

Question Number	Scheme	Marks
6(a)(i)	$\frac{dy}{dx} = 4e^{2x} + 2(4x-3)e^{2x}$	M1A1A1 (3)
(ii)	$(4x-3)\frac{dy}{dx} = (4x-3)(8x-2)e^{2x} = (8x-2)y$ *	M1A1cso (2)
(b)	$\frac{dy}{dx} = \frac{5\cos 5x \times (x-3)^2 - \sin 5x \times 2(x-3)}{(x-3)^4}$	M1A1A1 (3)
ALT	Using product rule: $y = (x-3)^{-2} \sin 5x$ $\frac{dy}{dx} = -2(x-3)^{-3} \sin 5x + 5(x-3)^{-2} \cos 5x$	M1 A1A1 [8]
(a)(i) M1 A1 A1 NB ALT	Use product rule to differentiate the given expression. Must have 2 terms added. One to be of the form ke^{2x} and the other of the form $k'(4x-3)e^{2x}$ where $k' = 1$ or 2 Either term correct Second term correct No simplification needed for these 3 marks $y = 4xe^{2x} - 3e^{2x} \Rightarrow \frac{dy}{dx} = 4e^{2x} + 8xe^{2x} - 6e^{2x}$	
M1 NB (ii) M1 A1cso	M1 Expand the given expression and differentiate using the product rule for $4xe^{2x}$ A1 Any 2 terms correct; A1 Third term correct. No simplification needed for these 3 marks Use their result from (i) to obtain an expression for $(4x-3)\frac{dy}{dx}$. No need to simplify. Correct given result obtained with no errors in the working. Can start with LHS and show equal to the RHS or vice versa or can start with each side and “meet in the middle”	
(b) M1 A1 A1 ALT M1 A1 A1	Attempt the quotient rule. The denominator must be $(x-3)^4$ and the numerator must be of the form $(k \cos 5x \times (x-3)^2 - \sin 5x \times l(x-3))$ $k = \pm 5$ or ± 1 , $l = 1$ or 2 (ie sine may have been differentiated to - cosine) One fully correct term in numerator. All fully correct. Rewrite without a quotient and apply the product rule obtaining 2 terms of the form shown Either term correct Second term correct No need to simplify	