$S \rightarrow S+S|S*S|a|b$

Given the context free grammer, answer the following questions:

- a) Give a leftmost derivation for the string a+ a * b
- b) Sketch a ponse tree connesponding to the derivation you gave in (a).
- c) Give a rightmost derivation for the string a + a * b.
- d) Sketch a porse tree connesponding to the derivation you gave in (c).
- e) Demonstrate one more parse tree (apont from the one you already found in (b) and (d))

(1

a) leftmost derivation

$$S \rightarrow S+S$$

$$\rightarrow a+S$$

$$\rightarrow a+S*S$$

$$\rightarrow a+a*S$$

$$\rightarrow a+a*b$$

b) Parse tree for the derivation in (a)

c) Rightmost derivation:

$$S \longrightarrow S+S$$

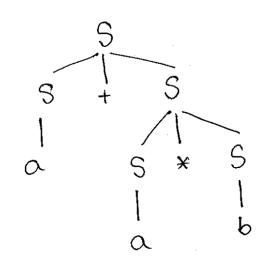
$$\longrightarrow S+S*S$$

$$\longrightarrow S+S*b$$

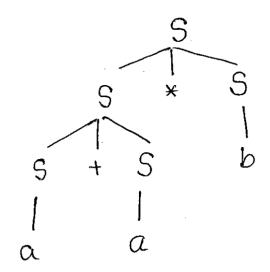
$$\longrightarrow S+\alpha*b$$

$$\longrightarrow \alpha+\alpha*b$$

d) Ponge tree for the derivation in (c):



e) Another Parse tree to proof the grammore is ambiguous



3

Derivation, Parse tree, Ambiguity:

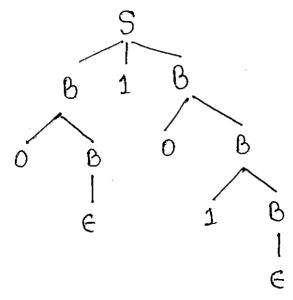
$$S \longrightarrow B1B$$
 $B \longrightarrow OB \mid 1B \mid E$

Given the context free grammer, answer the following questions:

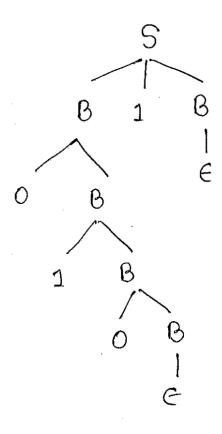
- a) Giva a leftmost derivation for the strong 0101
- b) Sketch a parise tree cornesponding to the derivation you gave in (a).
- c) Demonstrate one more parse tree (aport from the one you already found in (b)) for the string 0101
- d) Find a string w of length six such that w has exactly one parise tree in the grammer above.

a) leftmost derivation:

- → 0B1B
- \rightarrow 0 \in 1 β
- → 010B
- $\rightarrow 0101B$
- → 0101E
- → 0101
- b) Parise tree for the derivation in (a)











This answer is incorrect. Since, "000000" can not be parsed using the given grammar, means no parse tree exists.

The correct answers are: 100000, 010000, 001000, 000100, 000010, 000001. [These strings have exactly one parse tree, since they contain One 1 - have only one way to parse them.]