1- LovestuT

Ques-1) What do you undowstand by Asymptotic notation, define different asymptotic natation with example?

i) Big 0(n)

 $j(n) \Rightarrow o(g(n))$ $ij \ j(n) \leq g(n) \times c \ \forall n \geq n_0$ $j(n) \leq g(n) \times c \times c \times c \times c$ $j(n) \leq g(n) \times c \times c \times c$ $j(n) \leq g(n) \times c \times c$ $j(n) \leq g(n) \times c \times c$ $j(n) \leq g(n) \times c$ j(

(11) Big Omega(I)

when J(n) = r(g(n))

means g(n) is "dight" lower bound of d(n) lie f(n) can go beyond g(n)

Le jan = rg(n) = (a)

y and only ig

J(n) > c.g(n) + 12>no and C= Constant > 0

Ex: $J(n) \Rightarrow n^3 + 4n^2$ $g(n) \Rightarrow n^2$

1.e J(n) 2.e *g(n) n3+4n2 = s(n2)

(M) Big Theta(O)

when f(n)=0(g(n)), gives the tight upperbound a lower bound both i.e f(n) = 0g(n)

in eig(ni) = j(n) = ezg(nz)

Herman

too all n=max (nin21 and some constant Ci>0 & C2>0 Eg: - 3n+2=0(n) as 3n+2 = 3n (iv) Small on(0) when J(n)= 0g(n) gives the upper bound. ie j(n)=0g(n) yn) < cg(n) + n>no & n>0 $Ex - J(n) = n^2 ; g(n) = n^3$ J(n) < '9(n) n2 = o(n3) (a) participal indirection in a land V) Small Omega(w):-It gives the lower bound; ie J(n)=wg(n) where g(n) is lower bound of J(n) y J(n)> (g(n) + n>no and some cound c>0. Ques 2) What Should be the time But 3) T(n)= | 3T(n-1) by n>0, Complexity of 1 secureAto jorlant i=1 do n) T(n) = 3T(n-1) - 1T(n)=1
Put n=n-1 un(1) i=i*2 - 0(1) across and a company T(n-1)=3T(n-2) -(2) Jox 1=1,2,4,8,16-- notines Put @ in (1) So, a=1, n=2/1=2 648 T(n) = 3x3T(n-2)KUT Value Of CHP; T(n) = gT(n-2) - 3 dK = axx-1 Put n=n-2 un - (1 JK=1(2)K-1 T(n-2) = 3T(n-3)an=ak Put in 3 log2(2n) = Klog 2 log_2 +log_n =K T(n) = 27T (n-3) -(4) $T(K) = 3^{k}T(\eta - K) - (5)$ lagn+1=K too kth team let n-k=1 T(n)=0(logn)

$$K = n-1$$
Put in (5)
$$T(n) = 3^{n-1} T(1)$$

$$= 3^{n-1}$$

$$T(n) = 0(3^n)$$

$$Cus_{4} T(n) = \sqrt{2}(n-1)-1 \quad \text{if } n > 0,$$

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$$Cus_{4} T(n-1) = \sqrt{2}(n-1)-1 \quad \text{if } n = \sqrt{2}(n-1)-1 \quad \text{if } n = \sqrt{2}(n-2)-1 \quad \text{if } n = \sqrt{2}(n-3)-1$$

$$Cus_{4} T(n-2) = \sqrt{2}(n-3)-1$$

$$Cus_{4} T(n-2) = \sqrt{2}(n-3)-1$$

$$Cus_{4} T(n) = \sqrt$$

T(n) = 0(1).

who was short

Ques-5) what Should be time Complexity of unt i=1, S=1; while (SK=n) } 1++; S=S+11/ Pound ("#"); i=123456 Sum of S= 1+3+6+10+ -- Tn++In -(2) 0=1+2+3+4+--- n-tn (1) 1 (1 m) 18 (m)) TK = 1+2+3+4+ --- +K TK = TK(K+1) jox K iderations 1+2+3+ - - - K < h K (KHI) Kn $\frac{K^2+K}{2} \leq n$ (K=0(JA) (4) Me 1 Me (4) $O(K^2) \leq n$ T(n)=0(5n) Ques-6) Time Complaxity of Void glant n) d inti, count=0; Jos (unt i=1; i <=n; i++) =1+2+3+4+ -- - Th $T(n) = \sqrt{n} \cdot (\sqrt{n} + 1)$ $T(n) = n + \sqrt{n}$ T(n) = o(n)

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Ques 7) Time Complexity of
            Void functionfint 1)4
             int i, i, K, Count-0;
              jos(i=n/2;i<=n;i++)
              jos(j=1;j<=n;j=j*2)
              JOS(K=1; KZ=n; K=K*2)
               Count ++
                                            philopopolis agest to and
          Since Jos K=K2/M
                K=1,2,4,8 ---n
                a=1, 8=2,1
                 a(87-1) _ 1(2K=1) | 11 | 11
               n+1=2K
                (19) log2(17) = K
                 logn log(n) * log(n)
                    logn log(n)log(n)
logn log(n)
                    logn
                Josh Jogh) Jogh)
                T.C= O(n* logn *logn)
                   = O(nlog2(n)) - Any interest of all the state of the
Dieu-8) Time Correlaxity of
                               sal:- jos (i=1 to n)
      Void function (int n)
                                     we get in dima every Just
      4 my (n==1) setum;
                                      · 3*1=n2
        jos (i=1 .ton)
                                 Kth:
          Jox (j=1 ton)
                                    T(n)=n^2+T(n-3)
            Pointy ("*");
                                    T(n-3) = (n-3)^2 + T(n-6)
                                   T(n-6)=(n-6)+ T(n-9)
                                   B T(1)=1
        Junton (n-3);
                               Now Substitute each Value un T(n)
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p.

Harlingt

 $T(n) = n^2 + (n-3)^2 + (n-6)^2 + - - +1$

Kn-3K=4

$$K = (n-1)/3$$
 datal dueting = K+1
 $T(n) = n^2 + (n-3)^2 + (n-6)^2 + - - +1$
 $T(n) = Kn^2$
 $T(n) = (K-1)/3*n^2$
 $T(n) = o(n^3)$ Any,

Our 9) time complexity :.

$$\int 00 \, d=1 \, j = 1+2+ --- n \ge j+1$$

$$d=2 \, j=1+3+5+ -- n \ge j+1$$

$$d=3 \, j=1+4+7+ --\cdot n \ge j+4$$

$$n^{th}$$
 term of AP is
 $T(n) = a + a(n-1)$
 $T(n) = 1 + (n-1)d$
 $(n-1)(d) = n$

T(n)=
$$\frac{1}{4}$$
, $\frac{1}{3}$, $\frac{1}{4}$, $\frac{1}{2}$, $\frac{1$

Du-10)

Sol: As given nk sch

Relationship b/w nk s ch is $n^{k} = O(ch)$

n' \(a(cn)

V nono & constant, a>0

Jos no=1; e=2

 $1^{k} < a^{2}$

no=1 8 C=2 Am.

Herhant