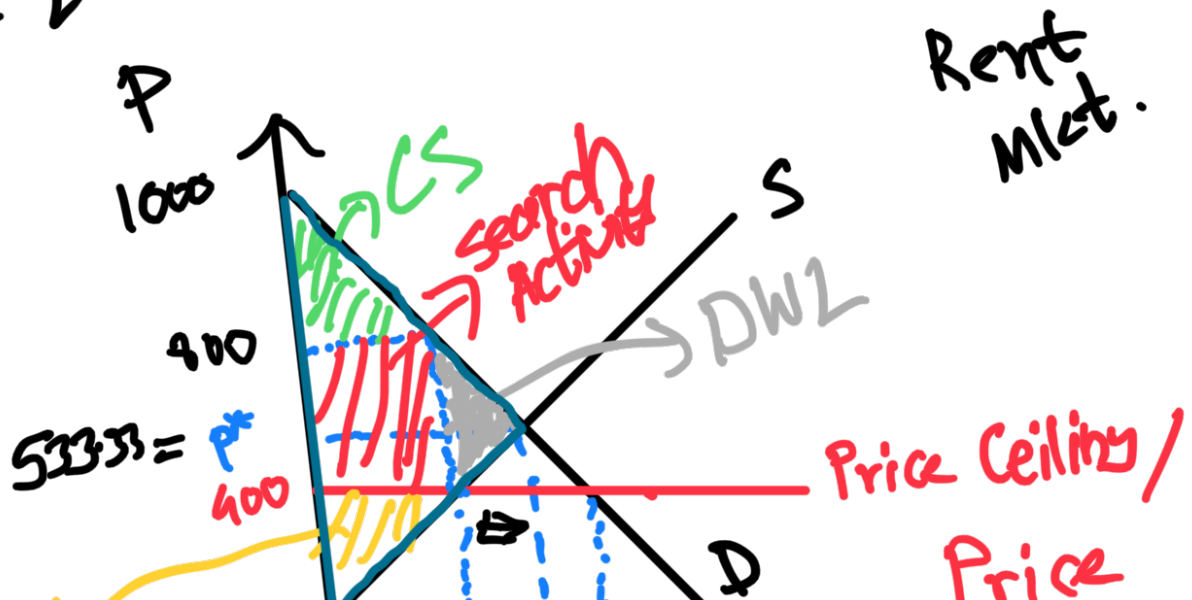
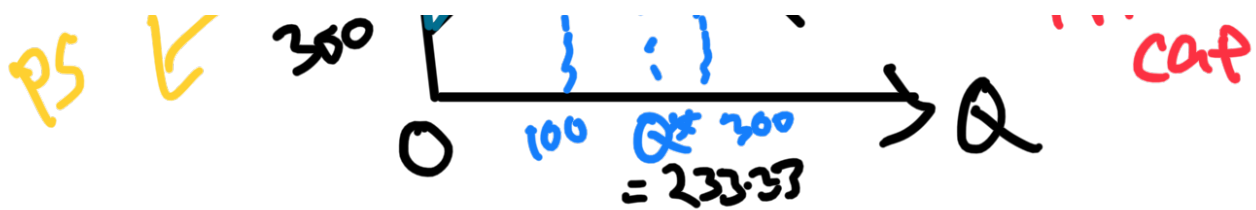


Chapter 6





$$P_d = 1000 - 2Q_d \quad | \quad P_d(100) = 1000 - 200 = 800$$

$$P_s = 300 + Q_s$$

When $P = 400$, Q_d : $400 = 1000 - 2Q_d$
 $Q_d = 300$

$Q_d - Q_s$ Q_s : $400 = 300 + Q_s$
 $= 300 - 100$
 $= \underline{200} \rightarrow \text{excess demand}$

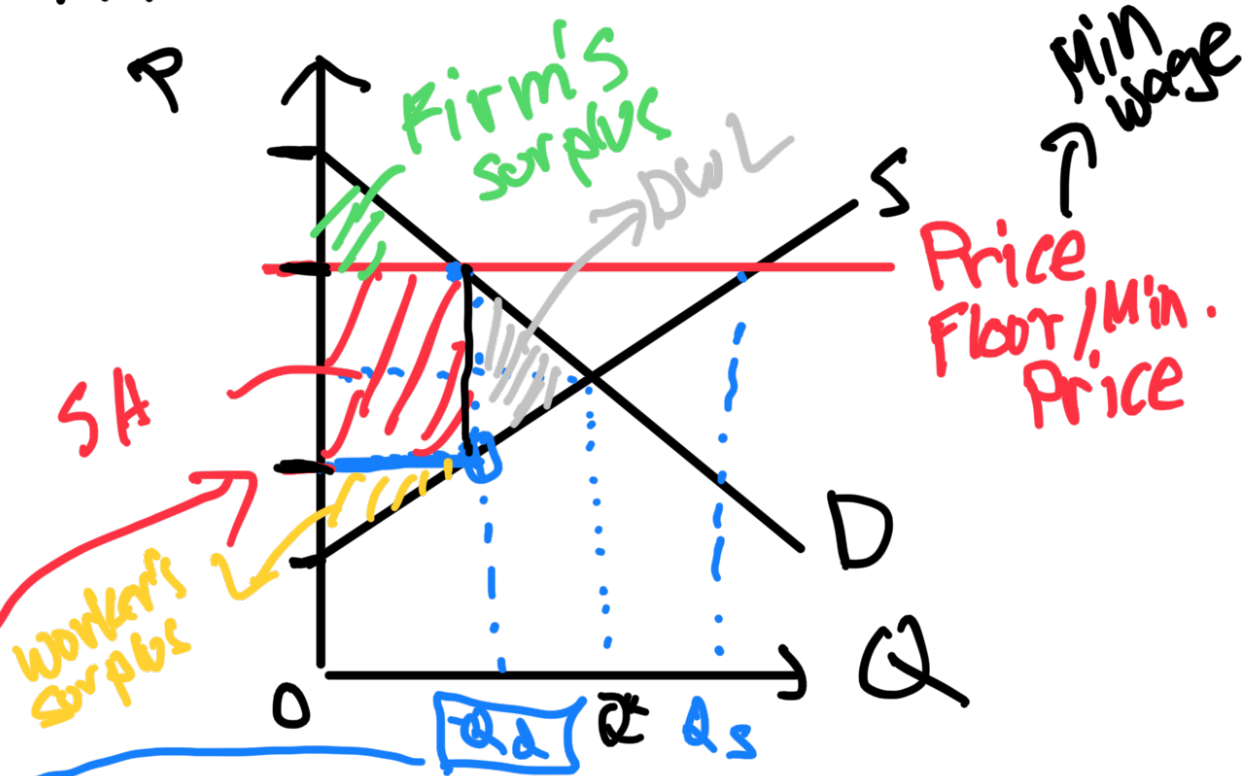
$CS = \frac{1}{2} \times (1000 - 800) \times 100 \rightarrow TS$
 $PS = \frac{1}{2} \times (400 - 300) \times 100$
 $\text{Search Activity} = [800 - 400] \times 100$
 $DWL = \frac{1}{2} \times [800 - 400] \times [233.33 - 100]$
 $TS = CS + PS$

TS at $\dots = \underline{CS + PS + S.A + DWL}$

Free Mkt. Equi.

Price Floor

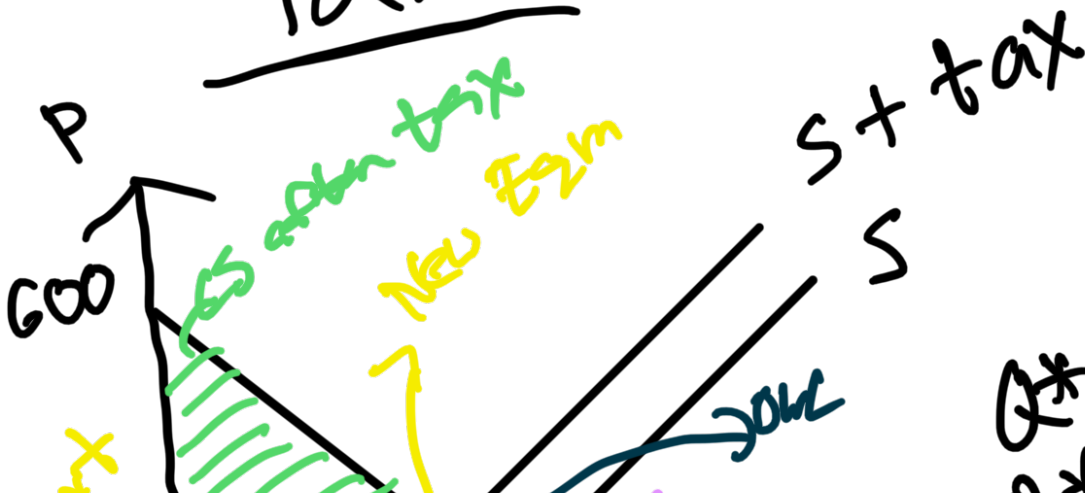
Labor Mkt



$Q_s > Q_d \rightarrow$ Surplus labor / Unemployment

P_s (Lad)

Tax



$Q^* = 110$
 $P^* = 109$



$$Q^* = 110$$

$$P^* = 270$$

$$P_t^* = 253 \uparrow$$

KS, PS, TS

$$P_d = 600 - 3Q_d$$

$$P_s = 50 + 2Q_s$$

$$600 - 3Q^* = 50 + 2Q^*$$

$$550 = 5Q^*$$

$$Q^* = 110, P^* = 270$$

Lump-sum tax of \$5 introduced.
Taxed on the sellers \rightarrow supply side.

Supplier passes on the tax to the buyers as an increase in cost.

Cost of production \uparrow

Supply curve shifts to the left $\leftarrow S' \leftarrow S$

At each Quantity, $P \uparrow$
by \$5.

$$P^{\text{New}} = P^{\text{old}} + \text{tax}$$

$$P^{\text{New}} = 50 + 2Q_s + 5$$

$$\therefore P^{\text{New}} = 55 + 2Q_s$$

↓
New Inverse-Supply Function

New Eqm:

$$P_d = 600 - 3Q_d$$

$$P_s' = 55 + 2Q_s$$

$$600 - 3Q^* = 55 + 2Q^*$$

$$600 - 55 = 5Q^*$$

$$Q^* = \frac{545}{5} = 109$$

next

$$P^* = 275$$

Before tax,

Price paid by buyers = 270
 " received " sellers = 270

After tax,

Price paid by buyer = 273
 " received by seller = 268

$\uparrow \$5$
 $\downarrow \$5$

Tax Revenue

$$= t \times Q^* \times t$$

$$= \$5 \times 109 = \$545$$

$$CS' = \frac{1}{2} \cdot (600 - 273) \cdot 109$$

$$PS' = \frac{1}{2} \cdot (268 - 50) \cdot 109$$

$$DWL = \frac{1}{2} \times (273 - 268) \times (110 - 109)$$

$$\text{Loss in TS} = \text{DWL}$$