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<https://github.com/ShashankRao17/SOEN6011-Software-Engineering-Processes>

Project Deliverable-1 : Problem 1

1 Description

The common schoolbook definition of the cosine of an angle θ in a right-angled triangle is given by,

$$\cos \theta = \frac{\text{adjacent}}{\text{hypotenuse}}$$

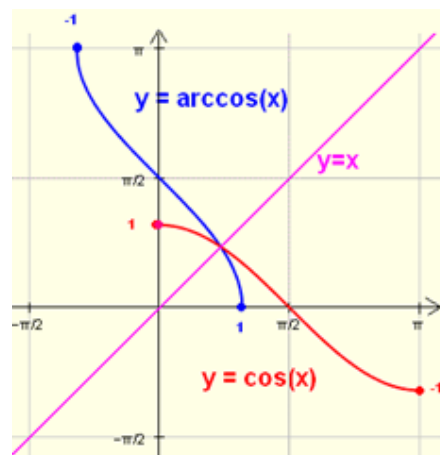
In mathematics, the inverse trigonometric functions (also called arcus function, antitrigonometric functions or cyclometric functions) are the inverse of the basic trigonometric functions (Specifically they are the inverse of sine, cosine, tangent, cotangent, secant and cosecant functions) and are used to obtain an angle from any of the angle's trigonometric ratios. Thus, similar to the definition of cosine, the arccos can be defined as,

$$\arccos \theta = \frac{\text{hypotenuse}}{\text{adjacent}}$$

2 Graph, Domain & Range of $\arccos(x)$

$\arccos(x)$ is the inverse function of $f(x)=\cos(x)$ for $0 \leq x \leq \pi$. The domain of $y=\arccos(x)$ is the range of $f(x)=\cos(x)$ for $0 \leq x \leq \pi$ and given by the interval $[-1,1]$. The range of $\arccos(x)$ is the domain of f which is given by the interval $[0,\pi]$.

The graph, domain and range of both $\cos(x)$ and $\arccos(x)$ is as shown below,



3 Arccos table

x	$\arccos(x)$ (Rad)	$\arccos(x)$ ($^{\circ}$)
-1	π	180°
$-\sqrt{3}/2$	$5\pi/6$	150°
$-\sqrt{2}/2$	$3\pi/4$	135°
-1/2	$2\pi/3$	120°
0	$\pi/2$	90°
1/2	$\pi/3$	60°
$\sqrt{2}/2$	$\pi/4$	45°
$\sqrt{3}/2$	$\pi/6$	30°
1	0	0°

4 References

- i. <http://mathworld.wolfram.com/Cosine.html>
- ii. https://www.analyzemath.com/Graphing/graphing_arccosine.html
- iii. https://en.wikipedia.org/wiki/Inverse_trigonometric_functions
- iv. <https://www.rapidtables.com/math/trigonometry/arccos.html#definition>