

## Priority Queue Operations:

Array  $pq[]$  holds the elements.

Field size stores number of elements that are currently stored.  $size \leq pq.size - 1$ .  $pq[0]$  is unused.

Insert(x) / Add(x)  $RT = O(\log n)$ .

```
if size = pq.size - 1 then
    resize() // utility function to resize array
    // when it is full
    size++
    pq[size] ← x
```

PercolateUp(size)

PercolateUp(i) //  $pq[i]$  may violate heap order  
// with its parent

$pq[0] \leftarrow pq[i]$  // saves edge cases

while  $(pq[i/2] > pq[i])$  do

$pq[i] \leftarrow pq[i/2]$

$i \leftarrow i/2$

$pq[i] \leftarrow pq[0]$

DeleteMin() / Remove() //  $RT = O(\log n)$

$min \leftarrow pq[1]$

$pq[1] \leftarrow pq[size--]$

percolateDown(1)

Return min

PercolateDown(i) //  $pq[i]$  may violate heap order  
// with its children

$x \leftarrow pq[i]$

while  $(2*i \leq size)$  do

if  $(2*i = size)$  // one child  
if  $(x > pq[size])$  then

$pq[i] \leftarrow pq[size]$

else  $i \leftarrow size$   
// break;

else // 2 children  
if  $(pq[2*i] < pq[2*i+1])$  then  
 $child \leftarrow 2*i$

else  $child \leftarrow 2*i+1$

if  $x > pq[child]$  then

$pq[i] \leftarrow pq[child]$

$i \leftarrow child$

else  
break

$pq[i] \leftarrow x$   
return