

COMPUTER SCIENCE



Database Management System

Transaction & Concurrency Control

Transaction Concept Part-02

Lecture_2

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An orange diamond-shaped sign with a black border and the text 'TOPICS TO BE COVERED' in black capital letters.

TOPICS
TO BE
COVERED

A red diamond-shaped sign with a white border and the number '01' in white.

01

NF Decomposition

A red diamond-shaped sign with a white border and the number '02' in white.

02

Transaction Concept





Partial FD & Full FD.

RDBMS Concept

FD Concept & its type

Attribute closure

Key Concept

Super key

Candidate key

Finding Multiple C.K

Membership set

Equality b/w 2 FD set
Minimal cover

Binding # Super keys

FD closure.

~~Lossless~~ Join

Dependency Preserving Decomposition

Normal Form

1NF 2NF 3NF BCNF

& its Decomposition.

2NF:

Code

$R_1(A \cancel{B} C D E)$

$A \rightarrow B$

$R_2(\underline{A} B)$

$B \rightarrow D$



In a relational data model, which one of the following statements is TRUE?



GATE

- ☒ A A relation with only two attributes is always in BCNF.
- ☐ B If all attributes of a relation are prime attributes, then the relation is in BCNF.
- ☐ C Every relation has at least one non-prime attribute.
- ☐ D BCNF decompositions preserve functional dependencies.

Ans (A)



Which of the following statement is/are true?

☒ A

Second normal form (2NF) have transitive dependency.

☐ B

No relation can be in both BCNF and 3NF.

☒ C

Second normal form(2NF) does not have partial dependency *from the Non Key Attribute*

☐ D

In BCNF lossless join & dependency – preserving decomposition is always possible.

(A) & (C).



Let $R(A, B, C, D, E, P, G)$ be a relational schema in which the following functional dependencies are known to hold:

$AB \rightarrow CD, DE \rightarrow P, C \rightarrow E, P \rightarrow C$ and $B \rightarrow G$.

[GATE]
2 marks

The relational schema R is

- ☐ A In BCNF
- ☐ B In 3NF, but not in BCNF
- ☐ C In 2NF, but not in 3NF
- ☒ D Not in 2NF

Candidate key = AB

$B \rightarrow G$



Proper subset of CK \rightarrow Non Key Attribute

Not in 2NF

Ans (D)



Consider the following statements:

[MSQ]



Incorrect ← S₁: If every attribute is prime attribute in R, then Relation R will always be in BCNF. *[3NF But may Not in BCNF]*

Correct ← S₂: Any Relation with two Attribute is in 3 NF and 2 NF.

Binary Relation → BCNF, 3NF, 2NF, 1NF

Correct ← S₃: If every key of relation R is a simple candidate key (No composite key) then the relation R not always in 3NF.

Incorrect ← S₄: In BCNF there is always a lossless join and Dependency Preserving Decomposition.

Which of the above statement are incorrect

☒ A

S₁

☐ B

S₂

Ans (A) & (D).

☐ C

S₃

☒ D

S₄

$R(ABCDE) \quad (A \rightarrow B, B \rightarrow C, C \rightarrow D, D \rightarrow E, C \rightarrow A)$

Candidate key = (A, C, B)

$D \rightarrow E$
 $\uparrow \quad \uparrow$
Non key Non key

D is Not Super key
(or)

E : Not Prime Attribute.



The relation scheme student Performance (name, courseNo, rollNo, grade) has the following functional dependencies:



[2004: 2 Marks]

name, courseNo \rightarrow grade

RollNo, courseNo \rightarrow grade

name \rightarrow rollNo

rollNO \rightarrow name

The highest normal form of this relation scheme is

A

2 NF



B

3 NF

C

BCNF

D

4 NF

BCNF Decomposition



$R(ABCDEFGG) \{A \rightarrow BF, F \rightarrow DEG, A \rightarrow D\}$

Candidate key = AC

Check BCNF?

$A \rightarrow BF$
 $F \rightarrow DEG$ } Violate BCNF

BCNF Decomposition

$R(ABCDEF/G)$

① $A \rightarrow BF$

$\times F \rightarrow DEG$

\boxed{ABF}
 $\uparrow \uparrow$

$\boxed{\underline{AC}DEG}$

\boxed{ABF}
 $\uparrow \uparrow$

BCNF Decomposition.

① $F \rightarrow DEG$

$R_1(A|BC|DEF/G)$

② $A \rightarrow BF$

$R_2(\boxed{E|D|F|G})$
 $\uparrow \uparrow \uparrow$

$R_3(\boxed{A|B|F})$
 $\uparrow \uparrow$

$R_1(AC)$

$R_2(FDEG)$

$R_3(ABF)$
 $\uparrow \uparrow$



Directly

$R(ABCDEFGHIJ)$ $\{AB \rightarrow C, A \rightarrow DE, B \rightarrow F, F \rightarrow GH, D \rightarrow IJ\}$



Directly BCNF

Candidate key = $\{AB\}$

Check BCNF

$A \rightarrow DE$

$B \rightarrow F$

$F \rightarrow GH$

$D \rightarrow IJ$

① $D \rightarrow IJ$

② $F \rightarrow GH$

③ $B \rightarrow F$

④ $A \rightarrow DE$

$R_1 \boxed{ABC}$

$R_1(ABC) \mid DE \mid FGH \mid IJ$

$R_2 \boxed{DIJ}$

$R_3 \boxed{EGH}$

$R_4 \boxed{BF}$

$R_5 \boxed{ADE}$

BCNF +
lossy +
D.F.



Step by Step.

$R(ABCDEFGHIJ)$ $\{AB \rightarrow C, A \rightarrow DE, B \rightarrow F, F \rightarrow GH, D \rightarrow IJ\}$



Candidate key = $[AB]$, Non-key Attribute = $[C, D, E, F, G, H, I, J]$

OR

Check 2NF?

$A \rightarrow DE, B \rightarrow F$

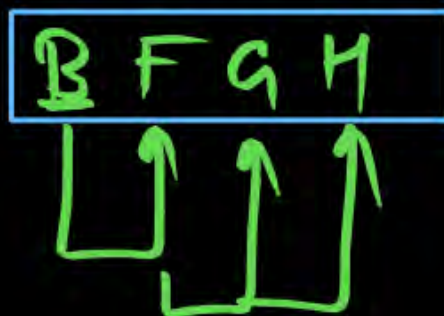
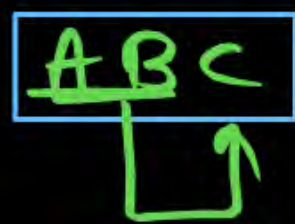
Violate 2NF

2NF Decomposition

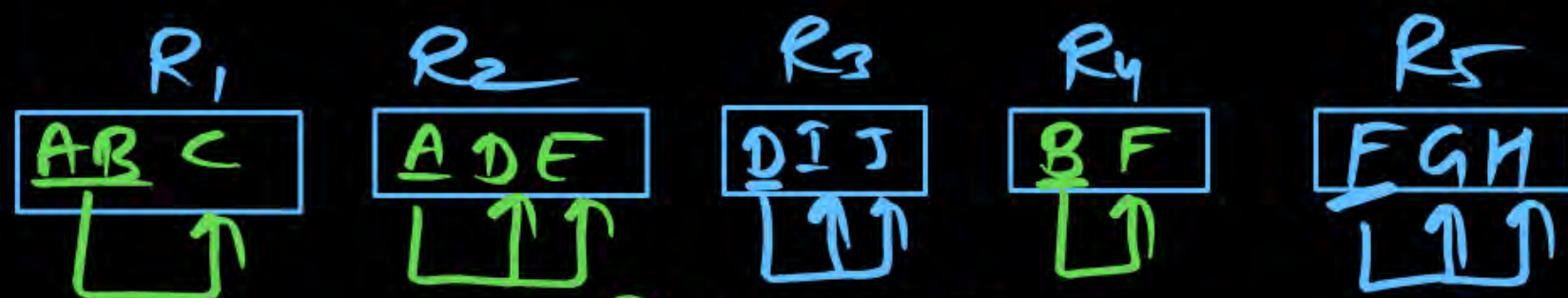
$(A)^+ = [ADEIJ]$

$R(AB \text{ ~~C~~ ~~D~~ ~~E~~ ~~F~~ ~~G~~ ~~H~~ ~~I~~ ~~J~~)$

$(B)^+ = [BFGH]$



Check 3NF? $D \rightarrow IJ, F \rightarrow GH$



R is in 3NF

Check BCNF? YES R is in BCNF

BC Every determinant is a super key.

BCNF + lossless + Dep. Preserved.



Relation R is decomposed using a set of functional dependencies, F, and relation S is decomposed using another set of functional dependencies, G. One decomposition is definitely BCNF, the other is definitely 3NF, but it is not known which is which. To make a guaranteed identification, which one of the following tests should be used on the decompositions? (Assume that the closures of F and G are available).

[2002: 2 Marks]

- ☐ A Dependency-preservation
- ☐ B Lossless-join
- ☒ C BCNF definition
- ☐ D 3 NF definition

Ans (C).



Which of the following relational schema with given FD's follows is/are in BCNF?

A

R(ABCDE) and FD's are $\{A \rightarrow B, B \rightarrow C, C \rightarrow D, D \rightarrow E, C \rightarrow A\}$

2NF Not in 3NF

Candidate key = $\{A, C, B\}$

D: Not Super key
E: Not Prime Attribute

Non key
Non key

MSQ

One option

B

R(ABCDE) and FD's are $\{A \rightarrow B, C \rightarrow D, D \rightarrow E\}$

Candidate key = $\{AC\}$ Violate 2NF

More than one option.

C

R(ABCD) and FD's are $\{A \rightarrow B, B \rightarrow C, C \rightarrow D, D \rightarrow A\}$

Candidate keys = $\{A, B, C, D\}$ Every $x \rightarrow y$

D

R(ABCD) and FD's are $\{A \rightarrow B, B \rightarrow C, C \rightarrow A\}$

Candidate key = $\{AD, BD, CD\}$

\underline{x} : super key } BCNF

Ans (C)

BCNF

$A \rightarrow B$
 $B \rightarrow C$
 $C \rightarrow A$

$x \rightarrow y$

X is Not Super key But y is Prime Attribute so R is in 3NF But Not BCNF.



Consider the following Relation:

$R(ABCDEFG)$ with FD set of Relation $R \{A \rightarrow B, C \rightarrow D, E \rightarrow FG\}$.

What is the minimum number of relations required to decompose into BCNF which satisfy lossless join and Dependency preserving decomposition _____

Candidate key = ACE.

BCNF Decomposition

Check BCNF ?

$A \rightarrow B$

Violate

$C \rightarrow D$

BCNF

$E \rightarrow FG$.

① $A \rightarrow B$

② $C \rightarrow D$

③ $E \rightarrow FG$

$R_1(A/B/C/D/E/F/G)$ $R_1(\underline{ACE})$

$R_2(\underline{AB})$

$R_3(\underline{CD})$

$R_4(\underline{EFG})$

BCNF +
Lossless
+ D.P

Q.



Consider the following four relational schemas. For each schema, all non-trivial functional dependencies are listed. The underlined attributes are the respective primary keys.

Schema I: Registration (rollno, courses)

Field 'courses' is a set-valued attribute containing the set of courses a student has registered for.

Non-trivial functional dependency:

rollno → courses

Schema II: Registration (rollno, courseid, email)

Non-trivial functional dependencies:

rollno, courseid → email

email → rollno (P.A)

Schema III: Registration (rollno, courseid, marks, grade)

Non-trivial functional dependencies:

rollno, courseid → marks, grade

marks → grade → N:k → N:k

Schema IV: Registration (rollno, courseid, marks, credit)

Non-trivial functional dependencies:

rollno, courseid → credit

courseid → credit → Subject → N:k

Which one of the relational schemas above is in 3NF but not in BCNF?

☐ A Schema I

☒ B Schema II

☐ C Schema III

☐ D Schema IV

Ans (B)

[MCQ: 2018: 2M]



A database of research articles in a journal uses the following schema.

(VOLUME, NUMBER, STARTPAGE, ENDPAGE, TITLE, YEAR, PRICE)

The primary key is (VOLUME, NUMBER, STARTPAGE, ENDPAGE) and the following functional dependencies exist in the schema.

Not in 2NF

OLD Design

- FDI (VOLUME, NUMBER, STARTPAGE, ENDPAGE) → TITLE
- FDII (VOLUME, NUMBER) → YEAR
- FDIII (VOLUME, NUMBER, STARTPAGE, ENDPAGE) → PRICE.

Proper subset of C.K. → Non key attribute
Violation of 2NF

The database is redesigned to use the following schemas.

New Design

- R₁ (VOLUME, NUMBER, STARTPAGE, ENDPAGE, TITLE, PRICE)
- R₂ (VOLUME, NUMBER, YEAR)

Which of the weakest normal form that the new database satisfies, but the old one does not?

[MCQ: 2016: 1M]

- A 1NF
- B 3NF
- ☒ C 2NF
- D BCNF

Ans (C) 2NF



Consider a relational table R that is in 3NF, but not in BCNF. Which one of the following statements is TRUE?

[MCQ: 2020-2M]

- A** R has a nontrivial functional dependency $X \rightarrow A$, where X is not a superkey and A is a non-prime attribute and X is a proper subset of some key.
- B** R has a nontrivial functional dependency $X \rightarrow A$, where X is not a superkey and A is a non-prime attribute and X is not a proper subset of any key.
- C** A cell in R holds a set instead of an atomic value.
- D** R has a nontrivial functional dependency $X \rightarrow A$, where X is not a superkey and A is a prime attribute.

Q.



Consider a relation R (A, B, C, D, E) with the following three functional dependencies.

$AB \rightarrow C$; $BC \rightarrow D$; $C \rightarrow E$;

The number of superkeys in the relation R is ____.

[NAT:2022-1M]

Candidate Key = AB

$$\begin{aligned}\# \text{ Superkey} &= 2^{5-2} \\ &= 2^3 \\ &= 8 \text{ Superkey}\end{aligned}$$

$$\begin{array}{c} \underline{AB} \quad \underbrace{CDE} \\ \Downarrow \\ 2^3 = 8 \text{ S.K. } \text{Ans} \end{array}$$

Multivalued FD : $[x \twoheadrightarrow y]$

When we have 2 (or) more than two multivalued Attribute then multivalued FD.

Single Valued FD $(x \rightarrow y)$

If $t_1.x = t_2.x$ then $t_1.y = t_2.y$ must be same.



Not in Syll

Multivalued FD $[x \twoheadrightarrow y]$

RollNo.	Sname	Book
1	x/y	A/B

x	y	z
RollNo	Sname	Book
1	x	A
1	x	B
1	y	A
1	y	B

t	x	y	z
t ₁	x ₁	y ₁	z ₁
t ₂	x ₁	y ₁	z ₂
t ₃	x ₁	y ₂	z ₁
t ₄	x ₁	y ₂	z ₂

$x \twoheadrightarrow y$ exist

$t_1.x = t_2.x = t_3.x = t_4.x$

ff


$t_1.y = t_2.y$ ff $t_3.y = t_4.y$

ff

$t_1.z = t_3.z$ ff $t_2.z = t_4.z$

Transaction

Read (A)
 A = A - 1000
 Write (A)
 Read (B)
 B = B + 1000
 Write (B)



Transaction Concept

- ❑ A transaction is a unit of program execution that accesses and possibly updates various data items.

❑ E.g. Transaction to transfer Rs 500 from account A to account B:

1. read (A)

2. $A := A - 500$

3. write(A)

4. read(B)

5. $B := B + 500$

6. write(B)

500 Rs
A to B

A = 2000

4000

Read (A) : Access the Data Item A from DB.

Write (A) : Updating the Data Item A.

Commit : Successful completion of the transaction.

To maintain Integrity Transaction Must Satisfied ACID Property.

A : Atomicity.

C : Consistency.

I : Isolation.

D : Durability.

ACID Properties

- ❑ A transaction is a unit of program execution that accesses and possibly updates various data items. To preserve the integrity of data the database system must ensure:

- A. Atomicity
- C. Consistency
- I. Isolation
- D. Durability

ACID

Atomicity : Either execute All operation
(FULL OR NONE) of the transaction Successfully (Full)
OR None of them.

Reason for Transaction failure :

- Power failure
- SW crash
- HW crash
- System crash etc (Nhw Issue.....)

Due to Any of these Reasons if Atomicity is getting failed then Recovery Management Component are there.

If transaction is Failed before Commit then

Recovery Management Component ROLLBACK (UNDO ALL MODIFICATION) the transaction. (with the Help of Log's File)

Log's file : Log's contain all the Activity
of the transaction.

ACID Properties

- ❑ Atomicity: Either all operations of the transaction are properly reflected in the database or none are.
- ❑ Consistency: Execution of a transaction in isolation preserves the consistency of the database.
- ❑ Isolation: Although multiple transactions may execute concurrently, each transaction must be unaware of other concurrently executing transactions. Intermediate transaction results must be hidden from other concurrently executed transactions.

② Consistency

Before & After the transaction

DB must be consistent.

Before

$$\begin{array}{r} A : 4000 \\ B : 2000 \\ \hline \textcircled{+} \quad 6000 \end{array}$$

\swarrow A to B
500

AFTER

$$\begin{array}{r} A : 3500 \\ + B : 2500 \\ \hline \textcircled{6000} \end{array}$$

③ Isolation : Concurrent Execution of 2 or more
Transaction equal to Any
Serial Schedule.

④ Durability : Any change in the Database Must Persist
for long period of time.

OR
Database Must be able to Recover Under Any Case
of failure.

- ❖ That is, for every pair of transactions T_i and T_j , it appears to T_i that either T_j finished execution before T_i started, or T_j started execution after T_i finished.
- ❑ **Durability:** After a transaction completes successfully, the changes it has made to the database persist, even if there are system failures.

Atomicity

Consistency

Isolation Durability.

Programmer/user

Concurrency
Subsystem

Recovery
Subsystem



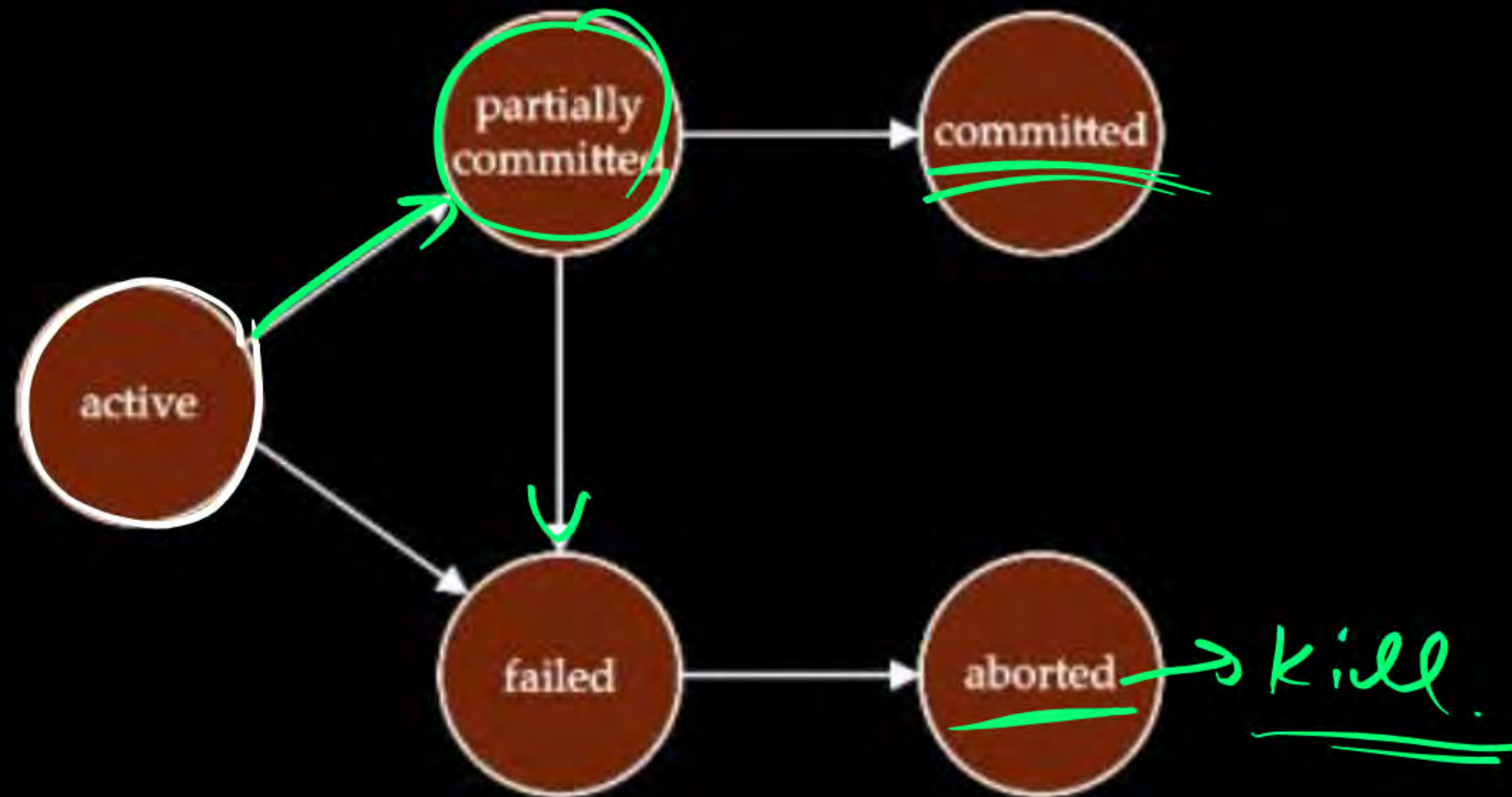
Consistency is taken care by User/Programmer.

Transaction State

- ❑ Active : the initial state; the transaction stays in this state while it is executing.
- ❑ Partially committed : after the final statement has been executed.
- ❑ Failed: after the discovery that normal execution can no longer proceed.
- ❑ Aborted: after the transaction has been rolled back and the database restored to its state prior to the start of the transaction.
Two options after it has been aborted:

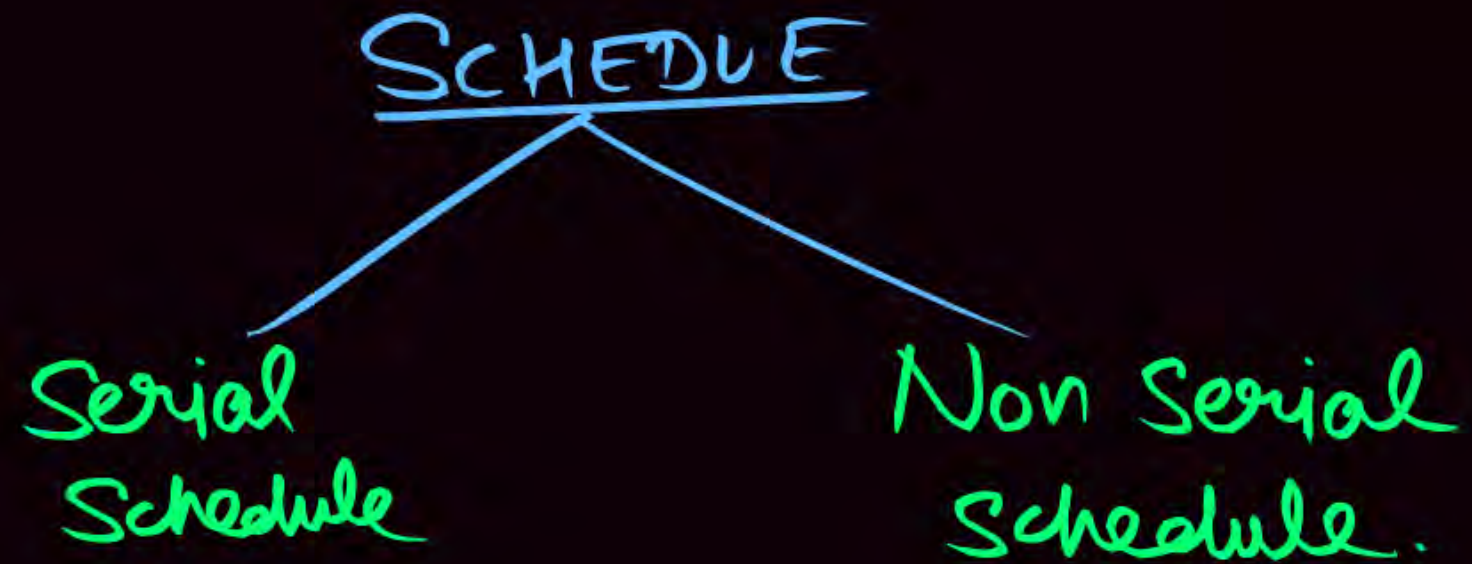
- ❖ Restart the transaction
 - Can be done only if no internal logical error
- ❖ Kill the transaction
- ❑ Committed: After successful completion.

Transaction State (Cont.)



SCHEDULE

Time Order Sequence of two or more Transaction.



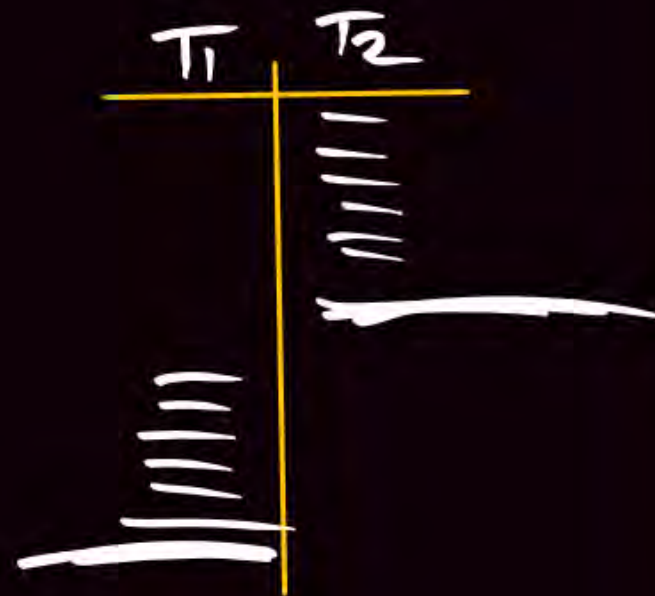
Serial Schedule

Execution of One Transaction Complete then another will start.



$\langle T_1 T_2 \rangle$

T₁ followed by T₂



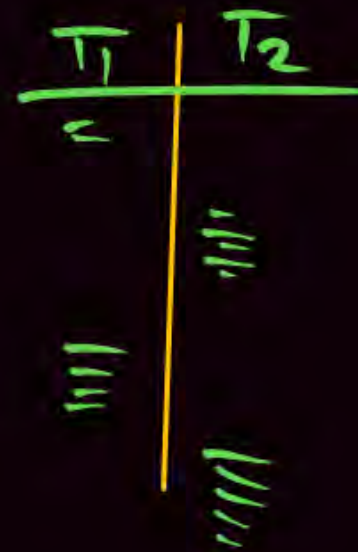
$\langle T_2 T_1 \rangle$

T₂ followed by T₁

Non Serial Schedule

(Concurrent Execution)

Interleaved execution of Two
@ More Transaction.



& Many More.

Note

If 2 Transaction Total # Serial Schedule = $2! = 2$

- (i) $\langle T_1 T_2 \rangle$; T_1 followed by T_2
- (ii) $\langle T_2 T_1 \rangle$; T_2 followed by T_1

Note

If n transaction then $n!$ Serial Schedule

⑧ If 3 Transaction
the $3! \Rightarrow 6$ Serial
Schedule

$\langle T_1 T_2 T_3 \rangle$

$\langle T_1 T_3 T_2 \rangle$

$\langle T_2 T_1 T_3 \rangle$

$\langle T_2 T_3 T_1 \rangle$

$\langle T_3 T_1 T_2 \rangle$

$\langle T_3 T_2 T_1 \rangle$

6 Serial
Schedule

Schedules

- ❑ **Schedule:** a sequences of instructions that specify the chronological order in which instructions of concurrent transactions are executed.
 - ❖ A schedule for a set of transactions must consist of all instructions of those transactions
 - ❖ Must preserve the order in which the instructions appear in each individual transaction.
- ❑ A transaction that successfully completes its execution will have a commit instructions as the last statement
 - ❖ By default transaction assumed to execute commit instruction as its last step

- ❑ A transaction that fails to successfully complete its execution will have an abort instruction as the last statement.



Let T_1 transfer 100 Rs from A to B, and T_2 transfer 10% of the balance from A to B.

*A = 2000
B = 3000
5000*

Schedule 1

T_1	T_2
read (A) $A := A - 100$ write (A) read (B) $B := B + 100$ write (B) commit	read (A) $temp := A * 0.1$ $A := A - temp$ write (A) read (B) $B := B + temp$ write (B) Commit

$S_1 < T_1 T_2 >$

Serial schedule in which T_1 is followed by T_2 :

*A = 2000
B = 3000
5000*

Schedule 2

T_1	T_2
read (A) $A := A - 100$ write (A) read (B) $B := B + 100$ write (B) commit	read (A) $temp := A * 0.1$ $A := A - temp$ write (A) read (B) $B := B + temp$ write (B) Commit

$S_2 < T_2 T_1 >$

serial schedule where T_2 is followed by T_1

$A: 2000$
 $B: 3000$
 $\hline 5000$

Schedule 3

T_1	T_2
read (A) $A := A - 100$ write (A)	read (A) $temp := A * 0.1$ $A := A - temp$ write (A)
read (B) $B := B + 100$ write (B) commit	read (B) $B := B + temp$ write (B) Commit

C_1

$A: 2000$
 $B: 3000$
 $\hline 6000$

Schedule 4

T_1	T_2
read (A) $A := A - 100$	read (A) $temp := A * 0.1$ $A := A - temp$ write (A)
write (A) read (B) $B := B + 100$ write (B) commit	read (B) $B := B + temp$ write (B) Commit

C_2

Any Doubt ?



**THANK
YOU!**

