

Question Number	Scheme	Marks
7 (a)	$x = \frac{3}{2} \quad \left(\text{or eg } 2x = 3, x - \frac{3}{2} = 0 \right)$	B1 (1)
(b)	$\frac{dy}{dx} = \frac{(2x-3)(2x) - (x^2-2)(2)}{(2x-3)^2} = \left(\frac{2x^2 - 6x + 4}{(2x-3)^2} \right)$	M1A1A1 (3)
(c)	$\frac{dy}{dx} = 0 \Rightarrow \frac{(2x-3)(2x) - (x^2-2)(2)}{(2x-3)^2} = 0$ $\Rightarrow 2x^2 - 6x + 4 = 0 \Rightarrow (x-1)(x-2) = 0 \Rightarrow x = 1, x = 2$ $x = 1, y = 1 \quad (1,1) \quad x = 2, y = 2 \quad (2,2)$	M1 M1A1A1 A1 (5) (9)
(a) B1 (b) M1 A1 A1 ALT: (c) M1 M1 A1 A1 A1	For a correct equation for the asymptote. NB $x \neq \frac{3}{2}$ scores B0 Attempt to differentiate by quotient rule. Denominator must be correct. Numerator must be the difference of two terms of the appropriate form. NB M1 on e-PEN First term correct Second term correct Use the product rule. M1 for the attempt, using $(x^2 - 2)(2x - 3)^{-1}$ A1,A1 one for each correct term Equate their derivative to 0 Solve their quadratic (numerator) by any valid method. A1A1 two correct values for x from a correct equation; A1A0 for one correct value Ignore extra values. NB B1 on e-PEN Find the corresponding y values. Coordinate brackets need not be shown. Give A0 if more than 2 stationary points shown. NB: Quadratic solved on a calculator: correct values for x , M1A1A1 One or both values incorrect, or only one value shown: M0A0A0 Special Case for (c): Both correct answers only shown, Award B1B1 - in first two marks on e-PEN.	