

MATLAB

Building a graphical user interface

note:

The GUI is contained in two files:

- figure file (.fig): contains ^{the} graphical layout information.
- m-file (.m): contains the main GUI function & some subfunctions.

- To open the GUIDE window:
write `>> guide` in the command window

- MATLAB class called uicontrol \Rightarrow contains most of these GUI objects

- the name of each object is the value of the Tag property & it is a unique value for each object.

note:

Callback functions: each object has a callback function & is executed when an object is activated.
for example, a button is activated when the user presses and releases it.

the name of the callback function has the form:

`TagValue_Callback`

~~note:~~

important note:

the handle of the object: is the address of the object in the memory

note:

The functions `str2double` & `num2str` are frequently used when coding in the m-file.

- m-file has code contains:

untitledTool → the main function that creates the tool itself.

untitledTool_OpeningFcn → ~~this~~ this function is executed once the program is run. it is like constructors in C++.
 just before the tool is made visible.

untitledTool_OutputFcn → advanced function. ignore it.

+

objectName_Callback → executed when the object is activated.

↓
The used functions for the programmer

In the GUIDE window

To edit an object → use Property Inspector window by double-clicking on it.

note: the Tag property is an important property.

Important note: during writing the code, we deal with Property-Value Pairs. it will have the notation that the name of the property is capitalized.

in the m-file

To communicate (edit or ~~read~~ get value) with a GUI object, we need to know the handle of the object.

① To know the handle of an object:

to know the handle of an object, we search for the handle of the object whose $\langle \text{Property} \rangle$ matches the specified $\langle \text{value} \rangle$

→ To do that we use the handles structure:

`handles.xSlider` → returns the handle of the slider with Tag "xSlider"

② Communicating with the GUI object:

To do that we use the get & set Command

→ The general form of the get Command:

$\langle \text{var} \rangle = \text{get}(\langle \text{handle} \rangle, \langle \text{Property name} \rangle);$

ex.

~~get(hText, 'String');~~ `get(hText, 'String');`

returns the value of the String Property of the text object

→ The general form of the set Command:

$\text{set}(\langle \text{handle} \rangle, \langle \text{Property name} \rangle, \langle \text{Property value} \rangle);$

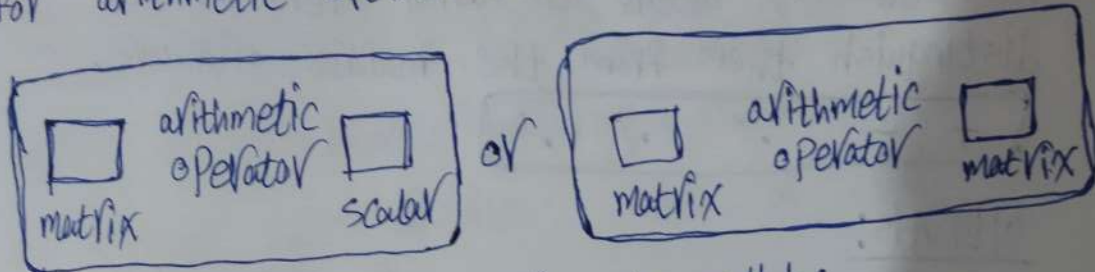
ex.

`set(hText, 'String', num2str(x));`

`set(hSlider, 'Value', 9);`

Operations on Vectors & matrices

Working with matrices makes you encounter two forms for arithmetic operations on matrices & vectors:



Types of arithmetic operations in matlab:

in order

1) Matrix operations

operations that follow the rules of linear algebra.
special case:

in the case of $\boxed{\text{matrix}} \pm \boxed{\text{scalar}}$, the scalar will be treated as a matrix of the same size as the other one with all elements equal the scalar.

Arithmetic operators:

$+$ $-$ $*$ $/$ \wedge

operands:

the operand could be a matrix or scalar as the two forms show above.

2) array operations

operations that execute element by element.

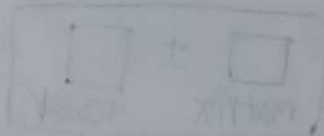
Arithmetic operators:

we add (.) before the array operators to distinguish them from the matrix operators.

+	-	.*	./	.^
---	---	----	----	----

operands:

the operand could be a matrix or scalar as the two forms show above.



File input/output

The basic idea

using functions to make some operations on files of different types (which use different filename extensions)

types of operations: writing, appending, reading

our current types of files: .dat or .txt

the functions:

- 1) using data of a matrix format (the same kind of data on each line and in the same format on every line) & files of types .dat or .txt.

for ~~reading~~ reading, use Load function.

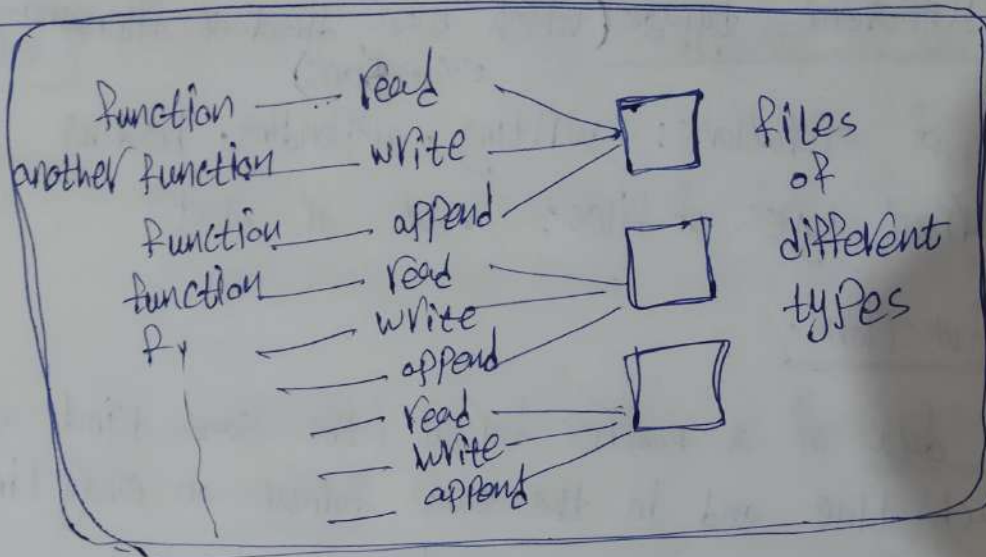
(Read from the file, then create a matrix of the same name)

syntax: Load · filename · fileextension

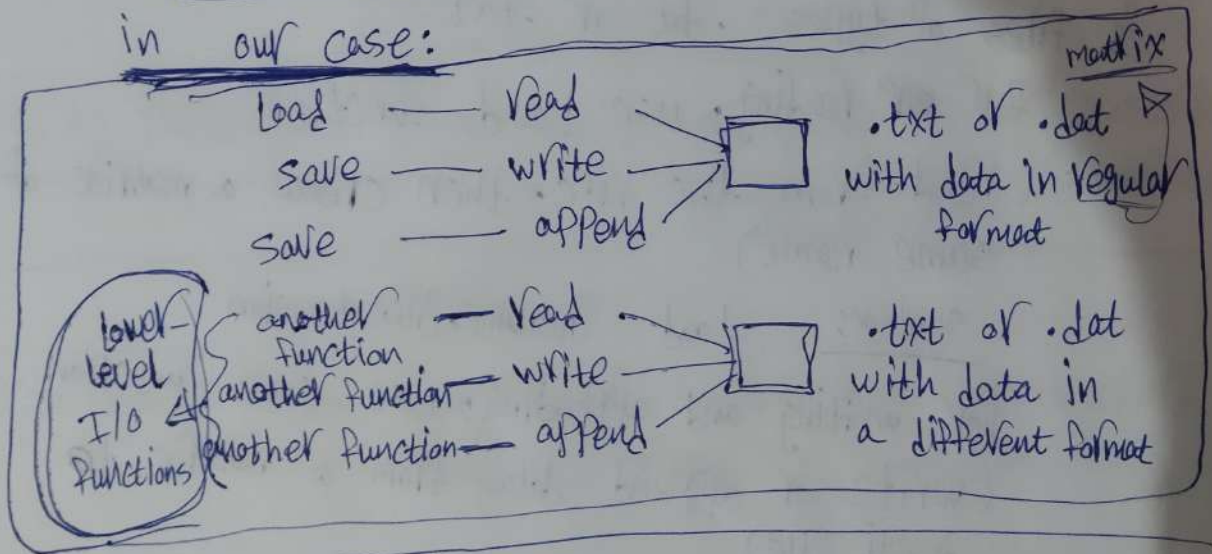
for writing and appending, use save function
(write or append data from a matrix to Ascii file)

syntax: save filename · fileextension matrixvariable name -ascii
-ascii

2) using data ~~in~~ a different format & files of types
 • .txt or .dat,
 then we use lower-level file I/O functions.



in our case:



matlab Functions

Syntax

`type filename.fileextension` → display the content of the file.

`who` → Lists the variables currently in the workspace.

`whos` → Lists the variables currently in the workspace and their sizes and types.

`get(h)` → returns all properties of the graphics object identified

→ only graphics object

`get(h, 'PropertyName')` → returns the value of the property of the graphics object identified.

Definition

`Vectorization` → means turning the code into vectors instead of ~~using~~ using loops.

Accessing elements of a matrix

we use $()$ for indexing while we use $[]$ for the array itself.

the general form
 $\text{mymat}(\square, \square)$

this could be a scalar or matrix
so that each value in the first square \square
matches all the values in the second
square \square .

example

$\text{mymat}([2, 4, 6], [1, 2, 3])$
 $= \text{mymat}(\quad)$

↓
these indices

	1	2	3
2	(2,1)	(2,2)	(2,3)
4	(4,1)	(4,2)	(4,3)
6	(6,1)	(6,2)	(6,3)

not only $(2,1)$, $(4,2)$, $(6,3)$ as I was expecting before.

- Function types
 - File Function
 - anonymous Function

• Function Function: is the function that accepts another function as input argument.

Function name & Function handle

Function name → is used only to call the function.

Function handle: is a matlab data type where variable of this type represents pointer to a function.

- we use @ operator to get the function handle.

Function handle variable → is used to call the function by using ()
→ or used as a variable like any other variable (without using ())

To be studied in the future:

- $\langle \text{style-option string} \rangle \rightarrow \text{'linewidth'}$, وخط العرض
- figure - subplot - axes handles -

set

essential matlab for engineers and scientists

- Plot \rightarrow رسم بياني current figure \rightarrow $\text{التي هي حاليًا مفتوحة}$
&
set
&

- updating the data of a plot in matlab
- axes & axis

Basic animation

- main concept:

same way as a flip-book animation which is a series of still pictures with small differences between them are rapidly displayed to give the illusion of ~~the~~ motion.

- Command window Prompt \gg

The Matlab returns to the Command window Prompt when the run is over.

- ~~Run~~ To close the run \rightarrow $\text{ctrl} + \text{c}$ (to return to matlab Prompt)

- Colon operator ($:$) & $\text{Linspace}(\text{start}, \text{end}, \# \text{ of points})$
are similar

\downarrow
the interval $[\text{start}, \text{end}]$

Plot Command

- general form:

$\text{Plot}(\langle \text{vector of x-values} \rangle, \langle \text{vector of y-values} \rangle, \langle \text{style-option string} \rangle)$

- multiple plots in the same axes:

using plot command:

- ① use plot with multiple arguments

`plot(x1vec, y1vec, stylestring1, ...
x2vec, y2vec, stylestring2, ...
...`

`xnvec, ynvec, stylestringN)`

- ② use hold command between multiple plot commands

using fplot command:

- ① use hold command between multiple fplot commands

Note: using fplot with multiple arguments ~~is~~ is sth that doesn't exist.

trial division algorithm for Primality test

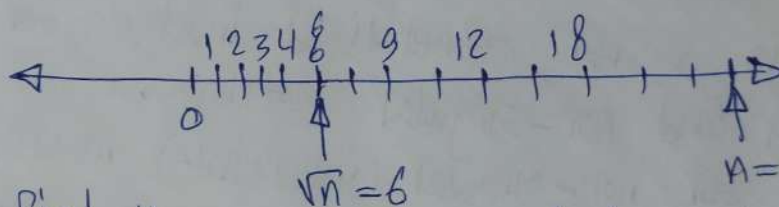
the concept:

if we have a number (n) that is not a prime number, then it can be factored into $n = a * b$.

$$\begin{cases} \therefore n = (\sqrt{n}) (\sqrt{n}) \\ \therefore \min(a, b) \leq \sqrt{n} \end{cases}$$

Then if (n) is not a prime number, we must find at least one factor ~~less~~ less than or equal to \sqrt{n} .

Ex. $36 \rightarrow \{1, 36\}, \{2, 18\}, \{3, 12\}, \{4, 9\}, \{6, 6\},$
 $\{36, 1\}, \{18, 2\}, \{12, 3\}, \{9, 4\}$



we always find the smallest element in each pair less than ~~or~~ or equal to \sqrt{n} .

the algorithm:

- 1) input the number (n)
- 2) for x from 2 to \sqrt{n} , if any x divides n , then n is composite else n is Prime.

$(: =)$ is a mathematical notation or convention that means (is defined as ~~is~~ equal to) which can be used like many other conventions like (def) or (\equiv)

You know the convention you are working with from the context (as explained or shown in that specific context)

note:

In matlab, we have ~~two~~ functions to calculate the inverse:

pinv \rightarrow calculates the Moore-Penrose Pseudo inverse (this is a more generalized inverse for both singular and non-singular matrices).

where for non-singular (invertible) matrices, the matrix inverse = the matrix pseudo inverse)

inv \rightarrow calculates the inverse of ~~invertible~~ square matrices.

(because only some of the square matrices are invertible)

Time complexity of an algorithm

definition:

Time complexity of an algorithm is the amount of time required to run an algorithm.

time complexity analysis:

First, we determine the running time of an algorithm as a function of the input size $\rightarrow T(n)$ then find the upper bound using big- O notation (for asymptotic behaviour)

Calculating the running time:

We assign a time constant for each code fragment then the number of times of execution for this fragment, which is a function of the input size n ,

(in other words, the running time is a function of # of operations and # of operations is a function of ^{the} input size)

then to calculate the total running time

assuming:

- 1) large-size input
- 2) worst case scenario

We follow these ~~general rules~~ general rules:

- 1) Running time = Σ Running time of all fragments
- 2) for If-else statement, choose the worst case

~~algorithm performance~~

algorithm running time:

$$O(1) < O(\log n) < O(n) < O(n \log n) < O(n^2)$$

logarithmic complexity:

$$\log_2(8)^n \xrightarrow[\text{form}]{\text{another}} 2^3 = 8^n$$

So this means that how many times you have to divide n by the base (2) to get to 1

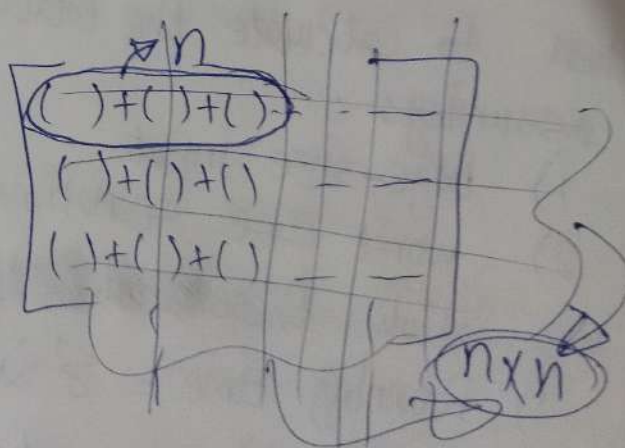
or
how many times you have to multiply 2 with 1 (base) to get to n (8).

matrix multiplication algorithm time complexity

Naive method $\rightarrow O(n^3)$

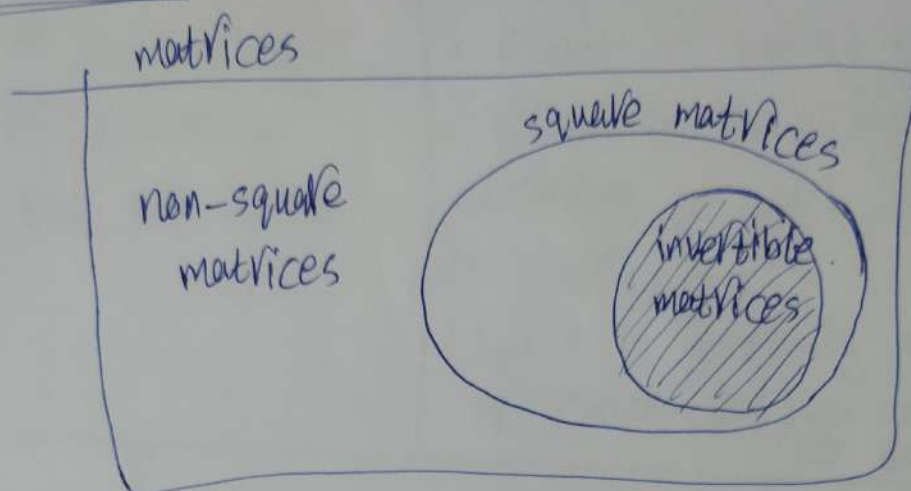
as

$$\begin{bmatrix} & & \end{bmatrix} \begin{bmatrix} 1 \\ 1 \\ 1 \end{bmatrix} =$$



inverse and pseudo inverse

in mathematics,



- non-square matrices are not invertible.
 - invertible matrices are only some of the square matrices that verifies some conditions.
 - we have pseudo inverse which is a more generalized inverse for both invertible and non-invertible (singular) matrices
- where for non-singular (invertible) matrices,
the matrix inverse = the matrix pseudo inverse.

in matlab,

we have two functions to calculate the inverse:

`pinv` → calculates the Moore-Penrose Pseudo inverse for any matrix.

`inv` → calculates the inverse for square matrices.

↓
(all square matrices)
even singular ones
$$\begin{bmatrix} \text{inf} & \text{inf} & \dots \\ \vdots & \vdots & \vdots \end{bmatrix}$$