

DAY : 03

Detect Cycle in a Directed Graph :

Problem Link :

https://practice.geeksforgeeks.org/problems/detect-cycle-in-a-directed-graph/1?utm_source=geeksforgeeks&utm_medium=ml_article_practice_tab&utm_campaign=article_practice_tab

Test Cases Passed : 410 / 410

Time Used : 04.39

Difficulty Level : **MEDIUM**

Approach Used :

- Declare vector for counting indegree initialized with indegree of all elements
- Create an empty queue
- Insert all elements having 0 indegree to the queue
- Create a counter variable to count the topological sort elements
- Traverse until the queue becomes empty :
 - Extract the first element of the queue
 - Pop the first element of the queue
 - Increment the counter
 - Traverse for adjacent elements :
 - Decrease the indegree of elements by 1
 - Check if the indegree of any adjacent element becomes 0 :
 - If indegree becomes 0 push it to the queue
- If the counter is equal to number of nodes then there is no cycle : return false
- Return true // there is a cycle

Solution :

```
// Function to detect cycle in a directed graph.
bool isCyclic(int n, vector<int> adj[]) {
    // Declare a indegree vector
    vector<int> indegree(n,0);
```

```

// initializing indegree
for(int i=0;i<n;i++)
{
    for(auto it : adj[i])
    {
        indegree[it]++;
    }
}

// creating an empty queue

queue<int> q;

// creating a counter variable

int counter = 0;

// initializing the queue

for(int i =0;i<n;i++)
{
    if(indegree[i]==0)
    {
        q.push(i);
    }
}

// traversing while the queue becomes empty

while(!q.empty())
{
    int node = q.front();
    q.pop();
    counter++;

    // traversing through the adjacent elements
    for(int i:adj[node])
    {
        indegree[i]-=1;
        if(indegree[i]==0)
        {
            q.push(i);
        }
    }
}

```

```
    }  
  }  
  if(counter==n)return false;  
  return true;  
}
```