

Question Number	Scheme	Marks
<b>9(a)</b>	$\frac{x^3 - 2x^2 - 5x + 6}{x + 2} = x^2 - 4x + 3$ $x^2 - 4x + 3 = (x - 3)(x - 1) \Rightarrow x = 1, 3$	M1
<b>(i)</b>	so $a = 1$ *	M1(NB A1 on e-PEN) A1cso
<b>(ii)</b>	$b = 3$	A1 (B1 on e-PEN) (4)
<b>(b)</b>	Correct answers w/o working scores 0/4 $\frac{dy}{dx} = 3x^2 - 4x - 5$ when $x = 2$ , $\frac{dy}{dx} = -1$ $x = 2$ , $y = -4$ $(y - -4) = -1(x - 2)$ when $y = 0$ , $x = -2$ *	M1A1 B1 M1A1 A1cso (6)
<b>ALT</b>	$x = 2$ , $y = -4$ $\frac{dy}{dx} = 3x^2 - 4x - 5$ when $x = 2$ , $\frac{dy}{dx} = -1$ Grad of line from $P$ to $(-2, 0) = -1$ Same gradient so $l$ passes through $(-2, 0)$	B1 M1A1 M1A1 A1cso
<b>(c)</b>	$\text{Area} = \int_{-2}^2 (x^3 - 2x^2 - 5x + 6) \, dx - \int_{-2}^2 (-x - 2) \, dx = \int_{-2}^2 (x^3 - 2x^2 - 4x + 8) \, dx$ $= \left[ \frac{x^4}{4} - \frac{2x^3}{3} - 2x^2 + 8x \right]_{-2}^2$ $= \left( 4 - \frac{16}{3} - 8 + 16 \right) - \left( 4 + \frac{16}{3} - 8 - 16 \right)$ $= \frac{64}{3}$	M1 M1 dM1 A1 (4) [14]
<b>ALT</b>	By splitting the area: $\text{Area} = \int_{-2}^1 (x^3 - 2x^2 - 5x + 6) \, dx + \Delta [(-2, 0), (2, 0), P] - \left  \int_1^2 (x^3 - 2x^2 - 5x + 6) \, dx \right $ Integrate curve equation (ignore limits) and attempt area of triangle by formula or integration Substitute <b>correct</b> limits $= \frac{64}{3}$	M1 M1 dM1 A1
<b>NB</b>	No algebraic integration – only first M mark available	

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(a) (i)M1 M1 (A1 on e-PEN) A1cso (ii)A1 (B1 on e-PEN)	Obtain the quadratic factor by division or inspection Factor theorem allowed <b>only</b> if values for $a$ <b>and</b> $b$ are found.  Factorise the quadratic factor  Correct <b>given</b> value for $a$  Correct value for $b$  By Factor Theorem: M1 Test $x = 1$ M1 Test another value which is $> 1$ A1 $a = 1$ A1 $b = 3$	
(b) M1 A1 B1 M1 A1 A1cso ALT	Differentiate and substitute $x = 2$ to find the gradient of the tangent to $C$ at $P$ Correct gradient of tangent $y = -4$ seen explicitly or used in the equation of the tangent Any <b>complete</b> method for the equation of the tangent at $(2, \text{their } y)$ . Use of $y = mx + c$ must include an attempt at finding a value for $c$ Correct numbers in their (unsimplified) equation Correct $x$ coordinate of the point where the tangent crosses the $x$ -axis. No errors seen  <b>for the last 3 marks:</b> Find the gradient of the line from $P$ to $(-2, 0)$ M1 Any correct method; A1 correct gradient All work correct and a conclusion. A1cso	
(c) M1 M1 dM1 A1 ALT M1 M1 dM1 A1	Using area = $\int \text{curve} - \text{line}$ or $\int \text{line} - \text{curve}$ with their line equation limits <b>are</b> needed Attempt to integrate the single function or two functions (ie all the integration needed) limits not needed. $\int_{-2}^2 (-x - 2) dx$ may be obtained by triangle formula. Substitute <b>correct</b> limits in their integrated function(s) Depends on both M marks Correct final answer. Must be positive.  By splitting the area Suitable split eg as shown Limits are needed Attempt all the nec integration (ignore limits) and area of triangle by integration or formula Substitute <b>correct</b> limits in their integrated function(s) Depends on both M marks Correct final answer	