1)
$$R_1 = 10 \text{ k} \Omega \pm 5\%$$

$$G_z = \frac{R_z}{R_1 C_p} = \frac{82k}{(|Ok)(|p|)} = (8.2 \pm 0.7) \times 10^{12} \text{ V/c} \text{ (p-1)}$$

$$V_{pp} = G_1 \cdot G_2 \cdot E_{ol} = 1.90 \pm 0.16 \text{ V}$$

times measured have appropriate magnitudes

5)
$$0.8 \,\mu Ci = 2.96 \times 10^4 \, \text{decays/s}$$

Measured total counts = 351083 counts

This count is likely off because the 241 Am radiates in every direction and the sensor only detects around 10% of the decayed particles

6) Stopping power at SMeV = S = 1000 MeV cm²/g

Mylar density = 1.4 g/cm³

Air density =
$$1.2 \times 10^{-3}$$
 g/cm³

For Mylar
$$O = SMeV - 1000 MeV cm^2/g \cdot 1.2 \times 10^{-3} g/cm^3 \Delta d$$

$$\Delta d = 4.2 cm$$
For Mylar $O = SMeV - 1000 MeV cm^2/g \cdot 1.4 g/cm^3 \Delta d$

$$\Delta d = 3.6 \times 10^{-3} cm$$

7) We will measure the energy with different numbers of Mylar sheets (2.5 mm) between the 241 Am and detector. The air comnot be considered negligable due to the gap needing to be large enough to fit the Mylar sheets.

Distance between
$$^{241}Am$$
 and Jetector - 8.9 mm
 $0 = 5MeV - 1000 MeV cm^{2}/g \cdot (1.2 \times 10^{-3} g/cm^{3} (0.89) + 1.4 g/cm^{3} \Delta d)$
 $\Delta d = 2.8 \times 10^{-3} cm$

$$\frac{\Delta d}{2.5 \mu m} = 11.2$$

.: We can use ~11 sheets of Mylar

