d\theta \int L(d|\theta) \pi(\theta)$$

Evidence

$\Theta \geq 15$ so computation is costly for
 $p(\Theta | d)$ posterior

Stochastic Sampler

Populate space with random points.
Converge based on posterior factor.

Bilby : Python .

LVM data .

Samplers : emcee, dynesty, bilby - many multithreaded .

Output of a PE

ra, dec, luminosity-distance, mass 1, mass 2
; ; ; ; ;
| | | | |

PESummary Data viz perky .