AERE 361: Lab 9

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1 Report Questions

1.)

Table 1: Bit Integer Ranges Unsigned Size Min. Value Max. Value Min. Value Max. Value 8-bit 255-128 127 16-bit 0 65535-32678 32767 $2^{32} - 1$ -2^{31} $2^{31}-1$ 32-bit 0 $2^{64} - 1$ -2^{63} $2^{63} - 1$ 64-bit 0

- 2.) 88: 0101100 0: 00000000 1: 00000001 127: 01111111 255: 11111111
- 3.) **88:** 0101100 **-44:** 11010100 **-1:** 111111111 **0:** 00000000 **1:** 00000001 **-128:** 10000000 **127:** 011111111
- 4-7.) Normalized: $\pm 2^{-126}$ to $(2-2^{-23})*2^{127}$ Denormalized: $\pm 2^{-149}$ to $(1-2^{-23})*2^{127}$
- 8-11.) Normalized $\pm 2^{-1022}$ to $(2-2^{-52})^*2^{1023}$ Denormalized $\pm 2^{-1074}$ to $(1-2^{-52})^*2^{1023}$

2 Exercise 4

When using single precision, and n=10 then the solution converges to six, however when using double precision, and n=20 the solution converges to 100. The reason they converge on these numbers is because the decimal becomes to large for the magic box to tell the difference so it converges on its respective value.

I'm not entirely sure why it breaks through 6 on iteration 16 in double precision, and I doubt I'll ever find out why. It makes a huge jump from 14 to 64 then then to 99, which makes little sense in either mathematics or computing.

3 Sources

https://tex.stackexchange.com/questions/297564/why-is-my-table-before-the-section-title

https://latex-tutorial.com/subscript-superscript-latex/

https://en.wikipedia.org/wiki/Single-precision_floating-point_format

https://en.wikipedia.org/wiki/IEEE_754-1985

http://steve.hollasch.net/cgindex/coding/ieeefloat.html