

Question	Scheme	Marks
<b>3(a)</b>	$BC^2 = 10^2 + 8^2 - 2 \times 10 \times 8 \times \cos 100^\circ$ $BC = 13.848... \approx 13.8$	M1 A1 [2]
<b>(b)</b>	(i) $\sin ABC = \frac{8 \sin 100^\circ}{13.848...} \Rightarrow ABC = 34.6752...^\circ \approx 34.7^\circ$ (ii) $\angle ACB = 180^\circ - 100^\circ - 34.6752...^\circ = 45.324...^\circ \approx 45.3^\circ$	M1A1 B1FT [3]
	(i)(ii) $\cos ACB = \frac{8^2 + 13.848...^2 - 10^2}{2 \times 8 \times 13.848...} \Rightarrow ACB = 45.330...$ $ABC = 180^\circ - 100^\circ - 45.330... = 34.6699...$	[M1A1 B1FT]
<b>(c)</b>	$\angle MBC = 34.675 \div 2 = 17.337...^\circ$ and $\angle BMC = 180^\circ - 17.337^\circ = 117.33...^\circ$  $MC = \frac{13.848 \sin 17.337^\circ}{\sin 117.33^\circ} = 4.6293...$  Area of $BMC =$ $\frac{1}{2} \times 4.629 \times 13.848 \times \sin 45.324^\circ = 22.79... \approx 22.8 \text{ (cm}^2\text{)}$	B1FT  M1  M1A1 [4]
	<b>ALT</b> $ABM = 34.675 \div 2 = 17.337...^\circ$ and $AMB = 180 - 100 - 17.33... = 62.66...$  $BM = \frac{10 \sin 100}{\sin 62.66...} = 11.086...$  Area of $BMC =$ $\frac{1}{2} \times 13.848... \times 11.086... \times \sin 17.337... = 22.87...$ $\approx 22.9 \text{ (cm}^2\text{)}$	[B1FT M1 M1A1]
<b>Total 9 marks</b>		

Part	Mark	Notes
(a)	M1	For applying the cosine rule correctly to obtain $BC^2$
	A1	For awrt 13.8 (cm)
(b)(i)	M1	For applying the sine rule correctly to find angle $ABC$ Accept any appropriate trigonometry. $\frac{\sin ABC}{8} = \frac{\sin 100}{13.8}$ leading to $ABC = 34.8$ is M1A0
	A1	For awrt $34.7^\circ$
(ii)	B1FT	For awrt $45.3^\circ$ FT $180 - 100 - \text{their } 34.3752...$ $0 < \text{their } 34.3752... < 80$

ALT		
(b)(i)(ii)	M1	For applying cosine rule correctly to find angle $ACB$ Accept any appropriate trigonometry.
	A1	For awrt $45.3^\circ$ (angle $ACB$ )
	B1FT	FT $180 - 100 - \text{their } 45.330 \dots$ (angle $ABC$ )
(c)	B1ft	For both angles $MBC$ and $BMC$
	M1	For applying the sine rule using their angles and $BC$ to find length $MC$ Allow alternative correct methods to find $MC$ .
	M1	For using Area = $\frac{1}{2}ab \sin C$ using their length and angles. $\text{Their } MC \neq 4$
	A1	Awrt 22.8 or awrt 22.9
ALT		
(c)	B1ft	For both angles $ABM$ and $AMB$
	M1	For applying sine rule using their angles to find length $BM$ . Allow alternative correct methods to find $BM$ .
	M1	For using Area = $\frac{1}{2}ab \sin C$ using their length and angles. $\text{Their } MC \neq 4$ if used.
	A1	Awrt 22.8 or awrt 22.9