Hashing Hashing
Operations: Insert(x), Delete(x), Find(x) Applies to a class with a "key" field. No two objects have the same key. No ordery is assumed. Idea: Hash function  $k(x) \longrightarrow Z^{+}: [0, n-1]$ Choose n to be proportional to the number Table size = M of elements in hash table. Preferably, each element for any two keys x, y:  $P_{r} \left\{ h(x) = h(y) \right\} = \frac{1}{h}$ . In ideal situation: given n elements, # of elements with  $\{l(x) = i\} = O(1)$ . h(x) = h(y) — Collision. What does h How do you select h ()? Use a pseudorandon function. h(1), h(2), h(3). .... to judistripuishable statistically from a random sequence Yet determinishe - derived from math related by, easy to calculate. to cryptography. Ideally, easy to calculate. Delete (Key) Find ( key) Insert (Key, X) ie L(Key) Fid x in inder i & ixh(key) ie h(Key) hash table with x. key=key, Search for object // Ken is a fold gx. with 'key in the key field. delik it Place X in indexi
of hash table in index is

Collision Revolution

(i) Open hashing - Separate change - used by Java's Hash Set, Hash Map Hack table - away of linked lists. Insert (X): // X has "key" fill.  $i \leftarrow h(x. key)$ Table [2]. add (x). if (! Table [i]. contains (x)) { Table[i].add(x); } Find (x): i + h(x. key) ?

Table[i]. get (x.key) Delete( $\hat{x}$ ):  $\hat{z} \leftarrow h(x, key)$ Table (x. key).

Java's had tables

Hash Set (T) Set of elements stored in a hash table For user defined classes, hash (rde(), equals () X. equals (Y) = true (x. hash Code() == Y. Lash Code() studd de defined: After x is inserted into a set, if x key is charged, set may become inconsistent.

Hash May (K,V): K- Key 7 - choice when "V" is not V- Value 7 - inherent property of "K".

Implementation: Separate chamiy. Separate Chaining: Each entry in Hach Table is a linked list. All objects with equal hashCode () will be stored in the same list.