W = emgr(f,g,s,t,w,pr,nf,ut,us,xs,um,xm);

emgr - Empirical Gramian Framework (Version 3.9)

					(<i>'</i>	
Mandatory Arguments				Option	Flags			
f System Vector Field	(Function Handle)	x = f(x,u,p)	i.e.: $f = @(x,u,p) A*x+B*u+F*p;$	nf(1)	Trajectory Centering	nf(7)	Non-Symmetric Cross Gramian	
g Output Functional	(Function Handle)	y = g(x,u,p)	i.e.: $g = @(x,u,p) C*x+D*u;$		o None (Default)		0 Off (Default)	
	1	y = x			1 Initial State		1 Non-Sym. Cross-Gramian (WX,WJ only)	
s System Dimensions	(Vector)	s = [J,N,O]	(Inputs, States, Outputs)		2 Final Steady State	nf(8)	Robust Parameters	
t Time	(Vector)	t = [h,T]	(Step, Stop)		3 Arithmetic Average		0 Off (Default)	
w Gramian Type	(Character)				4 Median		1 Treat Parameters as Inputs	
	'c'	Empirical Controllability Gramian (returns WC) Empirical Observability Gramian (returns WO) Empirical Cross Gramian (returns WX) Empirical Linear Cross Gramian (returns WY) Empirical Sensitivity Gramian (returns WS = { WC,WS })		nf(2)	5 Midrange	Squared quence ault) nf (10)	Parameter Action O Active Parameters Passive Parameters	
	'0'				6 Root-Mean-Squared			
	'x'				Input Scale Sequence o Linear (Default) 1 Logarithmic			
	'y'						Center Parameter Scales	
	's'						o No Centering	
	'i'	Empirical Identifiability Gramian (returns WI = {WO,WI}			2 Geometric		1 Mean Centered Parameters	
	'j'	Empirical Joint	Gramian (returns $WJ = \{WX,WI\}$)		3 Single		2 Logarithmic Centered Parameters	
					4 Sparse	nf(11)	Exclusive Options	
Optional Arguments				nf(3)	State Scale Sequence		0 None (Default)	
pr Parameters	(Vector)	Column Vector of System Parameters (Default: $pr = 0$)			o Linear (Default)	1 Root-Mean-Square-Centering (WS only)		
	(Matrix)	Set of Parameter Column Vectors ('s','i','j' requires two)			1 Logarithmic	 Schur Complement (WI only) 		
nf Options	(Vector)	Ten Component	s (Default: $\mathbf{nf} = 0$), see Option Flags		2 Geometric		1 Detailed Schur Complement (WJ only)	
ut Input Function	(Scalar)	Uniformly Scaled Impulse Input (Default: $\mathbf{ut} = 1$)			3 Single	nf (12) Gramian Symmetry		
	(Vector)	Individual Scaled Impulse Input (J x 1)			4 Sparse		Assume Symmetry	
	(Matrix)	Discrete Input F	Function (J x (T-S)/h)		Input Transformation		1 Enforce Symmetry	
	(Function Handle) Function Handle ($\mathbf{u} = \mathbf{ut(t)}$)			o Unit (Default)				
	∞	Chirp Function			1 Inverse 2 Dyadic	Custom Solver Set global variable ODE to solver function handle		
us Steady-State Input	(Scalar)	Uniform Steady	y-State Input (Default: $\mathbf{us} = 0$)					
	(Vector)	Individual Stead	dy-State Input (J x 1)		3 Single	with sig	nature: $y = solver(f,g,t,x,u,p);$	
xs Steady State	(Scalar)	Uniform Steady	State (Default: xs = 0)	nf(5)	State Transformation	default solver: 2nd Order Ralston's Runge-Kutta	solver: 2nd Order Ralston's Runge-Kutta	
	(Vector)	Individual Stead	dy States (N x 1)		o Unit (Default)			
um Input Scales	(Scalar)	Uniform Maxim	form Maximum Input Scales (Default: um = 1)		1 Inverse	Minimal Usage: W = emgr(f,g,s,t,w);		
		Individual Maximum Input Scales (J x 1)			2 Dyadic			
	(Matrix)	Custom Input S	-		3 Single			
xm Steady-State Scales	(Scalar)	Uniform Maximum Steady State Scales (Default: $xm = 1$)		nf(6)	Preconditioning	About Info: V = emgr('version');		
			mum Steady-State Scales (N x 1)		o None (Default)			
	(Matrix)	Custom Steady	-State Scales (N x *)		1 Jacobi (Double Run)			
licensed under CC-BY					2 Steady-State Scaled		More info at: http://gramian.de	