2.5 Polarization of EM Waves

Tuesday, October 24, 2023

Basic Wave Polarization - Linear Polarization

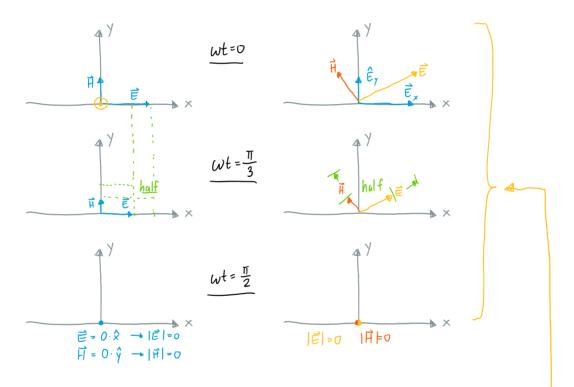
$$\vec{E}(z,t) = Re\left(E_x e^{j\omega t} e^{-j\beta z}, 0\right) = E_x \cos(\omega t - \beta z) \hat{\chi}$$

$$\vec{H}(z,t) = Re\left(0, \frac{E_x}{\eta} e^{j\omega t} e^{-j\beta z}\right) = \frac{E_x}{\eta} \cos(\omega t - \beta z) \hat{\chi}$$

$$O \qquad) \; = \; \frac{\mathsf{E}_{\mathsf{x}}}{\eta} \, \cos \left(\mathsf{w}^{\mathsf{t}} \, {}^{\mathsf{f}} \, {}^{\mathsf{f}} \, \right) \, \hat{\mathsf{y}}$$

Snapshots In-phase?

• All figures:
$$Z=0$$
, $\omega t = 0, \frac{\pi}{3}, \frac{\pi}{2}$



$$\vec{E}(z,t) = \Re \left(E_x e^{j\omega t} e^{-j\beta z}, E_y e^{j\omega t} e^{-j\beta z} \right)$$

$$\vec{H}(z,t) = \Re \left(-\frac{E_x}{n} e^{j\omega t} e^{-j\beta z}, \frac{E_x}{n} e^{j\omega t} e^{-j\beta z} \right)$$

$$\vec{E}(z,t) = Re\left(E_x e^{j\omega t} e^{-j\beta z}, E_y e^{j\omega t} e^{-j\beta z}, O\right) = E_x \cos\left(\omega t - \beta z\right) \hat{\chi} + E_y \cos(\omega t - \beta z) \hat{\gamma}$$

$$\vec{H}(z,t) = Re\left(-\frac{E_x}{\eta}e^{i\omega t}e^{-j\beta z}, \frac{E_x}{\eta}e^{i\omega t}e^{-j\beta z}\right) = \frac{E_x}{\eta}\cos\left(\omega t - \beta z\right)\hat{y} + \frac{E_y}{\eta}\cos(\omega t - \beta z)\hat{x}$$

Basic Wave Polarization - Circular Polarization

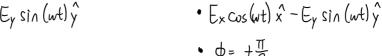
$$\vec{E}(z,t) = E_x \cos(\omega t - \beta_z)\hat{x} + E_y \cos(\omega t - \beta_z + \phi)\hat{y} \qquad [z=0, E_x=E_y]$$

$$= E_x \cos(\omega t)\hat{x} + E_x \cos(\omega t + \phi)\hat{y}$$

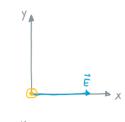
Snapshots:

Snapshots:

- · Excos(wt) x + Ey sin (wt) y
- $\phi = -\frac{\pi}{2}$

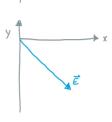


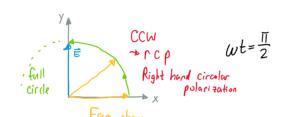


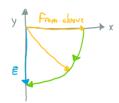


wt=0









left-hand circular polarization

Identify the polarization of the following field descriptions:

QI
$$\vec{E}(z,t) = E_o(\cos(\omega t + \beta_z)\hat{x} + \sin(\omega t + \beta_z)\hat{y})$$

circular

Q2
$$\vec{H}(z_1t) = H_x \sin(\omega t - \beta_z)\hat{x} + H_y \sin(\omega t - \beta_z)\hat{y}$$

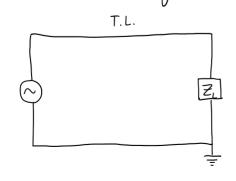
linear

$$\mathbb{C}_{3} \quad \mathbb{E}(z,t) = \mathbb{E}_{o}\left(\cos\left(\omega t + \beta_{z}\right) \stackrel{\wedge}{x} - \cos\left(\omega t + \beta_{z} + \frac{\pi}{2}\right) \stackrel{\wedge}{y}\right)$$

circular

In-class 10/17/13

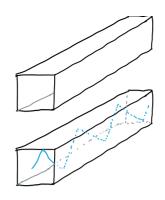
Why can't a rectangular waveguide (with perfect conductivity) accept TEM waves. (Also can't for circular waveguides)



The T.L. has 2 conductors.



This waveguide has I can ductor



This waveguide has I can ductor No potential difference at the ends TEM cannot exist here.

Only either TE or TM waves

Polarization

$$E_{x} = A_{x} e^{j\omega t}$$

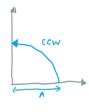
$$E_{y} = A_{y} e^{j\omega t}$$



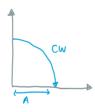
90° out of phase:

$$\vec{E} = A \cos \omega t \hat{x} + A \sin \omega t \hat{y}$$

$$= A(\cos \omega t \hat{x} + \sin \omega t \hat{y})$$



-90° out of phase



In-class 11/01/2023

- > In IMAX, they use two projectors, one vertical & one horizontally polarized. Each goes to a different eye, letting you see in 3D.
- > When you tilt your head 45°, the images get distorted as images from both projectors get into your eyes. How do your adjust to reduce this sensitivity to still see in 3D?

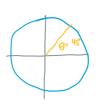
> Use the concept of rotation & circular polarization

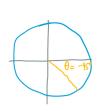


> Use the concept of rotation & circular polarization

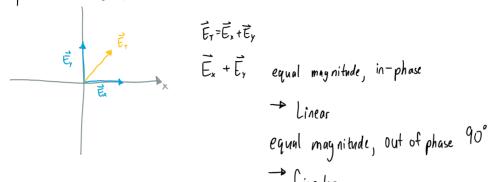
> 4 projectors - vertical, horizontal, 45°, -45°

Circular Circular





· Elliptical Polarization



$$\vec{E}_x + \vec{E}_y$$



Unequal magnitude, out of phase 90°

Rectangular Ellipse (Lor R-handed)

= A, cos wt 1 + A2 sin wt) rectangular ellipse

= A cos wt 1 + A sin (wt + ϕ) 1 skewed -angle ellipse