

Question Number	Scheme	Marks
3(a)	$\frac{dv}{dt} = 2t - 4$ Accel = 2 (m/s ²)	M1 A1 (2)
(b)	$s = \int_0^6 (t^2 - 4t + 7) dt = \left[\frac{t^3}{3} - 2t^2 + 7t \right]_0^6$ $= \frac{6^3}{3} - 2 \times 6^2 + 7 \times 6 = 42 \text{ (m)}$	M1A1 dM1 A1cao (4) [6]
(a) M1 A1 (b) M1 A1 dM1 A1cao NB	Attempt to differentiate the expression for v . Power of t to decrease in at least one term and increase in none. Substitute $t = 3$ and obtain correct acceleration – units may be missing Attempt to integrate the expression for v . Power of t to increase in at least one term and decrease in none. Ignore limits if shown. Constant not needed for indefinite integration. Correct integration. Limits/constant not needed. Either substitute the limits 0 and 6 or use $s = 0, t = 0$ to obtain a value for the constant and substitute $t = 6$ in the complete expression. (Substitution of 0 can be implied if the result would have been 0) Depends on the previous M mark If more values of t are substituted and results used award M0 $S = 42 \text{ (m)}$ Ans 42 w/o working scores 4/4 (Done on a calculator)	
4	$(2x+5)^2 = (3x-1)^2 + (5x)^2 - 2 \times (3x-1) \times 5x \cos 60^\circ$ $15x^2 - 21x - 24 (= 0) \quad (5x^2 - 7x - 8 = 0)$ $x = \frac{21 \pm \sqrt{21^2 + 4 \times 15 \times 24}}{30}$ $x = 2.1456..... \text{ (or } -0.7456...)$ $\therefore x = 2.15$	M1A1 A1 M1 A1 [5]
M1 A1 A1 M1 A1cao	Use the cosine rule in either form. Rule to be correct either by quoting and using the general formula or by implication from a correct substitution. Correct substitution in their cosine rule. Simplify to obtain a 3TQ. Terms in any order. $= 0$ may be missing Solve their 3TQ by formula (correct general formula or correct substitution for their equation) or completing the square. Reach a positive value for x . Negative need not be seen. Calculator solutions: Correct answer from correct equation scores M1A1, otherwise M0A0 Correct value for x . Must be 3 sf Negative value (if shown) must be eliminated or positive clearly identified as the required value..	