

Question number	Scheme	Marks
<b>2. (a)</b>	$6(1 - \sin^2 \alpha) - \sin \alpha = 5$ or $6 - 6\sin^2 \alpha - \sin \alpha = 5$	M1
	$6\sin^2 \alpha + \sin \alpha - 1 = 0$ *	A1 (2)
<b>(b)</b>	$\Rightarrow (2\sin \alpha + 1)(3\sin \alpha - 1) = 0 \Rightarrow \sin \alpha = \frac{1}{3}, -\frac{1}{2} \Rightarrow$ $(\alpha = 2\theta + 40)$ $2\theta + 40 = 19.47\dots, 160.5287\dots, 210$ or other correct value	M1 A1
	$\Rightarrow \theta = 60.3, 85$	M1
		A1A1 (5) [7]

(a)

**M1** Eliminate  $\cos^2 \alpha$  by using the Pythagorean identity. Working must be shown.**A1cso** Correct **given** answer reached.

(b)

**M1** Factorise the equation given in (a), before or after using a substitution eg  $\alpha = 2\theta + 40$ **A1** Two correct values for  $\sin(2\theta + 40)^\circ$  or  $\sin \alpha$  or A (if substitution used)**M1** Any one correct value for  $(2\theta + 40)^\circ$  (Need not lead to  $\theta$  in range  $0 \rightarrow 90$ ) Must be exact or at least 1 dp.**A1** Either correct value for  $\theta$  60.3 must be 1 dp**A1** Second correct value**NB** Ignore additional answers outside the required range. Deduct one A mark (last 2 A marks only deducted) for each additional answer within the range.

<b>3</b>	$\frac{dr}{dt} = 0.5$ $A = \pi r^2 \Rightarrow \frac{dA}{dr} = 2\pi r$ $\frac{dA}{dt} = \frac{dA}{dr} \times \frac{dr}{dt} = 2\pi r \times 0.5, \Rightarrow 2\pi \times 200 \times 0.5$ $= 200\pi = 628.3185\dots \approx 628 \text{ (cm}^2\text{/s)}$	B1  M1A1  M1,  A1cao (5) <b>[5]</b>
----------	---	--

**B1** Correct statement, seen explicitly or used in chain rule.**M1** Attempt the differentiation**A1** Correct derivative**M1** **USE** the chain rule (ie sub their derivatives, can have  $r$ )**A1cao** Must be 3 sf