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5 R1 = uncertainties.ufloat(10000, 0.05*10000)
6 R2 = uncertainties.ufloat(82000, 0.05*82000)
7 Cf = uncertainties.ufloat(10**(-12), 0.05*10**(-12))
8 G2 = R2/R1/Cf
9 print("Gain = ", G2, "F^-1")
10
In [4]: ✓ 0.2s
Gain = (8.2+/-0.7)e+12 F^-1

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1.

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1 G1 = uncertainties.ufloat(0.264, 0.001)
2 E_alpha = uncertainties.ufloat(5.486, 0.001)
3 #conversion factor from MeV to J
4 Vpp = G1*G2*E_alpha*1.60218*10**(-13)
5 print("Vpp = ", Vpp, "V")
In [65]: ✓ 0.4s
Vpp = 1.90+/-0.16 V

```

2.

3) Estimated typical pulse $\approx 352.46 \text{ mV}$

Data Used All voltages $\pm 3 \text{ mV}$

Amp - 479.9 mV

$\Rightarrow 10\% - 48.0 \text{ mV}$

$\Rightarrow 90\% - 431.9 \text{ mV}$

10% to 90% rise time - $2.69 \pm 0.10 \mu\text{s}$

$\Rightarrow 37\% - 177.6 \text{ mV}$

100% to 37% decay time - $74.11 \pm 0.10 \mu\text{s}$

times measured have appropriate magnitudes

3.

$$0.8 \mu\text{Ci} = 2.96 \times 10^4 \text{ decays/s}$$

Measured over 120s period - cutoff at 800 bins \Rightarrow 56 mV

$$\begin{aligned} \text{Estimated total counts} &= (2.96 \times 10^4 \text{ decays/s})(120\text{s}) \\ &= 3.552 \times 10^6 \text{ decays} \end{aligned}$$

$$\text{Measured total counts} = 351083 \text{ counts}$$

5.

This count is likely off because the source does not radiate in one direction so the sensor will not be able to detect all of the alpha particles emitted by the source.

$$6) \text{ Stopping power at } 5 \text{ MeV} = S = 1000 \text{ MeV cm}^2/\text{g}$$

$$\text{Mylar density} = 1.4 \text{ g/cm}^3$$

$$\text{Air density} = 1.2 \times 10^{-3} \text{ g/cm}^3$$

$$\begin{aligned} \text{For Mylar } 0 > 5 \text{ MeV} &- 1000 \text{ MeV cm}^2/\text{g} \cdot 1.2 \times 10^{-3} \text{ g/cm}^3 \Delta d \\ \Delta d &= 4.2 \text{ cm} \end{aligned}$$

$$\begin{aligned} \text{For Mylar } 0 > 5 \text{ MeV} &- 1000 \text{ MeV cm}^2/\text{g} \cdot 1.4 \text{ g/cm}^3 \Delta d \\ \Delta d &= 3.6 \times 10^{-3} \text{ cm} \end{aligned}$$

6.

7) We will measure the energy with different numbers of Mylar sheets ($2.5 \mu\text{m}$) between the ^{241}Am and detector. The air cannot be considered negligible due to the gap needing to be large enough to fit the Mylar sheets.

Distance between ^{241}Am and detector - 8.9 mm

$$0 = 5 \text{ MeV} - 1000 \text{ MeV cm}^2/\text{g} \cdot (1.2 \times 10^{-3} \text{ g/cm}^3 (0.89) + 1.4 \text{ g/cm}^3 \Delta d)$$

$$\Delta d = 2.8 \times 10^{-3} \text{ cm}$$

$$\frac{\Delta d}{2.5 \mu\text{m}} = 11.2$$

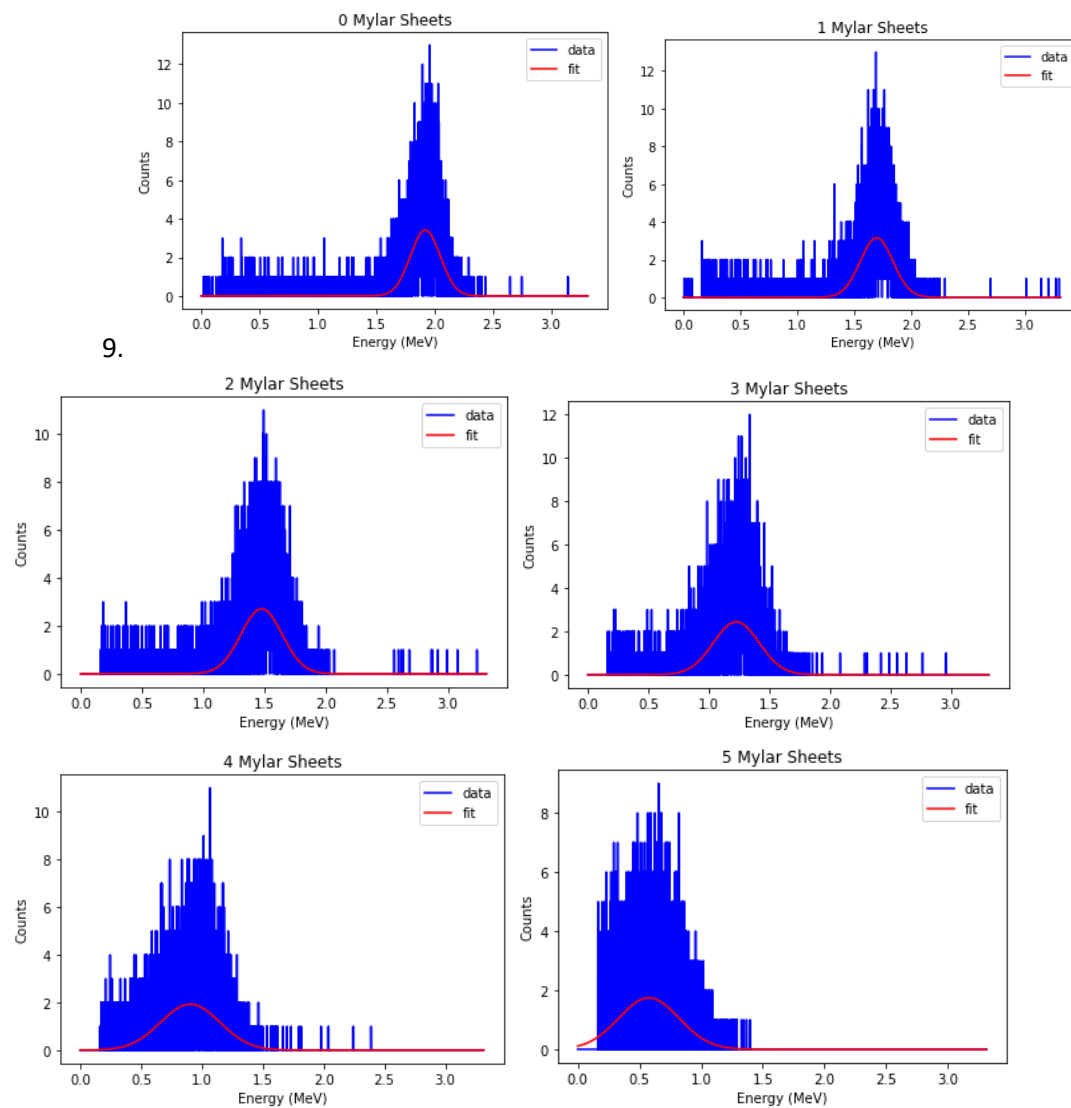
\therefore We can use ~ 11 sheets of Mylar

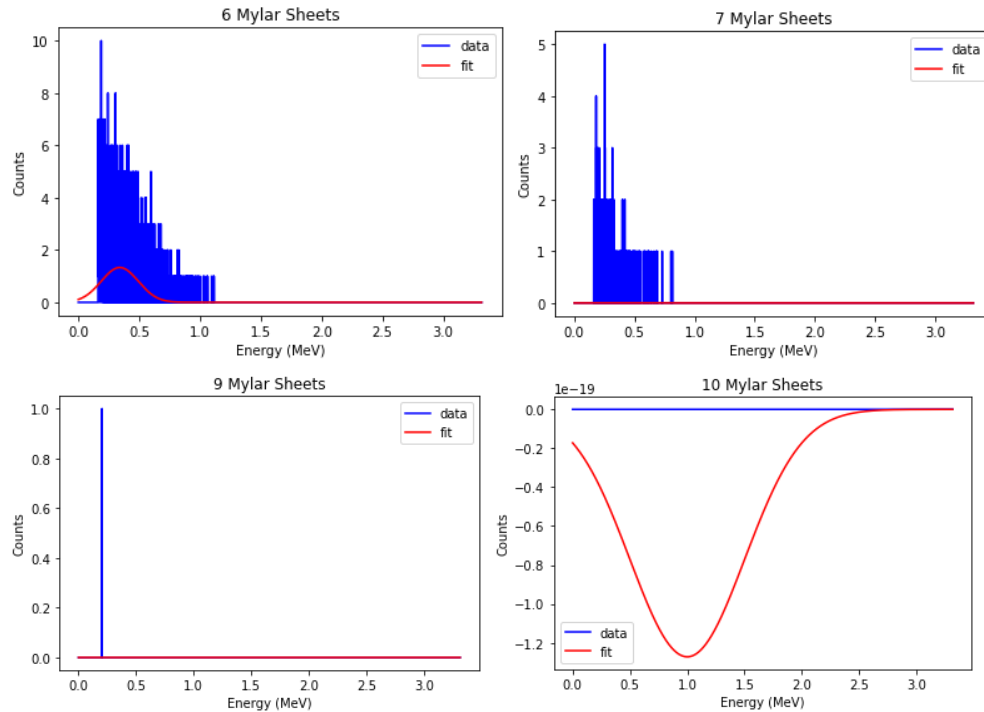
all Multichannel Analyser settings are the same as part 5

7.

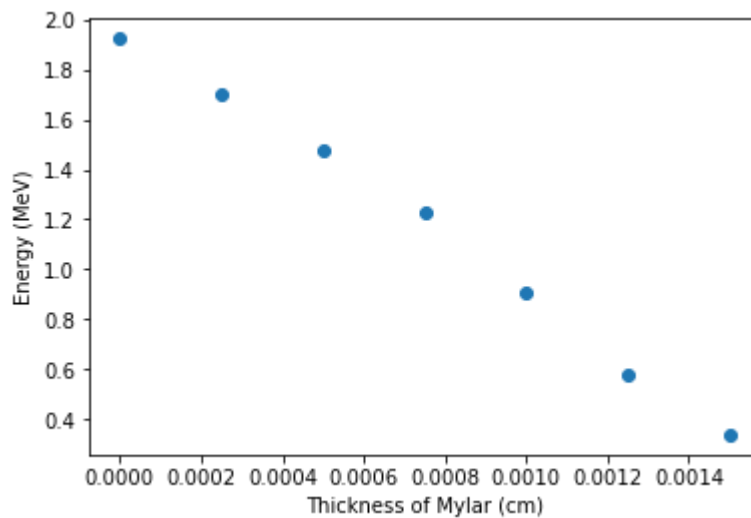
11.2 sheets of $2.5 \mu\text{m}$ mylar will result in the alpha particle having 0 energy when it reaches the detector. The number of mylar sheets that will result in an inability to detect the alpha particles will be lower than this because of the noise threshold.

9.





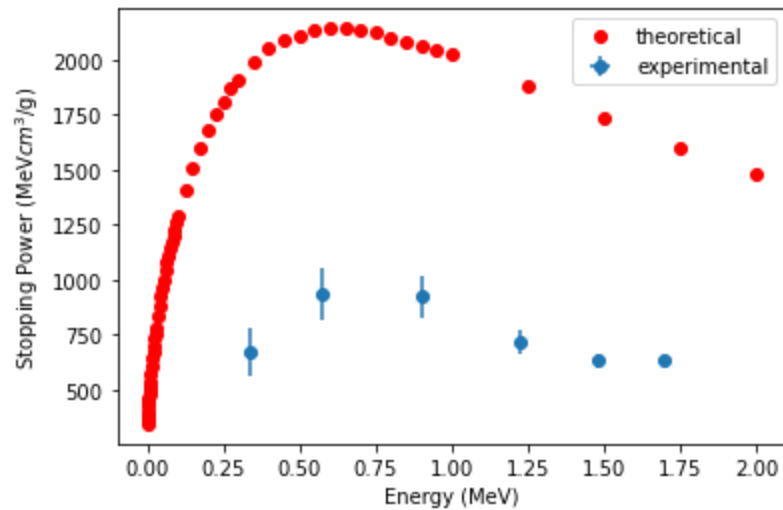
For 7 mylar sheets and up the fit fails because the peak shifts into the noise region where data was excluded so the fit function can not produce a good fit as half the data is missing.



10.

If the graph is extrapolated to 0, meaning the air is not in between the detector and source, then the known full energy of the alpha particle would be obtained. As more mylar sheets are added, the energy of the detected alpha particles decreases. In this region the relation appears to be linear.

11.



The measured data appears to have the same shape as the theoretical data, but the amplitude is significantly lower. This implies that the alpha particles are losing significantly more than the predicted energy loss as it passes through the mylar sheets and air. This could be because of some interaction when it changes medium or the mylar sheets may be thicker than reported. The sheets were not taught and had some wrinkles. This would make the effective thickness of the sheets larger than the thickness of the sheet. Thus the plotted energy vs thickness of mylar graph would be compressed horizontally, increasing the slope and stopping power with it.