

Question Number	Scheme	Marks
<b>1</b>	$(v=)8+2t-t^2$ $8+2t-t^2=(2+t)(4-t)=0 \Rightarrow t=4$ $\text{Distance} = 3+8 \times 4 + 4^2 - \frac{1}{3}4^3 = 29\frac{2}{3} \text{ m}$ (accept 29.7 or better or a recurring decimal)	B1 M1A1 A1 (4) [4]
<b>B1</b> <b>M1</b>  <b>A1</b> <b>A1</b>	Correct differentiation Equate their differentiated expression (min 2 correct terms) to 0 (= 0 may be implied by their solution) and attempt to solve the 3 TQ by any valid method. Must reach $t = \dots$ Calculator solution: Allow M1A1 if their equation and its roots are correct, otherwise M0A0 Correct value of $t$ (Ignore $t = -2$ if shown) Correct distance, exact or min 3 s f Award A0 if value when $t = -2$ is also offered (and not excluded) If there is an error in the solution of their equation but $t = 4$ is used to obtain the correct answer this mark cannot be awarded.	