



- $g(x) + h(x) = f(x)$
- $0 + 11 = 11$
- Thus for A, we can write
- $A = 11$

Now from A, we can go to point B or point E, so we compute $f(x)$ for each of them

- $A \rightarrow B = 2 + 6 = 8$
- $A \rightarrow E = 3 + 7 = 10$

Since the cost for $A \rightarrow B$ is less, we move forward with this path and compute the $f(x)$ for the children nodes of B

Since there is no path between C and G, the heuristic cost is set infinity or a very high value

- $A \rightarrow B \rightarrow C = (2 + 1) + 99 = 102$
- $A \rightarrow B \rightarrow G = (2 + 9) + 0 = 11$

Here the path $A \rightarrow B \rightarrow G$ has the least cost but it is still more than the cost of $A \rightarrow E$, thus we explore this path further

$$A \rightarrow E \rightarrow D = (3 + 6) + 1 = 10$$

Comparing the cost of $A \rightarrow E \rightarrow D$ with all the paths we got so far and as this cost is least of all we move forward with this path. And compute the $f(x)$ for the children of D

$$A \rightarrow E \rightarrow D \rightarrow G = (3 + 6 + 1) + 0 = 10$$

Now comparing all the paths that lead us to the goal, we conclude that $A \rightarrow E \rightarrow D \rightarrow G$ is the most cost-effective path to get from A to G.

