



















Enhancing Offshore Wind Integration by Integrated Electricity and Gas Systems With Hydrogen Blending

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- 02 Model of offshore wind
- 03 DRCC formulation of H-IEGS
- 04 Solution method
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- 06 Conclusions and further discussions



1.1 Offshore wind in Ireland

Ireland has a sea area of 490,000 km²—approximately seven times the size of its landmass—and one of the best offshore renewable resources in the world.



Exclusive economic zone





2014 Offshore Renewable Energy Development Plan (OREDP)

Opportunity identification

2023 CLIMATE ACTION PLAN 2023

Set out 5GW goal for offshore wind

2023 Policy Statement on the Framework for Phase Two Offshore Wind

Clarify three phases and long-term plans of offshore wind development

2023 DRAFT Offshore Renewable Energy Development Plan II

Assessment in OREDP2







1.1 Offshore wind in Ireland

2023



3074 MW were auctioned by ORESS (supporting scheme), two more auctions to be organized.

经经验给给

2030

- **5GW** offshore wind connected to the grid
- **2GW** of floating offshore wind for non-grid use

2040

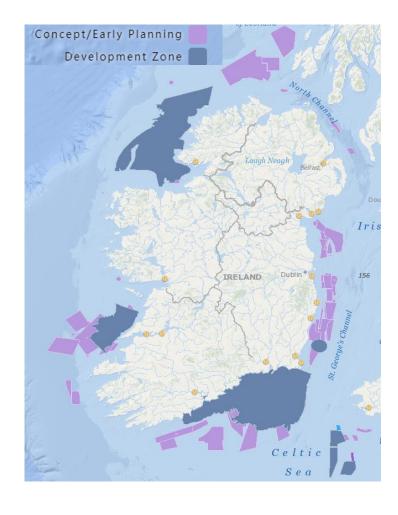
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20GW

2050

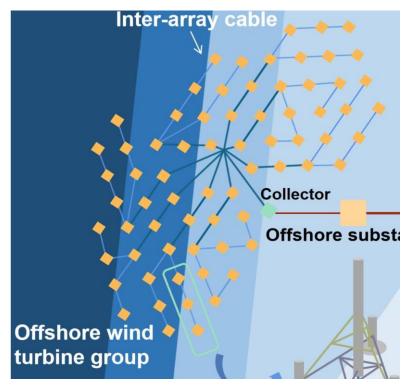
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37GW



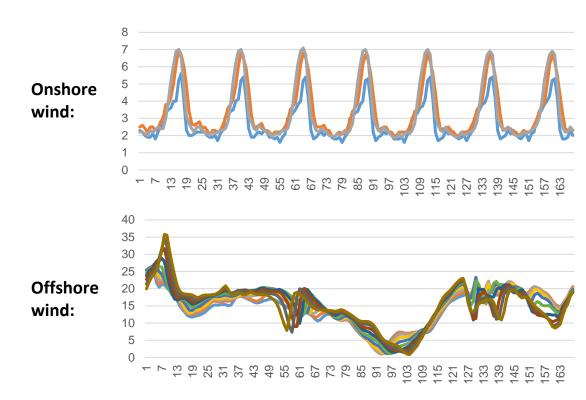


1.2 Challenges in offshore wind integration



Large volume:

Increase the burden on the onshore grid interconnection point



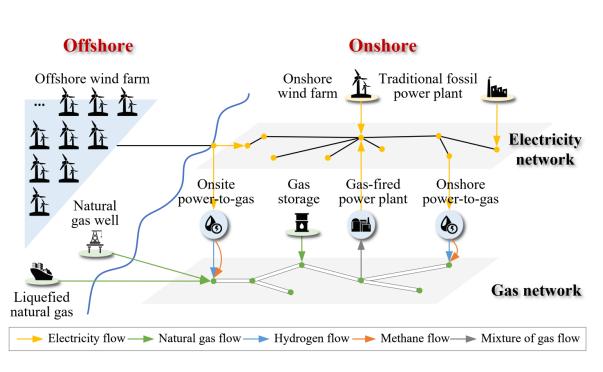
Highly stochastic:

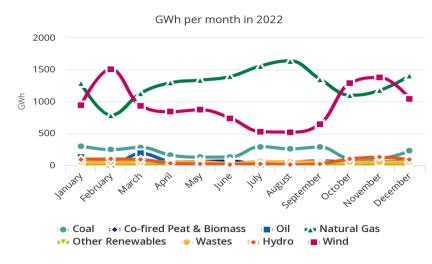
Require more flexibility from the grid.



1.3 Integration by H-IEGS

Hydrogen-blended integrated electricity and gas systems

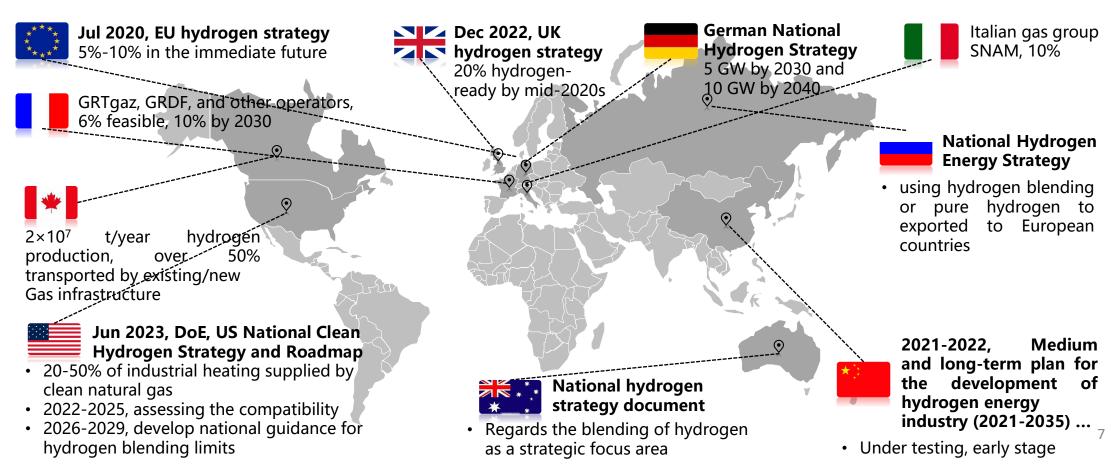




- Electricity and gas systems are coupled by gas-fired power plants and power to gas (PTG).
- Hydrogen is injected into the gas network by PTG
- Offshore wind farms are integrated both directly into electricity systems by HVDC/HVAC or indirectly into gas systems by hydrogen

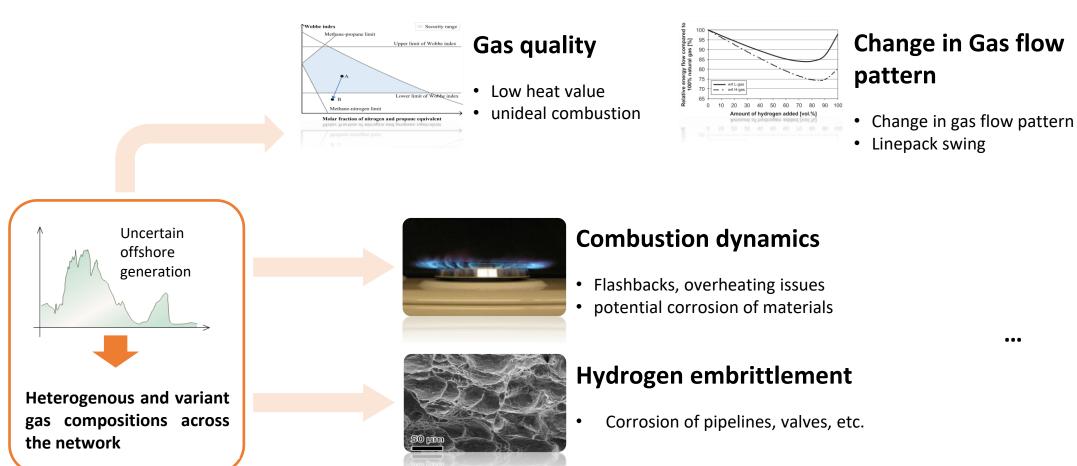


1.3 Integration by H-IEGS





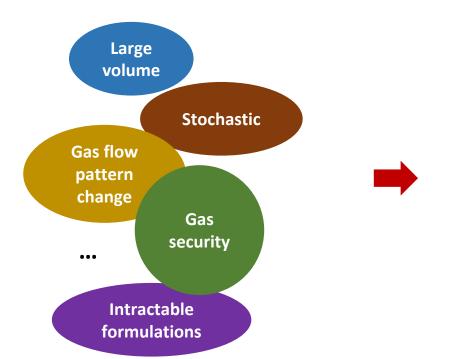
1.4 Additional challenges by hydrogen blending





1.5 Contributions

Proposes a novel offshore wind accommodation scheme by using the flexibility of both electricity/gas systems and hydrogen-blending techniques.



- A distributionally robust chance-constrained (DRCC) operation framework.
- A sequential convex programming embedded DRCC (SCP-DRCC) solution method.
- A moment-based ambiguity set characterization of offshore wind farm uncertainties with wake effect.
- A large-scale and comprehensive energy system case study with practical suggestions.



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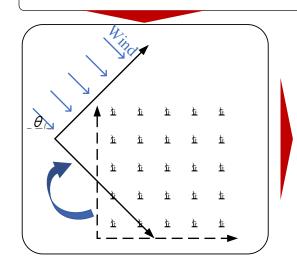
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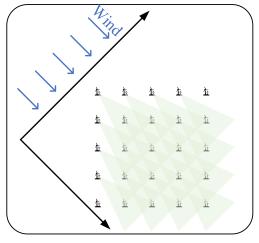


Offshore wind – Uncertainty set – wake effect

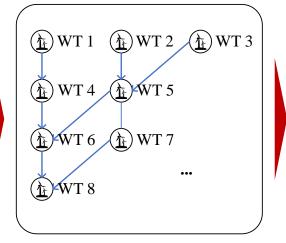
Step 1: Model vectorized stochastic wind velocity



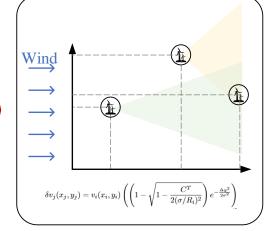
Step 2: Establish time-varying coordinate axes



Step 3: Outline wake effect regions of wind turbines



Step 4: Build recursive tree of cumulative wake effects

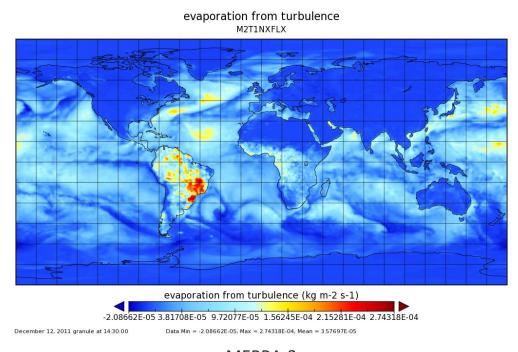


Step 5: Calculate wind speed with cumulative wake effects

Step 6: Formulate the uncertainty set of offshore wind generations



Step 1: Model vectorized stochastic wind velocity



Data are collected from MERRA-2 tavg1_2d_flx_Nx: 2d,1-Hourly,Time-Averaged,Single-Level,Assimilation,Surface Flux Diagnostics V5.12.4 (M2T1NXFLX)

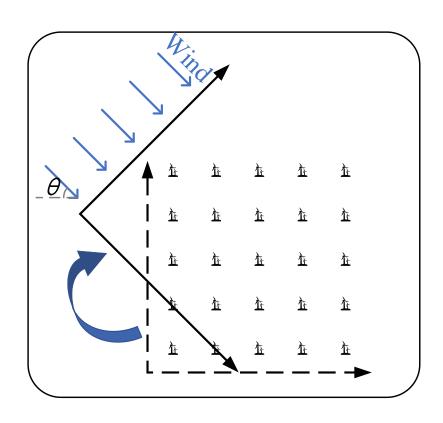
- Spatial resolution: 0.5 ° lon x 0.625 ° lat
- Temporal resolution: 1 hour

Obtain the forecast deviation for wind speed and direction:

$$v_{m,k} = \{v_{m,k} = \overline{v}_{m,k} + \Delta v_{m,k}, \theta_{m,k} = \overline{\theta}_{m,k} + \Delta \theta_{m,k}\}$$



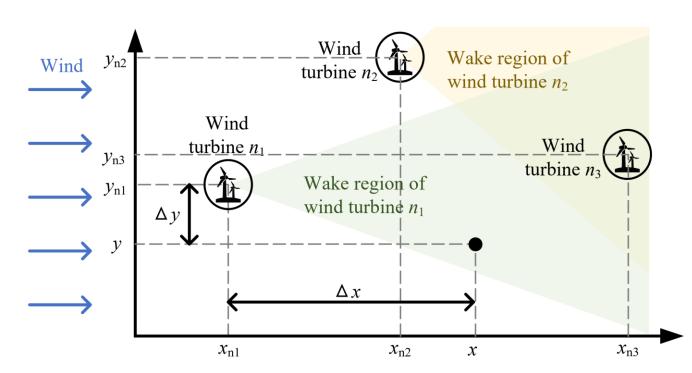
Step 2: Establish time-varying coordinate axes according to the wind direction.



$$\begin{bmatrix} x_n \\ y_n \end{bmatrix} = \begin{bmatrix} \cos \theta & -\sin \theta \\ \sin \theta & \cos \theta \end{bmatrix} \begin{bmatrix} x_{n,0} \\ y_{n,0} \end{bmatrix}$$
 New coordinates Original coordinates



Step 3: Outline the wake effect regions of WTs.



Decrease in wind speed (Frandsen–Gaussian model):

$$\delta v_{n_1} = v_{n_1} \left(\left(1 - \sqrt{1 - \frac{C^T}{2(\omega/R_{n_1})^2}} \right) e^{-\frac{\Delta y^2}{2\omega^2}} \right)$$

where

$$\omega = (R_{n_1} + 0.56/(\ln z^h - \ln z_0)\Delta x)/2$$

(thrust coefficient, rotor diameter, distance, ...)

Then solve

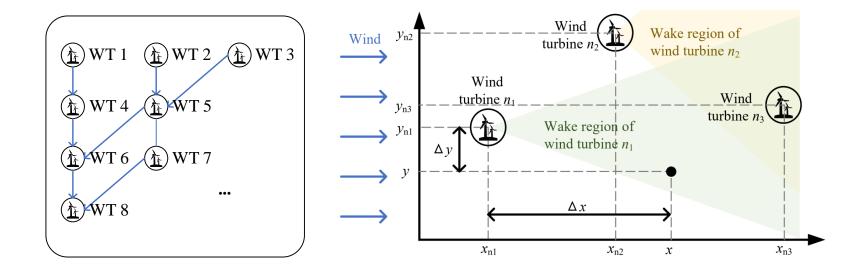
$$\delta v_{n_1} > \epsilon^w$$

To outline the wake effect region



Step 4: Build the recursive tree of cumulative wake effects.

Step 5: Calculate wind speed considering cumulative wake effects.

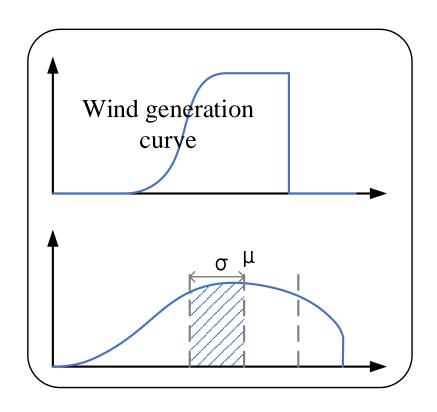


Updated wind speed:

$$\mathbf{v}_{\mathbf{n}} = \mathbf{v}_{\mathbf{m}} - \left(\sum_{\mathbf{n}' \in \mathcal{N}_{n}} \delta \mathbf{v}_{\mathbf{n}'}\right)^{\frac{1}{2}}$$



Step 6: uncertainty set



Electricity generation of wind farm

$$P_{i,k}^{max,owf} = \sum_{m \in \mathcal{M}_i} \sum_{n \in \mathcal{N}_{i,m}} f^{wt}(v_{n,k})$$

moment-based ambiguity set of available generating capacity

Prediction error
$$\boldsymbol{\Xi}_i = \left\{ \begin{array}{ll} \Pr(\boldsymbol{\xi}) | \mathbb{E}(\boldsymbol{\xi}) = \boldsymbol{\mu}, \mathbb{E}\left(\boldsymbol{\xi}\boldsymbol{\xi}^T\right) = \boldsymbol{\sigma} \end{array} \right\}$$
 Mean Varia value nce



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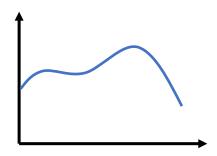
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3.1 Idea of DRCC

Deterministic optimization



Fea tures Assume we can accurately know the uncertain variable in advance

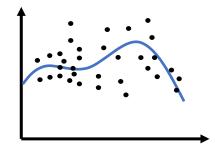
Pros

Fast calculation

Cons

Can not withstand the risk of uncertainty

Stochastic optimization

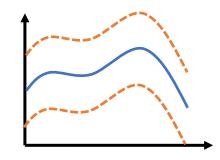


Calculate the optimization results in different scenarios

Can consider the probability distribution

Slow

Robust optimization

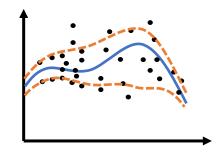


Consider the worst scenario within a certain "budget"

Relatively fast

Too conservative (high operating cost)

Distributionally robust optimization



Partially reflect the probability distribution

Balance the computation speed and optimality

A bit slower than RO, a bit more conservative than SO



3.2 Gas security

Gas Safety (Management) Regulations 1996



- hydrogen content: ≤0.1% (molar)
- Wobbe index (WI): (i) ≤51.41 MJ/m3, and (ii) ≥47.20 MJ/m3
- incomplete combustion factor (ICF): ≤0.48
- soot index (SI): ≤0.60

The Gas Safety (Management) (Amendment) Regulations 2023

Came into force on 6 April 2023:

- Relative density of ≤0.700
- Removed ICF and SI requirement
- oxygen content of ≤1% (molar) so long as it is conveyed at pressures ≤38 barg

On 6 April 2025:

Change the lower limit of WI to ≥46.5MJ/m3

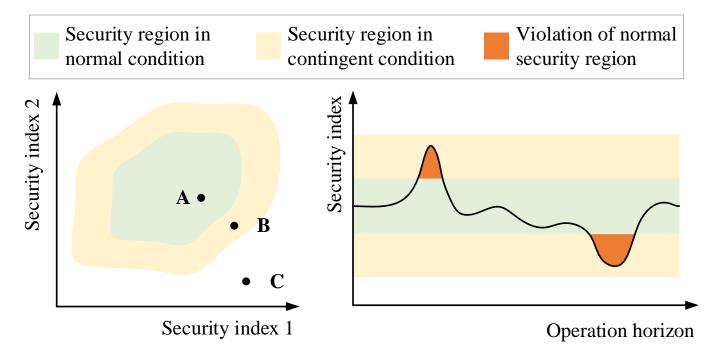
(Policy decision on the role of hydrogen blending at distribution level by the end of 2023)







3.2 Gas security



Wobbe index

$$WI_{i,k} = \sum_{g \in \mathcal{G}} \chi_{i,k,g} GCV_g (RD_{i,k})^{-\frac{1}{2}}$$

Relative density

$$RD_{i,k} = \sum_{g \in \mathcal{G}} \chi_{i,k,g} M_g / M^{air}$$

• Flame speed factor

$$FS_{i,k} = \frac{\sum_{g \in \mathcal{G}} \chi_{i,k,g} f s_g}{AF + 5\chi_{i,k}^{ni} - 18.8\chi_{i,k}^{ox} + 1}$$

• Gas security chance constraints:

$$\inf_{\Xi} \Pr\{WI^{min,N} \leq \widetilde{WI_{i,k}} \leq WI^{max,N}, \widetilde{RD_{i,k}} \leq RD^{max,N}, FS^{min,N} \leq \widetilde{FS_{i,k}} \leq FS^{max,N}\} \geq 1 - \epsilon^{N}$$



3.3 Optimization model

Objective function

• Minimize the expected operating cost:

$$f = \min \sum_{k \in \mathcal{K}} \sum_{i \in \mathcal{I}} E_{\Xi} \left(\sum_{i \in \mathcal{L}^{t_{\mathcal{P}\mathcal{P}}}} c_{i,l}^{E} \widetilde{P_{i,l,k}} + \sum_{l \in \mathcal{L}^{\mathcal{G}S}} c_{i,l}^{G} \widetilde{q_{i,l,k}} \right)$$

By controlling the generators, PTGs, gas sources, ...

And keep all the constraints:

Power system:

- Generator constraints
- DC power flow
- Transmission line capacity

•••

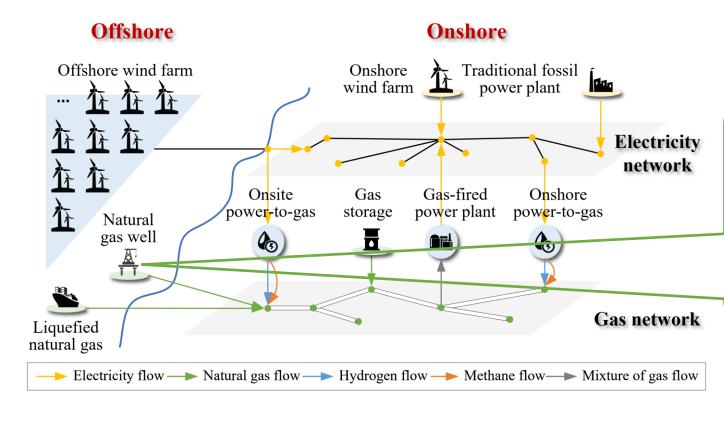
Gas system:

- Gas security constraints
- Gas source constraints
- PTG constraints
- Weymouth equation
- Gas mixing
- Nodal energy balance

Different from the traditional gas system models with uniform gas composition

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Modeling of gas source:

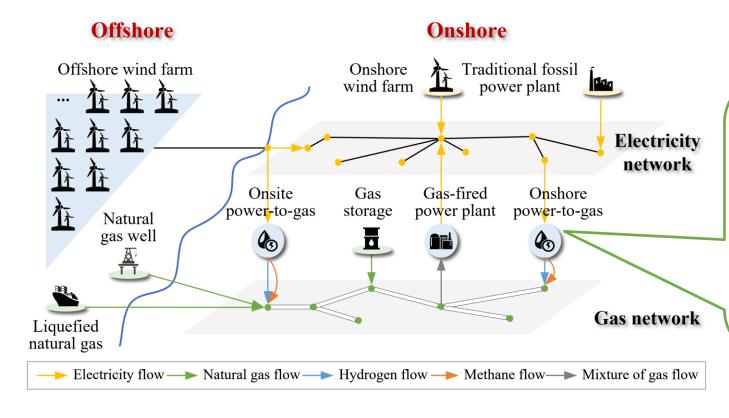
• Gas composition:

$$\widetilde{q_{i,l,k,g}^s} = \chi_{i,l,g}^s \widetilde{q_{i,l,k}^s}, \ \sum_{g \in \mathcal{G}} \chi_{i,l,g}^s = 1$$

Upper and lower bounds:

$$\inf_{\Xi} \Pr\{q_{i,l}^{s,min} \leq \widetilde{q_{i,l,k}^s} \leq q_{i,l}^{s,max}\} \geq 1 - \epsilon^G$$





Modeling of PTG:

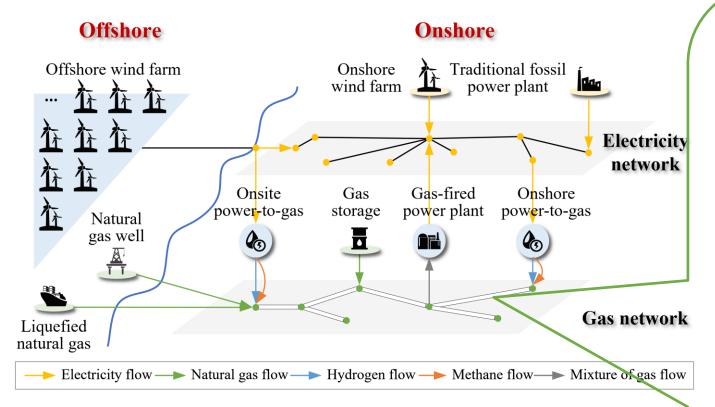
• Energy conversion:

$$\widetilde{q_{i,l,k}^{hy}}GCV^{hy} + \widetilde{q_{i,l,k}^{me}}GCV^{me}\eta_{i,l}^{me} = \widetilde{P_{i,l,k}^{ptg}}\eta_{i,l}^{el}$$

• Capacity limits:

$$\begin{split} \inf_{\Xi} \Pr\{P_{i,l,k}^{ptg,min} \leq \widetilde{P_{i,l,k}^{ptg}} \leq P_{i,l,k}^{ptg,max}\} \geq 1 - \epsilon^G \\ \inf_{\Xi} \Pr\{\widetilde{q_{i,l,k}^{me}}, \widetilde{q_{i,l,k}^{hy}} \geq 0\} \geq 1 - \epsilon^G \end{split}$$





Modeling of gas flow in pipelines:

• Weymouth equation:

$$\widetilde{p_{i,k}^{2}} - \widetilde{p_{j,k}^{2}} = \gamma_{ij,k} \frac{16f_{ij}(\rho^{ng})^{2} T^{ng} L_{ij} z^{ng}}{\pi^{2} D_{ij}^{5}} r_{ij,k} \widetilde{q_{ij,k}^{2}}$$

Gas flow sum and gas constant:

$$\widetilde{q_{ij,k}} = \sum_{g \in \mathcal{G}} \widetilde{q_{ij,k,g}}$$
 , $\widetilde{r_{ij,k}} = \sum_{g \in \mathcal{G}} R_g \widetilde{\chi_{ij,k,g}}$

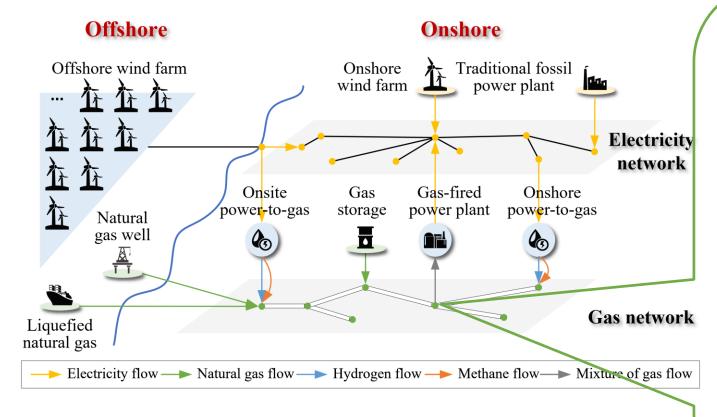
Pipeline capacity:

$$\inf_{\Xi} \Pr\{ (1 - \gamma_{ij}) q_{ij}^{max} / 2 \leq [\widetilde{q_{ij,k}}, \widetilde{q_{ij,k,g}}] \\
\leq (1 + \gamma_{ij}) q_{ij}^{max} / 2 \} \geq 1 - \epsilon^{G} \\
\inf_{\Xi} \Pr\{ (1 - \gamma_{ij}) q_{ij}^{max} / 2 \leq [\widetilde{q_{ij,k}}, \widetilde{q_{ij,k,g}}] \\
\leq (1 + \gamma_{ij}) q_{ij}^{max} / 2 \} \geq 1 - \epsilon^{G}$$

Gas pressure limit

$$\inf_{\Xi} \Pr\{p_i^{min} \le \widetilde{p_{i,k}} \le p_i^{max}\} \ge 1 - \epsilon^G$$





Modeling of nodal gas mixing:

Gas component mixing

$$\begin{split} &\widetilde{\chi_{i,k,g}} \\ &= \left(\sum_{l \in \mathcal{L}_{i}^{\mathcal{S}}} \widetilde{q_{i,l,k,g}^{\mathcal{S}}} + \sum_{l \in \mathcal{L}_{i}^{\mathcal{P}^{tg}}} \widetilde{q_{i,l,k,g}^{\mathcal{P}^{tg}}} + \sum_{j \in \mathcal{J}_{i}} \frac{1 - \gamma_{ij}}{2} \widetilde{q_{ij,k,g}} \right) \\ &/ \left(\sum_{l \in \mathcal{L}_{i}^{\mathcal{S}}} \widetilde{q_{i,l,k}^{\mathcal{S}}} + \sum_{l \in \mathcal{L}_{i}^{\mathcal{P}^{tg}}} \widetilde{q_{i,l,k}^{\mathcal{P}^{tg}}} + \sum_{j \in \mathcal{J}_{i}} \frac{1 - \gamma_{ij}}{2} \widetilde{q_{ij,k}} \right) \end{split}$$

• Gas composition in pipeline:

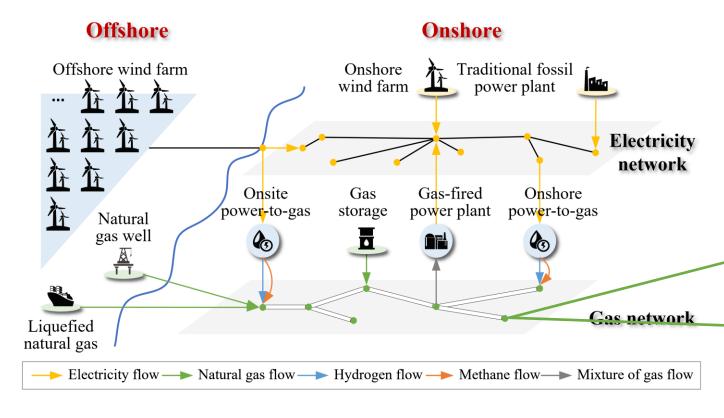
$$\widetilde{q_{ij,k,g}}/\widetilde{q_{ij,k}} = \left(\left(1+\gamma_{ij}\right)\widetilde{\chi_{i,k,g}} + \left(1-\gamma_{ij}\right)\widetilde{\chi_{j,k,g}}\right)/2$$

Nodal gas balance:

$$\sum_{l \in \mathcal{L}_{i}^{s}} \widetilde{q_{i,l,k,g}^{s}} + \sum_{l \in \mathcal{L}_{i}^{\mathcal{P}tg}} \widetilde{q_{i,l,k,g}^{ptg}} + \sum_{j \in \mathcal{J}_{i}} \frac{1 - \gamma_{ij}}{2} \widetilde{q_{ij,k,g}}$$

$$= \sum_{j \in \mathcal{J}_{i}} \frac{1 + \gamma_{ij}}{2} \widetilde{q_{ij,k,g}} + \sum_{l \in \mathcal{L}_{i}^{\mathcal{PP}}} \widetilde{q_{i,l,k,g}^{gpp}} + \widetilde{q_{i,k,g}^{d}}$$





Modeling of gas demand:

Gas demand energy:

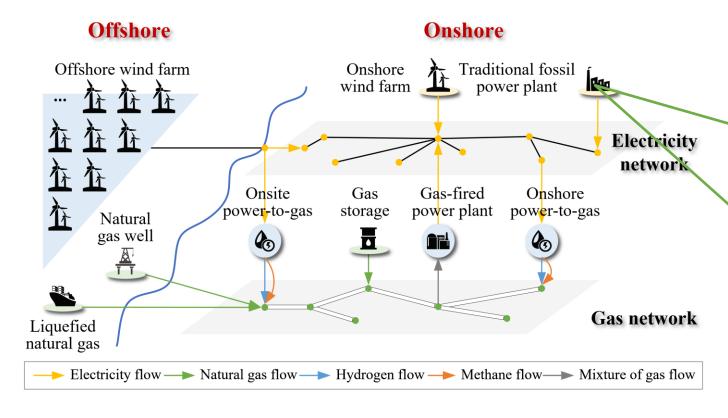
$$\sum_{g \in \mathcal{G}} GCV_g \widetilde{q_{i,k,g}^d} = GCV^{ng} q_{i,k}^d$$

• Gas demand composition:

$$\widetilde{q_{i,k,g}^d} / \sum_{g \in \mathcal{G}} \widetilde{q_{i,k,g}^d} = \widetilde{\chi_{i,k,g}}$$



3.5 Modeling of electricity system



Modeling of generators:

For non-gas-fired power plants:

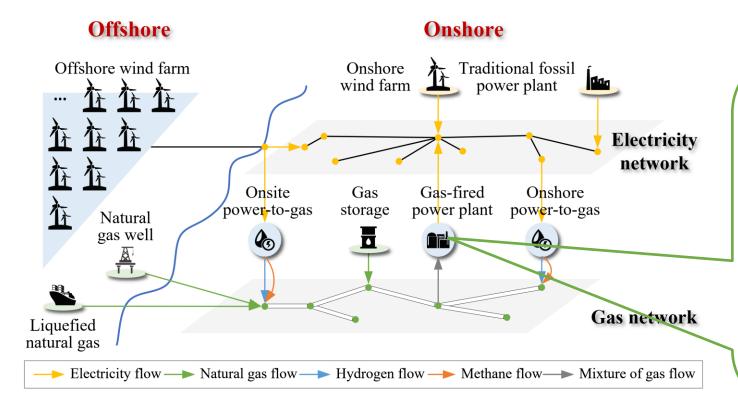
• Capacity constraints: $\inf_{\Xi} \Pr\{P_{i,l}^{min} \leq \widetilde{P_{i,l,k}} \leq P_{i,l}^{max}\} \geq 1 - \epsilon^{E}$

For offshore wind:

• Energy conversion: $\inf_{\Xi} \Pr\{P_{i,l}^{min} \leq \widetilde{P_{i,l,k}} \leq \widetilde{P_{i,l}^{max}}\} \geq 1 - \epsilon^E$



3.5 Modeling of electricity system



Modeling of generators:

For gas-fired power plants:

• Energy conversion:

$$\widetilde{P_{i,l,k}} = \eta_{i,l}^{gpp} \sum_{g \in \mathcal{G}} \widetilde{q_{i,l,k,g}} GCV_g$$

Gas composition:

$$\widetilde{q_{i,l,k,g}^{gpp}}/\sum_{g\in\mathcal{G}}\widetilde{q_{i,l,k,g}}=\widetilde{\chi_{i,k,g}}$$

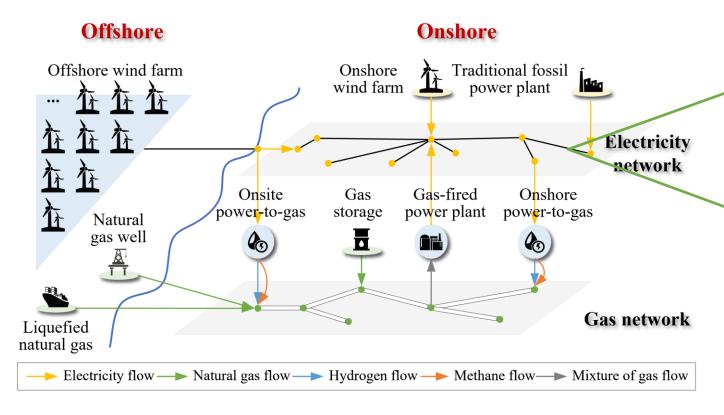
Capacity:

$$\inf_{\Xi} \Pr\{P_{i,l}^{min} \leq GCV^{ng} \widetilde{q_{i,l,k}^{gpp}} \leq P_{i,l}^{max}\}$$

$$\geq 1 - \epsilon^{E}$$



3.5 Modeling of electricity system



Modeling of transmission lines:

Power balance:

Power balance:
$$\sum_{\substack{l \in \mathcal{L}_{i}^{tpp} \cup \mathcal{L}_{i}^{gpp} \\ \cup \mathcal{L}_{i}^{owf} \cup \mathcal{L}_{i}^{rng}}} \widetilde{P_{i,l,k}} - \sum_{\substack{l \in \mathcal{L}_{i}^{ptg} \\ |l| \in \mathcal{L}_{i}^{ptg}}} \widetilde{P_{i,l,k}^{ptg}} - P_{i,k}^{d}$$
$$- \sum_{j \in \mathcal{J}_{i}} \widetilde{P_{ij,k}} = 0$$

DC power flow:

$$\widetilde{\theta_{i,k}} - \widetilde{\theta_{j,k}} = X_{ij} \widetilde{P_{ij,k}}$$

Capacity: $\inf_{\Xi} \Pr\{-P_{ij}^{max} \le \widetilde{P_{ij.k}} \le P_{ij}^{max}\} \ge 1 - \epsilon^{E}$



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4.1 Challenges in solving this problem

Complicated nonconvexities

Chance constraints:

$$\inf_{\Xi} \Pr\{-P_{ij}^{max} \leq \widetilde{P_{ij.k}} \leq P_{ij}^{max}\} \geq 1 - \epsilon^E$$

Joint chance constraints:

$$\inf_{\Xi} \Pr\left\{WI^{min,N} \leq \widetilde{WI_{i,k}} \leq WI^{max,N}, \widetilde{RD_{i,k}} \leq RD^{max,N}, FS^{min,N} \leq \widetilde{FS_{i,k}} \leq FS^{max,N}\right\} \geq 1 - \epsilon^{N}$$

• Square-root term:

Special form of cubic terms

$$WI_{i,k} = \sum_{g \in G} \chi_{i,k,g} GCV_g (RD_{i,k})^{-\frac{1}{2}}$$

$$\widetilde{q_{i,k,g}^d} / \sum_{g \in \mathcal{G}} \widetilde{q_{i,k,g}^d} = \widetilde{\chi_{i,k,g}}$$

$$\widetilde{p_{i,k}^{2}} - \widetilde{p_{j,k}^{2}} = \gamma_{ij,k} \frac{16f_{ij}(\rho^{ng})^{2} T^{ng} L_{ij} z^{ng}}{\pi^{2} D_{ij}^{5}} r_{ij,k} \widetilde{q_{ij,k}^{2}}$$

Introduced by offshore wind uncertainties

Introduced by complex gas security constraints

Introduced mainly by gas mixing equations

Introduced by variant gas compositions

And the combination of them



4.2 Reformulation of nonlinearities

 Linearize the square-root term in gas security constraints and split the joint chance constraints by Bonferroni approximation theory

$$WI_{i,k} = 2GCV_{i,k} \left(\sqrt{RD^{ng}} + RD_{i,k} / \sqrt{RD^{ng}} \right)^{-1}$$

$$\inf_{\Xi} \Pr\{2\sqrt{RD^{ng}} \sum_{g \in \mathcal{G}} \widetilde{\chi_{i,k,g}} \ GCV_g - WI^{min,N} \sum_{g \in \mathcal{G}} \widetilde{\chi_{i,k,g}} \ RD_g \ge WI^{min,N} RD^{ng}\} \ge 1 - \epsilon^G / N^{jc}$$

• Linearize bilinear terms using Taylor approximation, and further drive the relaxation tight in following solution procedures:

$$\widehat{x^T} \widehat{Jx} + \nabla (x^T Jx) (x - \widehat{x}) + K^T x + L = 0$$



4.3 Reformulation of chance constraints

Single side chance constraints

$$\inf_{\Xi} \Pr\{A^{T}(x)\xi + B(x) \le C\} \ge 1 - \epsilon$$

$$A^{T}(x)\mu + B(x) + \left((1 - \epsilon)/\epsilon\right)^{\frac{1}{2}} \left\|\sigma^{\frac{1}{2}}A(x)\right\|_{2} \le C$$
 Deterministic second-order cone constraints

Double side chance constraints:

$$\inf_{\Xi} \Pr\{ \left| A^{T}(x)\xi + B(x) \right| \le C \} \ge 1 - \epsilon$$

Introducing two ancillary variables

$$u^{2} + \left(\left\| \frac{1}{\sigma^{2}} A(x) \right\|_{2} \right)^{2} \le (C - v)^{2} \epsilon$$

$$|B(x)| \le u + v, \ u \ge 0, \ 0 \le v \le C$$

Deterministic second-order cone constraints



4.4 Unified affine mapping

Generally, uncertain variables can be written as adjustments based on forecast errors of offshore wind farm $\tilde{x} = x_{i,k} + \varphi^x(1^T \xi)$

Substituting it into original linear/nonlinear constraints will produce additional constraints:

For linear constraints:

$$D^T x = E$$
, $D^T \varphi = 0$

For bilinear constraints:

$$x^{T}Fx + G^{T}x + H = 0$$

$$2x^{T}F\varphi + G^{T}\varphi = 0, \varphi^{T}F\varphi = 0$$

For cubic terms in Weymouth equation:

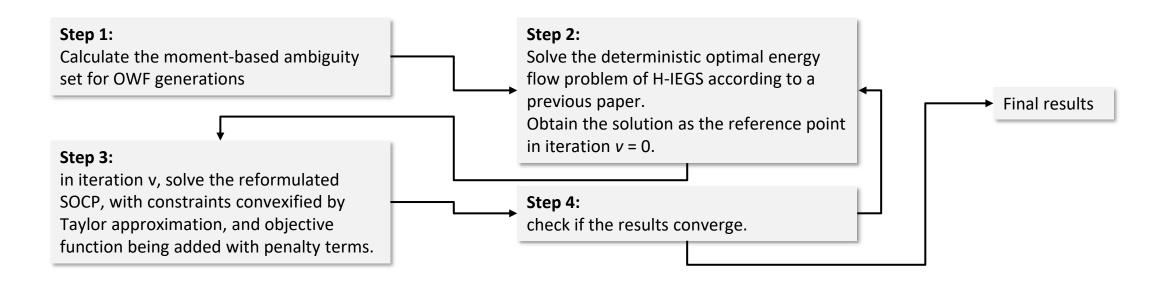
$$\widetilde{p_{i}^{2}} - \widetilde{p_{j}^{2}} \ge \Theta_{ij} \left(\widehat{r_{ij}} \widetilde{q_{ij}^{2}} + \widehat{r_{ij}} \widehat{q_{ij}^{2}} - \widehat{r_{ij}} \widehat{q_{ij}^{2}} \right)$$

$$\widetilde{p_{i}^{2}} - \widetilde{p_{j}^{2}} \le \Theta_{ij} \left(\widetilde{r_{ij}} \widetilde{q_{ij}^{2}} + 2r_{ij} \widehat{q_{ij}} \widetilde{q_{ij}} - 2r_{ij} \widehat{q_{ij}^{2}} \right) + \varepsilon_{ij}, \varepsilon_{ij} \ge 0$$



4.5 DRCC-SCP procedures

- After reformulation, a second-order cone programming problem
- Sequential convex programming is used to gradually drive the relaxation tight and converge to the optimum of the DRCC problem





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5.1 Case information

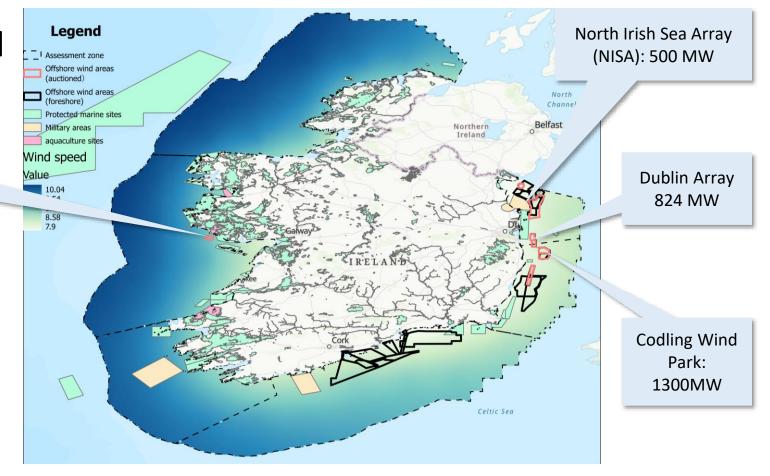
Ireland offshore wind

Sceirde Rocks Offshore

Wind Farm

ORESS1 auction:

0.13 wind speed
0.09
0.00
0 5 10 15 20 25 30 35 40
Wind speed (m/s)



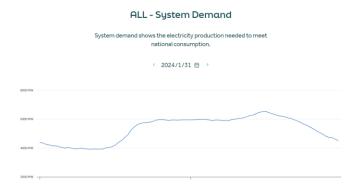


5.1 Case information

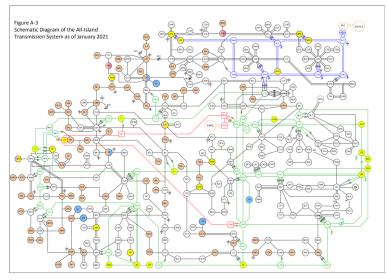
Ireland electricity system

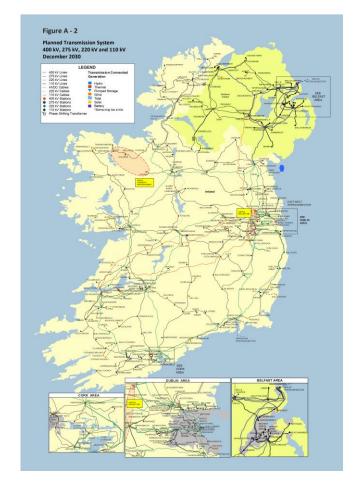
- 1192 buses,
- 1369 branches,
- 140 generators, 19.55 GW
- Max load around 6.5 GW

Load curve



Schematic Diagram of the All-Island





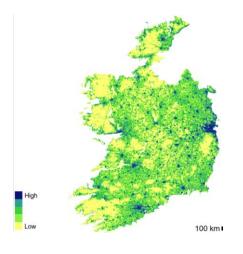
* All-Island Ten-Year Transmission Forecast Statement 2021



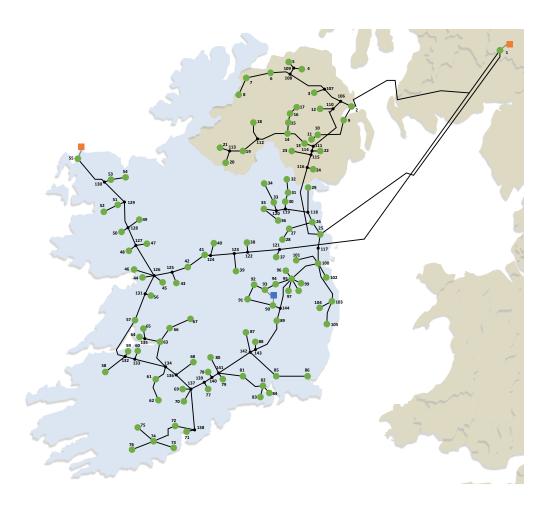
5 Case information

Ireland's gas system

- 144 buses
- 144 pipelines
- with a total gas supply capacity of 41.21 Mm³/day



Estimate the nodal gas demand by population density





5 Case information

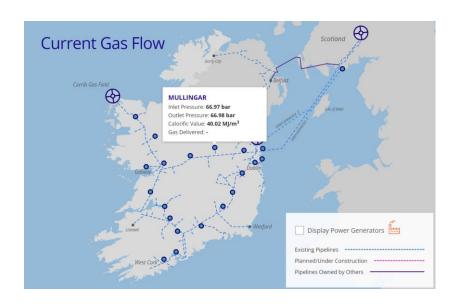
Offshore wind interconnection to electricity system

Advantaged

Advant

Offshore wind and gas-fired power plant interconnection to gas system

- Find the locations
- Find the nearest gas bus
- Use the map from GNI as the reference





5.1 Validation of proposed SCP-DRCC

Convergence and computation speed of SCP

Method 1: our method (SCP)

Method 2: dynamic outer approximation

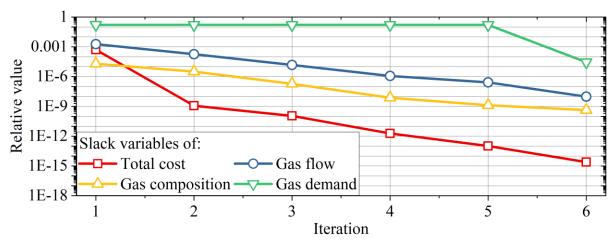
used in the latest Gurobi

Method 3: IPOPT

- computation time saved by 76.14% and 99.85%
- Accuracies are similar

Comparisons of different solution methods

Method	Method 1	Method 2	Method 3
Computation time (s)	0.9024	3.782	620.4
Objective function (€)	233527.87	233527.98	233527.86
Max relative differences	2.97×10^{-3}	1.49×10^{-3}	/



Convergence of SCP-DRCC



5.1 Validation of proposed SCP-DRCC

Uncertainty handling of DRCC

Comparison of different uncertainty handling methods

Method 4: our method (DRCC)

Method 5: perfect information,

deterministic solution

Method 6: Robust optimization

with ±σ uncertainty budget

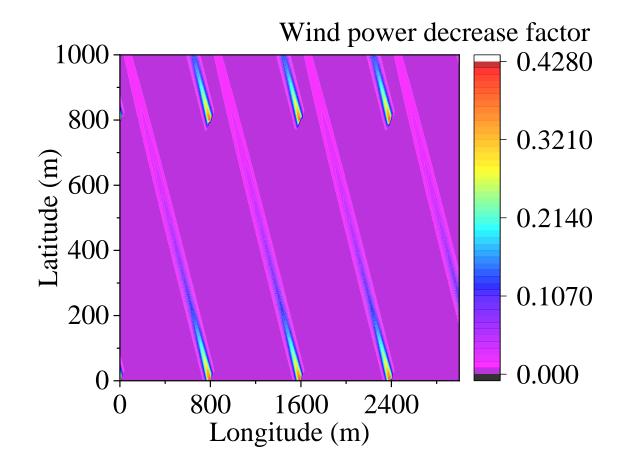
Method	Method 4	Method 5	Method 6
Total cost (€)	285791	281338	295053
Electricity system cost (€)	51917	56356	41287
Gas system cost (€)	233873	224982	253766
Electricity consumption of PTG (MW)	71.60	413.83	0
Hydrogen production of PTGs (Mm ³ /day)	0.4896	2.3588	0
Gas production of gas sources (Mm ³ /day)	26.88	25.87	29.14

- our method achieves the best balance between cost and conservativeness.
- Compared to the lowest cost in Method 5, the cost in Method 4 increases slightly by 1.58%
- Method 6 is more conservative. Its cost is 5.93% higher than in method 5, and the hydrogen production is zero. Therefore, it is not an appropriate operating strategy for energy system decarbonization.



Wake effect

- When the distance between wind turbines is 800m, the wake effect is around 5% when the wind is at certain angles.
- the impact is sparse.
- Our recursive-tree-based method can save the scenario required for the calculation from 1.5×10⁸ to 2524.





Typical daily operation and offshore accommodation

Three offshore wind

scenarios:

Scenario 1: 2030, 5GW

Scenario 2: 2040, 20 GW

Scenario 3: 2050, 37 GW

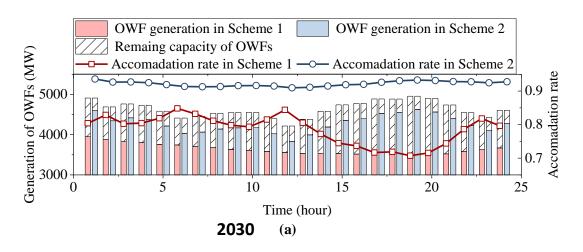
Two integration schemes:

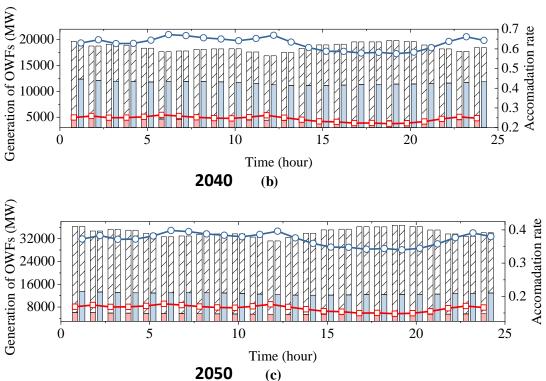
Scheme 1: electricity system

flexibility only

Scheme 2: hydrogen blending

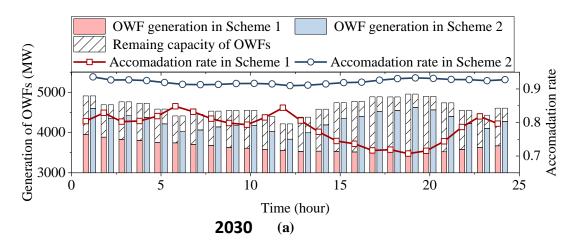
flexibility



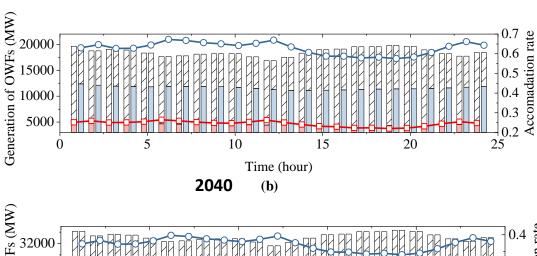


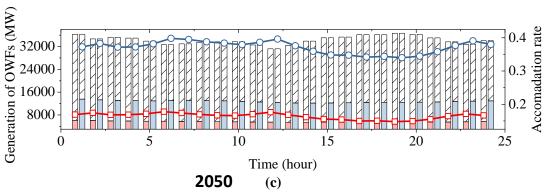


- Scheme 2 can significantly promote the accommodation rate.
- In 2040 and 2050, this trend becomes more obvious.
- the electricity system flexibility can be considered sufficient in accommodating the offshore goal of Ireland in 2030, but when the OWF capacity continues to grow in the long term, new technologies (such as hydrogen blending) are required.



accommodation rates in Scheme 2 are also decreasing in 2050.
 require new integration methods.

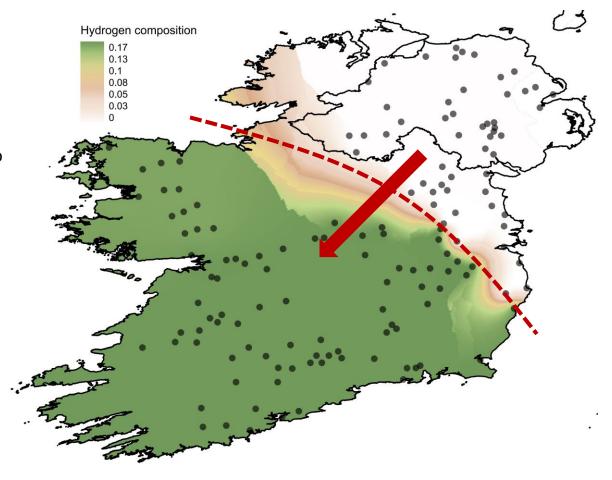






Molar fraction of hydrogen

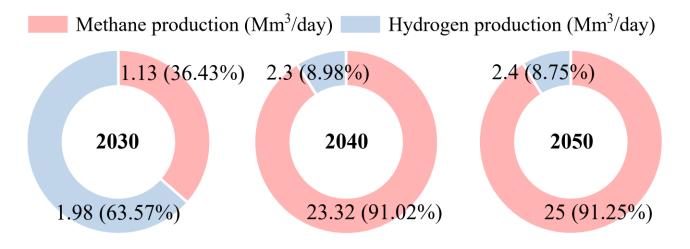
- a clear line that separates the high and low hydrogen concentration areas.
- In the northeast areas is upstream of the gas network with no offshore wind, and therefore the hydrogen is not blended.
- Since the hydrogen is blended in west Ireland from the Atlantic Ocean, east Dublin Bay, and South coastal areas, the hydrogen concentrations in southwest Ireland are relatively higher and reach their maximum possible value of 15.84% (constrained by gas security limits).
- although OWFs are interconnected to the Dublin area, due to the high load density, their electricity generations are consumed directly by electricity demand rather than converting into hydrogen, so the hydrogen concentration in the Dublin area is still low.





PTG gas production

- in 2030, most of the surplus offshore wind generation is used to produce hydrogen.
- in 2040 and 2050 with the further increase in OWF capacity, the proportions of hydrogen production are reduced significantly to only 9%. This is mainly because due to the gas security limits, the gas network is no longer able to absorb more hydrogen.
- This kind of decrease in hydrogen injection will lead to extra energy loss during the methanation process and higher carbon content in the gas network, and therefore is not beneficial for overall energy efficiency and decarbonization.





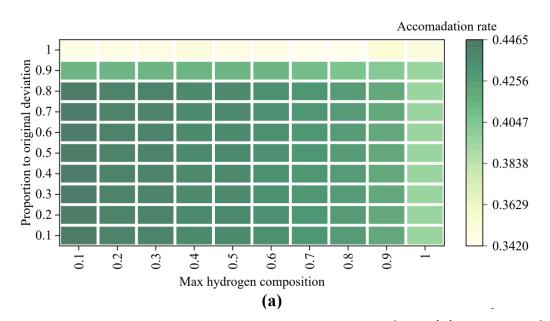
5.3 Sensitivity analysis

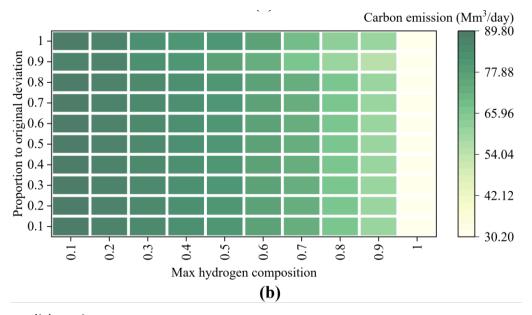
If the accommodation rate can be higher in the long term?



Two technical advancement pathways:

Pathway 1: more accurate wind forecast **Pathway 2:** higher tolerance for hydrogen





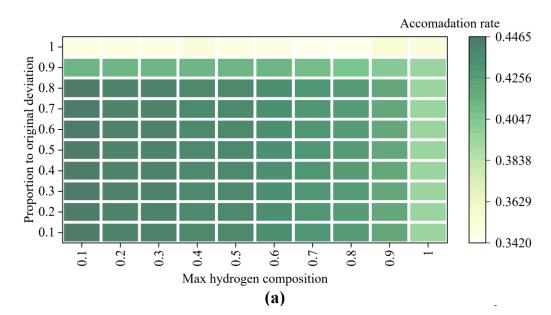
Sensitivity analysis: (a) accommodation rate; (b) carbon emission.

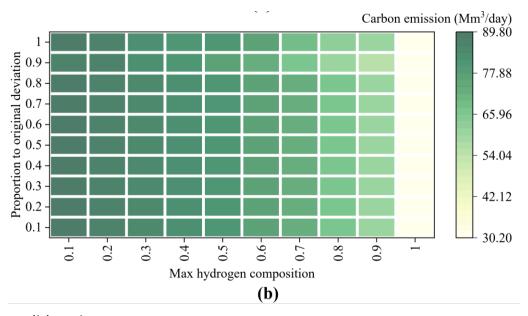


5.3 Sensitivity analysis

- The accommodation rate increases with the increase in wind prediction precision.
- The positive impact of Pathway 1 has an upper limit even if the prediction precision increases to 100%.

• the advancement in Pathway 1 does not have significant impacts on reducing the system's carbon dioxide emissions.



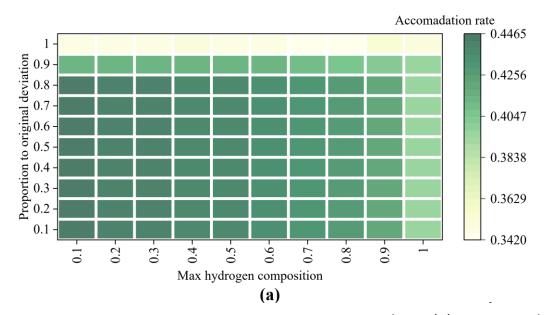


Sensitivity analysis: (a) accommodation rate; (b) carbon emission.

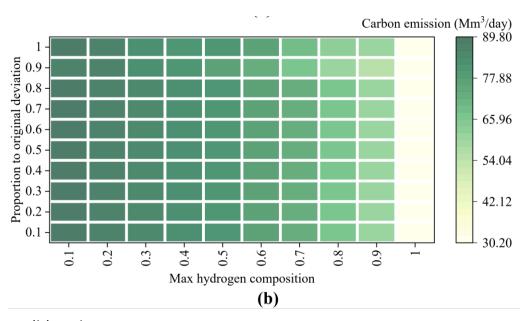


5.3 Sensitivity analysis

- interestingly, the offshore wind accommodation rate will decrease slightly with the advancement in Pathway 2
- Because the bottleneck lies in the gas network capacity (and total gas demand)



- Nonetheless, the system operating cost has been reduced from 269441 to 247376 €/hour
- the carbon dioxide emission has also reduced significantly by 64.44%.



Sensitivity analysis: (a) accommodation rate; (b) carbon emission.



Contents

- 01 Introduction
- 02 Model of offshore wind
- 03 DRCC formulation of H-IEGS
- 04 Solution method
- 05 Case study

06 Conclusions and further discussions



6.1 Conclusions

- Power system flexibility is enough for short-term (5GW), but not enough for mid/long term.
- New sources of flexibility (including gas network, and hydrogen blending) are critical in the mid/long term.
- With technical advancement in the future, the carbon emission and accommodation rate can be significantly improved, but have limits.
- To break this bottleneck, alternative measures, such as enhancing power/gas system transmission capacities, cross-border renewable electricity/gas trading (more recommended)... are essential.



6.2 Further discussions

Limitations of this work:

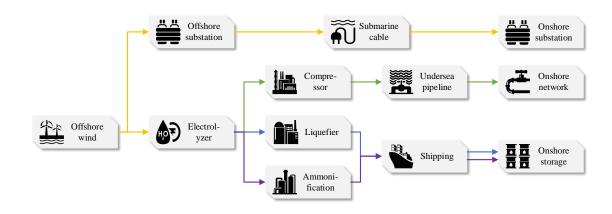
- Implemented in the operation stage (one stage), while only considering the constraints by network structure, not other factors the generator flexibility (ramping), frequency regulation requirements, etc.
- Limited to pipeline hydrogen transportation only, while neglecting shipping, tube trailer, direct use, and other options.
- Limited to domestic energy consumption only.



6.3 Next step work

Reshaping energy structure in Europe: Carbon mitigation potential of hydrogen production export from offshore wind in Ireland

- Map the levelized cost of offshore wind electricity/hydrogen/ammonia by HVDC, pipeline, and shipping
- Evaluate the domestic consumption potential of these electricity/chemical products
- Calculate the receiving potential of the wider sector (power, industry, marine...) in nearby countries (the UK, and mainland Europe)
- Evaluate the carbon mitigation potential in Ireland and its wider impacts on Europe



Thank you!





















