



FINAL PROJECT

ISE-535



- › Understand the key drivers of nightly pricing for Airbnb listings.
- › Identify natural groupings (clusters) of listings that align with consumer market segments (e.g., budget, family, luxury).
- › Deliver actionable insights that could be used by hosts, platform operators, or consumers.



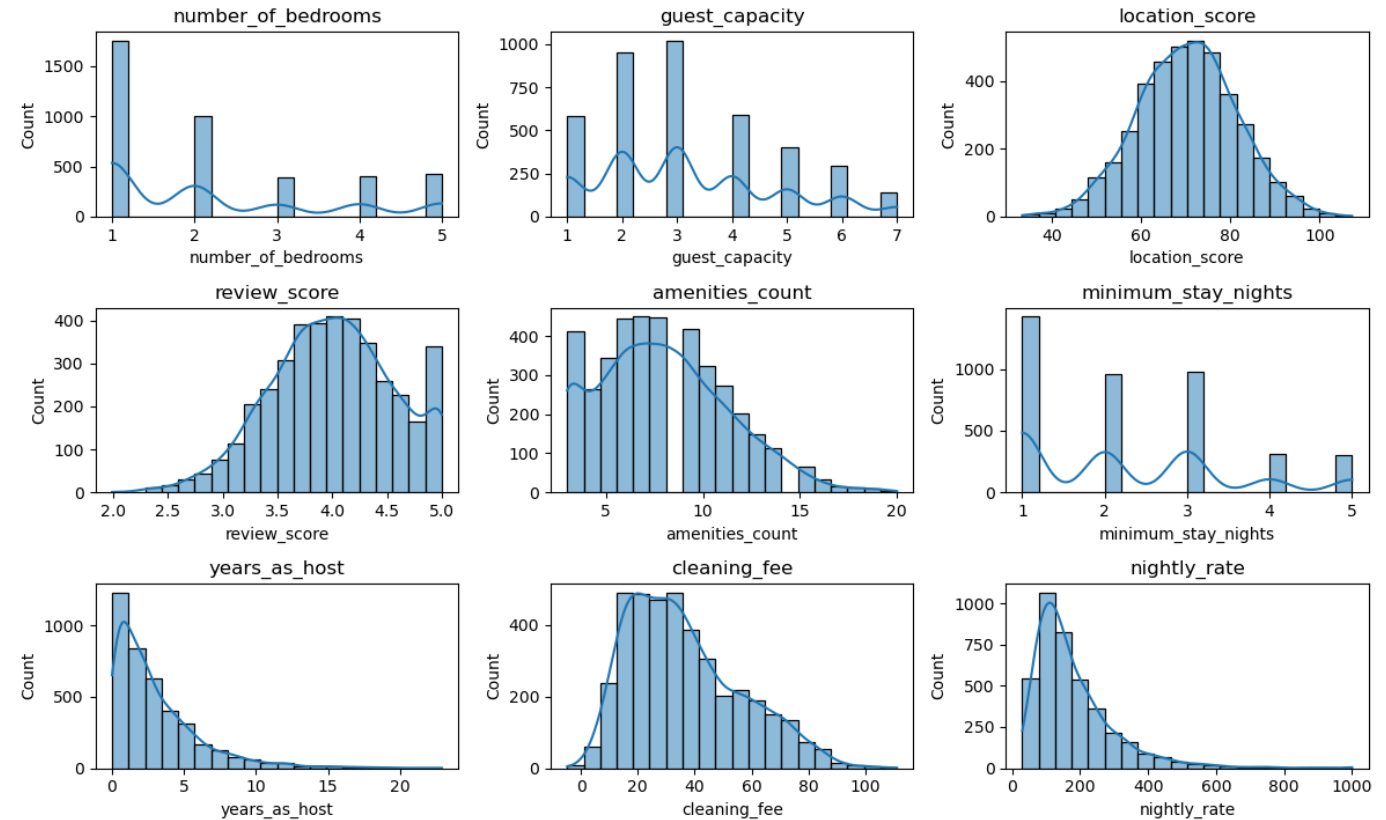
- › 1. Data structure
 - » Contains 3982 rows and 14 columns
 - » Mixed types: numerical (e.g., number_of_bedrooms, nightly_rate) and categorical (e.g., property_type, season)
- › 2. Missing values
 - » No missing values



VISUALIZATION FOR NUMERIC VARIABLES

- › The target `nightly_rate` is right-skewed and has lots of outliers, suggesting the need for log transformation.
- › The location score displays a normal distribution, which is suitable for direct use.

Histograms for numeric variables

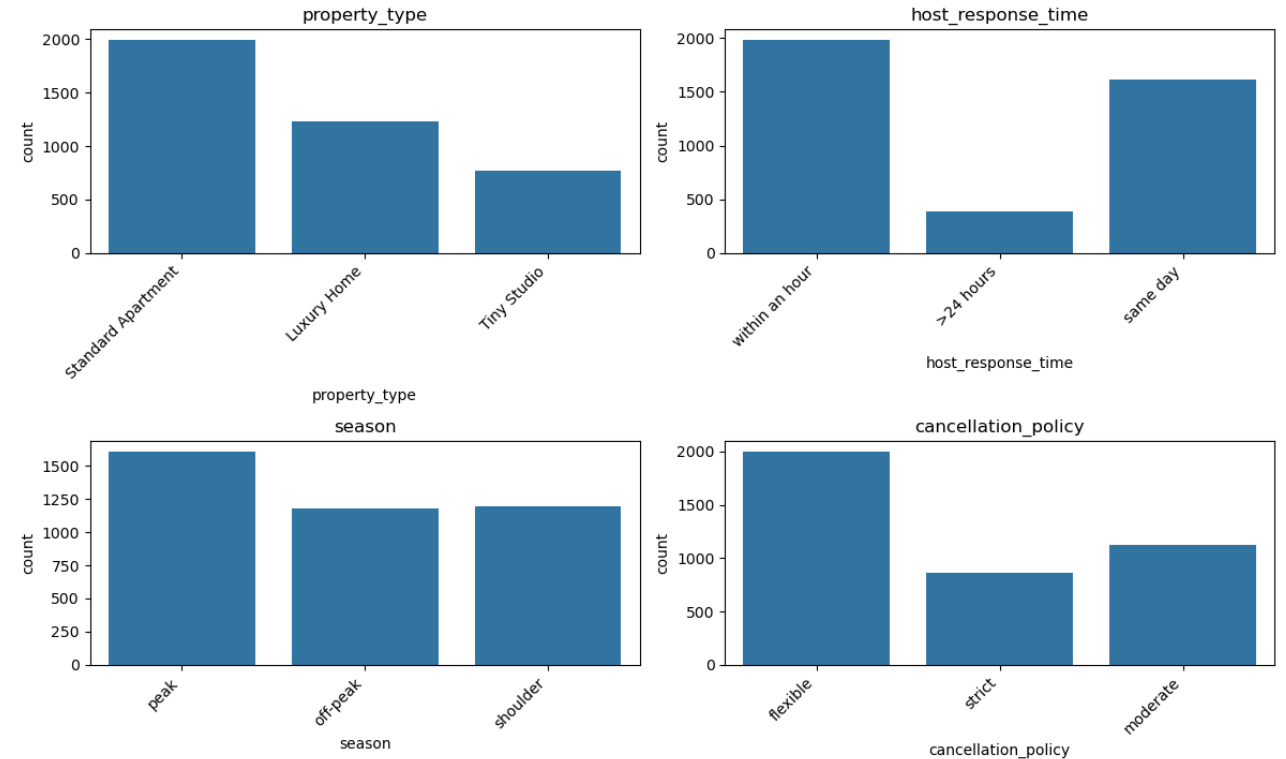




VISUALIZATION OF CATEGORICAL VARIABLES

- › Most listings in `property_type` are Standard Apartments, followed by Luxury Homes and Tiny Studios.
- › Distribution in `season` is relatively balanced, though peak season has the highest count.

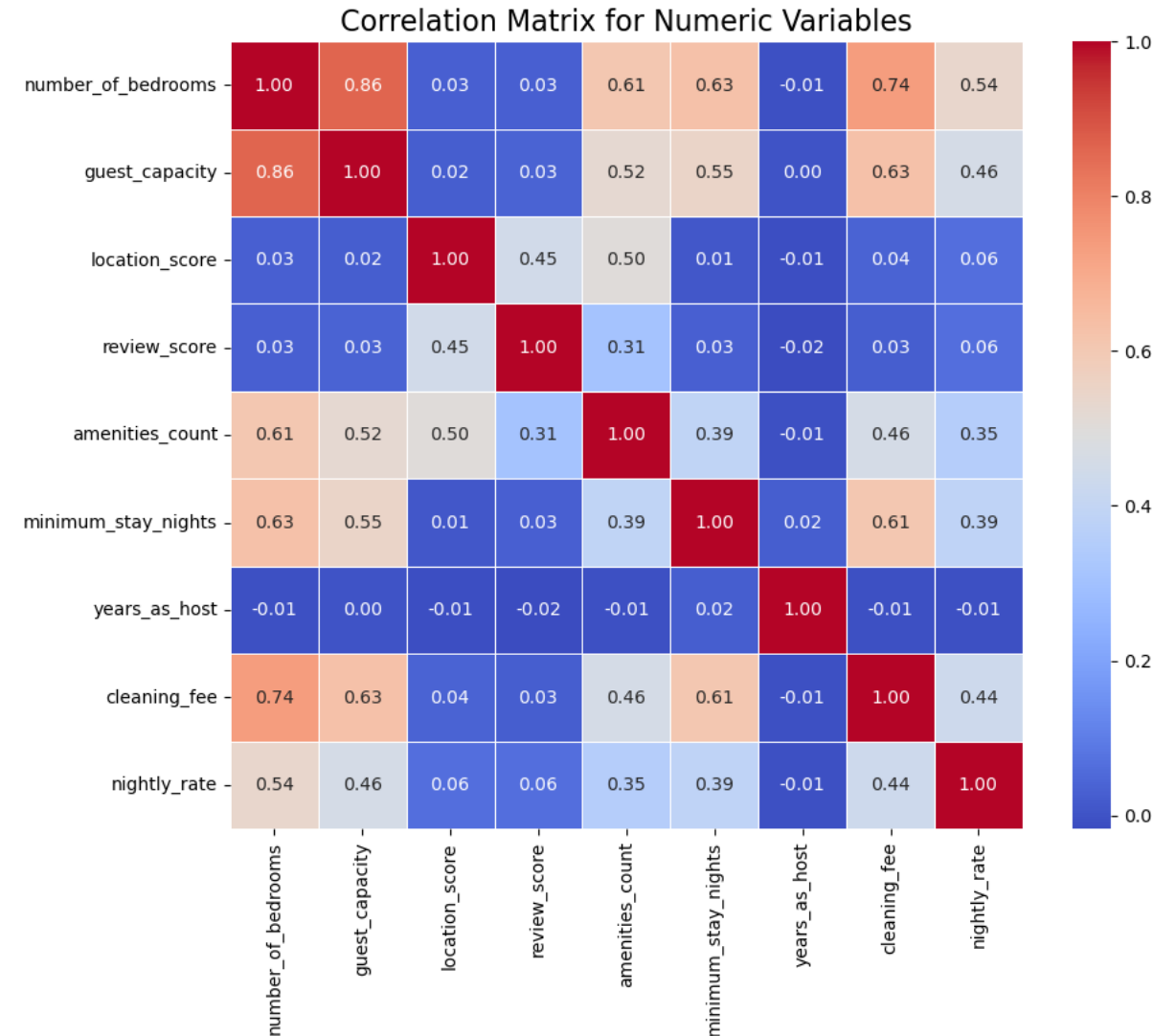
Bar Charts for categorical variables





VISUALIZATION OF CORRELATION MATRIX

- › Number_of_bedrooms is highly correlated to several features (e.g., guest_capacity, cleaning_fee), suggesting potential multicollinearity.
- › Location_score and review_score show little linear correlation with nightly_rate, indicating that nonlinear relationship may exist.





- › The P-value is 0, so we can reject the H_0 hypothesis, which means there is a statistically significant difference between different property type.
- › Practically, the mean nightly rate for Luxury Home(\$277) is almost double than that of Standard Apartment(\$144), suggesting that property classification is an important pricing factor for hosts and guests.

3.1 Compare `nightly_rate` between different `property_types`

H_0 : All property types have the same average nightly rate.

H_1 : At least one property type has a different average nightly rate.

```
from scipy.stats import f_oneway

df_h1=airbnb_df[['property_type', 'nightly_rate']].dropna()
print(df_h1.groupby('property_type')['nightly_rate'].mean().sort_values())
grouped_data = [group['nightly_rate'].values for name, group in df_h1.groupby('property_type')]
f_stat, p_val = f_oneway(*grouped_data)
print(f"\nF-statistic: {f_stat:.4f}, P-value: {p_val:.4f}")
```

✓ 0.0s

```
property_type
Tiny Studio      118.088750
Standard Apartment  144.535543
Luxury Home      277.287439
Name: nightly_rate, dtype: float64
```

F-statistic: 822.6232, P-value: 0.0000



- › The p-value is 0.3966, which is greater than 0.05, so we fail to reject the H_0 hypothesis. This means there is no statistically significant difference in nightly rates among listings with different host response times.
- › Practically, the average nightly rate only ranges from \$176.88 (for >24 hours) to \$182.91 (for within an hour), a difference of less than \$7. This small variation is likely not meaningful from a business perspective, suggesting that host response time may not be a key factor influencing price.

3.2 Compare `nightly_rate` between different `host_response_time`

H_0 : All `host_response_time` have the same average nightly rate.

H_1 : At least one `host_response_time` has a different average nightly rate.

```
df_h2=airbnb_df[['host_response_time','nightly_rate']].dropna()
print(df_h2.groupby('host_response_time')['nightly_rate'].mean().sort_values())
grouped_data=[group['nightly_rate'].values for name, group in df_h2.groupby('host_response_time')]
f_stat, p_val=f_oneway(*grouped_data)
print(f"\nF-statistic: {f_stat:.4f}, P-value: {p_val:.4f}")
```

✓ 0.0s

```
host_response_time
>24 hours      176.880615
same day       177.937688
within an hour  182.913739
Name: nightly_rate, dtype: float64

F-statistic: 0.9249, P-value: 0.3966
```




- › The p-value is 0.0024, which is less than 0.05, so we can reject the H_0 hypothesis. There is a statistically significant difference in nightly rates between high and low location score groups.
- › Practically, the average difference is \$12, suggesting that location score may not be a key factor influencing price.

3.3 Compare nightly_rate between two groups based on location_score.

H_0 : There is no difference in average nightly rates between high and low location score listings.

H_1 : There is a difference in average nightly rates between high and low location score listings.

```
from scipy.stats import ttest_ind

airbnb_df['location_group'] = airbnb_df['location_score'] > airbnb_df['location_score'].median()

df_h3=airbnb_df[['location_group', 'nightly_rate']].dropna()
high_loc=df_h3[df_h3['location_group']==True]['nightly_rate']
low_loc=df_h3[df_h3['location_group']==False]['nightly_rate']

print("Mean nightly_rate (high location):", high_loc.mean())
print("Mean nightly_rate (low location):", low_loc.mean())

t_stat, p_val = ttest_ind(high_loc, low_loc, equal_var=False)
print(f"\nT-statistic: {t_stat:.4f}, P-value: {p_val:.4f}")
```

✓ 0.0s

Mean nightly_rate (high location): 186.12470351758793

Mean nightly_rate (low location): 174.49551204819278

T-statistic: 3.0357, P-value: 0.0024



- › The P-value is 0, so we can reject the H_0 hypothesis, which means there is a statistically significant difference between different seasons.
- › Practically, the mean nightly rate for peak(\$277) is much higher than that of off-peak(\$143), suggesting that season is an important pricing factor.

3.4 Compare `nightly_rate` between different `season`

H_0 : All seasons have the same average nightly rate.

H_1 : At least one season has a different average nightly rate.

```
df_h4=airbnb_df[['season', 'nightly_rate']].dropna()
print(df_h4.groupby('season')['nightly_rate'].mean().sort_values())
grouped_data=[group['nightly_rate'].values for name, group in df_h4.groupby('season')]
f_stat, p_val=f_oneway(*grouped_data)
print(f"\nF-statistic: {f_stat:.4f}, P-value: {p_val:.4f}")
```

✓ 0.0s

```
season
off-peak    143.157441
shoulder    173.695573
peak        212.502321
Name: nightly_rate, dtype: float64
```

```
F-statistic: 121.2035, P-value: 0.0000
```



- › The P-value is 0, so we can reject the H_0 hypothesis, which means there is a statistically significant difference between different seasons.
- › Practically, the mean nightly rate increased from \$129 for one-bedroom group to \$305 for 5-bedroom group, suggesting that number of bedroom is an important pricing factor.

3.5 Compare **nightly_rate** between different **number_of_bedrooms**

H_0 : All number of bedrooms have the same average nightly rate.

H_1 : At least one group has a different average nightly rate.

```
df_h5=airbnb_df[['number_of_bedrooms', 'nightly_rate']].dropna()
print(df_h5.groupby('number_of_bedrooms')['nightly_rate'].mean().sort_values())
grouped_data = [group['nightly_rate'].values for name, group in df_h5.groupby('number_of_bedrooms')]
f_stat, p_val = f_oneway(*grouped_data)
print(f"\nF-statistic: {f_stat:.4f}, P-value: {p_val:.4f}")

36] ✓ 0.0s

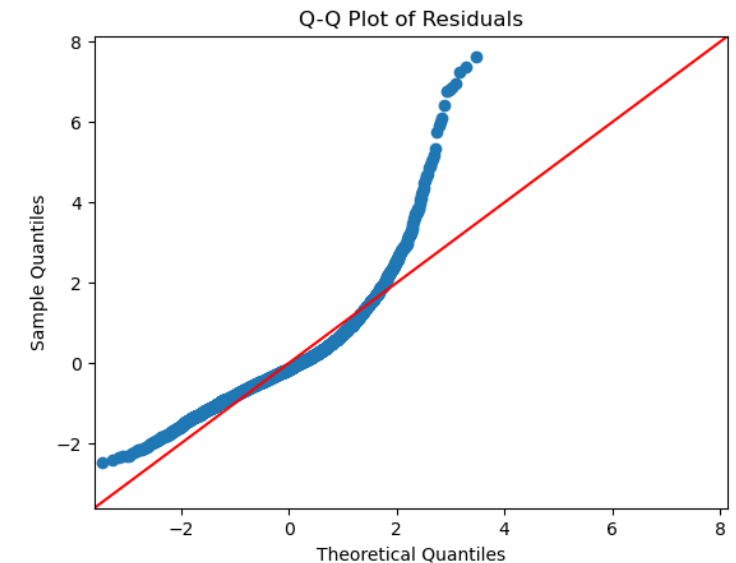
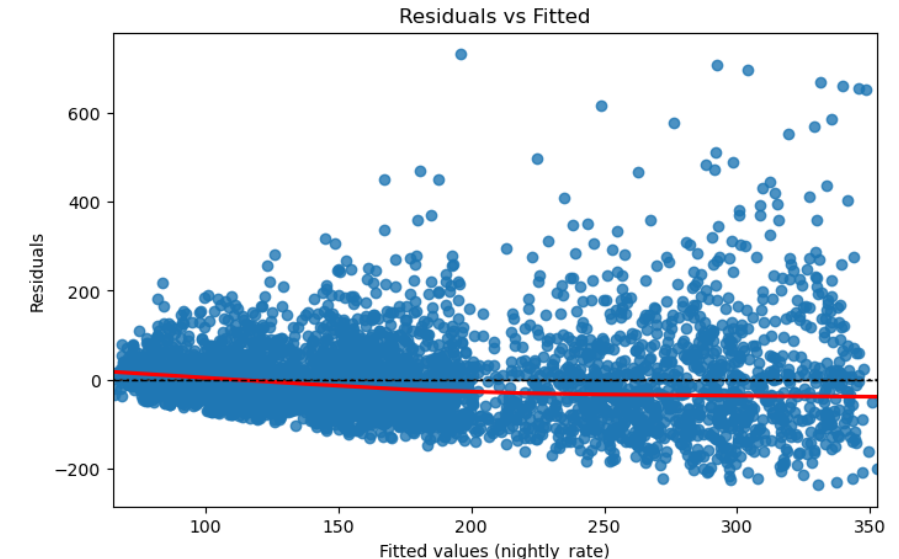
.. number_of_bedrooms
1    129.085428
2    151.310359
3    249.738252
4    274.192118
5    305.067796
Name: nightly_rate, dtype: float64

F-statistic: 430.4302, P-value: 0.0000
```

- | OLS Regression Results | | | | | | |
|---|------------------|---------------------|-----------|--------|-------|------------------|
| ===== | | | | | | |
| Dep. Variable: | nightly_rate | R-squared: | 0.371 | | | |
| Model: | OLS | Adj. R-squared: | 0.368 | | | |
| Method: | Least Squares | F-statistic: | 137.3 | | | |
| Date: | Sat, 10 May 2025 | Prob (F-statistic): | 0.00 | | | |
| Time: | 16:33:45 | Log-Likelihood: | -23825. | | | |
| No. Observations: | 3982 | AIC: | 4.769e+04 | | | |
| Df Residuals: | 3964 | BIC: | 4.780e+04 | | | |
| Df Model: | 17 | | | | | |
| Covariance Type: | nonrobust | | | | | |
| ===== | | | | | | |
| | | coef | std err | t | P> t | [0.025 0.975] |
| ----- | | | | | | |
| const | | 103.3828 | 23.500 | 4.399 | 0.000 | 57.310 149.456 |
| number_of_bedrooms | | 22.4123 | 3.425 | 6.544 | 0.000 | 15.697 29.127 |
| guest_capacity | | -0.8843 | 1.872 | -0.472 | 0.637 | -4.554 2.786 |
| location_score | | 0.3200 | 0.256 | 1.252 | 0.211 | -0.181 0.821 |
| review_score | | 4.4313 | 3.077 | 1.440 | 0.150 | -1.601 10.464 |
| amenities_count | | 0.2264 | 0.729 | 0.310 | 0.756 | -1.204 1.656 |
| minimum_stay_nights | | 2.0573 | 1.797 | 1.145 | 0.252 | -1.467 5.581 |
| years_as_host | | -0.0139 | 0.513 | -0.027 | 0.978 | -1.019 0.991 |
| cleaning_fee | | -0.0693 | 0.138 | -0.501 | 0.617 | -0.341 0.202 |
| location_group | | 2.9849 | 5.075 | 0.588 | 0.556 | -6.965 12.935 |
| property_type_Standard Apartment | | -77.3458 | 9.035 | -8.561 | 0.000 | -95.059 -59.633 |
| property_type_Tiny Studio | | -92.0623 | 11.985 | -7.681 | 0.000 | -115.560 -68.565 |
| host_response_time_same day | | 2.8512 | 5.445 | 0.524 | 0.601 | -7.824 13.527 |
| host_response_time_within an hour | | 6.1827 | 5.343 | 1.157 | 0.247 | -4.294 16.659 |
| season_peak | | 72.2113 | 3.697 | 19.532 | 0.000 | 64.963 79.460 |
| season_shoulder | | 29.6601 | 3.954 | 7.502 | 0.000 | 21.909 37.412 |
| cancellation_policy_moderate | | -3.4985 | 3.594 | -0.974 | 0.330 | -10.544 3.547 |
| cancellation_policy_strict | | 0.8349 | 3.925 | 0.213 | 0.832 | -6.860 8.530 |
| ===== | | | | | | |
| Omnibus: | 1754.776 | Durbin-Watson: | 1.954 | | | |
| Prob(Omnibus): | 0.000 | Jarque-Bera (JB): | 13779.283 | | | |
| Skew: | 1.920 | Prob(JB): | 0.00 | | | |
| Kurtosis: | 11.265 | Cond. No. | 1.38e+03 | | | |
| ===== | | | | | | |
| Notes: | | | | | | |
| [1] Standard Errors assume that the covariance matrix of the errors is correctly specified. | | | | | | |
| [2] The condition number is large, 1.38e+03. This might indicate that there are strong multicollinearity or other numerical problems. | | | | | | |



- › Residual vs Fitted plot
 - » Displayed a funnel shape, indicating heteroscedasticity problem
 - » A log transformation of nightly_rate is needed.
- › Q-Q plot
 - » This nonlinear curve suggests non-normal residuals, which can affect inference accuracy.





- › Converted all categorical variables to one-hot encoded binary variables.
- › Applied log transformation on `nightly_rate`.
- › Removed the factors that show no statistical significance.
- › Compared to the original model, R square increased, which explains the variations better. The skewness and kurtosis are within normal range, suggesting normality.

OLS Regression Results						
=====						
Dep. Variable:	nightly_rate	R-squared:	0.403			
Model:	OLS	Adj. R-squared:	0.402			
Method:	Least Squares	F-statistic:	446.7			
Date:	Sat, 10 May 2025	Prob (F-statistic):	0.00			
Time:	20:39:06	Log-Likelihood:	-2596.8			
No. Observations:	3982	AIC:	5208.			
Df Residuals:	3975	BIC:	5252.			
Df Model:	6					
Covariance Type:	nonrobust					
=====						
		coef	std err	t	P> t	[0.025 0.975]

const		4.6596	0.072	64.888	0.000	4.519 4.800
number_of_bedrooms		0.0939	0.013	7.326	0.000	0.069 0.119
location_score		0.0035	0.001	5.301	0.000	0.002 0.005
property_type_Standard Apartment		-0.4162	0.037	-11.379	0.000	-0.488 -0.344
property_type_Tiny Studio		-0.5723	0.044	-12.891	0.000	-0.659 -0.485
season_peak		0.4123	0.018	23.124	0.000	0.377 0.447
season_shoulder		0.1910	0.019	10.008	0.000	0.154 0.228
=====						
Omnibus:	3.559	Durbin-Watson:	1.975			
Prob(Omnibus):	0.169	Jarque-Bera (JB):	3.496			
Skew:	-0.065	Prob(JB):	0.174			
Kurtosis:	3.064	Cond. No.	827.			
=====						
Notes:						
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.						



- › Since a log transformation is applied on the target, the way we interpret the coefficients changed.

$$\log(\text{nightly rate}) = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \dots$$

$$\text{nightly rate} = \exp(\beta_0 + \beta_1 x_1 + \beta_2 x_2 + \dots)$$

Take location score as an example. For each unit increase in location score, it will lead to an increase of $(e^{0.0035} - 1)\% \approx 0.35\%$ on `nightly_rate`.

For the property type, if the property is Standard Apartment, it will lead to a decrease of $(1 - e^{0.4162})\% \approx 51.6\%$ on the rate.

OLS Regression Results						
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=====						
			coef	std err	t	P> t
						[0.025
						0.975]

const			4.6596	0.072	64.888	0.000
						4.519
						4.800
number_of_bedrooms			0.0939	0.013	7.326	0.000
						0.069
						0.119
location_score			0.0035	0.001	5.301	0.000
						0.002
						0.005
property_type_Standard Apartment			-0.4162	0.037	-11.379	0.000
						-0.488
						-0.344
property_type_Tiny Studio			-0.5723	0.044	-12.891	0.000
						-0.659
						-0.485
season_peak			0.4123	0.018	23.124	0.000
						0.377
						0.447
season_shoulder			0.1910	0.019	10.008	0.000
						0.154
						0.228
=====						
Omnibus:	3.559	Durbin-Watson:	1.975			
Prob(Omnibus):	0.169	Jarque-Bera (JB):	3.496			
Skew:	-0.065	Prob(JB):	0.174			
Kurtosis:	3.064	Cond. No.	827.			
=====						
Notes:						
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.						



- › Const Note:
 - » I used drop_first = True when encoding categorical variables to reduce multicollinearity. Thus, coefficients for Tiny Studio and Standard Apartment are compared to Luxury Home. So do the coefficients for season. The coefficients for peak and shoulder are compared to off-peak

OLS Regression Results

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Df Residuals:	3975	BIC:	5252.
Df Model:	6		
Covariance Type:	nonrobust		

		coef	std err	t	P> t	[0.025	0.975]
const		4.6596	0.072	64.888	0.000	4.519	4.800
number_of_bedrooms		0.0939	0.013	7.326	0.000	0.069	0.119
location_score		0.0035	0.001	5.301	0.000	0.002	0.005
property_type_Standard Apartment		-0.4162	0.037	-11.379	0.000	-0.488	-0.344
property_type_Tiny Studio		-0.5723	0.044	-12.891	0.000	-0.659	-0.485
season_peak		0.4123	0.018	23.124	0.000	0.377	0.447
season_shoulder		0.1910	0.019	10.008	0.000	0.154	0.228

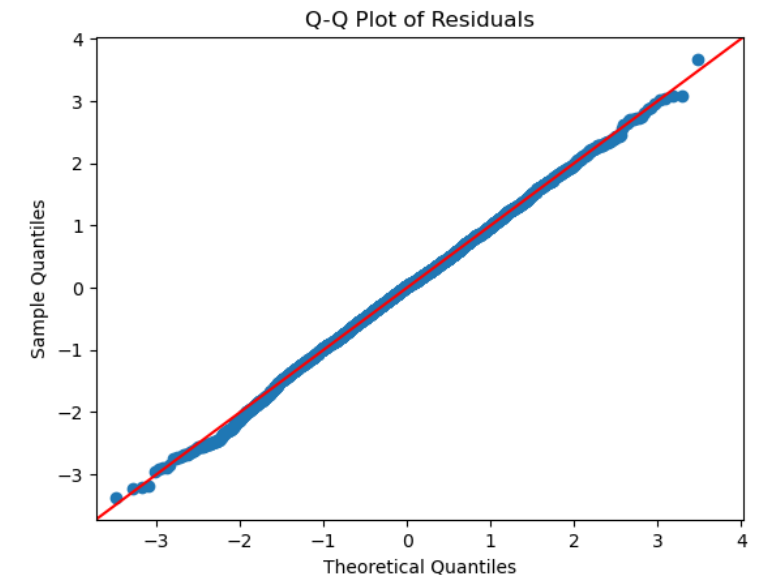
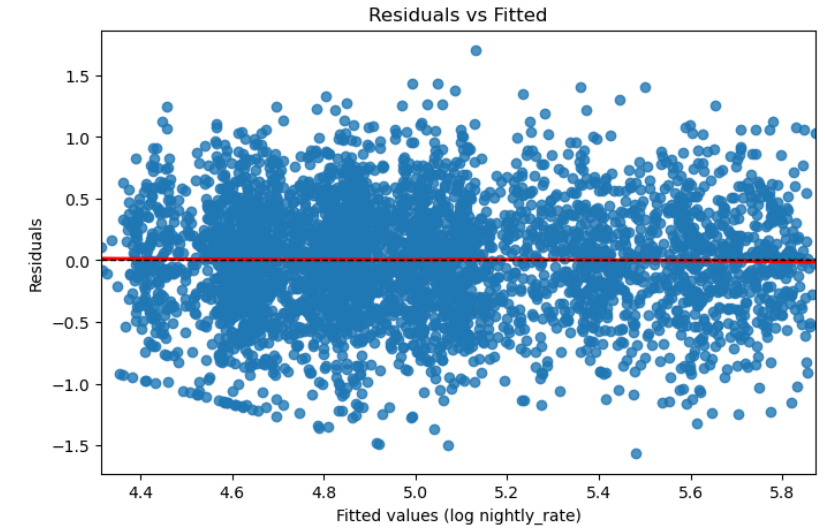
Omnibus:	3.559	Durbin-Watson:	1.975
Prob(Omnibus):	0.169	Jarque-Bera (JB):	3.496
Skew:	-0.065	Prob(JB):	0.174
Kurtosis:	3.064	Cond. No.	827.

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

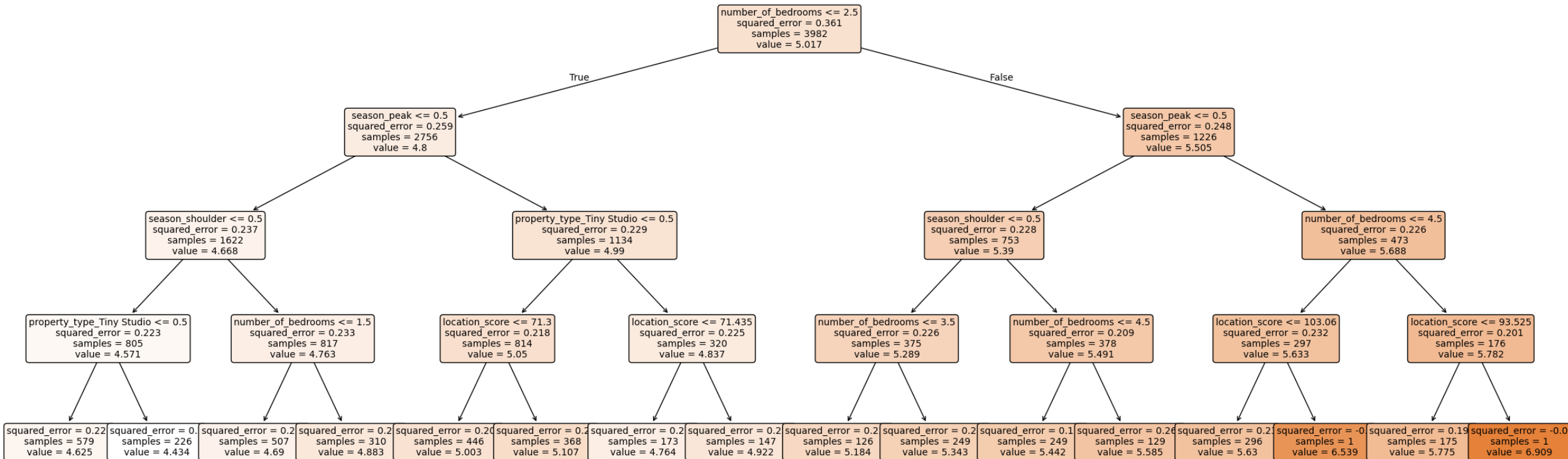


- › Residual vs Fitted plot
 - » Displayed no special patterns, suggesting good model fit
 - » Indicates reduction in heteroscedasticity, satisfying linear model assumptions more closely
- › Q-Q plot
 - » Residuals align well with the 45-degree line
 - » Confirms residuals are approximately normally distributed, improving reliability of statistical inference



TREE MODEL

VISUALIZATION OF FULL TREE





- › Goal
 - » The tree model is predicting $\log(\text{nightly_rate})$ using decision rules based on key features.
- › Root
 - » The first split is on `number_of_bedrooms`, suggesting that room size is the strongest predictor for price.
- › Sub-tree left (`bedroom ≤ 2.5`)
 - » If not in peak season, prices drop slightly further if it's shoulder season
 - » If not a Tiny Studio, nightly rate is higher
- › Sub-tree right (`bedroom ≥ 2.5`)
 - » If not peak season and not shoulder season, prices are highest
 - » Peak season and large property leads to higher price



COMPARISON BETWEEN LINEAR AND TREE MODEL

- › Using same dataset, the performance between two models are almost the same.
- › Linear Model is more interpretable and statistically robust
- › Decision Tree captures non-linear interactions and rules more naturally

Linear Regression:

R^2 : 0.37885064997462947

MAE: 0.39171134277518804

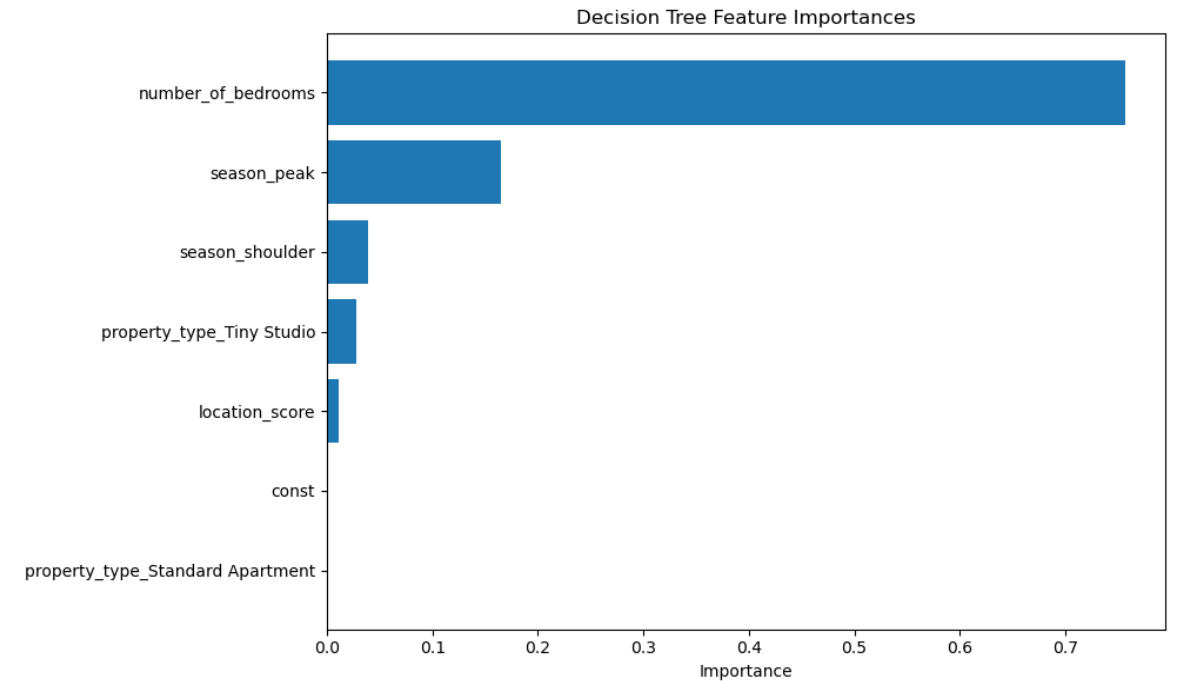
Decision Tree:

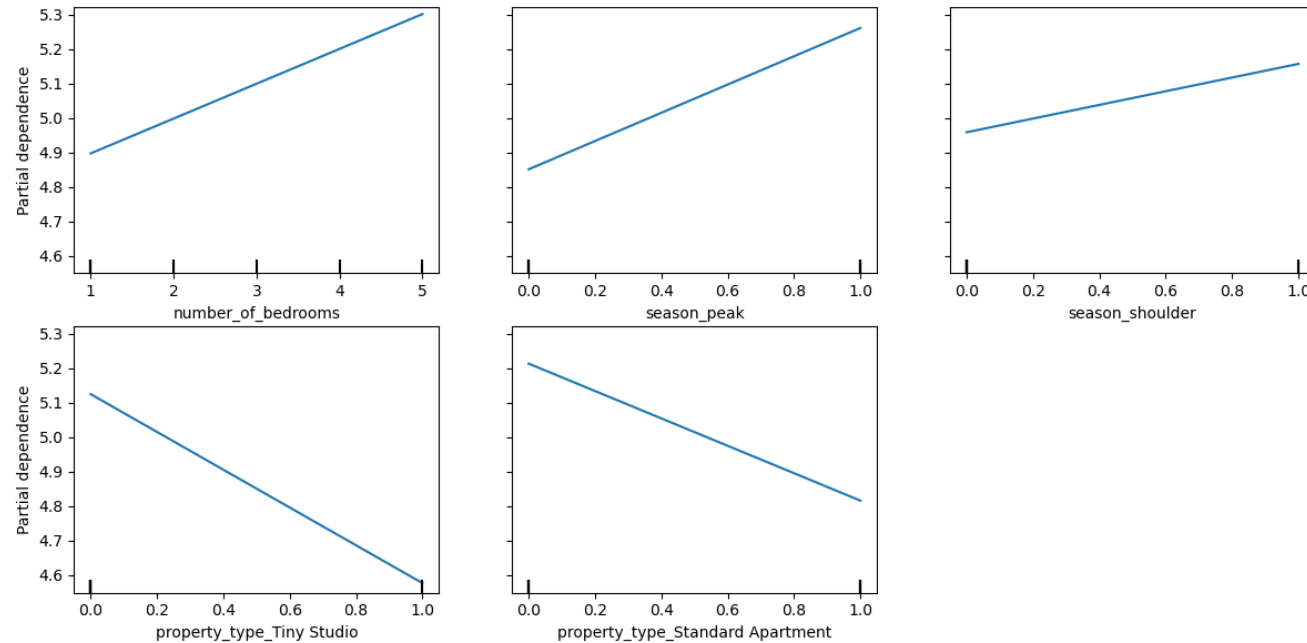
R^2 : 0.37376302459665656

MAE: 0.39207600056686276



- › Number_of_bedrooms
 - » This feature contributes more than 70% of total importance.
- › Season
 - » Season_peak and season_shoulder follow, affecting the price strongly.

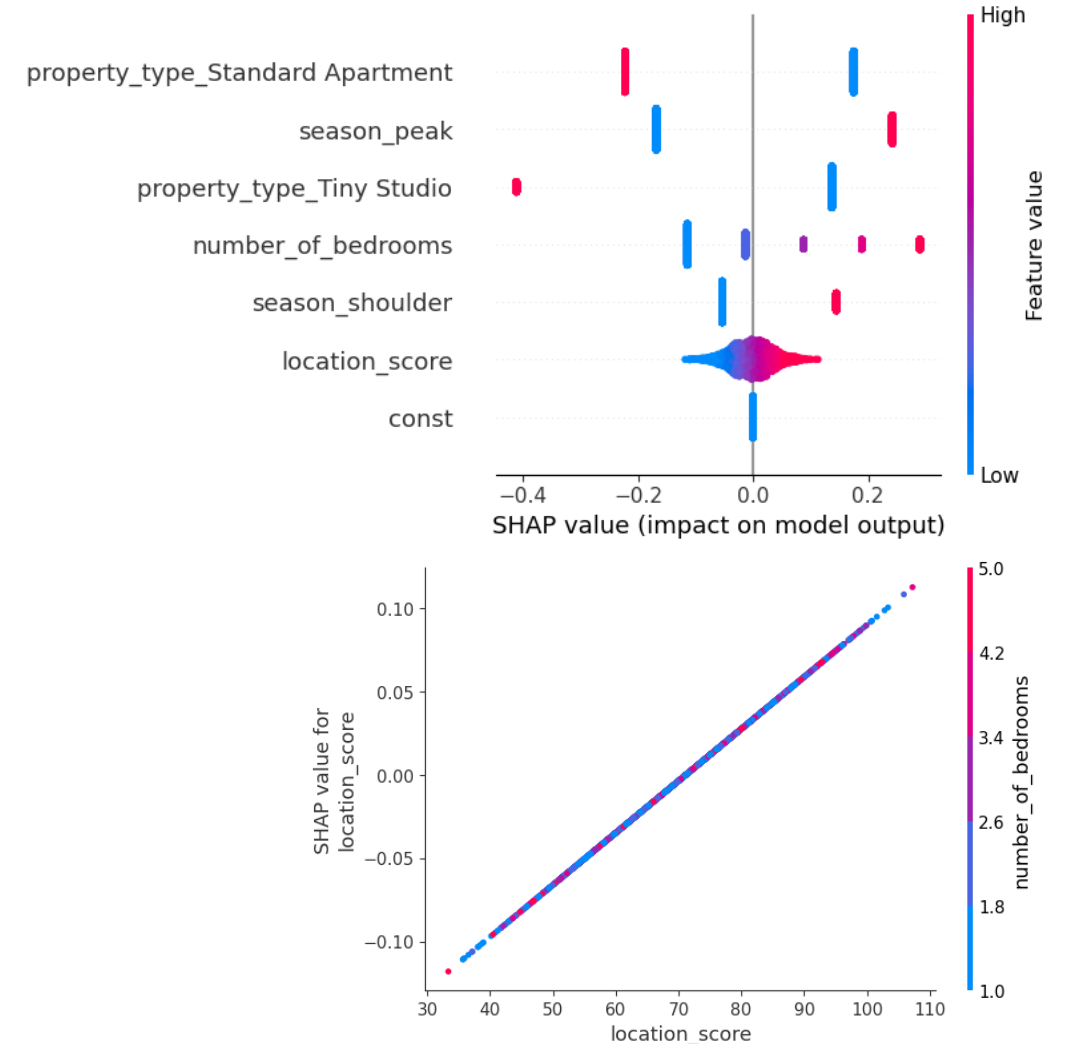




- › Number of bedrooms: A positive relationship that more bedrooms lead to higher nightly rate
- › Season: Switching from off-peak to peak or shoulder both increase the nightly rate. But the effects from shoulder is weaker than that from peak.
- › Property type: Switching from Luxury Home to Tiny Studio or Standard Apartment displays a negative relationship to the nightly price.



- › The most influential feature is `property_type_standard Apartment`, due to its widest shap value spread.
- › The shap value for `location_score` is perfect linear, indicating a simple monotonic effect on target.
- › The colors are mixed together which means that there is no visible interaction with `number_of_bedrooms`.

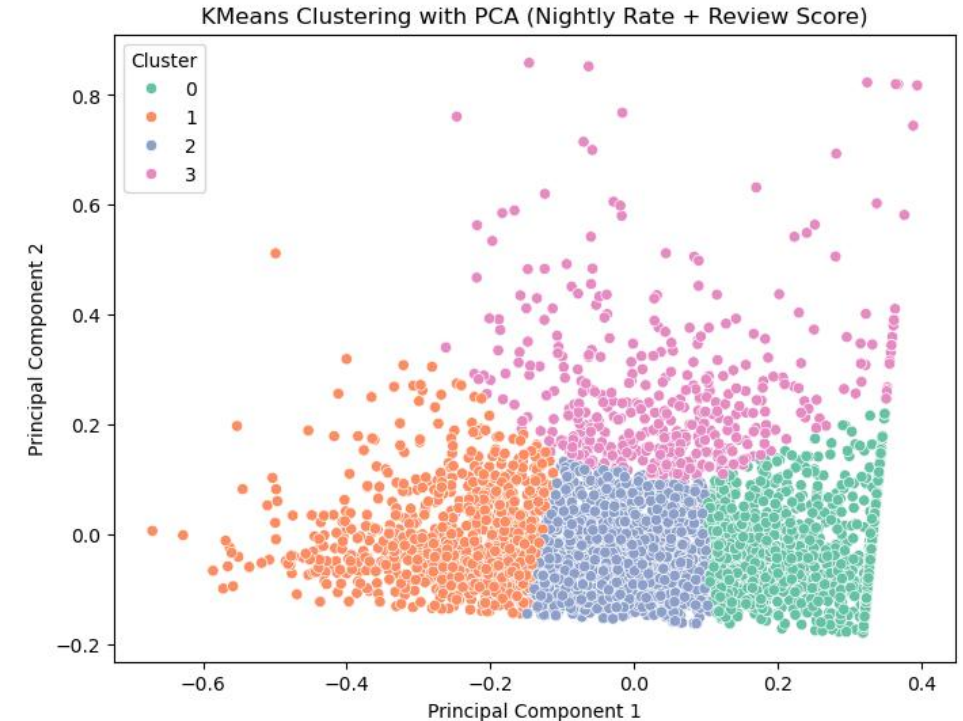


CLUSTER ANALYSIS

K-MEANS ON REVIEW_SCORE



- › Using k-means, I clustered the nightly_rate and review_score into 4 clusters.
- › Cluster 0 (green dots)
 - » Label: top-value
 - » The house with moderate price and high reviews which means good quality at a reasonable price
- › Cluster 1 (orange dots)
 - » Label: risky mid-tier
 - » They have similar price to top value group but the remarks are significantly worse, suggesting poor qualities



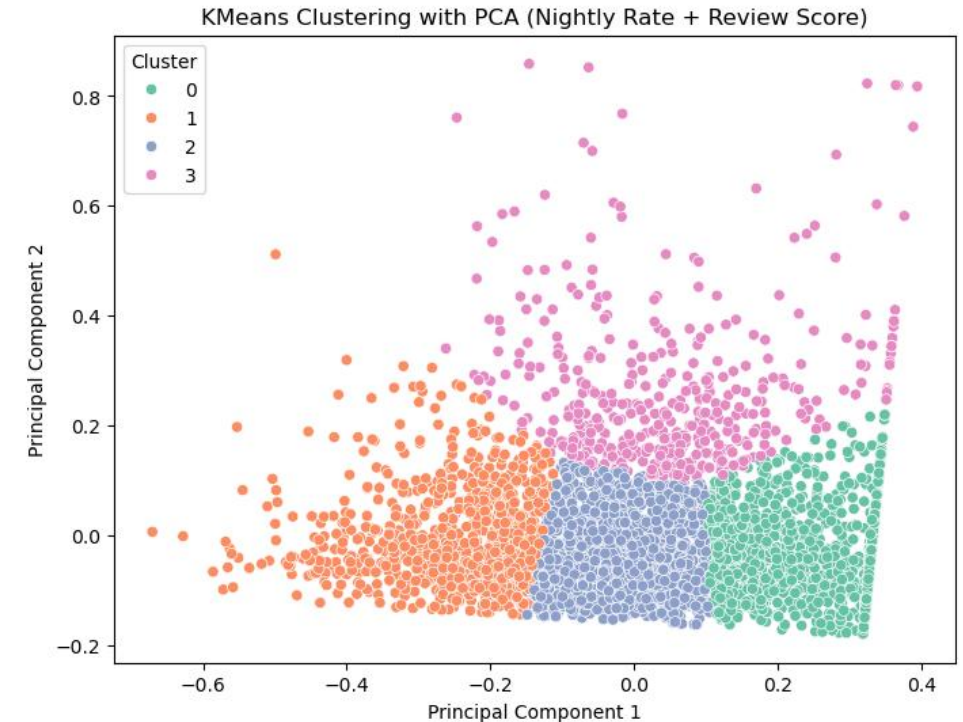
	nightly_rate	review_score
cluster		
0	162.250725	4.672298
1	156.336554	3.264250
2	138.873562	3.964760
3	438.622826	4.082826

CLUSTER ANALYSIS

K-MEANS ON REVIEW_SCORE



- › Cluster 2 (blue dots)
 - » Label: budget friendly
 - » The houses with low price and not-bad reviews which means you can enjoy the okay quality at a low cost
- › Cluster 3 (pink dots)
 - » Label: luxury tier
 - » The price is extremely high and the reviews are decent, suggesting expensive listings, good but not elite reviews



	nightly_rate	review_score
cluster		
0	162.250725	4.672298
1	156.336554	3.264250
2	138.873562	3.964760
3	438.622826	4.082826



- › EDA
 - » EDA revealed right-skewed distributions, seasonal trends, and strong correlations.
- › Linear Regression
 - » Prices increase with bedrooms, location score, and during peak seasons
 - » Tiny Studios and Standard Apartments are priced lower than Luxury Homes
 - » Log transformation improved model assumptions and interpretability
- › Decision Tree
 - » Large homes in peak season fetch highest prices
 - » Bedrooms and seasonality are dominant split criteria



- › SHAP/PDP
 - » Bedroom count and season are most influential
 - » Location has a consistent, linear effect
 - » Property type has strong categorical shifts in pricing
- › Cluster Analysis
 - » Prioritize pricing strategy by cluster: emphasize value, watch out for risky mid-tier listings
 - » Invest in features that drive price: larger size, peak availability, high location score
 - » Use insights to refine listing strategy, optimize revenue, and identify outlier properties