

makefile

make -f compArch.make

Makefile

S. makefile

S. Makefile

<op>

+

-

*

ex. makefile

EX01: EX01.c

\$(compile) -c EX01 EX01.c

Error.o: Error.c Error.h

\$(COMPILE) -c Error.c

all: bunch of files

Tar files: // do this on iLab machine

create

tar cvf filename.tar

or
cf

List of

directories

or
filenames

↳ just to see files

See contents

tar tvf filename.tar

Extraction

Tar xvf filename.tar

① make file on iLab machine

② make clean all .o files (only .c, .h, .pdf files etc)

③ tar xvf to extract

* can use macros to put different files in different subdirectories

macros → { machine = Intel
OS = Linux
UI = cmd line

Disassem.o: \$(machine)/Disassem.c

\$(machine)/Disassem.h

continue on
next line

SCP CS211.TAR

filename

morbius@base.cs.rutgers.edu: ~ Home

login

remote
pc name

dir

transferring
file to
remote pc

★ 1 in IEEE is never there b/c it's always there.

Decimal Scientific Notation:

$1 = 1 \times 10^0$	1×10^0
$3000 = 3000 \times 10^0$	3×10^3
$412 = 412 \cdot 10^0$	$4.12 \cdot 10^2$
$\frac{1}{3} = 0.\bar{3} \cdot 10^0$	$3.3\bar{3} \cdot 10^{-1}$
unnormalized 0.2	Normalized $2 \cdot 10^{-1}$

• Normalized

• Mantissa (or magnitude)

• Between 0 and (not quite) 10 (ex) 0 to 9.999

★ 1. Magnitude

2. Exponent

3. Sign for magnitude

Binary Floating Point:

A binary (base 2) magnitude to some positive or negative power of 2.

$$1 = 1 \times 2^0$$

$$2 = 1 \times 2^1$$

$$4 = 1 \times 2^2$$

$$3 = 11 \times 2^0$$

$$5 = 101 \times 2^0$$

$$1 = 1 \times 2^0$$

$$2 = 1 \times 2^1$$

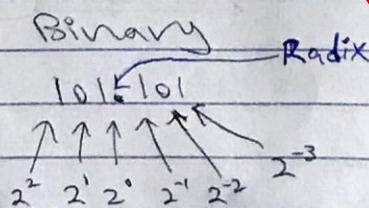
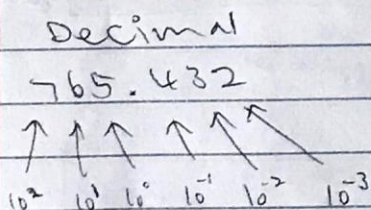
$$4 = 1 \times 2^2$$

$$3 = 1.1 \times 2^1$$

$$5 = 1.01 \times 2^2$$

Normalized

\Rightarrow



*

$$\frac{1}{2} = 1 \times 2^{-1}$$

$$\frac{1}{4} = 1 \times 2^{-2}$$

$$\frac{1}{3} = 1.010101\bar{01} \times 2^{-2}$$

$$\frac{1}{5} = 1.100110011001\bar{100} \times 2^{-3}$$

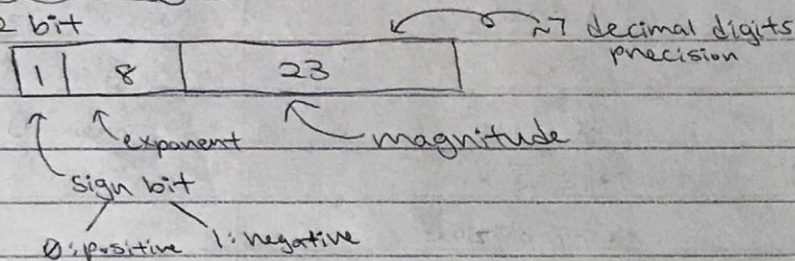
• magnitude

• Sign: 0 or 1

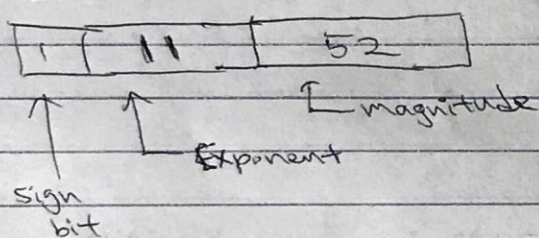
• Exponent: power of 2

IEEE 754:

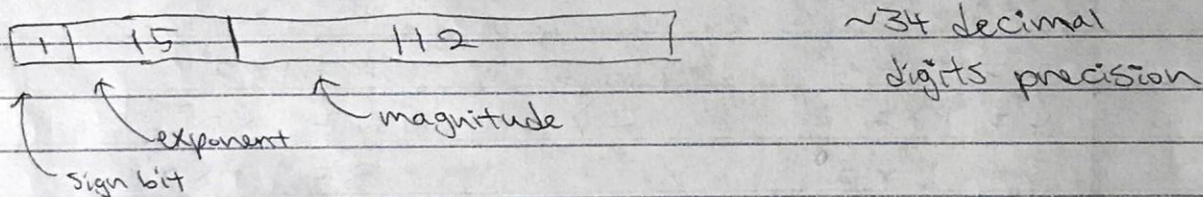
• 32 bit



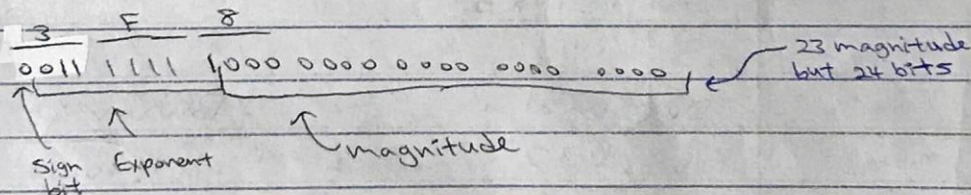
• 64 bit



• 128 bit quadruple precision



ex) HEX
3F800000



Exponent bias:

• range from \oplus to \ominus value by adding the bias value to the exponent.

• for k bit exponent, bias value is $2^{k-1} - 1$.

This means that exponent value N is stored as

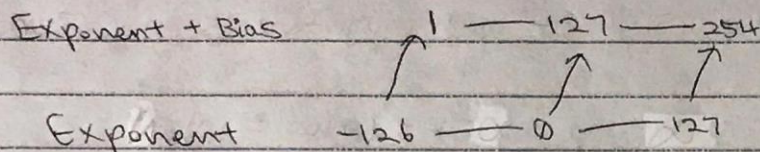
IEEE exponent value $N + \text{Bias}$.

→ 32 bit bias is 127 8-bit exponent

→ 64 bit bias is 1023 11-bit exponent

→ 128 bit bias is 16383 15-bit exponent

Float 32-bit IEEE754

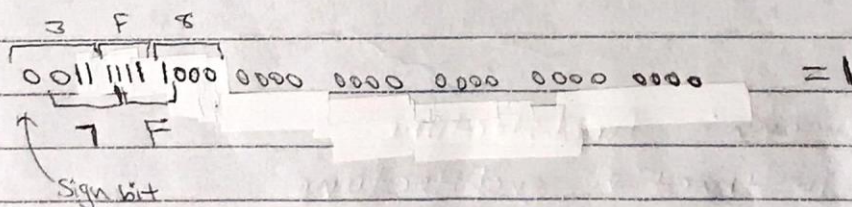


Exponent	Exponent + Bias	Representing
127	254 0xFE	2^{127}
⋮	⋮	⋮
2	129 0x81	2^2
1	128 0x80	2^1
0	127 0x7F	$2^0 = 1$
-1	126 0x7E	$2^{-1} = \frac{1}{2}$
-2	125 0x7D	$2^{-2} = \frac{1}{4}$
⋮	⋮	⋮
-126	1 0x01	2^{-126}

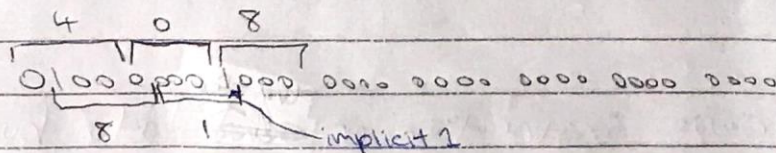
* Advantage: can compare floating numbers just like integers

What about 0x00 exponent? means 0
Exponent 0xFF? ∞ (inf.)

ex) 1 = 3F800000



ex) 4 = 40800000



HW

NaN = exponent value is 0xFF and magnitude is non-zero



ex) $\underbrace{7F800000}_{0xFF} = \infty$, $\underbrace{7F810100}_{0xFF} = +NaN$
 $FF800000 = -\infty$ $FF8xxxxx = -NaN$

- Right shift of unsigned short, int, or long is logical.
- Right shift of short, int, or long is arithmetic.

Union FIF

```
int intPart;  
float floatPart;  
} x;
```

x.intPart = 0;

```
char* ptr = argv[1];  
while (*ptr != '\0') {  
    number.i = number.i << 1; // left shift  
    number.i += *ptr - '0';  
    ptr++;  
}
```

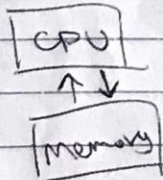
actually
same as
binary shifting

know
byte
size

07/10

Von Neumann: Architecture

Stored instruction architecture



It can retrieve instruction or transfer data but cannot do them simultaneously.