

Bayesian Computing

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Branch - Computer Engineering

Experiment no. 8

Ain & To implement a program for learning about a normal population from grouped data, using height and data from student's dataset.

Theory =

Markon chain Monte Carlo (MCMC) Technique & Markon chain Monte (axlo (MCMC) dexuet as a finatal technique in

Bayesian computing, offering a systematic approach to sample from intricate probability distribution. At its excerciose,

a Markou chair, where each subsequent sample depends on

current state, allowing for a controlled exploration of parameter spales. This iterative process promes invaluable in Raylesian

analysis , particularly when dealing with high-dimensional complex posterior distributions

Metropolis Random walk Algorithmi :

The metropolis Random walk algorithm is a cornerstone in Bayesian computing, specifically within the realm of markon chain monte

Caxlo (Me Me) methods. It addressess the challenge of from complex and high-dimensional probability distributions,

Common sunario in Bayesian statistical inference

Initialization - commence the algorithm by providing on initial estimate

for the parameters, denoted

proposal distribution & Define a proposal distribution of (0'/0) that suggests

a new parameter realise D'given the to survent value.

Generate a Proposed state & Draw a sample from the proposed distribution to get a proposed state o

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Batch: C2-1

Subject: Bayesian Computing Laboratory Semester: VII

Experiment No. 8

Aim:

Implement a program for learning about a normal population from grouped data, using height and frequency data from student's dataset.

Code:

Import libraries:

Library(LearnBayes)

Observe normally distributed data in grouped form. Consider the posterior of $(\mu, \log(\sigma))$:

```
d <- list(int.lo=c(-Inf, seq(66, 74, by=2)),
int.hi=c(seq(66, 74, by=2), Inf),
f=c(14, 30, 49, 70, 33, 15))

y <- c(rep(65,14), rep(67,30), rep(69,49),
rep(71,70), rep(73,33), rep(75,15)) mean(y)

log(sd(y))
```

Obtain normal approximation to posterior:

```
start <- c(70, 1) fit <-
laplace(groupeddatapost, start, d)
fit
```



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Use Metropolis (random walk) MCMC algorithm:

```
modal.sds <- sqrt(diag(fit$var))
proposal <- list(var=fit$var, scale=2)</pre>
fit2 <- rwmetrop(groupeddatapost,
           proposal,
start,
           10000, d)
fit2$accept
post.means <- apply(fit2$par, 2, mean)
post.sds <- apply(fit2$par, 2, sd)</pre>
cbind(c(fit$mode), modal.sds)
cbind(post.means, post.sds)
mycontour(groupeddatapost,
      c(69, 71, .6, 1.3), d,
xlab="mu",ylab="log sigma")
points(fit2$par[5001:10000, 1],
fit2$par[5001:10000, 2])
```

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Output:

Observe normally distributed data in grouped form. Consider the posterior of μ , $\log(\sigma)$:

[1] 70.16588

[1] 0.9504117

Obtain normal approximation to posterior:

```
$mode

[1] 70.169880 0.973644

$var

[,1] [,2]

[1,] 3.534713e-02 3.520776e-05

[2,] 3.520776e-05 3.146470e-03

$int

[1] -350.6305

$converge

[1] TRUE
```

Use Metropolis (random walk) MCMC algorithm:

[1] 0.293

		modal.sds 0.18800834 0.05609341
[1,]	70.169880	0.18800834
[2,]	0.973644	0.05609341

post.means post.sds [1,] 70.1737319 0.19051458 [2,] 0.9815361 0.05686768

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