MEDIUM

Distance of the nearest cell having 1 | 0/1 matrix

Intuition

Given is grid :

1 0 1
1 1 0
1 0 0

1 - 0 distance as its nearest to itself
0 - nearest 1 is at [row difference + column difference]

Nearest 1 is

0 1 0
0 0 1
0 1 2 [row difference + column difference]

Eg.

0 0 0
0 1 0
1 0 1

Outputs :

2 1 2
1 0 1
0 1 0

Approach to solve :

BFS will be applied here because we have to go level wise traversal because first we want to cover the adjacent sides and then perform the minimum updation possible

  0 1 2
0 0 0 0

1 0 1 0

2 1 0 1

Consider the above to be the given matrix

First we will create a visited array having all initially 0 and a result matrix

Original Array [**1** are the initial sources]

Queue = [[[1,1],0],[[2,1],0],[[2,2],0]] //initial configuration

[[2,1],0],[[2,2],0],[[0,1],1],.....] continue for all four directions1

// While inserting [1,0],2 will be inserted

0	0	0
0	**1**	0
1	0	**1**

Visited

0	0	0
0	1	0
1	0	1

Result

2	1	2
1	0	1
0	1	0

We will perform the multisource BFS here on the points that are already 1

Algorithm :

- Declare :
  - Empty result vector of size n*m

    - Visited array having all elements initially 0 of size n*m
    - Empty queue containing <<indexRow, indexCol>,distance>
- Traverse the array and insert the row, col and distance=0 in queue at all places where the grid contains 1
- Traverse until the queue becomes empty :
    - Compute the values of :
        - Row
        - Column
        - Distance from original node
        - Update result as result[row][col] = steps
        - Pop the node from the queue
        - Traverse the adjacent nodes [up, down, left, right] :
            - If not visited then : visit it and add to queue with distance = steps+1
- Return result

Function Code :

```
//Function to find distance of nearest 1 in the grid for each cell.
      vector<vector<int>>nearest(vector<vector<int>>grid)
      {
          // creating variables containing the dimensions of the grid
          int n = grid.size();
          int m = grid[0].size();
          //Declaring a visited array having 0 of size n*m
          //Creating a resultant array having dimensions of n*m
         vector<vector<int>> visited(n, vector<int>(m, 0));
          vector<vector<int>> result(n,vector<int> (m,0));

          //Declaring a queue that will contain the coordinates of the
point and distance
          queue<pair<pair<int,int>,int>> q;


          // traversing to check where one is present
          for(int i=0;i<n;i++)
          {
              for(int j=0;j<m;j++)
              {
                  if(grid[i][j]==1)
                  {
                      //inserting all the elements that have 1 into the
```

```
queue with 0 distance
                    q.push({{i,j},0});
                    //marking the elements as visited
                    visited[i][j]=1;

                }
                else
                {
                    // its unvisited
                    visited[i][j]=0;
                }
            }
        }

        // traversing until the given queue is not empty
        while(!q.empty())
        {
            // Extracting the row index
            int row = q.front().first.first;
            // Extracting the col index
            int col = q.front().first.second;
            // Extracting the distance from the nearest 1
            int steps = q.front().second;
            // popping the element out of the queue
            q.pop();
            // Inserting into the result vector
            result[row][col] = steps;

            //traversing in the 4 directions
            int delRow[] = {-1,0,1,0};
            int delCol[] = {0,1,0,-1};

            for(int i=0;i<4;i++)
            {
               int nrow = row+delRow[i];
               int ncol = col+delCol[i];
               //checking for validity
               if(nrow<n && nrow>=0 && ncol<m && ncol>=0)
               {
                   //checking if the elements are visited or not
                   if(!visited[nrow][ncol])
                   {
                       visited[nrow][ncol] = 1;
```

```
                    q.push({{nrow,ncol},steps+1});
                }
            }


        }

    }
    return result;
```

Time Complexity

O(n*m)