

Question Number	Scheme	Marks
6.	<p>(a) $p(-2) = 2(-2)^3 + 13(-2)^2 - 17(-2) - 70$ or $p(x) = (x+2)(2x^2+9x-35)$ So $(x+2)$ is a factor of $p(x)$, Hence, by the factor theorem, $= -16 + 52 + 34 - 70 = 0$ $p(-2) = 0^*$</p> <p>(b) $(x+2)(2x^2+9x-35) = 0$ $(x+2)(2x-5)(x+7) = 0$ $x = -2, x = 2\frac{1}{2}, x = -7$</p>	<p>M1</p> <p>A1</p> <p>M1 A1</p> <p>M1dep</p> <p>A1 (6)</p>

Notes for Question 6

(a)

M1 for substituting $x = -2$ in the given functionA1cso for $p(-2) = 0$ * ($-16 + 52 + 34 - 70$ must be seen)

(b)

M1 for writing $p(x)$ as $(x+2) \times$ a quadratic factor with at least 2 terms (by inspection) or dividing to obtain the quadratic factor (not necessarily correct). The quadratic must start with $2x^2$.A1 for $(x+2)(2x^2+9x-35)$ or just $2x^2+9x-35$

M1dep for solving the quadratic (usual rules)

A1 for the **three** solutions, $x = -2, 2\frac{1}{2}, -7$ Often -2 is missing.NB: Do not penalise if " $= 0$ " not seen.*Alternative:*

(b)

M1 for using the factor theorem again with any one of $x = \pm 5, \pm 7, \pm \frac{5}{2}, \pm \frac{7}{2}$ A1 for a correct result for $x = \frac{5}{2}$ or -7

M1 finding a third value, any valid method

A1 for the **three** solutions, $x = -2, 2\frac{1}{2}, -7$ Often -2 is missing.**NB:** No working shown (ie calculator solution):If all **three** solutions shown and correct 4/4

If one (or more) missing or incorrect 0/4