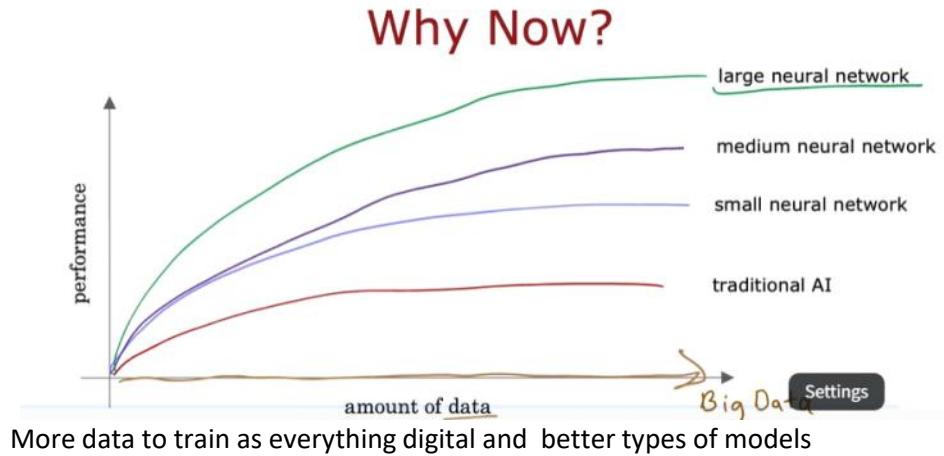
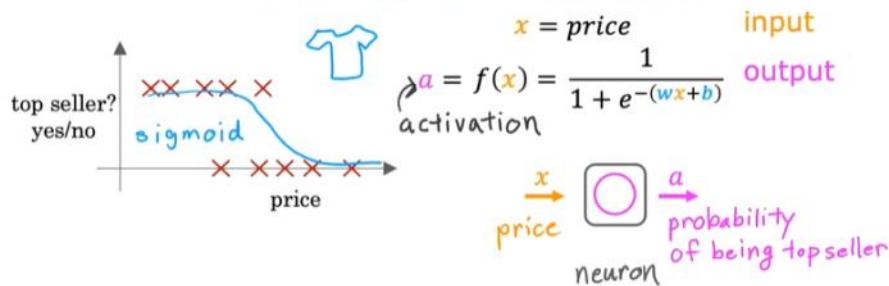


# Module 1

01 September 2025 22:42



## Demand Prediction



In this we will use  $f(x)$  as a i.e activation which is a nerual network terminology which Refers to how much a neuron is sending high output to other nerons donwstream from it.

Here the circle are nerons and basically think it as a computer which took all the inputs such as price ans shipping cost and give output of lets say affordability . Layer ia a groups of neutron it can hame many neutorns or a single neutron . Last layer is called output layer which outputs the final thing . The factors required to predict the final thing is called activatiions The way a neural network is implemented in practice each neuron in a certain layer; say this layer in the middle, will have access to every feature, to every value from the previous layer, from the input layer which is why I'm now drawing arrows from every input feature to every one of these neurons shown here in the middle. You can imagine that if you're trying to predict affordability and it knows

what's the price shipping cost marketing and material,  
may be you'll learn to ignore  
marketing and material and just figure  
out through setting the parameters appropriately to only  
focus on the subset of features that are  
most relevant to affordability.

To further simplify the notation and  
the description of this neural network I'm going  
to take these four input features  
and write them as a vector  $x$ ,  
and we're going to view the neural network as having  
four features that comprise this feature vector  $x$ .

This feature vector is fed to this layer in  
the middle which then computes three activation values.  
That is these numbers and  
these three activation values  
in turn becomes another vector which  
is fed to this final output layer that  
finally outputs the probability  
of this t-shirt to being a top seller.

That's all a neural network is.

It has a few layers where each layer inputs  
a vector and outputs another vector of numbers  
In a training set,

you get to observe both  $x$  and  $y$ .

Your data set tells you what is  $x$  and what is  $y$ ,  
and so you get data that tells  
you what are the correct inputs and the correct outputs.  
But your dataset doesn't tell you what  
are the correct values for affordability,  
awareness, and perceived quality.

The correct values for those are hidden.

You don't see them in the training set,  
which is why this layer in  
the middle is called a hidden layer.

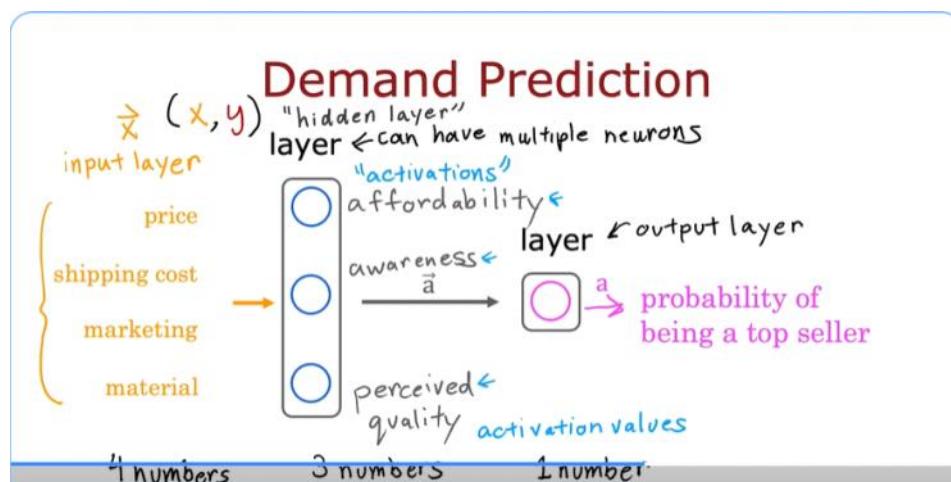
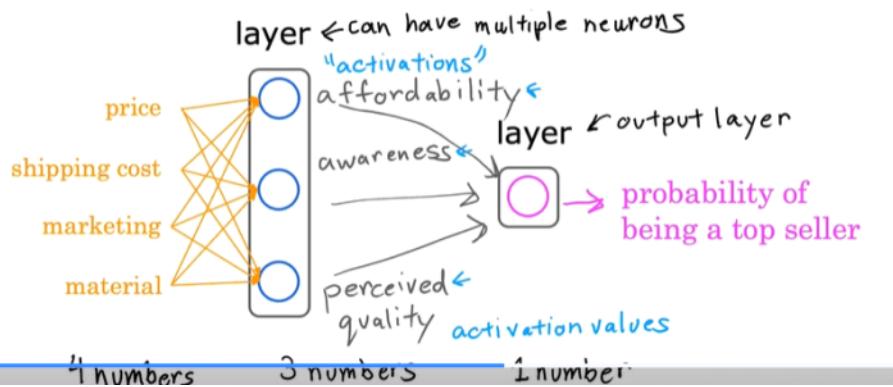
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Play

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# Demand Prediction



One way to think of this neural network is, just logistic regression.

But as a version of logistic regression, they can learn its own features that makes it easier to make accurate predictions.

In fact, you might remember from the previous course, this housing example where we said that if you want to predict the price of the house, you might take the frontage or the width of lots and multiply that by the depth of a lot to construct a more complex feature,

$x_1$  times  $x_2$ ,

which was the size of the lawn.

There we were doing manual feature engineering where we had to look at the features  $x_1$  and  $x_2$  and decide by hand how to combine them together to come up with better features.

What the neural network does is instead of you needing to manually engineer the features, it can learn, as you'll see later, its own features to make the learning problem easier for itself.

This is what makes neural networks one of the most powerful learning algorithms in the world today. To summarize, a neural network, does this, the input layer has a vector of features, four numbers in this example,

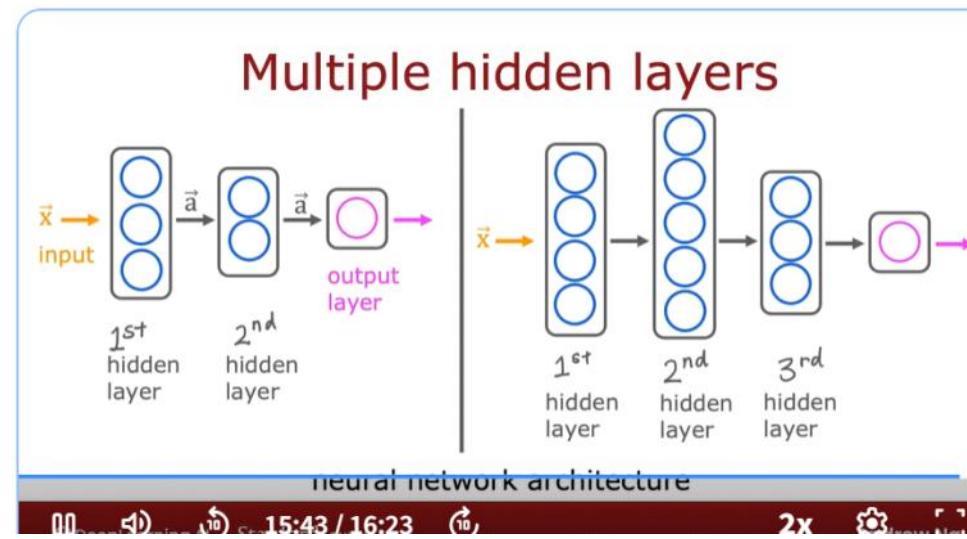
it is input to the hidden layer,  
which outputs three numbers.

I'm going to use a vector to denote  
this vector of activations  
that this hidden layer outputs.

Then the output layer takes its input to  
three numbers and outputs one number,  
which would be the final activation,  
or the final prediction of the neural network.

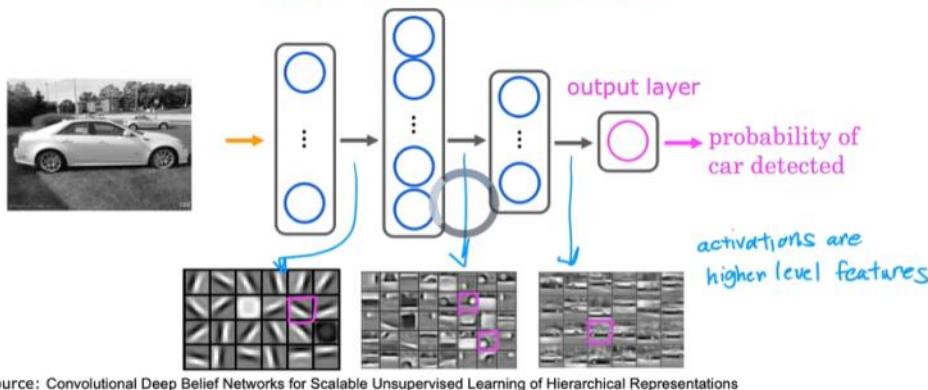
From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/MsbrF/demand-prediction>>

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This is called multilayer perceptron.

## Car classification



This hidden layer inputs four numbers and these four numbers are inputs to each of three neurons.

Each of these three neurons is just implementing a little logistic regression unit or a little bit logistic regression function

Take this first neuron.

It has two parameters,  $w$  and  $b$ .

In fact, to denote that,

this is the first hidden unit,

I'm going to subscript this as  $w_1, b_1$ .

What it does is I'll output some activation value  $a$ ,

which is  $g$  of  $w_1$  in a product with  $x$  plus  $b_1$ ,

where this is the familiar  $z$  value that you have learned about in

logistic regression in the previous course, and  $g$  of  $z$  is the familiar logistic function,

$1$  over  $1$  plus  $e$  to the negative  $z$ .

Maybe this ends up being a number  $0.3$  and that's the activation value  $a$  of the first neuron.

To denote that this is the first neuron,

I'm also going to add a subscript  $a_1$  over here, and so  $a_1$  may be a number like  $0.3$ .

There's a  $0.3$  chance of

this being highly affordable based on the input features

Similarly, it computes

an activation value  $a_3$  equals  $g$  of

$w_3$  dot product  $x$  plus  $b_3$  and that may be say,  $0.2$ .

In this example, these three neurons output  $0.3$ ,

$0.7$ , and  $0.2$ ,

and this vector of three numbers

becomes the vector of activation values  $a$ ,

that is then passed to

the final output layer of this neural network.

I'm going to use superscript square bracket  $1$  to index into different layers.

In particular, a superscript

in square brackets  $1$ , I'm going to use,

that's a notation to denote the output of

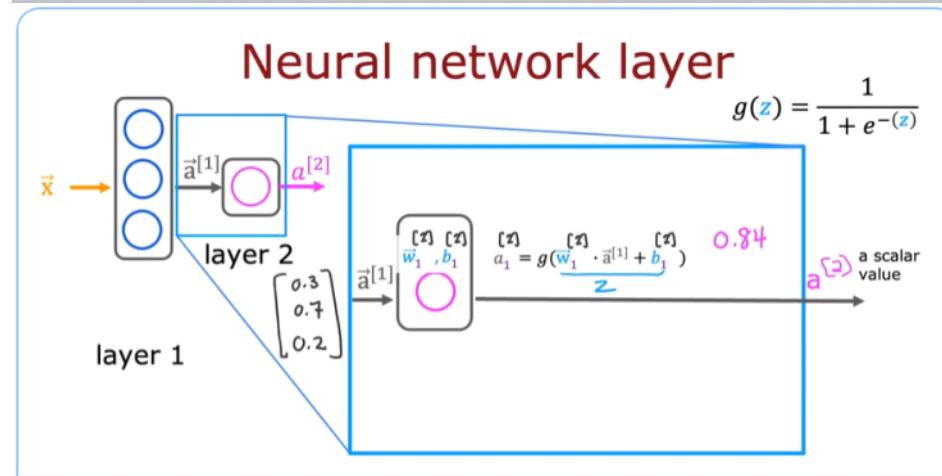
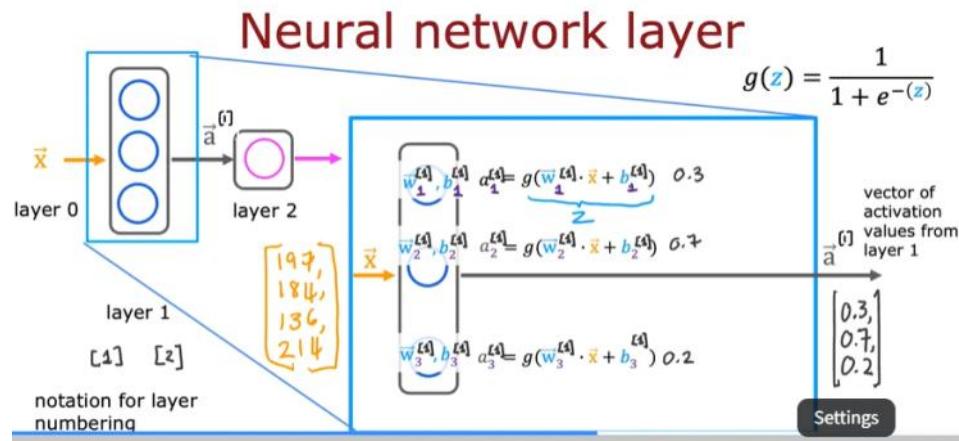
layer  $1$  of this hidden layer of this neural network,

and similarly,  $w_1$ ,

$b_1$  here are the parameters of

the first unit in layer 1 of the neural network,  
so I'm also going to add  
a superscript in square brackets 1  
I know maybe this notation  
is getting a little bit cluttered.  
But the thing to remember is whenever  
you see this superscript square bracket 1,  
that just refers to a quantity  
that is associated with layer 1 of the neural network.  
If you see superscript square bracket 2,  
that refers to a quantity associated with layer  
2 of the neural network  
and similarly for other layers as well,  
including layer 3,  
layer 4 and so on for neural networks with more layers.  
That's the computation of layer 1 of this neural network.  
Its output is this activation vector,  
 $\vec{a}^{[1]}$  and I'm going to copy this over here  
because this output  $\vec{a}_1$  becomes the input to layer 2.  
Now let's zoom into  
the computation of layer 2 of this neural network,  
which is also the output layer.  
The input to layer 2 is the output of layer 1,  
so  $\vec{a}_1$  is this vector 0.3, 0.7,  
0.2 that we just computed  
on the previous part of this slide.

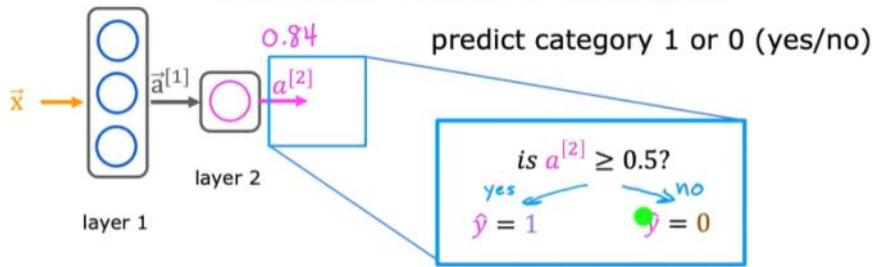
From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/z5sks/neural-network-layer>>



Similar in layer 2

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/z5sks/neural-network-layer>>

## Neural network layer



If we want to predict the yes and no then we can do this

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/z5sks/neural-network-layer>>

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/z5sks/neural-network-layer>>

This gives you the activation of layer l unit j,  
where the superscript in square brackets l denotes  
layer l and a subscript j denotes unit j.

When building neural networks,  
unit j refers to the jth neuron,  
so we use those terms a little bit  
interchangeably where each unit  
is a single neuron in the layer.

G here is the sigmoid function.

In the context of a neural network,  
g has another name,  
which is also called the activation function,  
because g outputs this activation value.

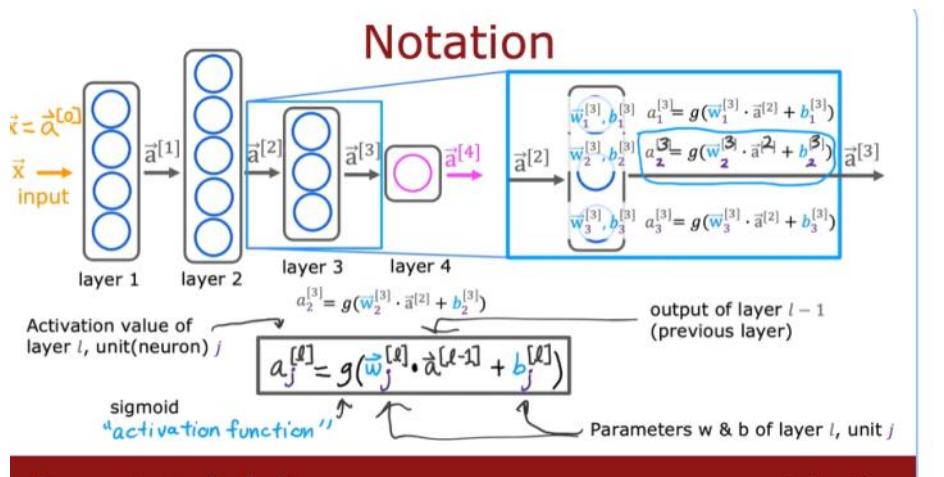
When I say activation function,  
I mean this function g here.

So far, the only activation function you've seen,  
this is a sigmoid function but next week,  
we'll look at when other functions,  
then the sigmoid function can be  
plugged in place of g as well..

The activation function is just that function  
that outputs these activation values.  
Just one last piece of notation.

In order to make all this notation consistent,  
I'm also going to give  
the input vector X and another name which is a\_0,  
so this way, the same equation  
also works for the first layer,  
where when l is equal to 1,  
the activations of the first layer,  
that is a\_1,  
would be the sigmoid times  
the weights dot-product with a\_0,  
which is just this input feature vector X.  
With this notation, you now know how to compute  
the activation values of any layer in  
a neural network as a function of  
the parameters as well as  
the activations of the previous layer.  
You now know how to compute the activations of  
any layer given the activations of the previous layer.

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/a5AfY/more-complex-neural-networks>>

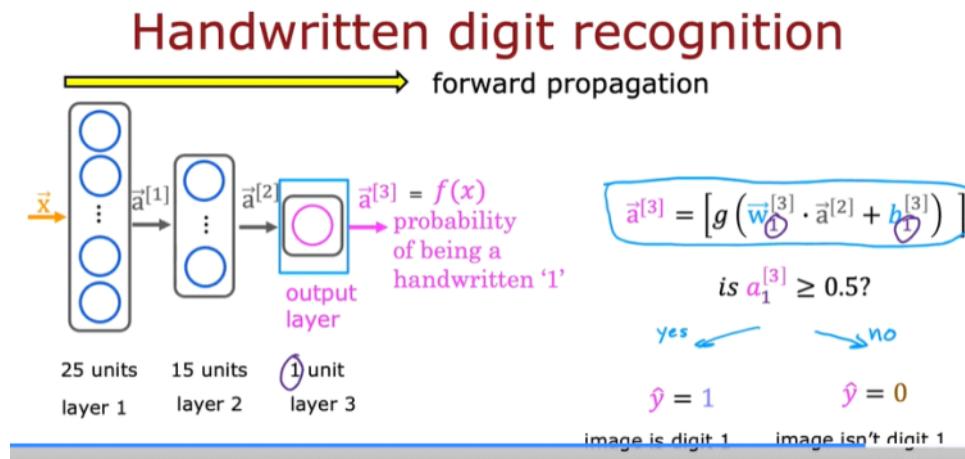


From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/a5AfY/more-complex-neural-networks>>

Play video

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/a5AfY/more-complex-neural-networks>>

Because this computation goes from left to right, you start from x and compute a1, then a2, then a3.  
This album is also called forward propagation because you're propagating the activations of the neurons.  
So you're making these computations in the forward direction from left to right.  
And this is in contrast to a different algorithm called backward propagation or back propagation, which is used for learning.  
And that's something you learn about next week.  
And by the way, this type of neural network architecture where you have more hidden units initially and then the number of hidden units decreases as you get closer to the output layer.  
There's also a pretty typical choice when choosing neural network architectures.



We're going to set  $x$  to be an array of two numbers.  
The input features 200 degrees celsius and 17 minutes.

Then you create Layer 1  
as this first hidden layer, the neural network,  
as dense open parenthesis units 3,  
that means three units or three hidden units in  
this layer using as  
the activation function, the sigmoid function.  
Dense is another name for  
the layers of a neural network  
that we've learned about so far.  
As you learn more about neural networks,  
you learn about other types of layers as well.  
But for now, we'll just use the dense layer,  
which is the layer type you've learned about in  
the last few videos for all of our examples.

Next, you compute  $a_1$  by taking Layer 1,  
which is actually a function,  
and applying this function Layer 1 to the values of  $x$ .

That's how you get  $a_1$ ,  
which is going to be a list of three numbers  
because Layer 1 had three units.

So  $a_1$  here may,  
just for the sake of illustration,  
be 0.2, 0.7, 0.3.

Next, for the second hidden layer,  
Layer 2, would be dense.

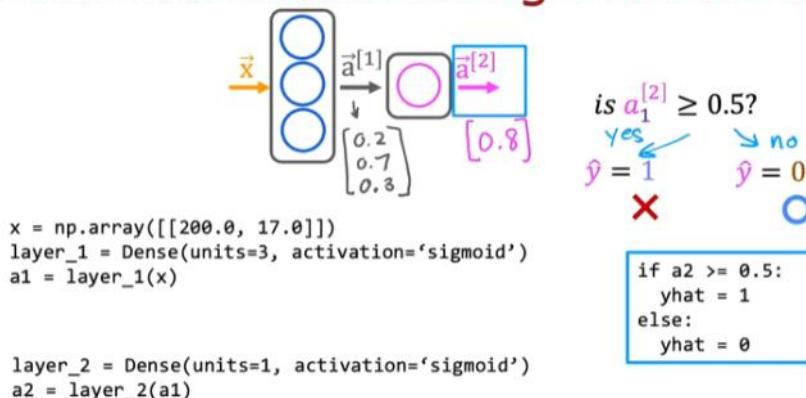
Now this time it has one unit and  
again to sigmoid activation function,  
and you can then compute  $a_2$  by applying  
this Layer 2 function to  
the activation values from Layer 1 to  $a_1$ .

That will give you the value of  $a_2$ ,  
which for the sake of illustration is maybe 0.8.  
Finally, if you wish to threshold it at 0.5,  
then you can just test if  $a_2$   
is greater and equal to 0.5 and

set  $\hat{y}$  equals to one or zero positive or negative cross accordingly.  
 That's how you do inference in the neural network using TensorFlow.  
 There are some additional details that I didn't go over here, such as how to load the TensorFlow library and how to also load the parameters w and b of the neural network.  
 But we'll go over that in the lab.  
 Please be sure to take a look at the lab.  
 But these are the key steps for forward propagation in how you compute  $a_1$  and  $a_2$  and optionally threshold  $a_2$ .

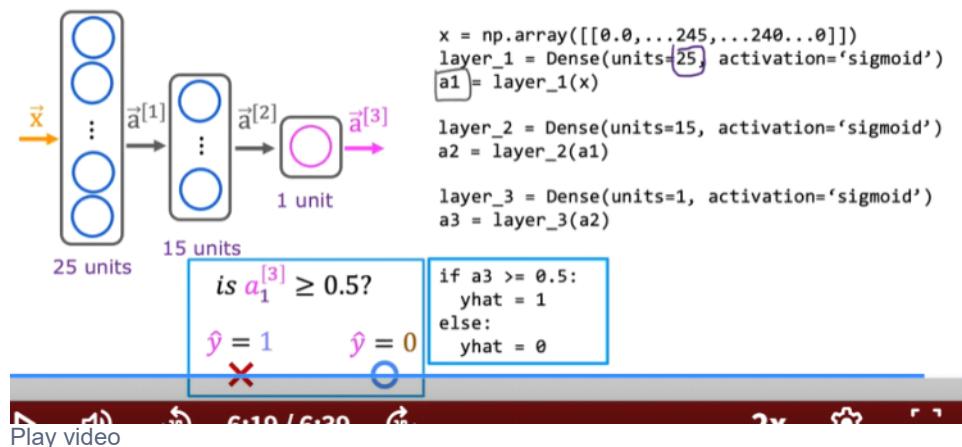
From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/rJMKC/inference-in-code>>

## Build the model using TensorFlow



From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/rJMKC/inference-in-code>>

## Model for digit classification



From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/rJMKC/inference-in-code>>

So whereas in course one when we're working with linear regression and logistic regression, we use these 1D vectors to represent the input features  $x$ . With TensorFlow the convention is to use matrices to represent the data. And why is there this switching conventions?

Well it turns out that TensorFlow was designed to handle very large datasets and by representing the data in matrices instead of 1D arrays, it lets TensorFlow be a bit more computationally efficient internally.

So going back to our original example for the first training, example in this dataset with features  $200^{\circ}\text{C}$  in 17 minutes, we were represented like this. And so this is actually a  $1 \times 2$  matrix that happens to have one row and two columns to store the numbers 217.

And in case this seems like a lot of details and really complicated conventions, don't worry about it all of this will become clearer.

And you get to see the concrete implementations of the code yourself in the optional labs and in the practice labs.

Going back to the code for carrying out for propagation or influence in the neural network.

When you compute  $a_1$  equals layer 1 applied to  $x$ , what is  $a_1$ ?

Well,  $a_1$  is actually going to be because the three numbers, is actually going to be a  $1 \times 3$  matrix.

And if you print out  $a_1$  you will get something like this is `tf.tensor 0.2, 0.7, 0.3` as a shape of  $1 \times 3$ , 1, 3 refers to that this is a  $1 \times 3$  matrix.

And this is TensorFlow's way of saying that this is a floating point number meaning that it's a number that can have a decimal point represented using 32 bits of memory in your computer, that's where the float 32 is.

And what is the tensor?

A tensor here is a data type that the TensorFlow team had created in order to store and carry out computations on matrices efficiently.

So whenever you see tensor just think of that matrix on these few slides.

Technically a tensor is a little bit more general than the matrix but for the purposes of this course, think of tensor as just a way of representing matrices.

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/eTL7B/data-in-tensorflow>>

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From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/eTL7B/data-in-tensorflow>>

## Feature vectors

temperature (Celsius)	duration (minutes)	Good coffee? (1/0)	x = np.array([[200.0, 17.0]]) ← [[200.0, 17.0]]
200.0	17.0	1	
425.0	18.5	0	
...	...	...	→ [200.0 17.0]      1 × 2

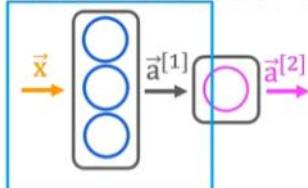
## Note about numpy arrays

x = np.array([[200, 17]]) → [200 17]      1 × 2

x = np.array([[200], [17]]) → [200]  
→ [17]      2 × 1

→ x = np.array([200, 17])  
1D  
"Vector"

## Activation vector



```
x = np.array([[200.0, 17.0]])
layer_1 = Dense(units=3, activation='sigmoid')
a1 = layer_1(x)
→ [[0.2, 0.7, 0.3]] 1 × 3 matrix
→ tf.Tensor([[0.2 0.7 0.3]], shape=(1, 3), dtype=float32)
a1.numpy()
```

array([[0.2, 0.7, 0.3]], dtype=float32)

PI

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/eTL7B/data-in-tensorflow>>

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/eTL7B/data-in-tensorflow>>

If you want to do forward prop, you initialize the data X create layer one then compute a one, then create layer two and compute a two. So this was an explicit way of carrying out forward prop one layer of computation at the time.

It turns out that tensorflow has a different way of implementing forward prop as well as learning.

Let me show you a different way of building a neural network in TensorFlow, which is the same as before you're going to create layer one and create layer two. But now instead of you manually taking the data and passing it to layer one and then taking the activations from layer one and pass it to layer two.

We can instead tell tensorflow that we would like it to take layer one and layer two and string them together to form a neural network.

That's what the sequential function in TensorFlow does

Let's say you have a training set like this on the left.

This is for the coffee example.

You can then take the training data as inputs X and put them into a numpy array.

This here is a four by two matrix and the target labels.

Y can then be written as follows.

And this is just a one dimensional array of length four

Y this set of targets can then be stored as a 1-D array like this 1001 corresponding to four train examples.

And it turns out that given the data, X and

Y stored in this matrix X and this array, Y.

If you want to train this neural network, all you need to do is call to functions you need to call model dot compile with some parameters.

We'll talk more about this next week, so don't worry about it for now.

And then you need to call model dot fit X Y,

which tells tensorflow to take this neural network that are created by sequentially string together layers one and two, and to train it on the data, X and Y.

Now do you do forward prop if you have a new example, say X new,

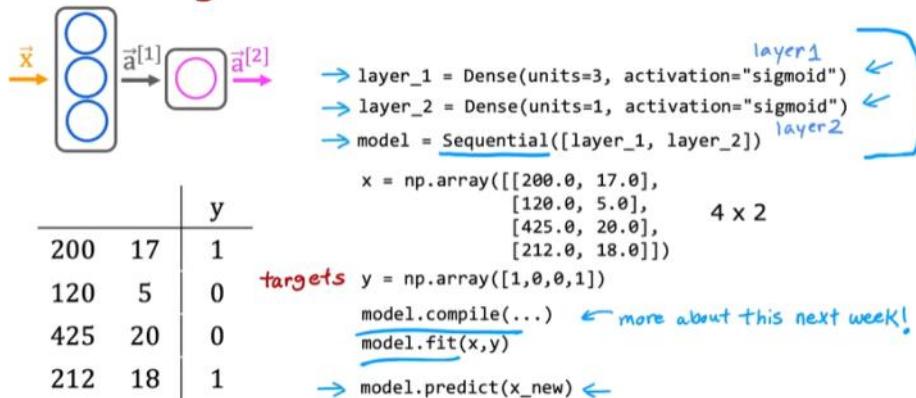
which is NP array with these two features than to carry out forward prop instead of having to do it one layer at a time yourself, you just have to call model predict on X new and this will output the corresponding value of a two for you given this input value of X.

So model predicts carries out forward propagation and carries an inference for you, using this neural network that you compiled using the sequential function.

Now I want to take these three lines of code on top and

just simplify it a little bit further, which is when coding in Tensorflow.

## Building a neural network architecture



From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/J6Vli/building-a-neural-network>>

## Building a neural network architecture

```
→ model = Sequential([
→   Dense(units=3, activation="sigmoid"),
→   Dense(units=1, activation="sigmoid")))
```

		y
200	17	1
120	5	0
425	20	0
212	18	1

```
x = np.array([[200.0, 17.0],
              [120.0, 5.0],
              [425.0, 20.0],
              [212.0, 18.0]])
targets y = np.array([1,0,0,1])
model.compile(...)
```

← more about this next week!

```
model.fit(x,y)
model.predict(x_new)
```

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/J6Vli/building-a-neural-network>>

## Digit classification model

```
→ layer_1 = Dense(units=25, activation="sigmoid")
→ layer_2 = Dense(units=15, activation="sigmoid")
→ layer_3 = Dense(units=1, activation="sigmoid")
→ model = Sequential([layer_1, layer_2, layer_3])
model.compile(...)

x = np.array([[0..., 245, ..., 17],
              [0..., 200, ..., 184]])
y = np.array([1,0])

model.fit(x,y)
```

← more about this next week!

```
model.predict(x_new)
```

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From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/J6Vli/building-a-neural-network>>

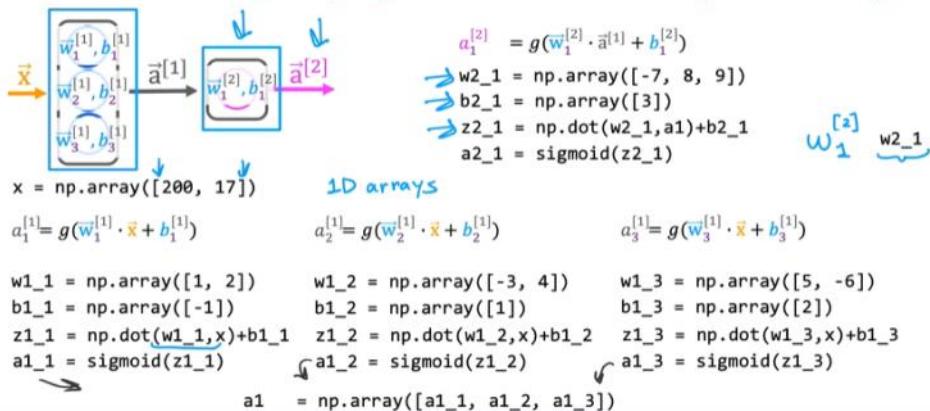
From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/J6Vli/building-a-neural-network>>

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/J6Vli/building-a-neural-network>>

that's how you implement forward prop using just python and np. Now, there are a lot of expressions in this page of code that you just saw, let's in the next video look at how you can simplify this to implement forward prop for a more general neural network, rather than hard coding it for every single neuron like we just did.

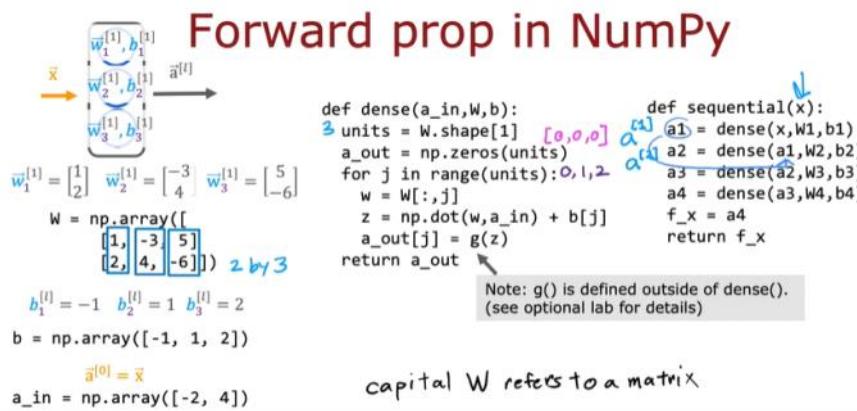
From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/AJc5g/forward-prop-in-a-single-layer>>

## forward prop (coffee roasting model)



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This is what the code looks like. Notice that in the vectorized implementation, all of these quantities,  $x$ , which is fed into the value of  $A$  in as well as  $W$ ,  $B$ , as well as  $Z$  and  $A$  out, all of these are now 2D arrays. All of these are matrices. This turns out to be a very efficient implementation of one step of forward propagation through a dense layer in the neural network. This is code for a vectorized implementation of forward prop in a neural network.

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/qkJy8/how-neural-networks-are-implemented-efficiently>>

## For loops vs. vectorization

```
x = np.array([200, 17])
W = np.array([[1, -3, 5],
              [-2, 4, -6]])
b = np.array([-1, 1, 2])

def dense(a_in,W,b):
    units = W.shape[1]
    a_out = np.zeros(units)
    for j in range(units):
        w = W[:,j]
        z = np.dot(w, a_in) + b[j]
        a_out[j] = g(z)
    return a_out

[1,0,1]
```

*vectorized*

```
X = np.array([[200, 17]]) 2Darray
W = np.array([[1, -3, 5], same
              [-2, 4, -6]])
B = np.array([[ -1, 1, 2]]) 1x3 2Darray
def dense(A_in,W,B):
    Z = np.matmul(A_in,W) + B
    A_out = g(Z) matrix multiplication
    return A_out
[[1,0,1]]
```

*through a dense layer  
in the neural network.*

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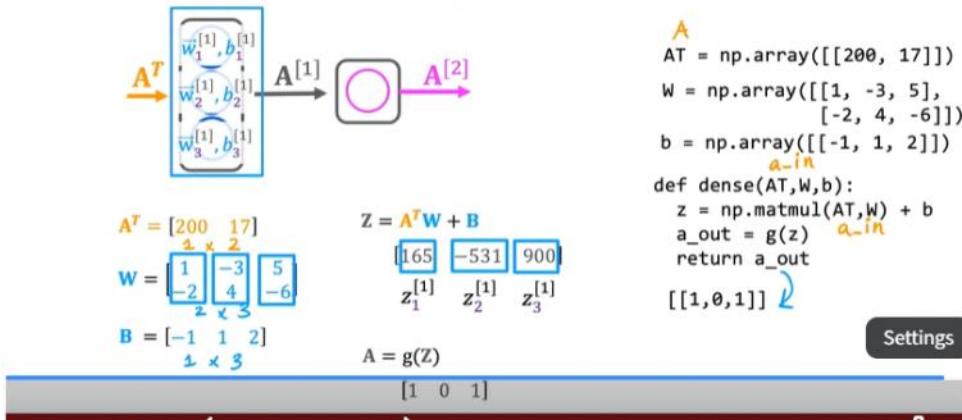
I'm going to set A transpose to be equal to the input feature values 217. These are just the usual input feature values, 200 degrees roasting coffee for 17 minutes. This is a one by two matrix. I'm going to take the parameters w\_1, w\_2, and w\_3, and stack them in columns like this to form this matrix W. The values b\_1, b\_2, b\_3, I'm going to put it into a one by three matrix, that is this matrix B as follows. Then it turns out that if you were to compute Z equals A transpose W plus B, that will result in these three numbers and that's computed by taking the input feature values and multiplying that by the first column and then adding B to get 165. Taking these feature values, dot-producing with the second column, that is a weight w\_2 and adding b\_2 to get negative 531.

These feature values dot product with the weights w\_3 plus b\_3 to get 900. Feel free to pause the video if you wish to double-check these calculations. But this gives you is the values of z^1\_1, z^1\_2, and z^1\_3. Then finally, if the function g applies the sigmoid function to these three numbers element-wise, that is, applies the sigmoid function to 165, to negative 531, and to 900, then you end up with A equals g of this matrix Z ends up being 1,0,1. It's 1,0,1 because sigmoid of 165 is so close to one that up to numerical round off is based to one and these are bases 0 and 1. Let's look at how you implement this in code. A transpose is equal to this, is this one by two array of 217.

In case you're comparing this slide with the slide a few videos back, there was just one little difference, which was by convention, the way this is implemented in TensorFlow, rather than calling this variable A\_T, we were calling it A\_in, which is why this too is the correct implementation of the code. There is a convention in TensorFlow that individual examples are actually laid out in rows in the matrix X rather than in the matrix X transpose which is why the code implementation actually looks like this in TensorFlow.

From <<https://www.coursera.org/learn/advanced-learning-algorithms/lecture/ysRAb/matrix-multiplication-code>>

## Dense layer vectorized



## Matrix multiplication in NumPy

$$A = \begin{bmatrix} 1 & -1 & 0.1 \\ 2 & -2 & 0.2 \end{bmatrix} \quad A^T = \begin{bmatrix} 1 & 2 \\ -1 & -2 \\ 0.1 & 0.2 \end{bmatrix} \quad W = \begin{bmatrix} 3 & 5 & 7 & 9 \\ 4 & 6 & 8 & 0 \end{bmatrix} \quad Z = A^T W = \begin{bmatrix} 11 & 17 & 23 & 9 \\ -11 & -17 & -23 & -9 \\ 1.1 & 1.7 & 2.3 & 0.9 \end{bmatrix}$$

$A = np.array([[1,-1,0.1], [2,-2,0.2]])$

$W = np.array([[3,5,7,9], [4,6,8,0]])$

$Z = np.matmul(AT,W)$  or  $Z = AT @ W$

$AT = np.array([[1,2], [-1,-2], [0.1,0.2]])$

$AT = A.T$  transpose

result  $\begin{bmatrix} [11,17,23,9], [-11,-17,-23,-9], [1.1,1.7,2.3,0.9] \end{bmatrix}$

we just use the

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