Tensor Flow, TF ZO Otancia). 4. Surgeon Cultoss & Coness Home work: To verlood a Cory of your un-affect transcript to Show the veryited courses solished ON CHUNNE 4. Textbook. Day Learning with Python.

August 23 (Two)

" (IVEX 5 hed)

SHIWARE TOOKS:

Flost Day of the Class

Mitson Considering & 1

(656) 400-1116 Cellythone for

Text message Only.

Zoom Link)

of this where;

n) channel place of the 5t commutation larger Next, Pooling - Tedustras of Tesolation - 752 between

Robot Usion Book By Home Marry Manerical "Dook, Grad Teleneme for Open W Algorithms.

From the Michilecture diagram:

Grand Themstical Foundations)

Yenas (ATS) for TS.

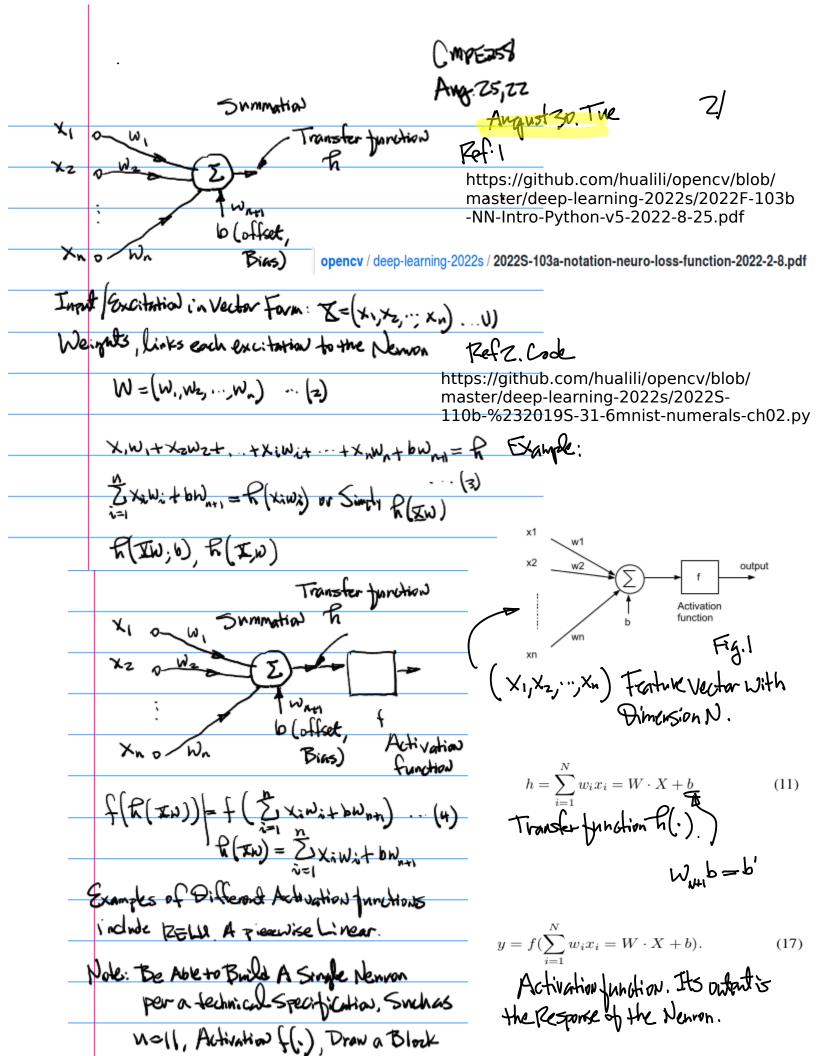
CIMI -> CZMZ-FLAHEN-> FFNI

5 Projects Mandating Assigned Troject LTEAM Project (Mandahari)

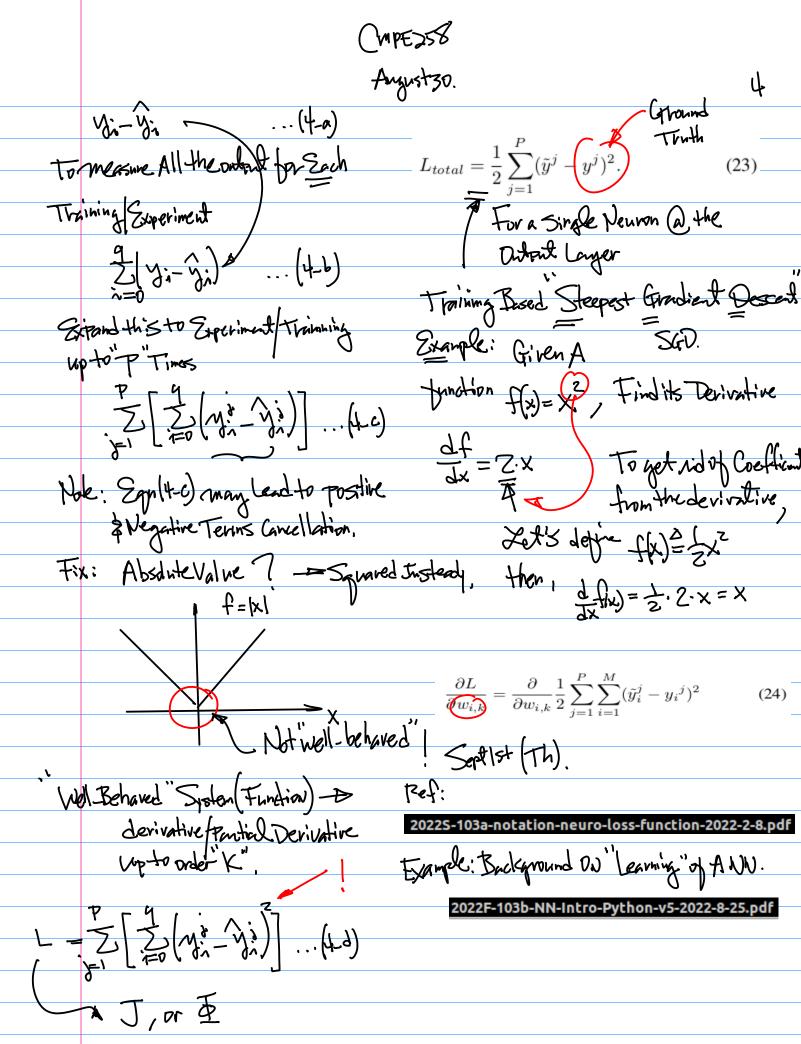
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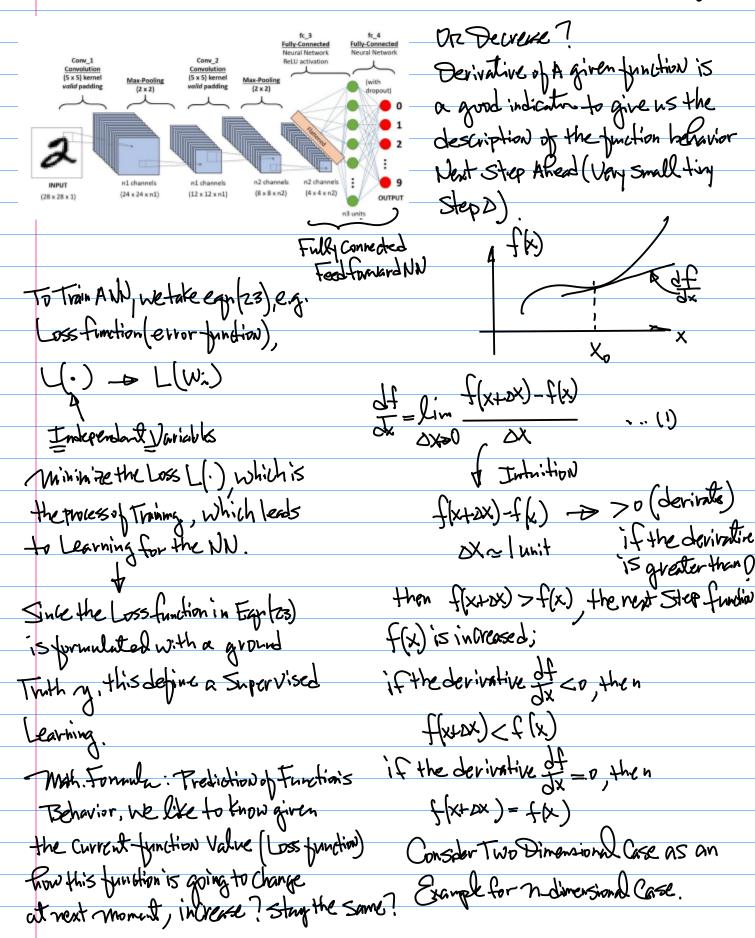
4-Terrory Team. Treventation By the Fundade the Secreptor

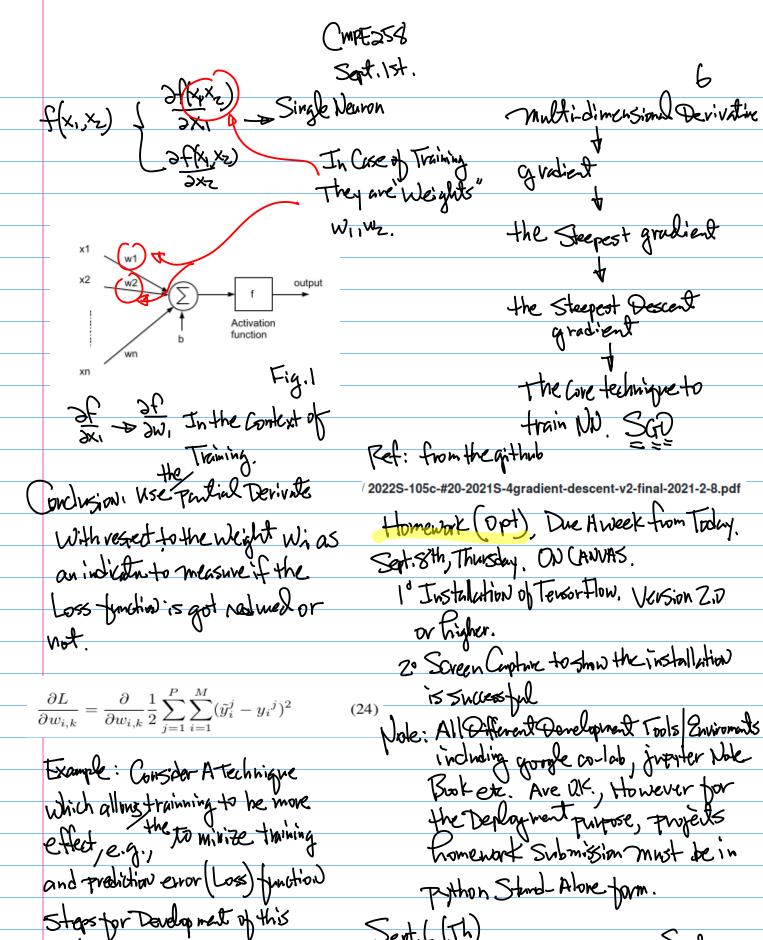
Black.



\_)M7E258 Aug. 30. Look at the Concept & Definition of Loss Consider the carbatof the Newon function. y from Eq.(17). mathematically to Compare a Neural Notwax Oward of A Single Neuron. Orbert (Single Nervon Orbert) For Multiple Neuvon adout, see Fig. Z function f. function a Comparision of the Similarity or differce between f and q. Difference Between Two Functions. Take this Approach to define Loss function, Vo. of Outrot at the Dutat Layer. Fround Truth. Output (Frediction) from the Neuman y, N=1,2,...,M. In-practical Application, fc\_4
Fully-Connected
Neural Network Mit ... (z) j=1,2, ..., P No. of Experiments Performed, Training Performed. оитрит 1= 0,1,z,...,9 Fig3. (4 x 4 x n2)







technique:

Sept. ((Th) Sept 13. Homework: Due I week from Today

1. OpenCV Installation, Rython.

Z. Use Smart phone to Capture

5~10 Seconds Video Clips.

. avi, mp4 (mpeg4).

3. Sample Code, oxit hub.

See CANVAS for the Detailed

links & Reginements.

4. Submission to CANVAS.

(1) Rithon Code;

3 Original & Processed image Side by Side with your Namet SID. Create One polf file to

Coverthe Source Code, And

Screen Captured Images.

5. Naming Convention

HW\_CV\_First\_Last Name\_OmpezS8\_SID, Zip

Example: Gradient Definition

Ref:

https://github.com/hualili/opencv/blob/master/deep -learning-2022s/2022S-105c-%2320-2021S-4gradient-descent-v2-final-2021-2-8.pdf

https://github.com/hualili/opencv /blob/master/deep-learning-2022s/ 2022S-104d-%232-pdisplay-2019-1-30.py

Higher Dimension Tunction

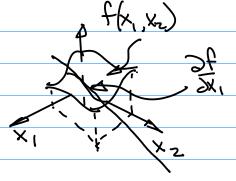
f(x1, x2, ..., xn)

Weights, W., Wz, ..., WN

Partial Derivatives;

of w.r.t x, of forxe ...

It wint Xn.



W.r.t Xz

Loss function

Derivative, e.g., Given f(x), then  $\frac{df}{dx} = \lim_{\Delta x \to 0} \frac{f(x + \Delta x) - f(x)}{\Delta x} \dots (1)$ 

$$\frac{\partial L}{\partial w_{i,k}} = \frac{\partial}{\partial w_{i,k}} \frac{1}{2} \sum_{j=1}^{P} \sum_{i=1}^{M} (\tilde{y}_i^j - y_i^j)^2 \tag{24}$$

Consider the Minization of function f (Loss Function) Wirit. All possible weights. Therefore, Put all the purtial Devivatives together to born A vector, e.g., gradient.  $\nabla f = \begin{pmatrix} \frac{\partial f}{\partial x_1} \\ \frac{\partial f}{\partial x_2} \\ \dots \\ \frac{\partial f}{\partial x_n} \\ \dots \\ \frac{\partial f}{\partial x_n} \end{pmatrix} - \mathbf{2a}$ 

d. On the Right hand side of Egy(5): (X, x, x, Dimension n=Z, (x, x, x)
Time Index' K", Superscript Owent of the NN with its weights at

e. On the left (XK+1, XK+2), wh the Step K+1 to Reduce the Loss function, so update therew step By following

for N=Z,  $\nabla f(x_1, x_2) = \begin{cases} \frac{\partial f}{\partial x_1} & \dots & |z_b| \\ \frac{\partial f}{\partial x_2} & \dots & |z_b| \end{cases}$   $\nabla f(x_1, x_2, x_3) = \begin{cases} \frac{\partial f}{\partial x_1} & \dots & |z_b| \\ \frac{\partial f}{\partial x_2} & \dots & |z_b| \end{cases}$ 

 $-\Delta_{t} = -\sqrt{\frac{3+1}{3+1}} \cdots (2)$ 

Conclusion:

,a. Loss function

 $(x_1^{k+1},x_2^{k+1}) = (x_1^k,x_2^k) + [-\eta(\nabla f)^t] \tag{5} \quad \textbf{b} \cdot \textbf{N} = \textbf{Z}$ 

Background; Given a function f(x), How do you Approximate this function By using Basic Building Blocks (B3) 7

C. Gradient of (x,,x,) for

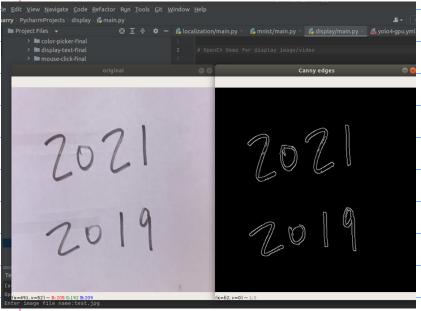
e.g. f(x1,x2,...,xn)

-> f(x,xe)

f(x)= Constant + A Linear + A Quadratic + A Cubic Term + ··· (4)

Taylor Expansion:  $f(x, x_2) = f(x, x_2) + \frac{\partial f}{\partial x}(x_1 - x_{10}) + \frac{\partial f}{\partial x}(x_1 - x_{10}) + \frac{\partial f}{\partial x}(x_2 - x_2) + \frac{\partial f}{\partial x}(x_1 - x_{10}) + \frac{\partial f}{\partial x}(x_2 - x_2) + \frac{\partial f}{\partial x}(x_2 - x_2) + \frac{\partial f}{\partial x}(x_1 - x_{10}) + \frac{\partial f}{\partial x}(x_2 - x_2) + \frac{\partial f}{\partial x}(x_1 - x_2) + \frac{\partial f}{\partial x}(x_2 - x_2)$ 

Note: The screen Capture for Your honework reference.



Sept.8 (Thu)

Note: 1° Check the CANVAS for Both Homewarks.

Example: From 10 Case in Egn (4),
We can expand the Tougher
Expansion to higher Direction 11.
to Capture multiple excitations,
multiple Weights Wi, i=1,2,...,n.
Consider u=Z

Linear Term

+ 3fe(x1-x10)2+ 2fe(x2-x20)2+...

Znd (Noder + Rn(X1)xe)

+ Righer

Order

The goal is to Terms

Verify the formula for updating the vieights of A given NN.

(See Head II = 1-11

(see Handont |, Eqn(5)).

Step! Taylor Expansion to Step?

Simplify the Taylor Expansion

By just using upto the Linear

terms \_ Step3. Re-carrange

the Taylor Expansion in the form

of Training formula (In Egn(5),

I'm Handout I) \_ Step4. Analyze the

ve-arranged formula, to Teach the

Observation which lead to the

Conclusion, e.g., Wing gradient

descent, we can Redmethe Loss

10 Junction through Each Step of the Note: The Requirement for this discussion on Notations, And trainning. formulation, especially, the From the Handont, we have as Step | &Z: Equ(s) in Handont 1 is vegrind  $f(x_1, x_2) \simeq f(a, b) + \frac{\partial f}{\partial x_1}(x_1 - a) + \frac{\partial f}{\partial x_2}(x_2 - b)$  (6) To Be Able to use these took  $f(x_1,x_2)-f(a,b) \sim f_{x_1}(x_1-a_1) + f_{x_2}(x_2-b)$ to Analyze the Trobbem, And to Perform Verification (e.g. design) Comparison of A Loss function, write 2022F-103b-NN-Intro-Python-v5-2022-8-25.pdf DX1 = X,-a  $\Delta x_2 = x_2 - b$ And  $\nabla f = \begin{cases} f_{x_2} \\ f_{x_2} \end{cases}$ To Be Continued. OpenCV Homework. Same Gode Henk, we have opencv/2022S-104d-#2-pdisplay-2 f(x1,x2)-f(x,b) =(DX1,DX2) &f Lt 0x1=-fx1, 0x=-fx2 α, Therebue, f(x1,x2)-f(a,b) = (-fx,-fx)(fx1) orint ('Error opening image!') print ('Usage: pdisplay.py image\_name\n')  $= -\left( \int_{z}^{x_{1}} + \int_{z}^{x_{2}} \right) \leq 0$ Hence, f(x,xz)-f(a,b) < 0 0  $f(x_1) < f(x_1)$ Note: OpenW Reside Function. Loss function at Lossfunction Updated at the Resize the Convent next Step by Egn(5) in Handout 1,

(0,0)

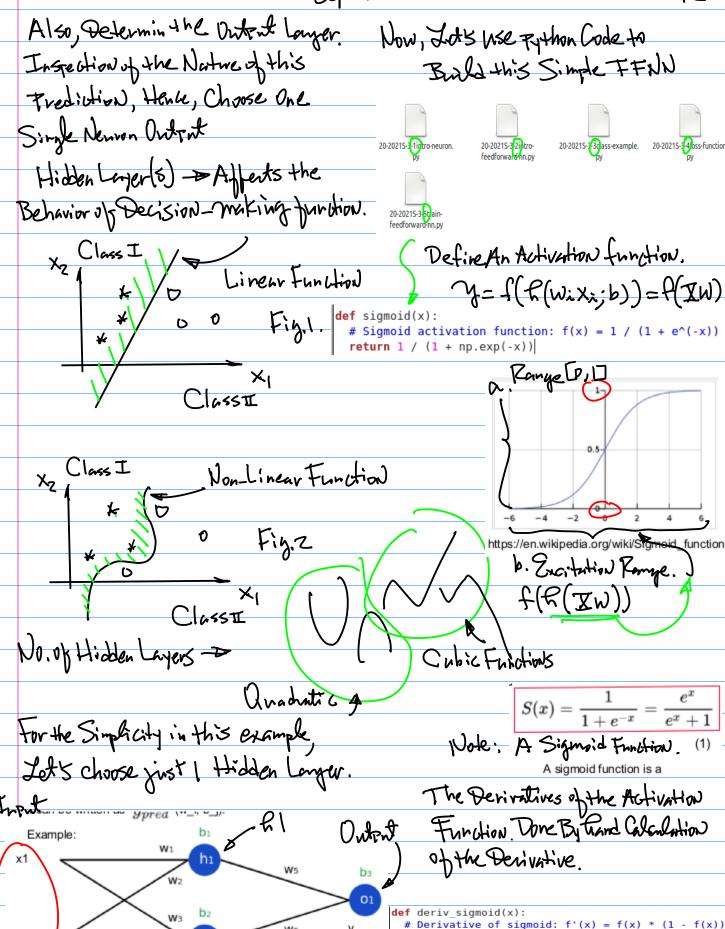
(m-1,N-1)

```
import numpy as np
                 import cv2
                 img = input('Enter image file name:')
                 image = cv2.imread(img, cv2.IMREAD_COLOR)
                 if image is None:
                     print('Error opening image!')
                 image = cv2.resize(image, (512, 512))
                 gray = cv2.cvtColor(image, cv2.COLOR_BGR2GRAY)
                 edges = cv2.Canny(gray,100,200) 🤍
          a. Conversion to Grany Scale I maye;
                                                         C. Preprocessing of the dataset
           6. Carry Edge Detection.
                                                                             Height
                                                                   Weight Height (minus 66)
         Sept. 13 (Tue)
                                                         Alice
                                                         Bob
                                                         Charlie
         Honework: (Opt) Due to A Week from
                                                         "Shift" Down the data w.v. +
            today. Capture the screen to the
                                                            You canfind the mean for Xi, ray Z,
            T.F. Installation is successful.
                                                             then Shift" the Data Accordingly
        Example: 2022F-103b-NN-Intro-Python-v5-2022-8-25.pdf
                                                             By Subtracting it from the
         a. Feature Vectors
                                  V = V_1, V_2
                                                           Mean
                                                            make the ground truth
          Example: Collecting data for training
                                          I=(x1, xz)
                                                            Value as Minerical value for
                       Height (in
                                Gender
          Name Weight (lb)
工
                                                            easy Randling.
                   160
          Charlie
                   152
                       70
          Diana
                                         又<sub>~</sub>=(×,1,×,12)
                                                           Now, Consider Design for a
                                         b. Ground
                                Sign
          Signs
                       Mpq
                                          Truth of Corresponds to In NN.
                   133
                                Stop
          V2
                   160
                                Right
          V3
                   152
                                Right
          V4
                                                         Stepl. Match the Dinasion of the
```

(24) Feature Vector Zi to the Irent Newors

 $\frac{\partial L}{\partial w_{i,k}} = \frac{\partial}{\partial w_{i,k}} \frac{1}{2} \sum_{i=1}^{P} \sum_{j=1}^{M} (\tilde{y}_i^j - y_i^j)^2$ 

Sept. 13.22



$$\frac{d}{dx}$$
 Sig(x)= $\frac{d}{dx}$   $\frac{1}{1+e^{-x}}$ 

Define the Loss function

$$\frac{\partial L}{\partial w_{i,k}} = \frac{\partial}{\partial w_{i,k}} \left( \frac{1}{2} \sum_{j=1}^{P} \sum_{i=1}^{M} (\tilde{y}_i^j - y_i^j)^2 \right)$$

def mse\_loss(y\_true, y\_pred): # y\_true and y pred ar numpy arrays of the same length

return ((y true - y\_pred) \*\* 2).mean()

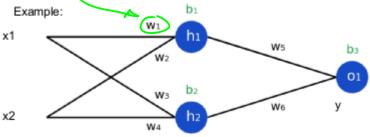
Mean Square Error

Glound Touth

Vole: The Derivative Gode in this example Allows Training Implement By Gradient Descent.

The weight initialization.

```
def init_(self):
  # Weights
  self (w1) = np.random.normal()
  self.w2 = np.random.normal()
  self.w3 = np.random.normal()
  self.w4 = np.random.normal()
  self.w5 = hp.random.normal()
  self.w6 = np.random.normal()
```



# Biases self.b1 = np.random.normal() self.b2 = np.random.normal() self.b3 = np.random.normal()

def feedforward(self, x): # x is a numpy array with 2 elements.

h1 = sigmoid(self.w1 \* x[0] + self.w2 \* x[1] + self.b1)

h2 = sigmoid(self.w3 \* x[0] + self.w4 \* x[1] + self.b2)o1 = sigmoid(self.w5 \* h1 + self.w6 \* h2 + self.b3)

return ol (24)

Define the F.F. Newfol Notwork.

Output:

where x is from the

Ridden Nerwors, R. & Rz