Question	Scheme	Marks
1	$\sqrt{48} = \sqrt{16}\sqrt{3} = 4\sqrt{3}$	B1
	Method A	
	$\frac{a - \sqrt{48}}{\sqrt{3} + 1} = b\sqrt{3} - 9 \Rightarrow a - 4\sqrt{3} = 3b - 9 + \sqrt{3}(b - 9)$	M1
	[a = 3b - 9 and -4 = b - 9]	M1
	b = 5, a = 6	A1
	Method B	[4]
	$\frac{\left(a-4\sqrt{3}\right)}{\left(\sqrt{3}+1\right)} \times \frac{\left(\sqrt{3}-1\right)}{\left(\sqrt{3}-1\right)} = \frac{a\sqrt{3}-a-12+4\sqrt{3}}{2} = b\sqrt{3}-9$	[M1M1
	$(\sqrt{3}+1)$ $(\sqrt{3}-1)$	A1]
	b = 5, a = 6	
	Total 4 marks	

Question	Notes	Marks
1	$\frac{a-\sqrt{48}}{\sqrt{3}+1} = b\sqrt{3}-9$	
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	Simplifies $\sqrt{48} = \sqrt{16}\sqrt{3} = 4\sqrt{3}$ - Seen anywhere.	B1
	Method A – Both sides multiplied by $\sqrt{3} + 1$, collects terms and	M1
	equates rational and irrational parts and obtains two equations at	
	least one of which must be correct.	
	$a-4\sqrt{3} = (b\sqrt{3}-9)(\sqrt{3}+1) = (3b-9)+\sqrt{3}(b-9)$	
	$\Rightarrow a = 3b - 9$ and $-4 = b - 9$	
	Solves their equations.	M1
	The equation $-4 = b - 9$ must be solved correctly and the result	
	substituted into the second equation to find a	
	Allow one processing error here. This is an A mark in Epen	
	For $a = 6$ and $b = 5$	A1
		[4]
	Simplifies $\sqrt{48} = \sqrt{16}\sqrt{3} = 4\sqrt{3}$	B1
	Method B – rationalises the denominator, collects terms and	
	equates rational and irrational parts and obtains two equations at least one of which must be correct.	
	$(a-4\sqrt{3}) (\sqrt{3}-1) \sqrt{3}(a+4) (a+12)$	M1
	$\frac{\left(a-4\sqrt{3}\right)}{\left(\sqrt{3}+1\right)} \times \frac{\left(\sqrt{3}-1\right)}{\left(\sqrt{3}-1\right)} = \frac{\sqrt{3}\left(a+4\right)-\left(a+12\right)}{2} = b\sqrt{3}-9$	
	$\Rightarrow \frac{-(a+12)}{2} = -9 \qquad \frac{a+4}{2} = b \text{oe}$	
	2 2	3.61
	Solves their equations.	M1
	The equation $\frac{-(a+12)}{2} = -9$ must be solved correctly and the	
	result substituted into the second equation to find b	
	Allow one processing error here.	
	This is an A mark in Epen	, 4
	For $a = 6$ and $b = 5$	A1 [4]
	Tota	[4] 4 marks