Array: Important Problems -11

Suntien 1

Cinen an array of size N and O queries of (5,e], for every query return the sum of all even indexed element in the range from S to e.

eg 2316 45

B=4

s e sum

1 3 1

2 5 14455

0 4 241+427

3 3 O [No index)

Ideal: for each query, [TODO coding part]
iferate from s to e and som even-indered
elements.

TC: O(N+B)

sc: Ou)

Idea 2: Prefix Som pf h) = a(0)+a(1)+....+a(i-1)+a(i) pfli) = pfli-1] +ali) Pfe -> prefix sum of even-indexed exements Pfeli) = Pfeli-1) + ali) (if i/2==0) (if i/.2 ==1) pfeli) = pfeli-1] A: $\frac{3}{6}$ $\frac{1}{2}$ $\frac{6}{3}$ $\frac{4}{5}$ $\frac{5}{5}$ $\frac{5}{6}$ $\frac{12}{16}$ $\frac{16}{21}$ pfe: 223377

pfe [n]

pfe [o] = a(o)

for (i=1; i×n; ++i) ? -> N iteration

if (i+2=20)

pfe(i) = pfe(i) +a(i)

elu

pfe(i) = pfe(i-1)

SC: O(N)

```
for lizo; icB; ++i) } -> 0 iterations
      1 s,e index
      if (5=20)
          print ( pfe [e])
       e158
          print ( pfe le) - pfe 15-1])
pfo: 0 4 4 5 5
brefix sum of odd indexed elements
  pto [0] = 0
  forlizi; icn; +ti) }
     if (1/2==1)
         bfoli) = bfoli-17 +ali]
      else
        pfoll= pfoli-1]
   3
```

Question2 - Special Index

Court no. of Special index in the

array.

An index is special, if after removing the index sum of all even-indexed = sum of all odd-indexed elements elements

Pg A: 4 3 2 7 6 -2 5

i 3 2 7 6 -2 8 8 X

1 4 2 7 6 -2 9 8 X

1 4 3 7 6 -2 9 9 X

3 4 3 2 6 -2 4 9

::

Ideal: for each index

create a new array after removing the
index, calculate se I so and compare

int special court (all) {

ans=0

for (i=0; i<n; ++i) {

N detete ith index

N alm): as as ... as as as to amy

N creak new array w/o ali)

copy(m-1) =

iterate on copy and calculate se & So JTDDO

Te:oun)

if (Se = = So)

+ ears

sctum ans SC: OCN)

Obervation Time

Som of odd-indexed elements offer removing index 3 =

Som of odd-indexed elements from [0-2]Som of even-indexed elements from [4-9]Or [4-9]Or [4-9]or [4-9]or [4-9]or [4-9]or [4-9]or [4-9]

Sum of even-indexed elements offer removing index 3 =

Sum of even-indexed elements from [0-2]

2+1=3

+

Sum of odd-indexed elements from [4-9]

-1 +-2 + 8 = 5

After removal of index i

Se = Se [0, i-1] + So [i+1, n-1]

So = So [0, i-1] + Se [i+1, n-1]

We have already solved prefix som for even and odd indexed elements.

Pfe -> prefix sum of even. indexed evennets

pfo -> " odd-indexed "

Code

Creak [fe [n] and pfo (n) -> O(N) TODO
ans=0

for (izo; izn; ++i) }

3

else {

TC:0(N)

SL: OCN)

Question 3 - Majority Element

Ecinen an array, return if there exists an element with frequency > N/2.

(N = length of array)

$$A(10) = 4653454448$$

 $freq(4)=5 N_{12}=10/2=5 355 NO$

Ideas: court freq. of each element & compare with M/2.

1. Using 2 nested looks -> TC:O(N2) SC:O(1) 2. Hashmap / Dictionary > TC:O(N) SC:O(N)

3. Sort the array

Signore 917): 913153353 TC:O(N)

if you sort 917) = 9113333553 SC:O(1)

don't understand

At man how many majority elements can be there in an array ? => Ans=1

assume 2 majority clements 2 2 y

fregin) > N/2

freq (y) > N/2

freq (n) + freq (y) > N we have only N
elements.

Election -> 15 MLAS

15/2 = 7

Am1 - 9 15/2 27 977

12 disqualify

Aml - 98 13/2 = 6 876

[L disqulify

Am1 ->7 11/225 7>5

Observation:

If you delete two distinct elements, majority won't change.

A [10] = * * * * * * * * * NO MAJORITY

Implementation

1. Assume first element as majority element

2. If you get same element, increase frieg.

3. It you get diff. element, decrease freq

4. If freq =0, change majority evenent.

A1970 =
$$\frac{1}{3}$$
 $\frac{1}{3}$ $\frac{1}{3$

If final element freq \$ 11/2 then
NO MAJORITY

c=0

for Li=0; ixn; ++i)?

if (ali) == ele)

++c

3

if (c > 712) return ele

ele return NO_MAJORITY

Moore's Voting Aigo

Homework - majority element Evinen array return if there exist an element with freq > N/3. Sc:000

Here, you have to delete 3 different elements So, you have to keep 2 variables: ele, 2 ele.