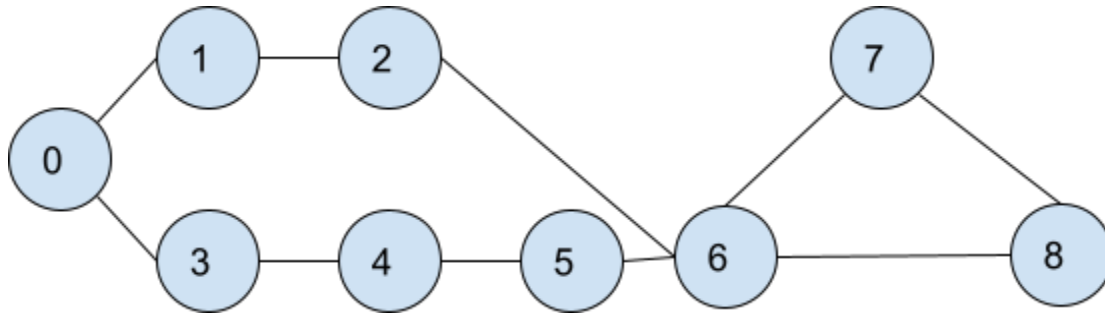


## MEDIUM

### Shortest path in Undirected Graph having unit distance

#### Intuition



Adjacency List :

0 - 1, 3  
1 - 0, 2, 3  
2 - 1, 6  
3 - 0, 4  
4 - 3, 5  
5 - 4, 6  
6 - 2, 5, 7, 8  
7 - 6, 8  
8 - 6, 7

Let source is 0

Possible minimum distance to 2 is 2

This can be solved using plain BFS algorithm

We will be storing pair in the queue data structure

Queue = [0,0] // initially only add source and distance to source as 0

Distance = for 8 nodes fill all of them with infinity and assign the source 0

Eg. q = [0,0] [1,1], [3,1].....

0	1	2	3	4	5	6	7	8
0	1	inf	inf	inf	inf	inf	inf	inf

Node 0. Distance 0 : node1 [ distance 1 ] and node3 [ distance3 ].....

In order to reach 3 and 1 from 0 we have consumed distance 1

We will continue traversal now and update the distance matrix

Q = [3,1],[2,2].....

After the application of algorithm the distance vector will look like

Distance :

0	1	2	3	4	5	6	7	8
0	1	2	1	2	3	3	4	4

Now distance = 0    1    2    1    2    3    3    4    4

Now we can return this distance vector

### Approach

- Create an adjacency list
- Create a distance vector of size n and initialize all elements with infinite distance
- Initialize distance of the source as 0
- Create an empty queue
- Insert the source to the queue
- Traverse until the queue becomes empty :
  - Extract the first node from the queue
  - Pop the first node from the queue
  - Traverse for all of the adjacent elements :
    - Check if distance from node + 1 is smaller than the current distance to node :
    - Update distance with distance from node + 1
- Convert all the unreachable elements to have distance -1
- Return distance vector

### Function Code

```
vector<int> shortestPath(vector<vector<int>>& edges, int n,int m, int src){
    // creating an adjacency list
    vector<int> adj[n];
    for(int i=0;i<m;i++)
    {
        adj[edges[i][0]].push_back(edges[i][1]);
        adj[edges[i][1]].push_back(edges[i][0]);
    }
}
```

```

    }

    // creating a distance vector
    vector<int> distance(n,1e9);
    // marking the distance of the source as 0
    distance[src] = 0;
    // creating an empty queue
    queue<int> q;
    // inserting the source into the queue
    q.push(src);
    // traversing until the queue becomes empty
    while(!q.empty())
    {
        // extracting the first element of the queue
        int node = q.front();
        // popping the first element of the queue
        q.pop();
        // traversing for all of the adjacent elements
        for(auto it:adj[node])
        {
            // checking if the distance of the node to the particular
            adjacent element is smaller
            if(distance[node]+1<distance[it])
            {
                // updating the distance
                distance[it] = distance[node]+1;
                q.push(it);
            }
        }
    }
    // changing the distances unreachable to -1
    for(int i=0;i<n;i++)
    {
        if(distance[i]==1e9)distance[i]=-1;
    }
    // returning the distance vector
    return distance;
}

```

### Time Complexity

$O(V+2 \cdot E)$