

6G Upper Midband Technology- Near-field Communication

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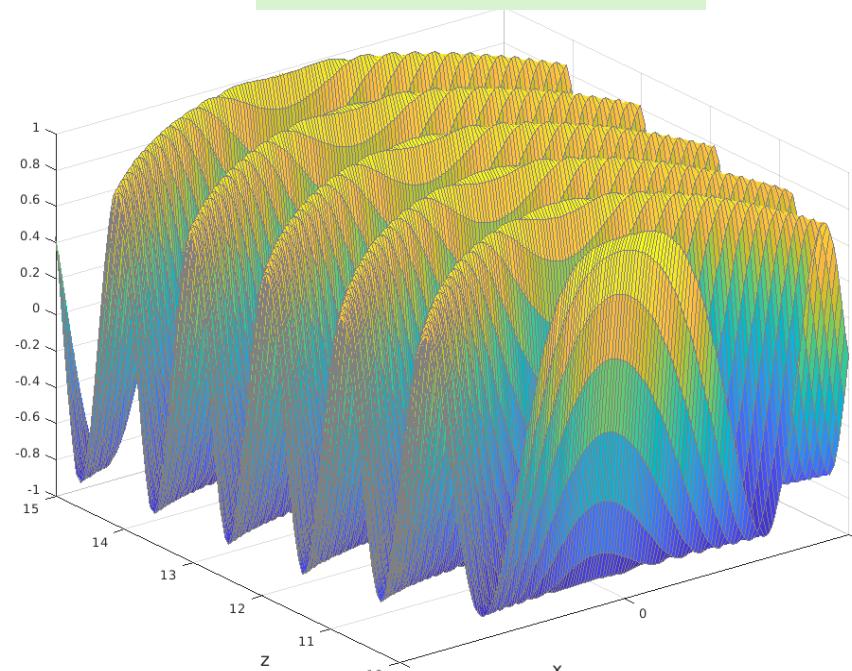
Shima Mashhadi

Jan 2025

Nearfield of the Antenna Array

- Fresnel region is characterized by the fact that the amplitude variations can be neglected, but not the phase variations.

Curved wavefront

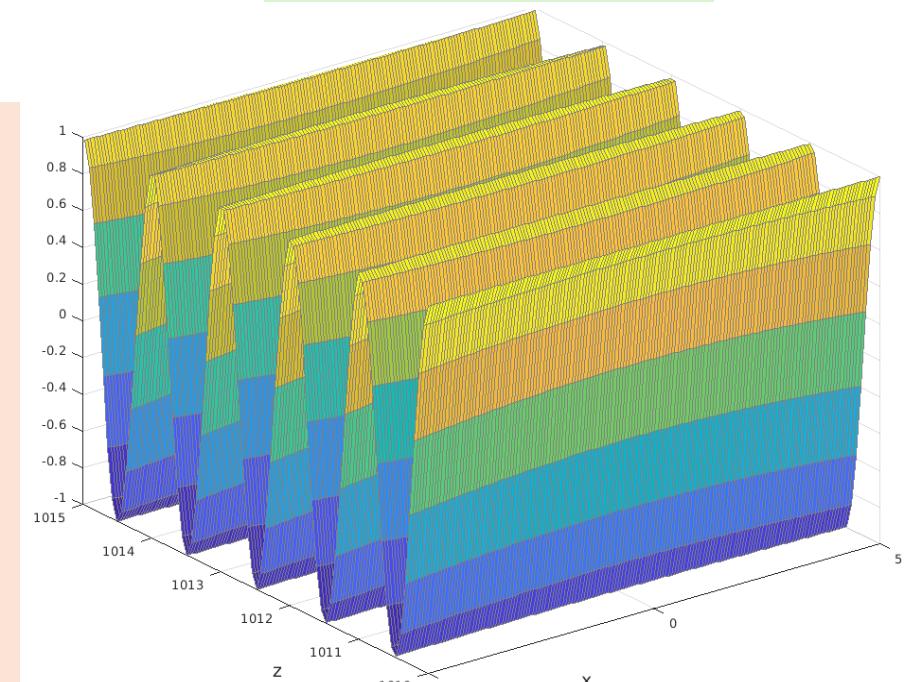


$$d_B < r < d_F$$

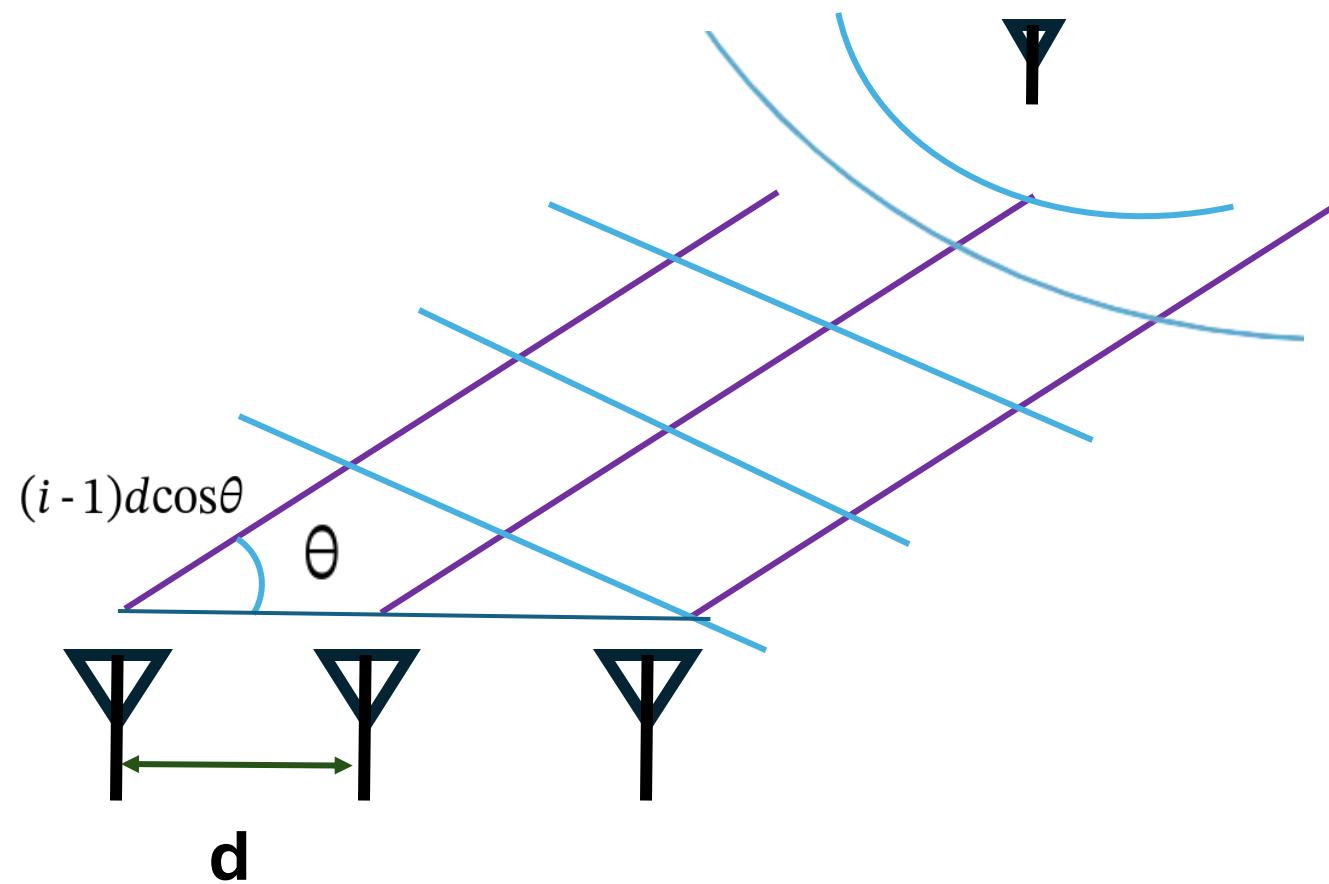
Example : Fraunhofer distance

$$\begin{aligned}0.5 \times 0.5, 3 \text{ GHz} &= 10 \text{ m} \\1 \times 1 \text{ m}, 15 \text{ GHz} &= 200 \text{ m} \\1 \times 1 \text{ m}, 30 \text{ GHz} &= 400 \text{ m}\end{aligned}$$

Planar wavefront



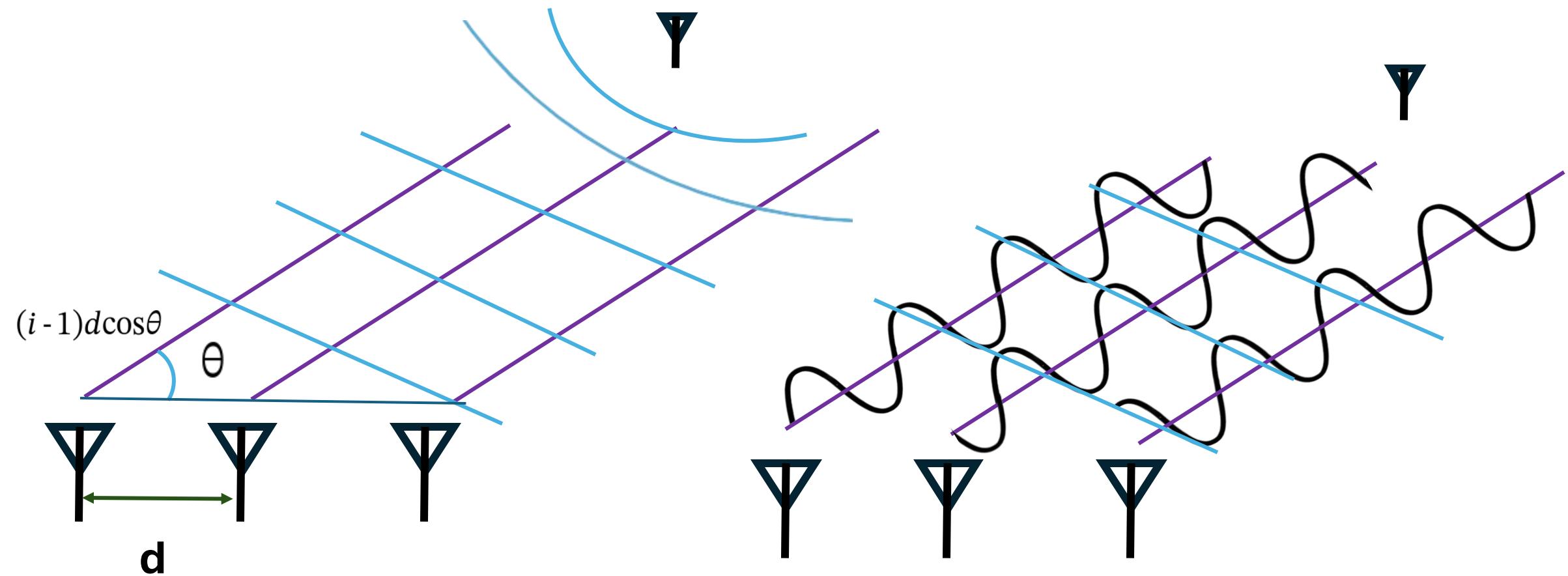
What is Beamforming ?



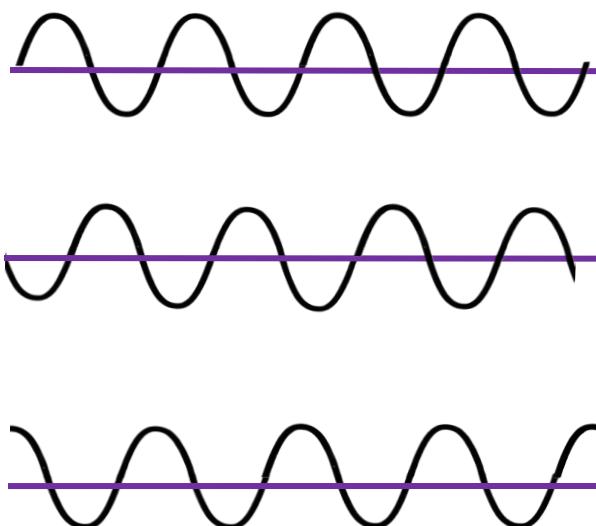
- Considering a simple SIMO
- Transmitter in the far-field

$$h_i = \frac{\lambda\sqrt{G}}{4\pi r} e^{-j\frac{2\pi}{\lambda}(r - (i - 1)d\cos\theta)}$$

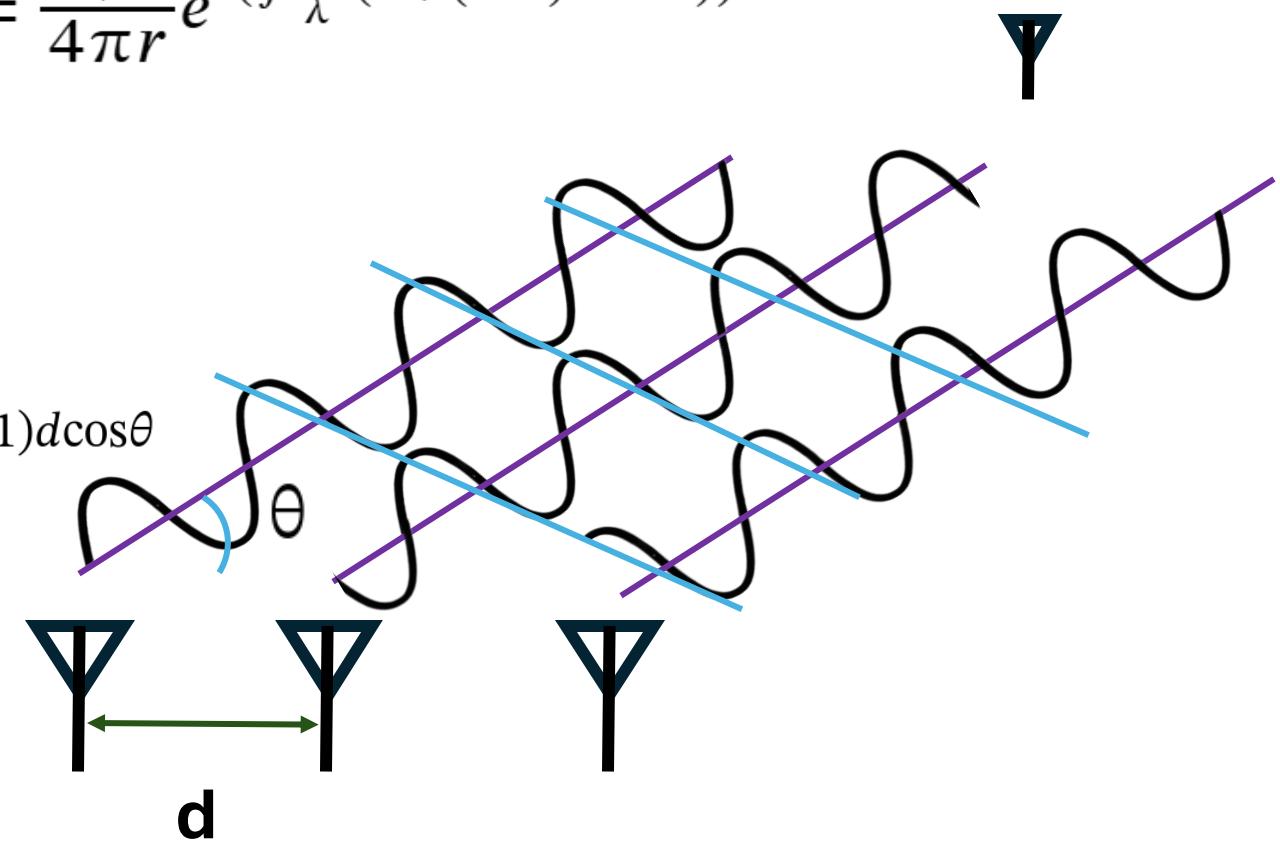
What is Beam Forming ?



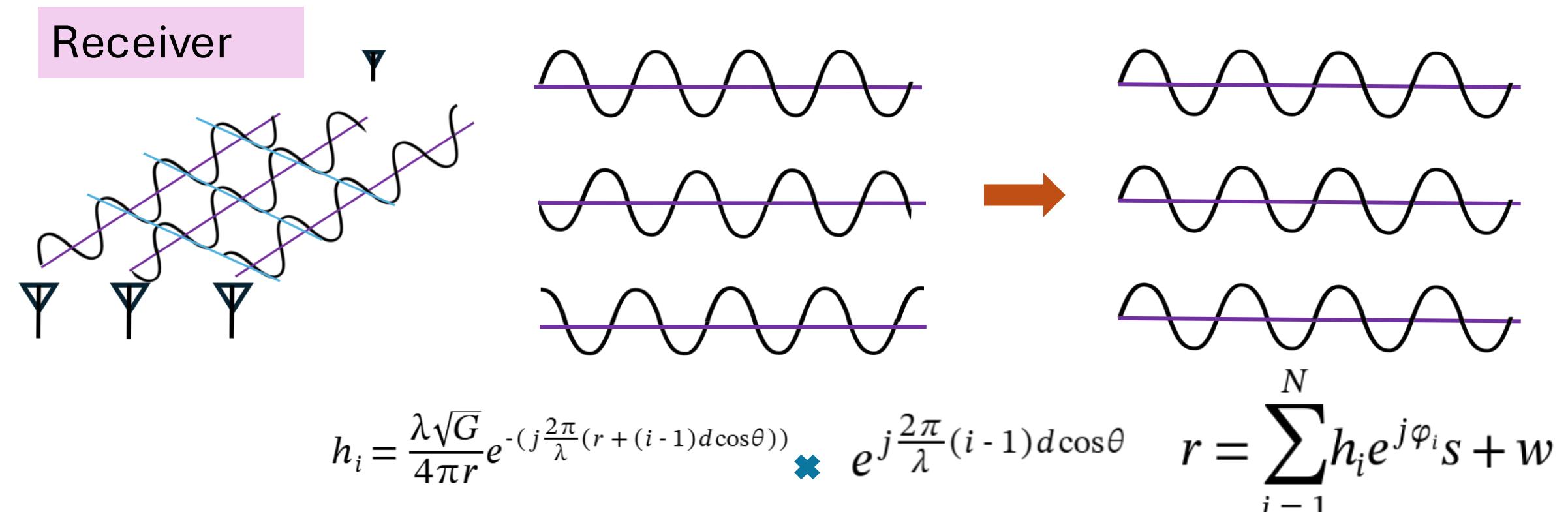
What is Beam Forming ?



$$h_i = \frac{\lambda\sqrt{G}}{4\pi r} e^{-(j\frac{2\pi}{\lambda}(r + (i - 1)d\cos\theta))}$$



What is Beam Forming ?



The received signal become M times larger

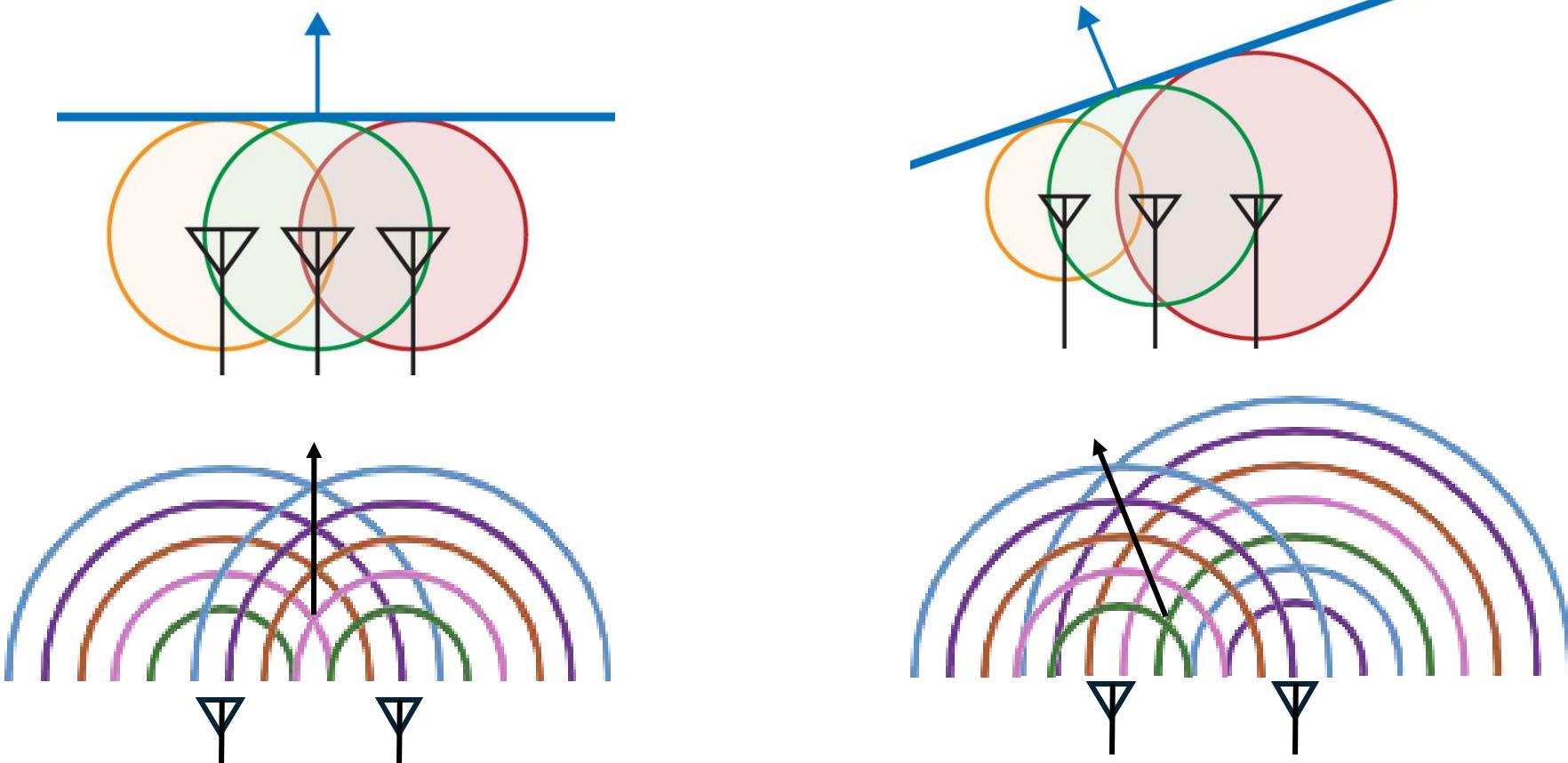
Achievable in LOS

What is Beam Forming ?

Transmitter

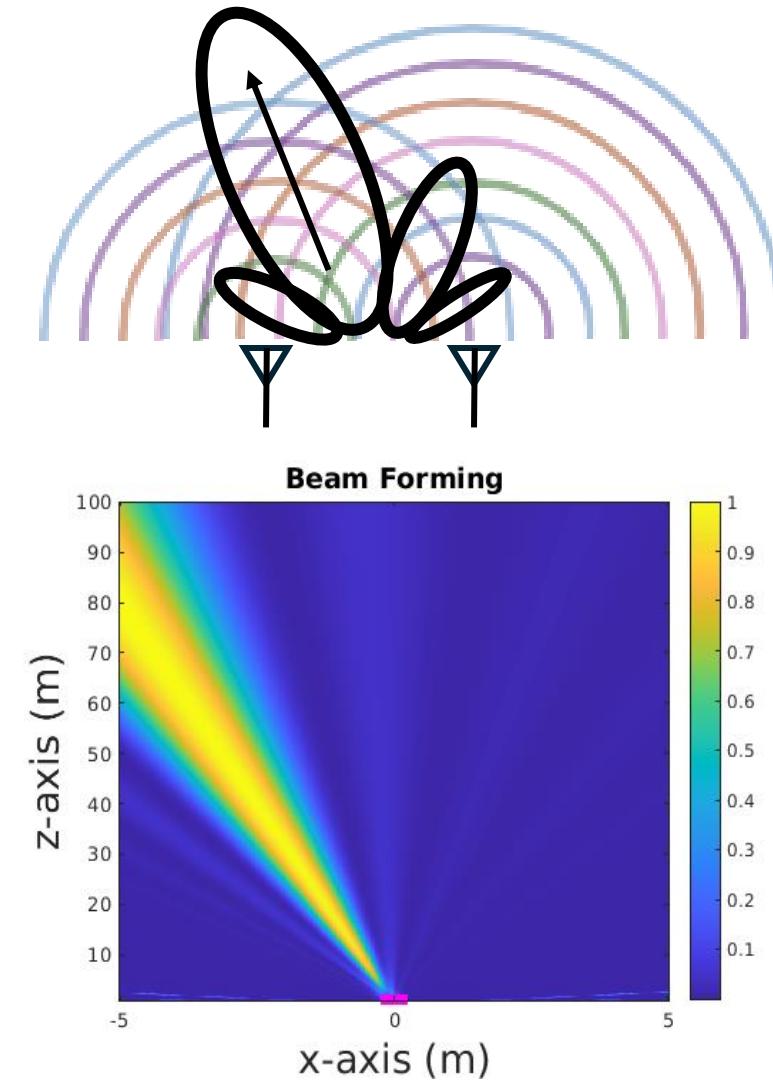
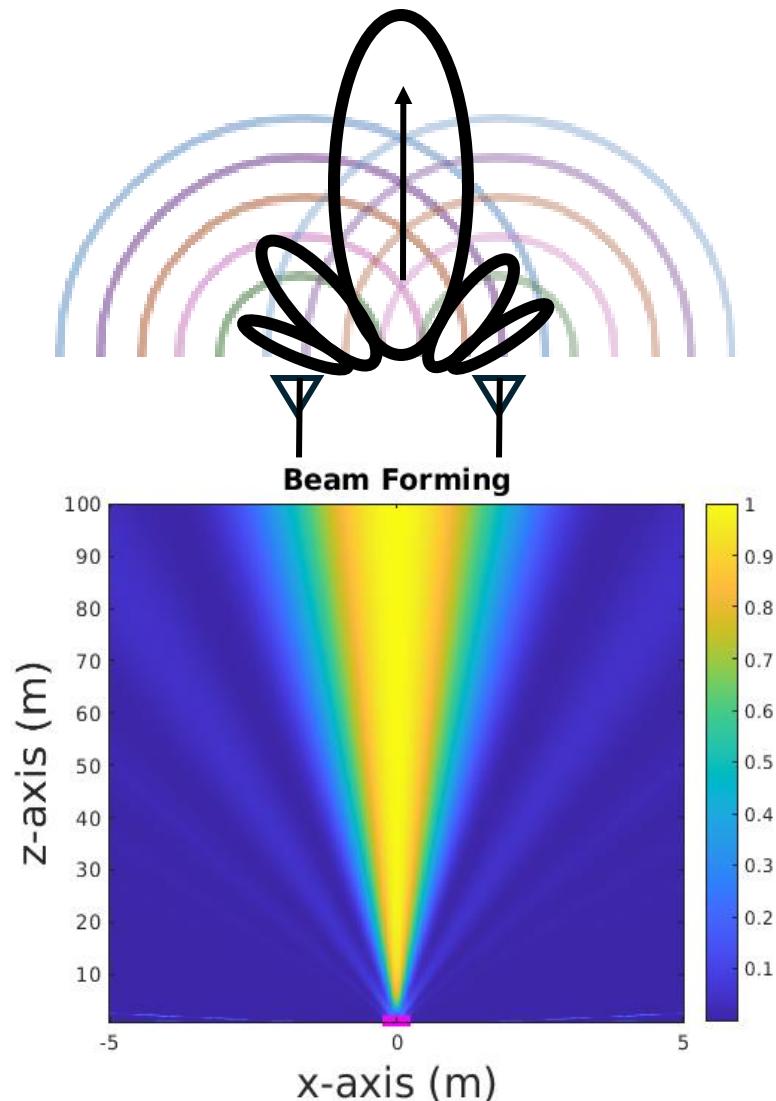
Antennas transmit the signal with the **phase-shift**

Send the radio energy preferentially in one direction



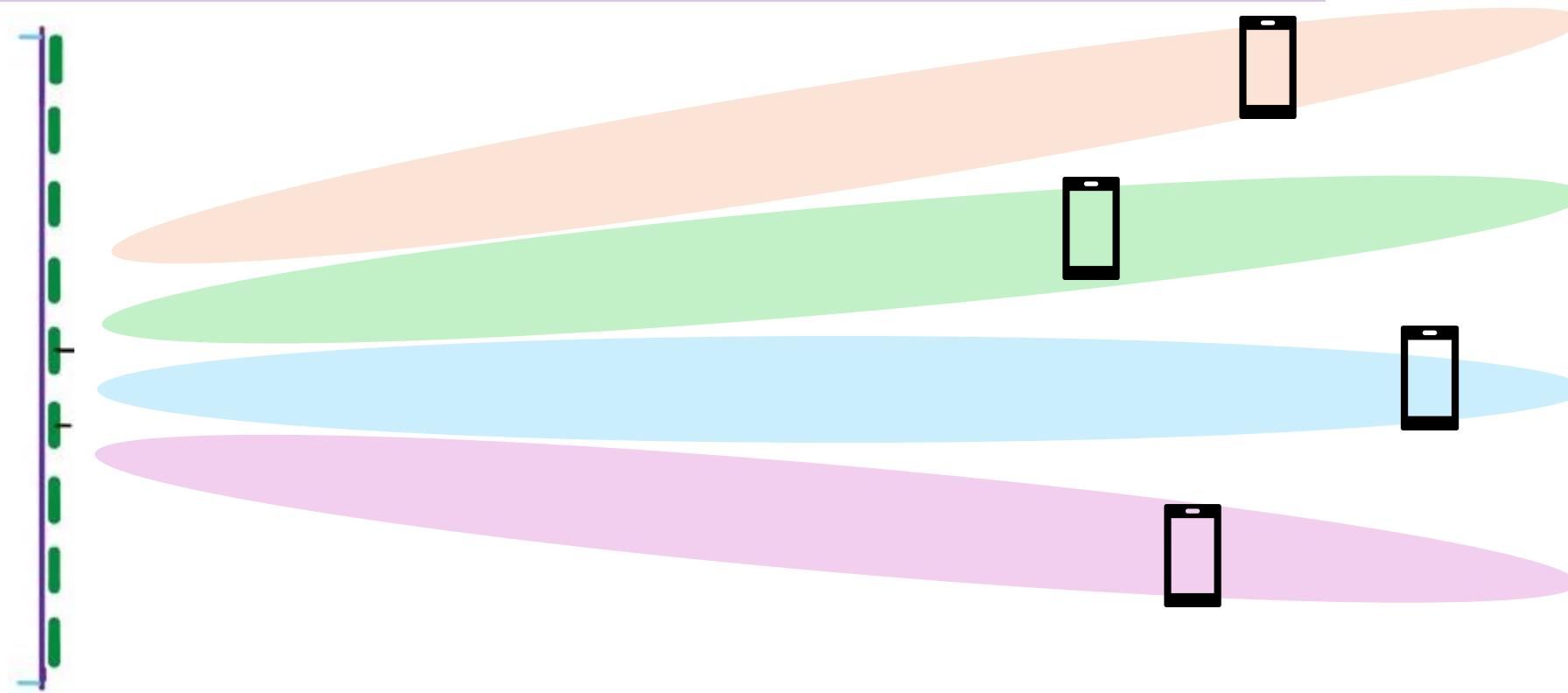
<https://www.oreilly.com/library/view/80211ac-a-survival/9781449357702/ch04.html>

What is Beam Forming ?



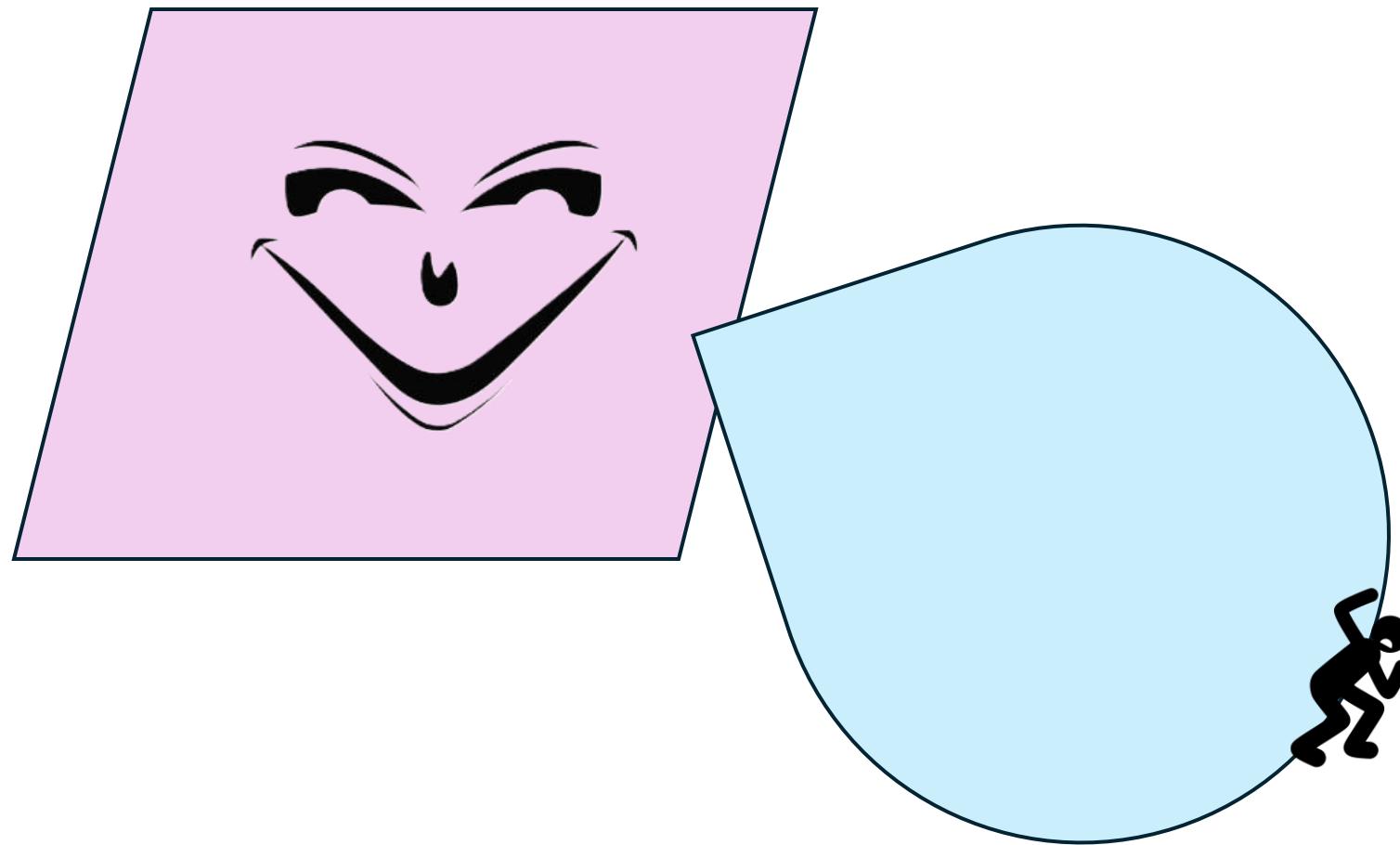
What is Beam Forming ?

What is the best thing we can do in the far-field?



Multi-user MIMO (MU-MIMO)

Beampattern in the Near-Field

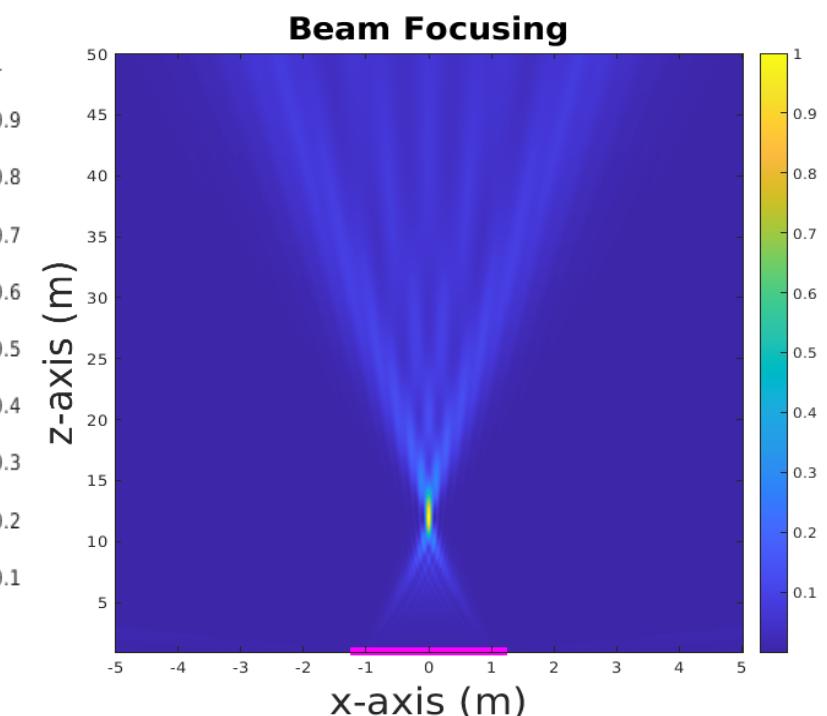
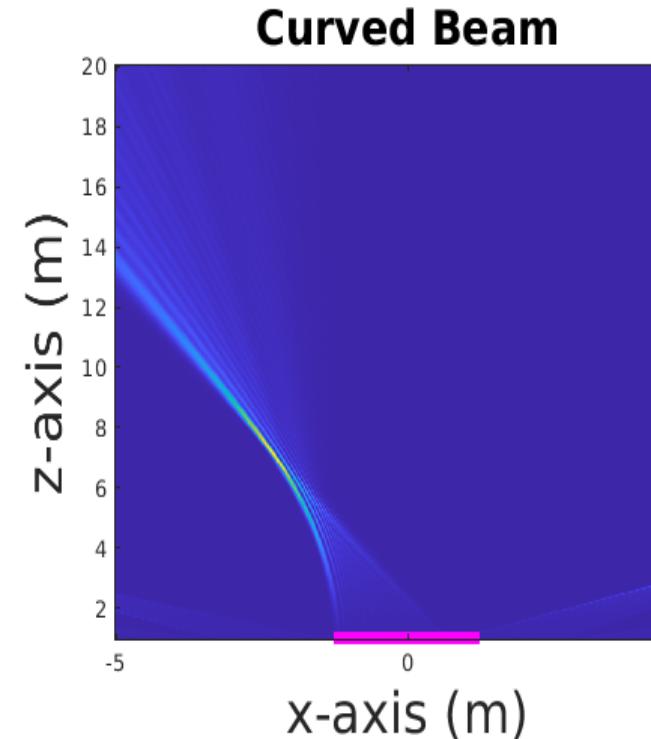
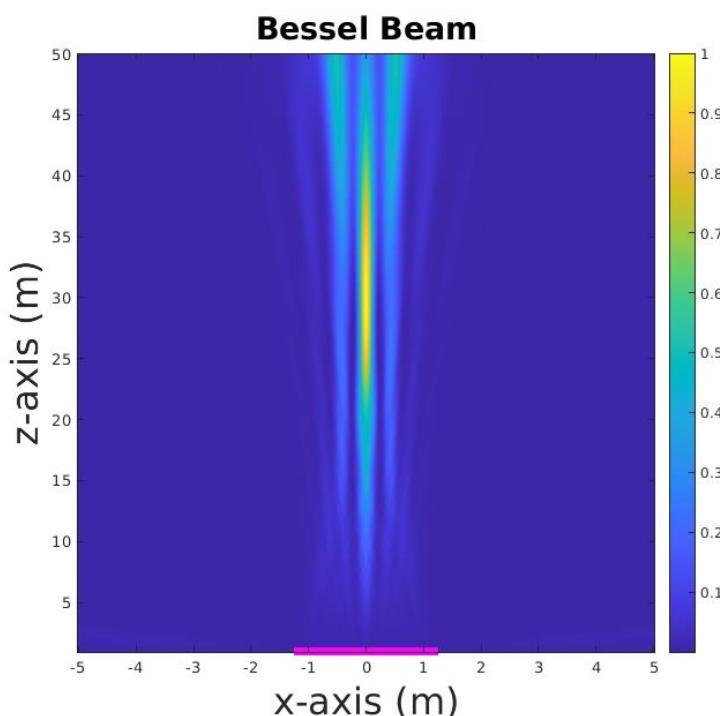


**How about the shape of
the beam in the Near-
field?**

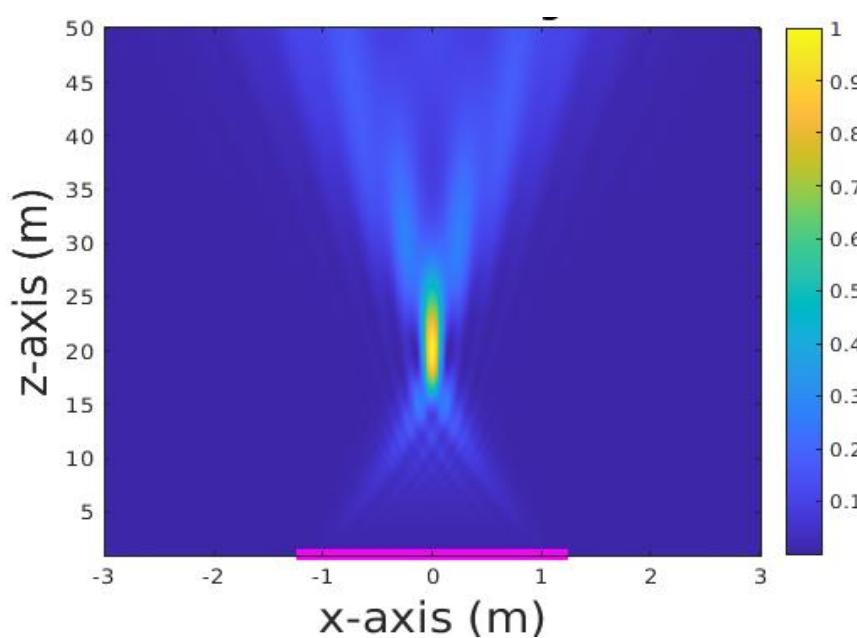
Near-field Beampatterns

- What happens if the user is located in the Fresnel region?

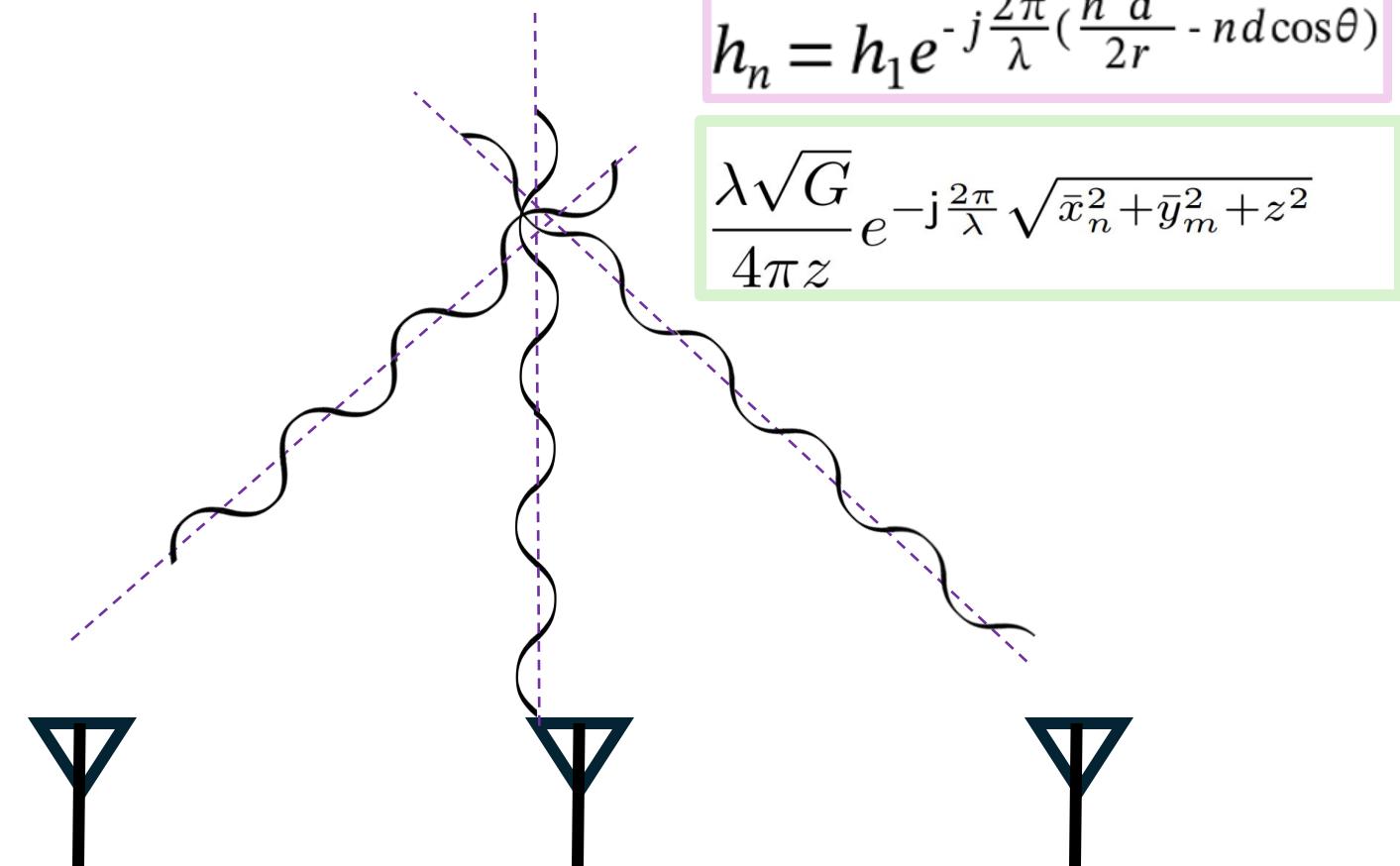
$$d_B < r < d_F$$



Beam Focusing



M = 250
F = 20 m

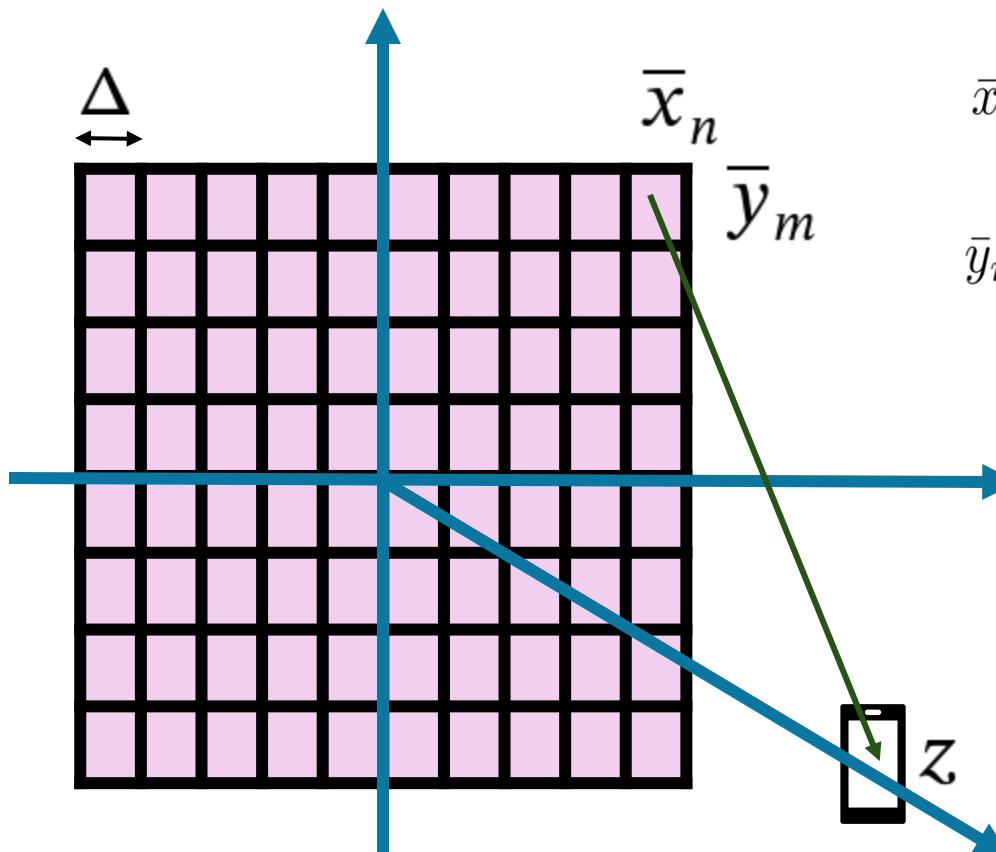


The gain is the same in the Far-Field and Near-Field

Beam Focusing in the Near-Field

- A uniform squared array with \mathbf{M} antenna

$$N = \sqrt{M}$$



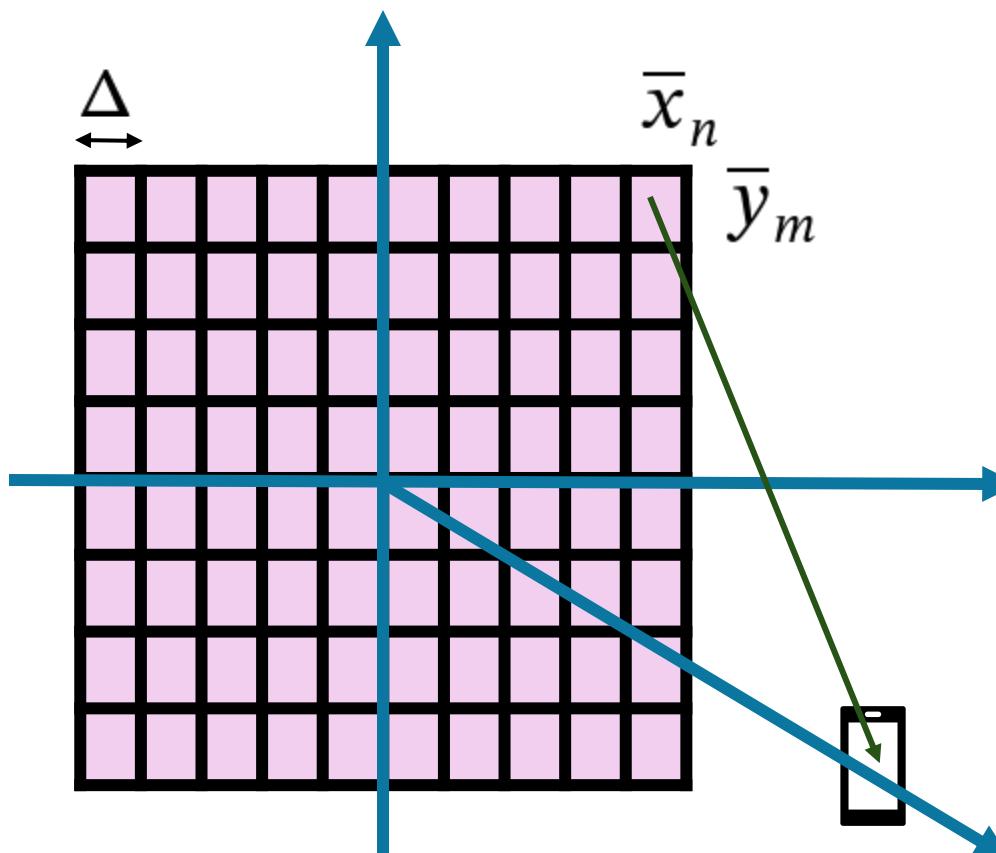
$$\begin{aligned}\bar{x}_n &= \left(n - \frac{N+1}{2}\right) \Delta, \\ \bar{y}_m &= \left(m - \frac{N+1}{2}\right) \Delta.\end{aligned}$$

$$\begin{aligned}h_{n,m} &= \frac{\lambda\sqrt{G}}{4\pi z} e^{-j\frac{2\pi}{\lambda}\sqrt{\bar{x}_n^2 + \bar{y}_m^2 + z^2}} \\ &\approx \frac{\lambda\sqrt{G}}{4\pi z} e^{-j\frac{2\pi}{\lambda}\left(z + \frac{\bar{x}_n^2}{2z} + \frac{\bar{y}_m^2}{2z}\right)},\end{aligned}$$

- Taylor approximation

Beam Focusing in the Near-field

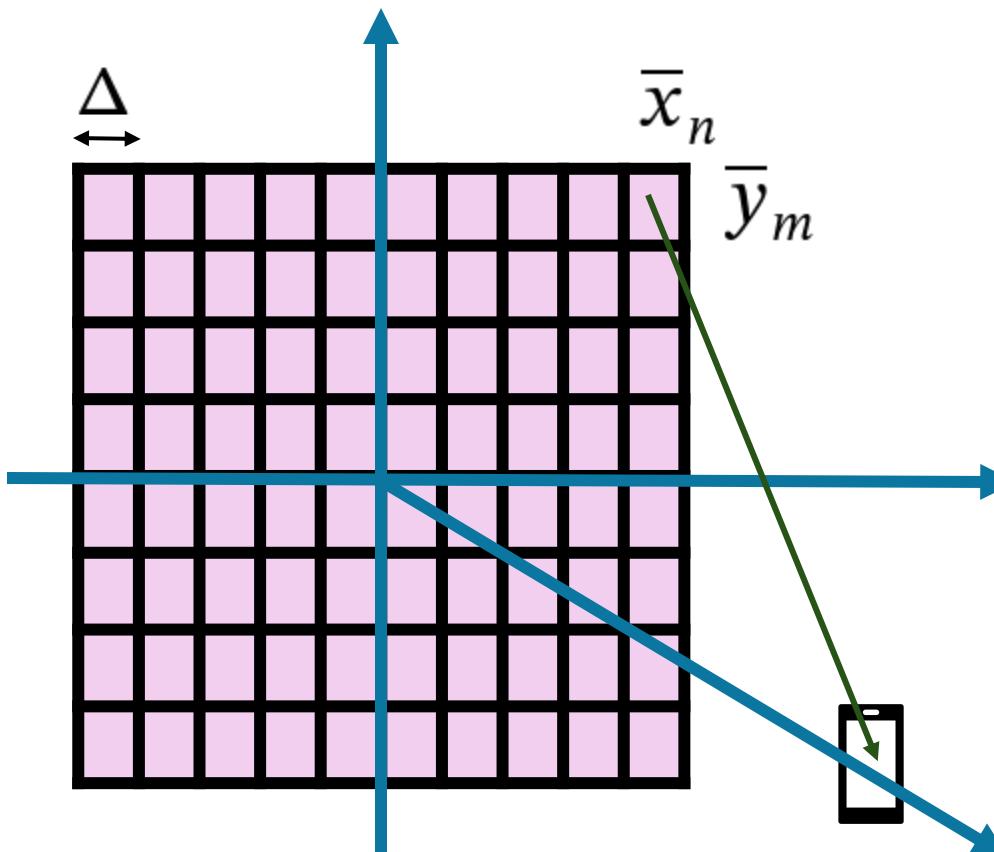
- A uniform squared array with \mathbf{M} antenna



$$r = \sum_{n=1}^N \sum_{m=1}^N h_{n,m} \frac{e^{j\psi_{n,m}}}{\sqrt{M}} s + w_{n,m},$$

Beam Focusing in the Near-field

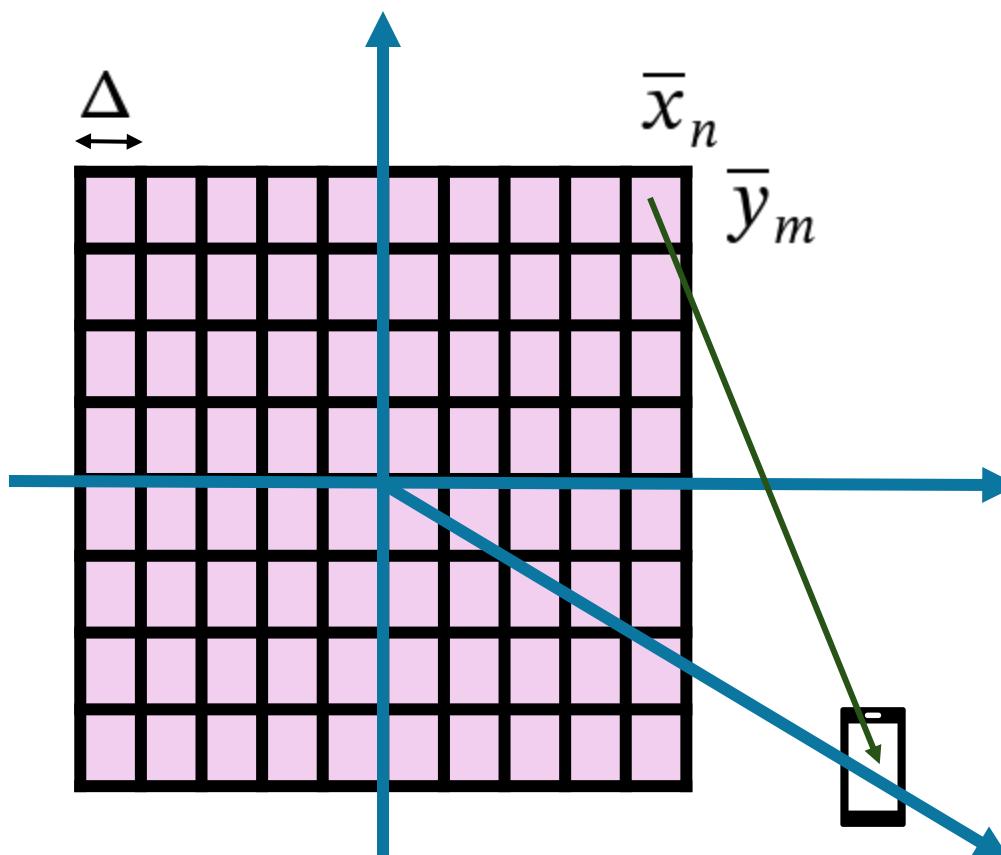
- A uniform squared array with \mathbf{M} antenna



$$\begin{aligned}
 r &= \sum_{n=1}^N \sum_{m=1}^N h_{n,m} \frac{e^{j\psi_{n,m}}}{\sqrt{M}} s + w_{n,m}, \\
 \text{SNR} &= \frac{p}{\sigma^2} \left| \sum_{n=1}^N \sum_{m=1}^N h_{n,m} \frac{e^{j\psi_{n,m}}}{\sqrt{M}} \right|^2 \quad \text{Array Gain} \\
 &= \frac{p}{\sigma^2} \frac{\lambda^2 G}{(4\pi z)^2} \underbrace{\frac{1}{M} \left| \sum_{n=1}^N \sum_{m=1}^N e^{-j\frac{2\pi}{\lambda} \sqrt{\bar{x}_n^2 + \bar{y}_m^2 + z^2}} e^{j\psi_{n,m}} \right|^2}_{=AG},
 \end{aligned}$$

Beam Focusing in the Near-field

- A uniform squared array with \mathbf{M} antenna

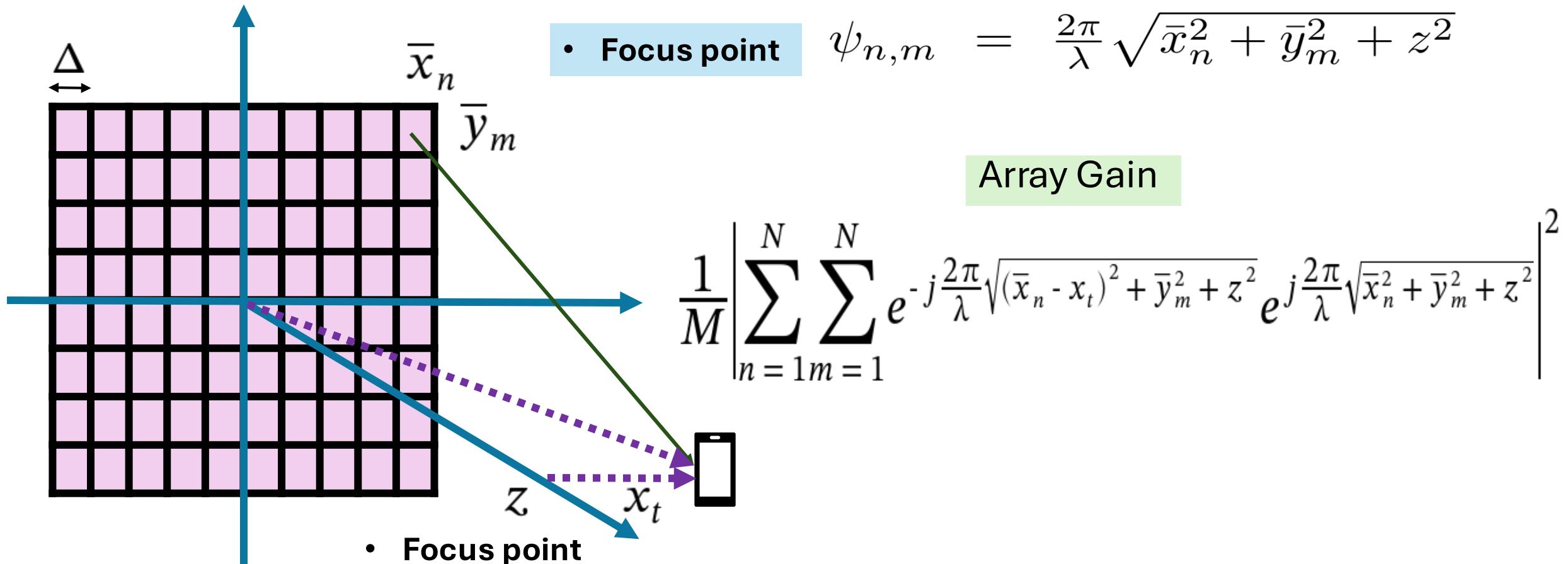


$$\begin{aligned} \text{SNR} &= \frac{p}{\sigma^2} \left| \sum_{n=1}^N \sum_{m=1}^N h_{n,m} \frac{e^{j\psi_{n,m}}}{\sqrt{M}} \right|^2 \\ &= \frac{p}{\sigma^2} \frac{\lambda^2 G}{(4\pi z)^2} \underbrace{\frac{1}{M} \left| \sum_{n=1}^N \sum_{m=1}^N e^{-j\frac{2\pi}{\lambda} \sqrt{\bar{x}_n^2 + \bar{y}_m^2 + z^2}} e^{j\psi_{n,m}} \right|^2}_{=AG}, \end{aligned}$$

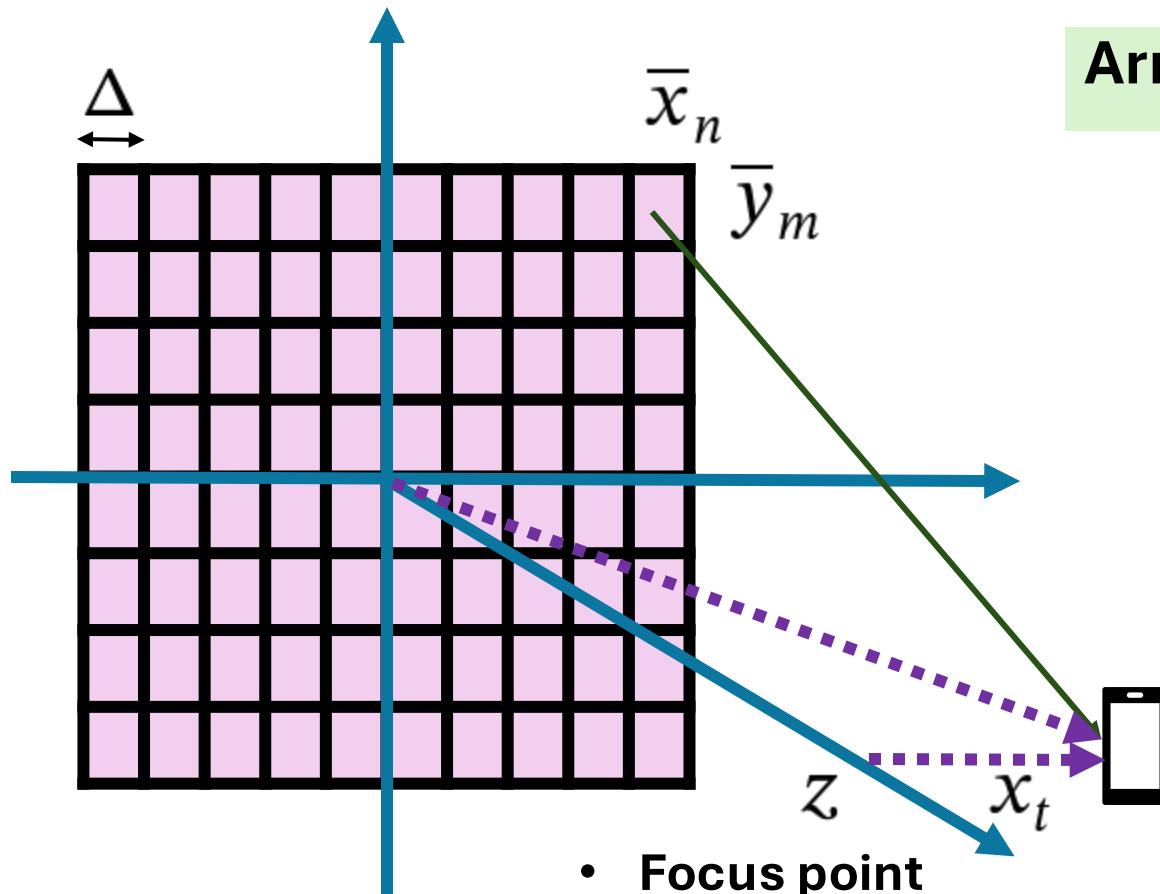
Array Gain

$$\psi_{n,m} = \frac{2\pi}{\lambda} \sqrt{\bar{x}_n^2 + \bar{y}_m^2 + z^2}$$

Beamwidth in the nearfield



Beamwidth in the nearfield



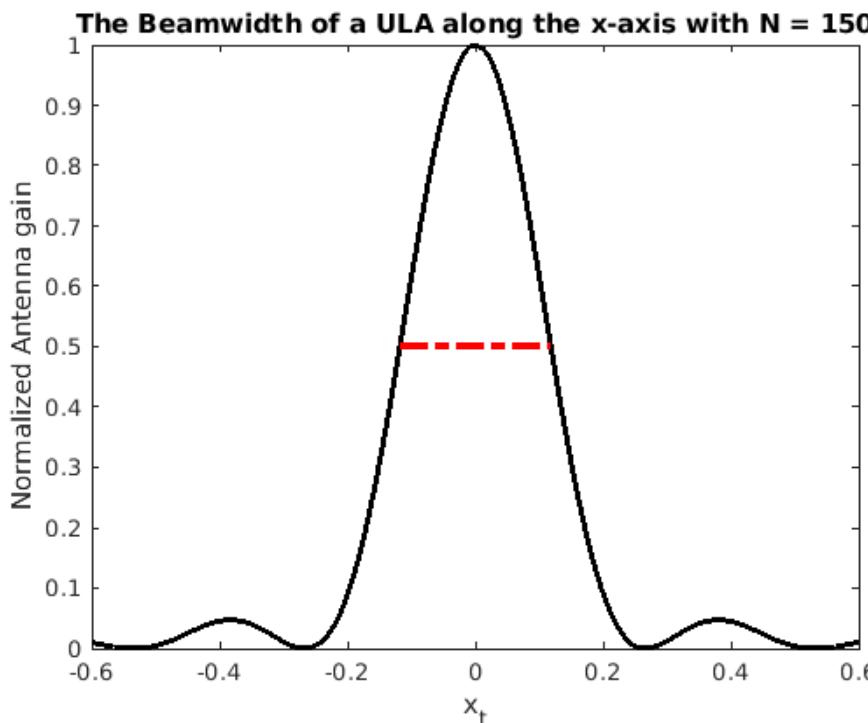
Array Gain

$$M \operatorname{sinc}^2\left(\frac{1}{\lambda} N \Delta \frac{x_t}{z}\right)$$

$$\operatorname{sinc}^2(0.443) \approx 0.5,$$

$$BW_{3dB} \approx \frac{0.886\lambda F}{N \Delta}$$

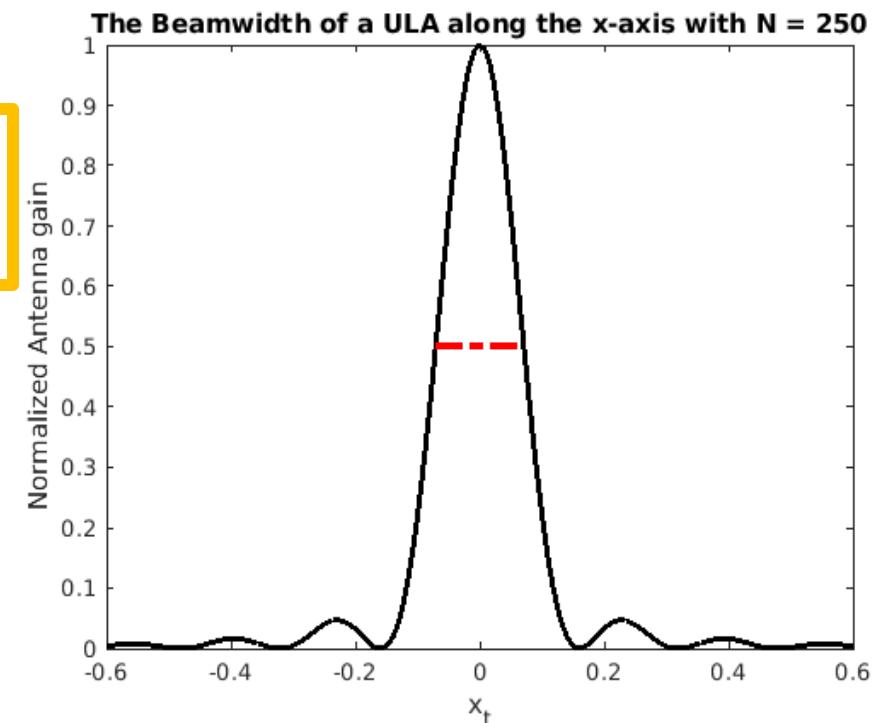
Beamwidth in the Near-field



M = 150
F = 20 m
 $BW_{3dB} = 0.236 \text{ m}$

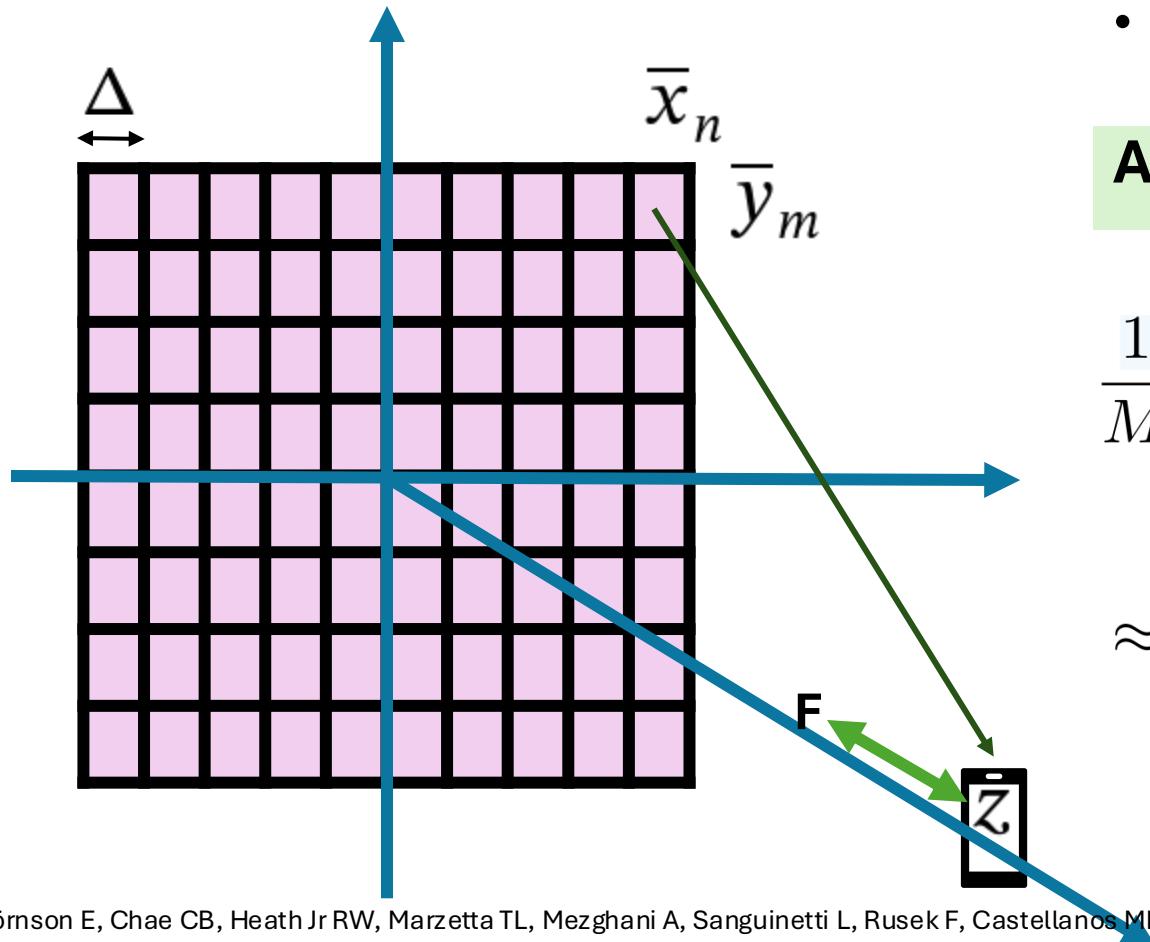
$$M \operatorname{sinc}^2\left(\frac{1}{\lambda} N \Delta \frac{x_t}{z}\right)$$

$$BW_{3dB} \approx \frac{0.886\lambda F}{N \Delta}$$



M = 250
F = 20 m
 $BW_{3dB} = 0.141 \text{ m}$

Beamdepth in the Near-field

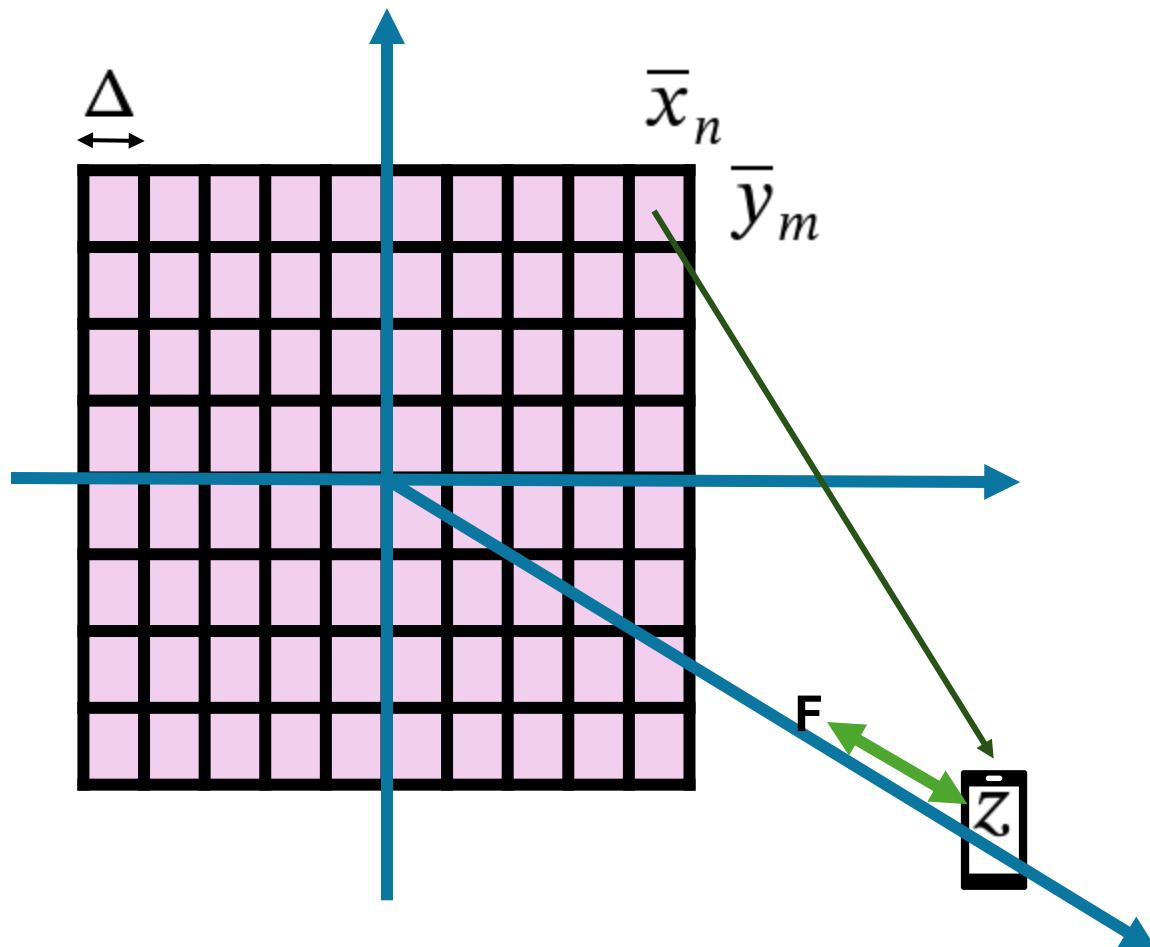


- Focus point $(0,0,F)$ $F \neq z$

Array Gain

$$\begin{aligned} & \frac{1}{M} \left| \sum_{n=1}^N \sum_{m=1}^N e^{-j\frac{2\pi}{\lambda} \sqrt{\bar{x}_n^2 + \bar{y}_m^2 + z^2}} e^{j\frac{2\pi}{\lambda} \sqrt{\bar{x}_n^2 + \bar{y}_m^2 + F^2}} \right|^2 \\ & \approx \frac{1}{M} \left| \sum_{n=1}^N \sum_{m=1}^N e^{-j\frac{2\pi}{\lambda} \left(z + \frac{\bar{x}_n^2}{2z} + \frac{\bar{y}_m^2}{2z} \right)} e^{j\frac{2\pi}{\lambda} \left(F + \frac{\bar{x}_n^2}{2F} + \frac{\bar{y}_m^2}{2F} \right)} \right|^2 \end{aligned}$$

Beamdepth in the Near-field

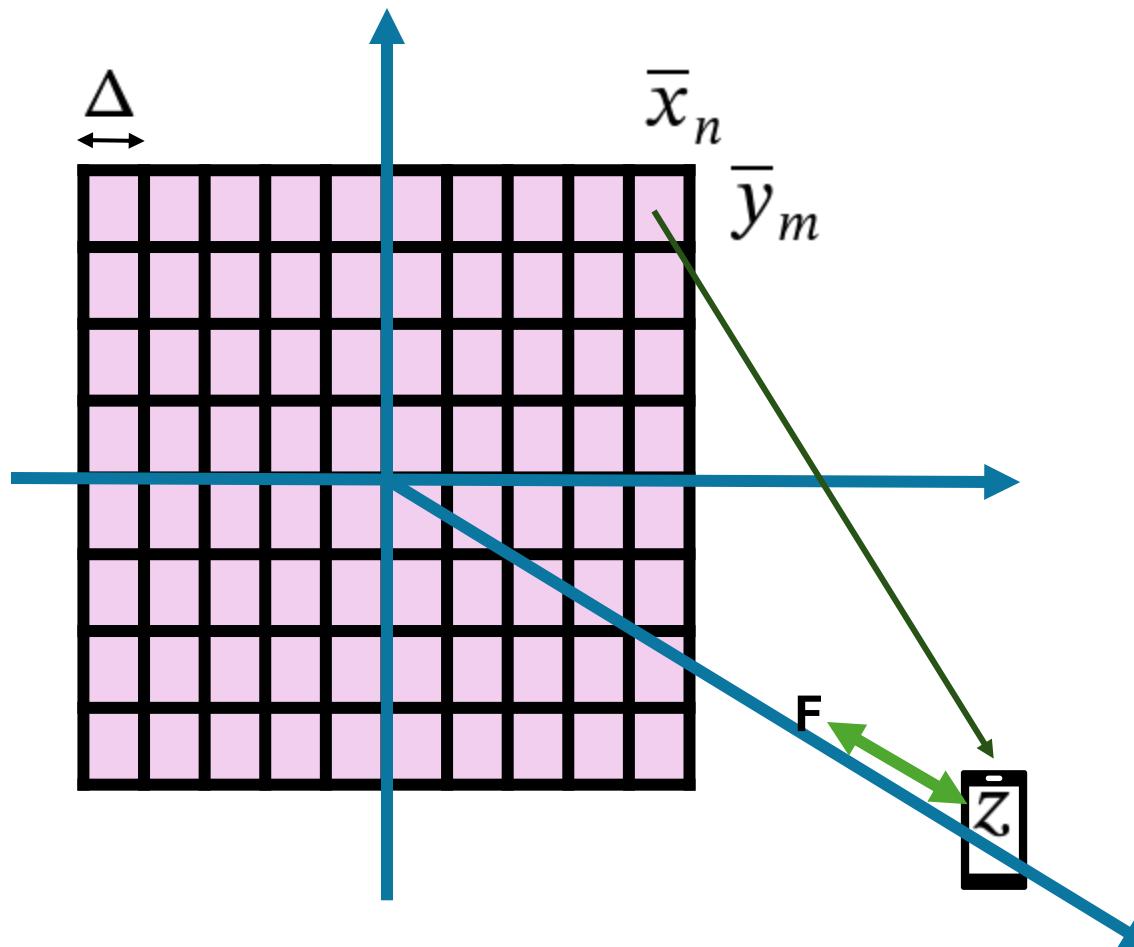


Array Gain

$$\begin{aligned}
 &\approx \frac{1}{M} \left| \sum_{n=1}^N \sum_{m=1}^N e^{-j\frac{2\pi}{\lambda} \left(z + \frac{\bar{x}_n^2}{2z} + \frac{\bar{y}_m^2}{2z} \right)} e^{j\frac{2\pi}{\lambda} \left(F + \frac{\bar{x}_n^2}{2F} + \frac{\bar{y}_m^2}{2F} \right)} \right|^2 \\
 &\approx \frac{1}{M} \left| \int_{-N/2}^{N/2} e^{j\frac{\pi}{\lambda} \frac{n^2 \Delta^2}{z_{\text{eff}}}} dn \int_{-N/2}^{N/2} e^{j\frac{\pi}{\lambda} \frac{m^2 \Delta^2}{z_{\text{eff}}}} dm \right|^2 \\
 &= M \left(\frac{8z_{\text{eff}}}{d_F} \right)^2 \left(C^2 \left(\sqrt{\frac{d_F}{8z_{\text{eff}}}} \right) + S^2 \left(\sqrt{\frac{d_F}{8z_{\text{eff}}}} \right) \right)^2
 \end{aligned}$$

$$z_{\text{eff}} = \left| \frac{1}{F} - \frac{1}{z} \right|^{-1} = \frac{Fz}{|F - z|}$$

Beamdepth in the Near-field



$$= M \left(\frac{8z_{\text{eff}}}{d_F} \right)^2 \left(C^2 \left(\sqrt{\frac{d_F}{8z_{\text{eff}}}} \right) + S^2 \left(\sqrt{\frac{d_F}{8z_{\text{eff}}}} \right) \right)^2$$

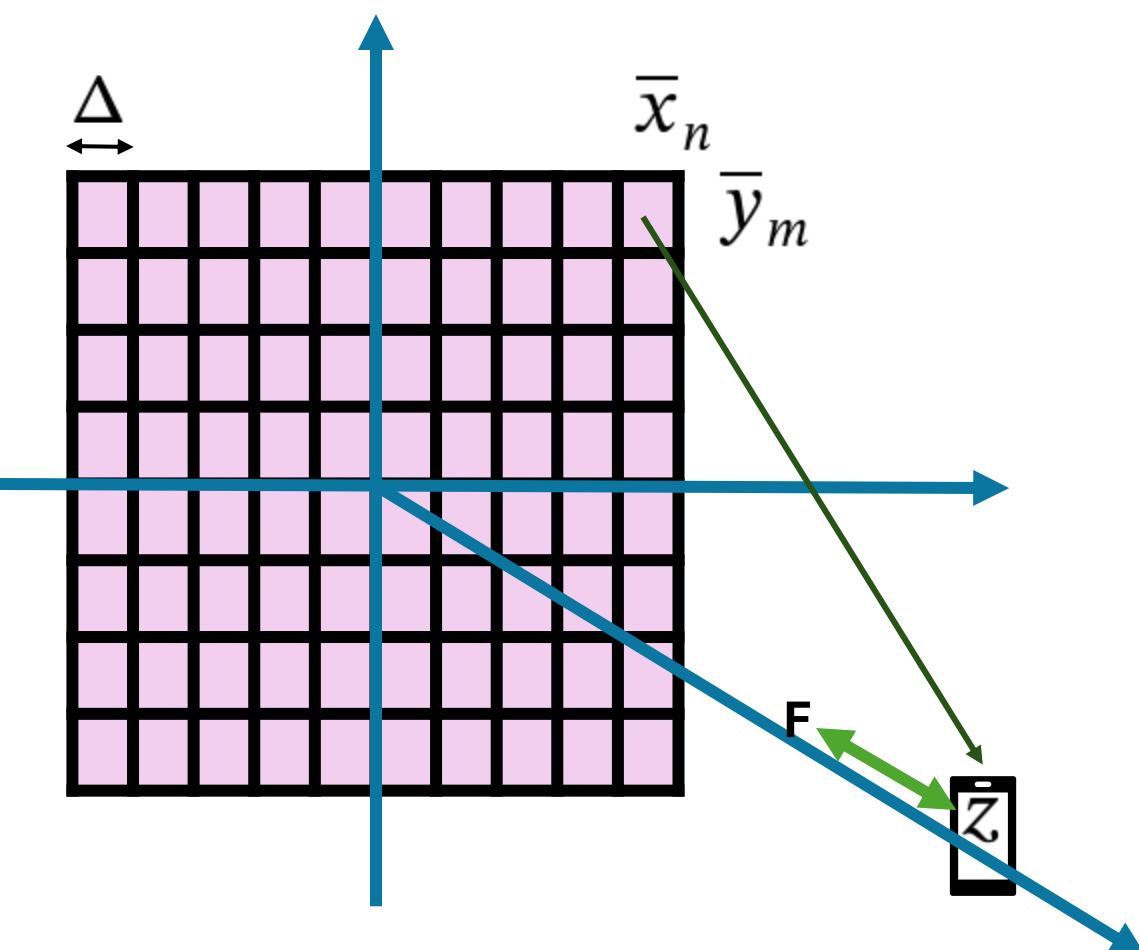
$$d_F = \frac{4N^2 \Delta^2}{\lambda}$$

Fresnel integrals

$$C(x) = \int_0^x \cos\left(\frac{\pi t^2}{2}\right) dt$$

$$S(x) = \int_0^x \sin\left(\frac{\pi t^2}{2}\right) dt$$

Beamdepth in the Near-field



$$\begin{aligned}
 &= M \left(\frac{8z_{\text{eff}}}{d_F} \right)^2 \left(C^2 \left(\sqrt{\frac{d_F}{8z_{\text{eff}}}} \right) + S^2 \left(\sqrt{\frac{d_F}{8z_{\text{eff}}}} \right) \right)^2 \\
 &\frac{(C^2(\sqrt{x}) + S^2(\sqrt{x}))^2}{x^2} \\
 x &= \frac{d_F}{8z_{\text{eff}}}
 \end{aligned}$$

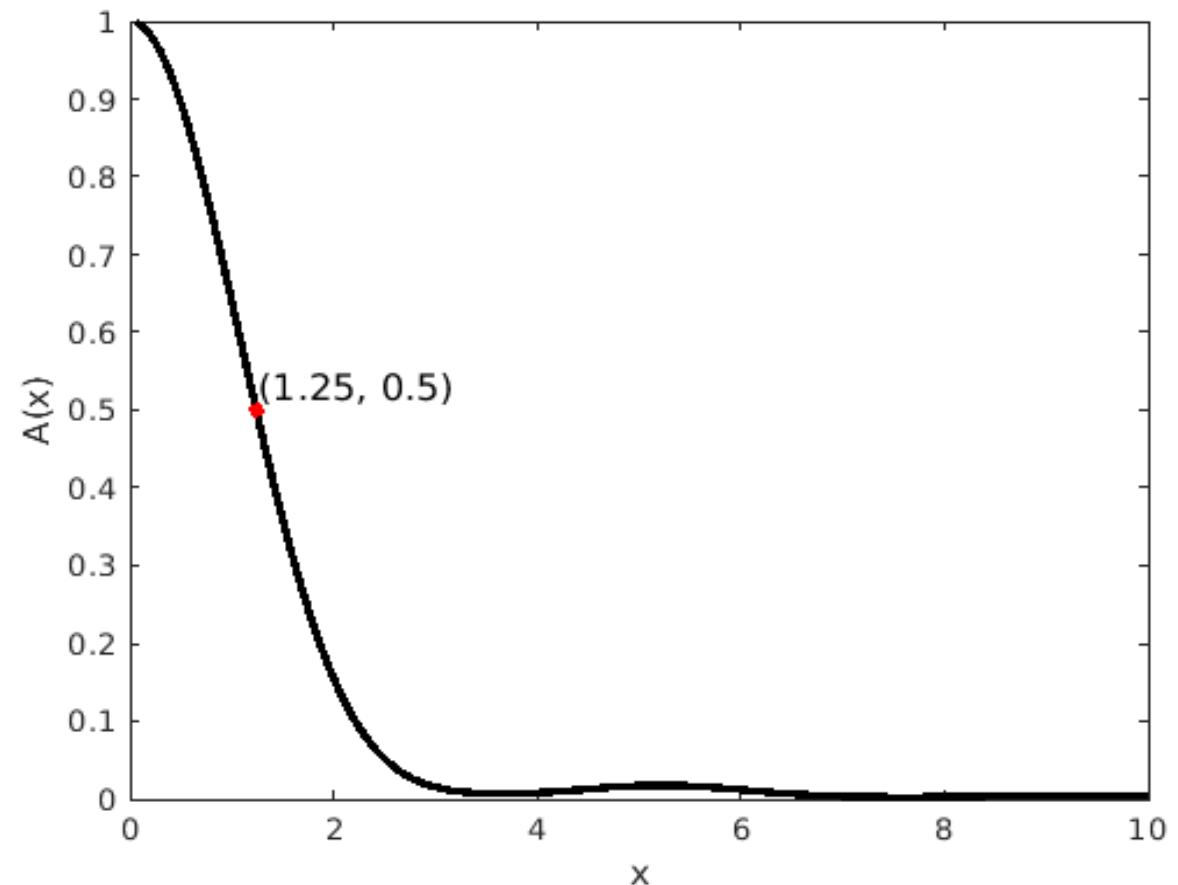
Beamdepth in the Near-field

$$A(x) = \frac{(C^2(\sqrt{x}) + S^2(\sqrt{x}))^2}{x^2}$$



Decreasing function for $x = [0, 2]$

$$A(0) = 1, A(1.25) = 0.5$$



Beamdepth in the Near-field

$$A(x) = \frac{(C^2(\sqrt{x}) + S^2(\sqrt{x}))^2}{x^2} \rightarrow \text{Decreasing function for } x = [0, 2]$$

$A(0) = 1, A(1.25) = 0.5$

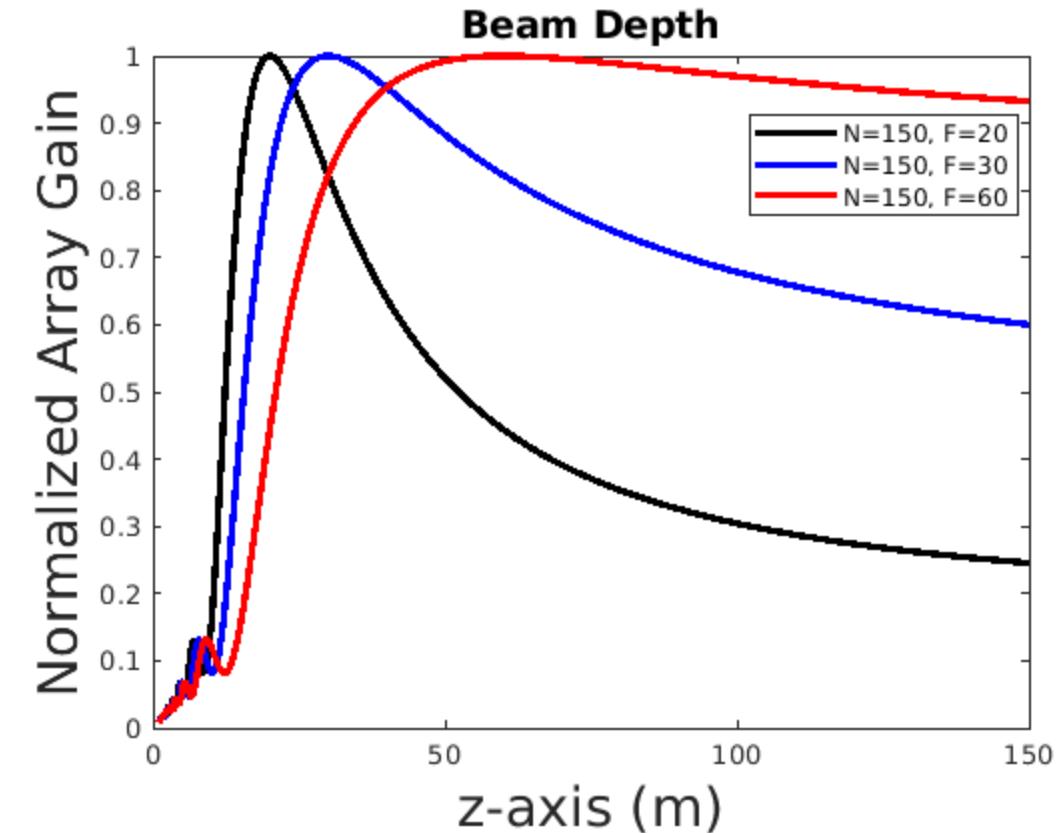
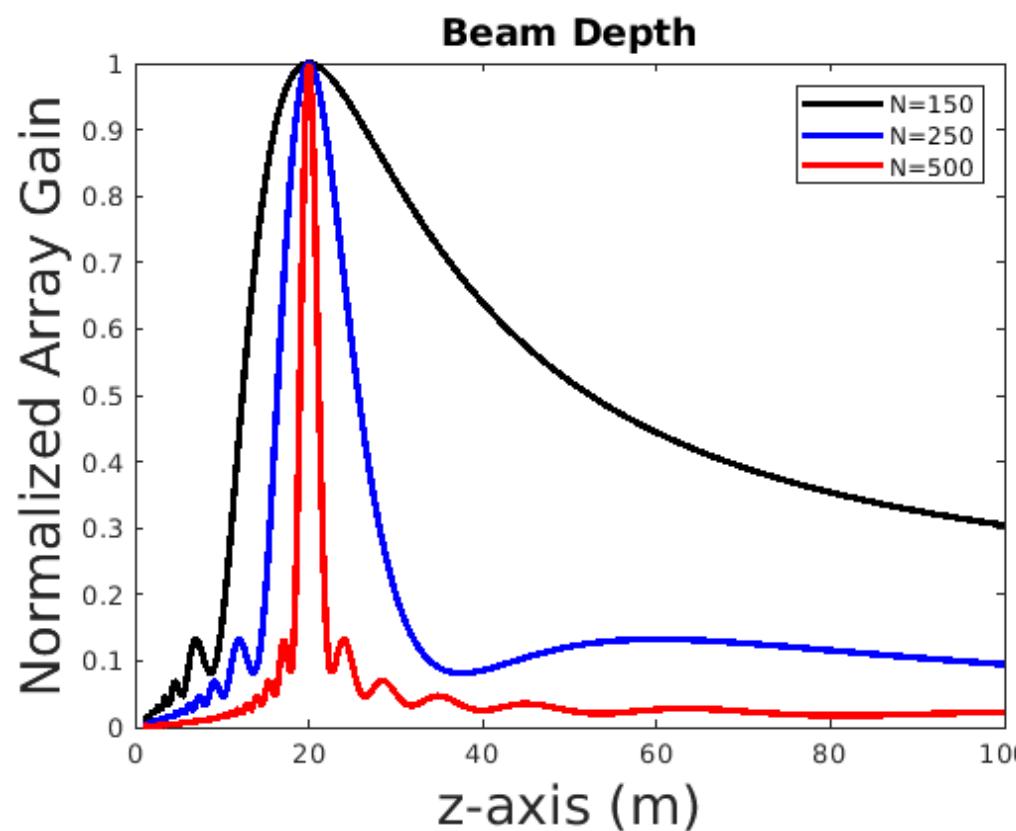
$$1.25 = \frac{d_F}{8z_{\text{eff}}} = \frac{d_F|F - z|}{8Fz} \rightarrow z = \frac{d_F F}{d_F \pm 10F}.$$

$$\text{BD}_{3 \text{ dB}} = \frac{d_F F}{d_F - 10F} - \frac{d_F F}{d_F + 10F} = \frac{20d_F F^2}{d_F^2 - 100F^2}. \rightarrow F < \frac{d_F}{10}$$

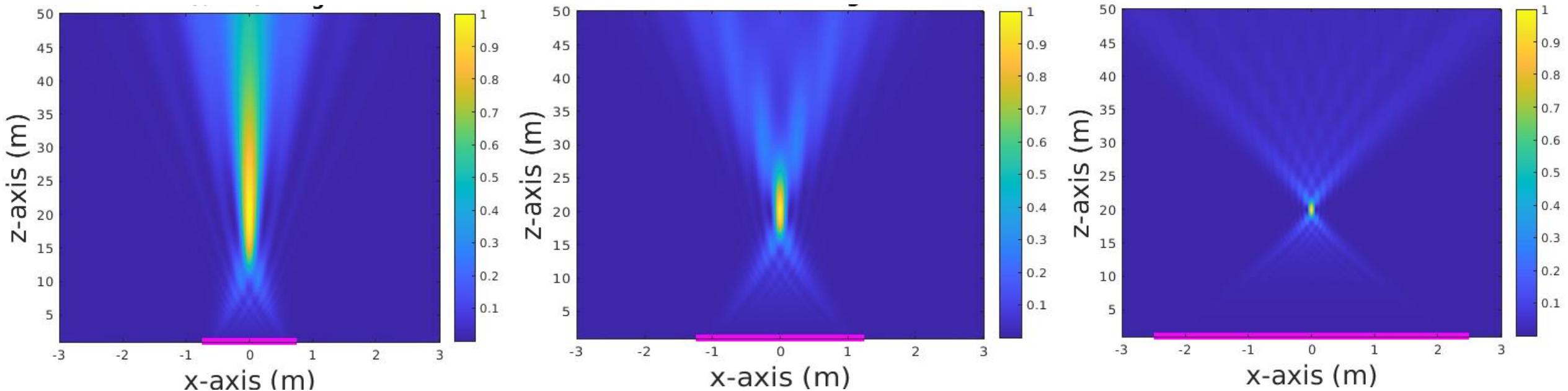
$$d_B < r < d_F$$

Beamdepth in the Near-field

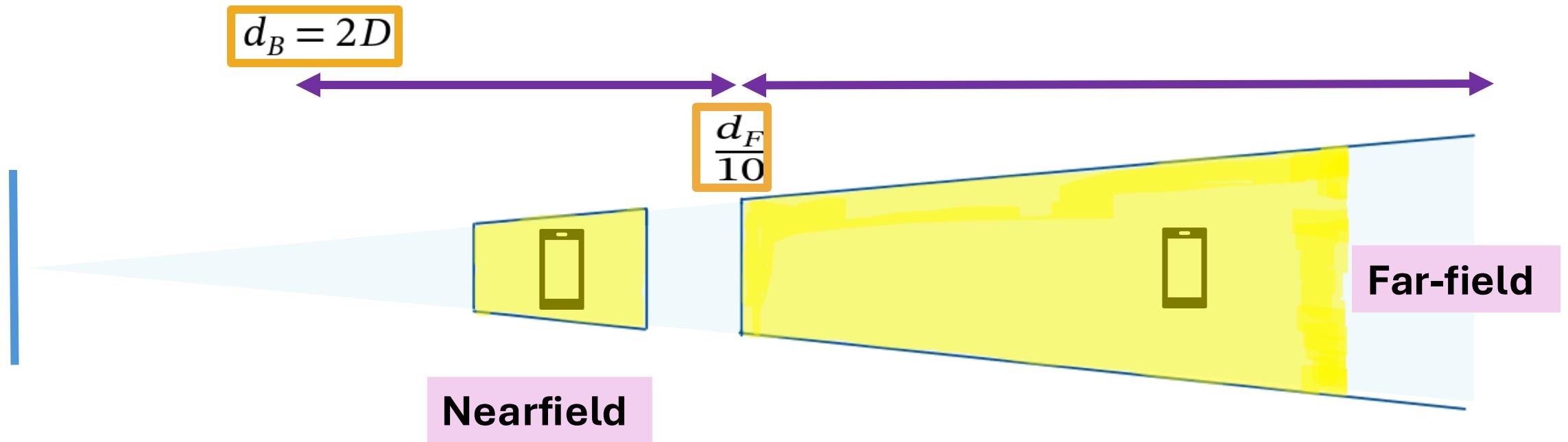
$$\text{BD}_{3\text{ dB}} = \frac{d_F F}{d_F - 10F} - \frac{d_F F}{d_F + 10F} = \frac{20d_F F^2}{d_F^2 - 100F^2}.$$



Beamdepth in the Near-field



Nearfield spatial multiplexing

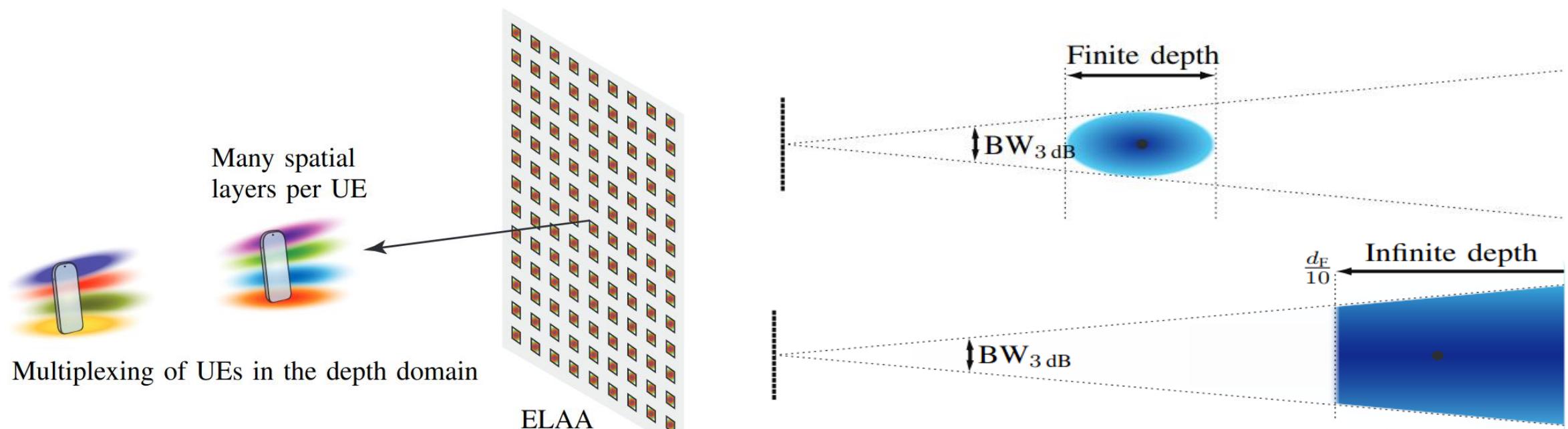


$$d_F = \frac{4N^2 \Delta^2}{\lambda}$$

- **Impact of the wavelength**
- Fixed array size: $d_F \propto \lambda^{-1}$
- Fixed number of elements: $d_F \propto \lambda$

Nearfield spatial multiplexing

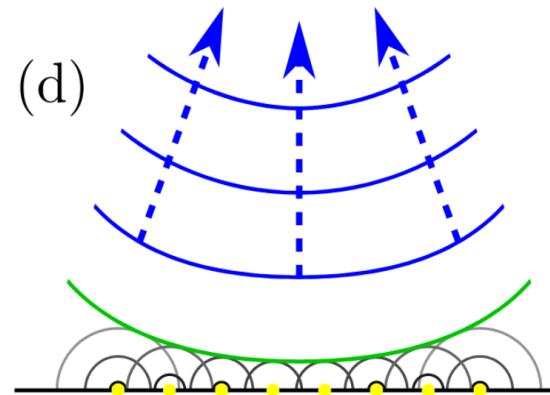
- Smaller focus area in **Nearfield**, both in **depth and width**.
- Reduce interference between concurrent signal transmission.
 - Massive spatial multiplexing



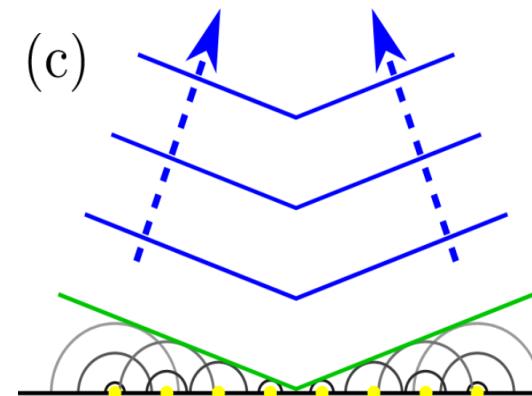
Bessel Beam

A long column of constructive interference
can be seen along the z-axis.

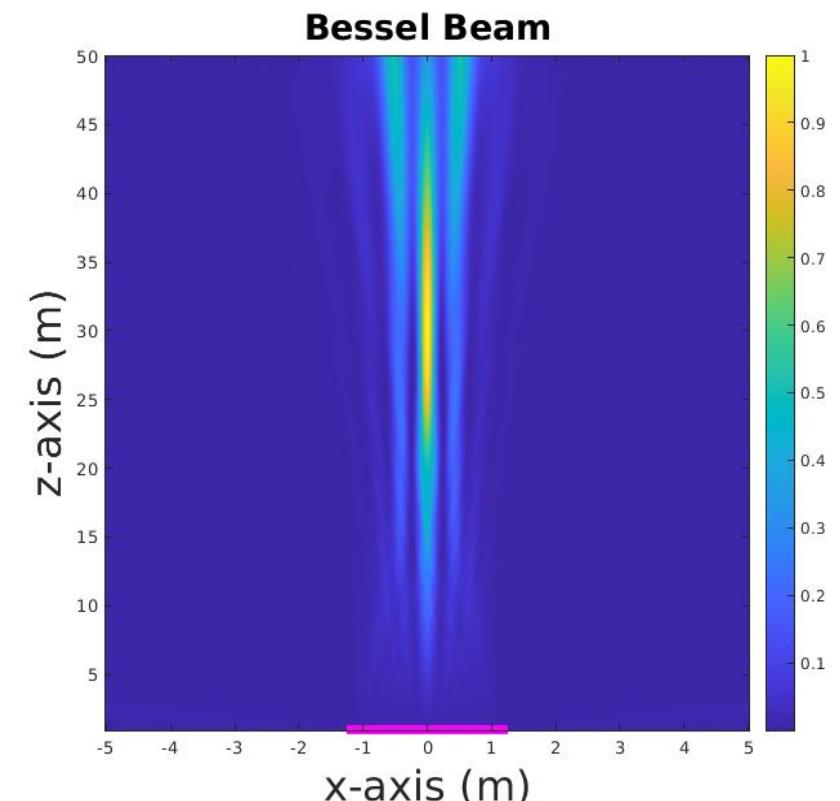
As the wave propagates, **the beam profile remains invariant.**



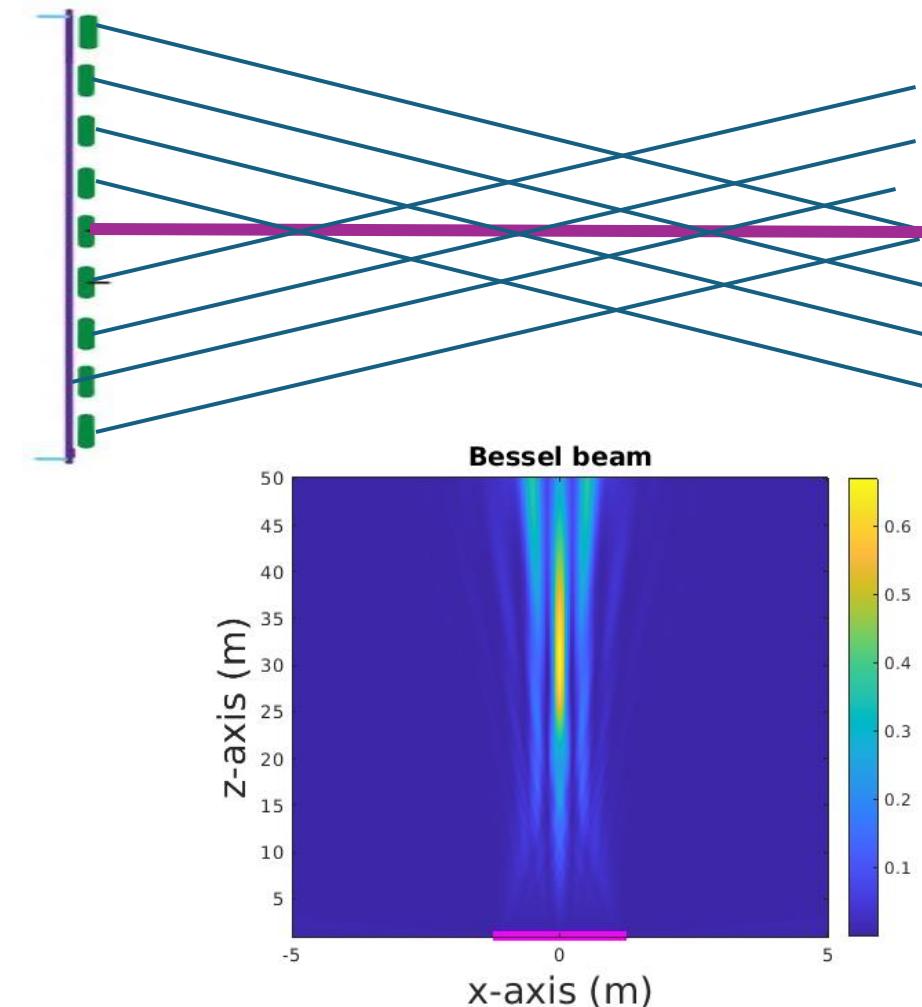
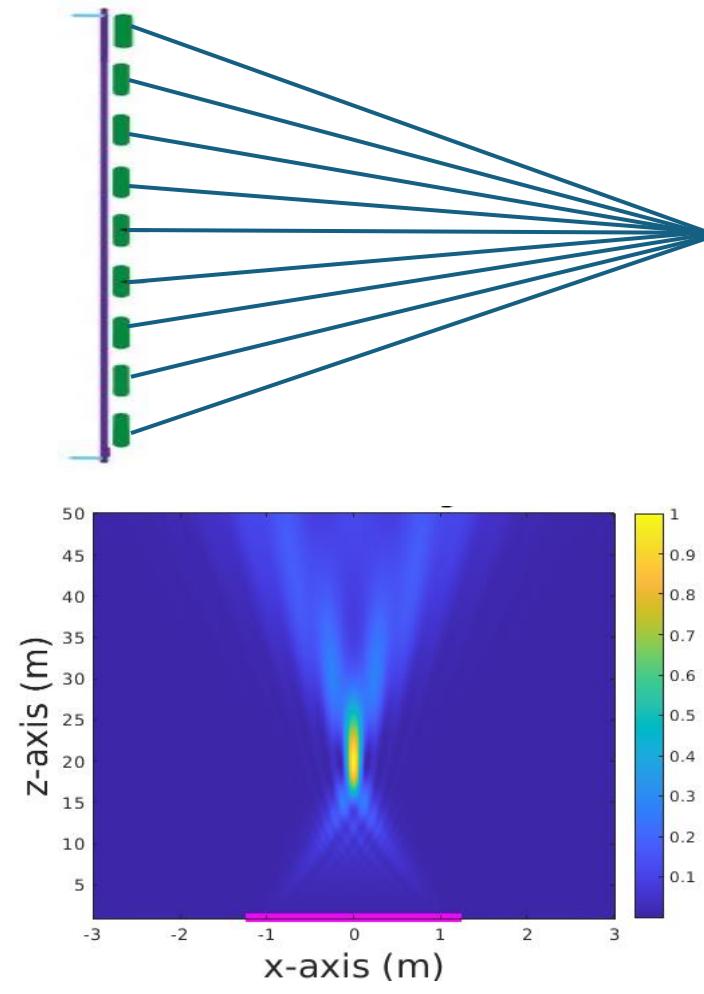
$$\varphi_{n,m} = \frac{2\pi}{\lambda} \sqrt{\bar{x}_n^2 + \bar{y}_m^2 + z^2}$$



$$\varphi_{n,m} = \frac{2\pi}{\lambda} (\sqrt{\bar{x}_n^2 + \bar{y}_m^2}) \cos\theta$$

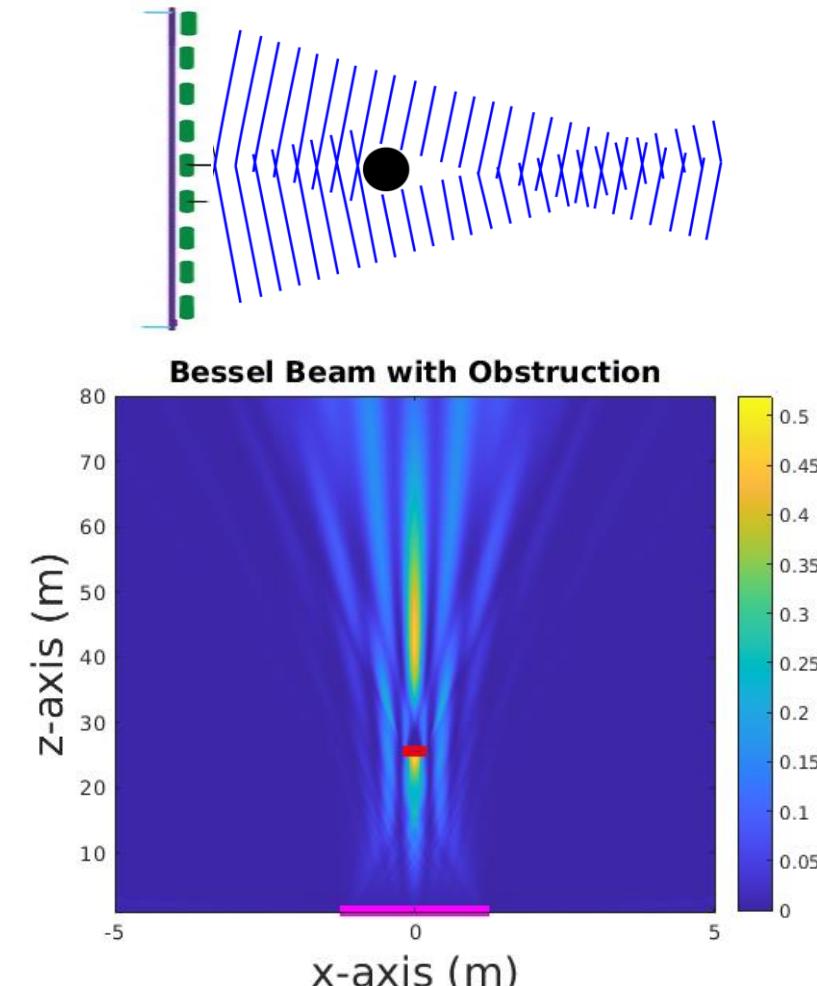
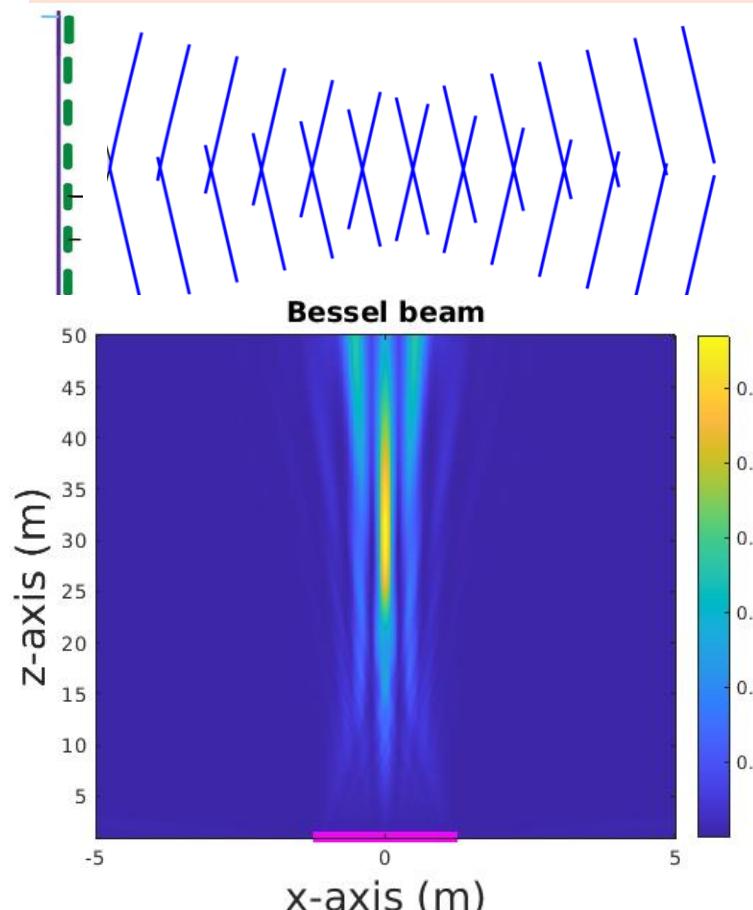


Bessel Beam



Bessel Beam

Bessel beams are ***self-healing***.



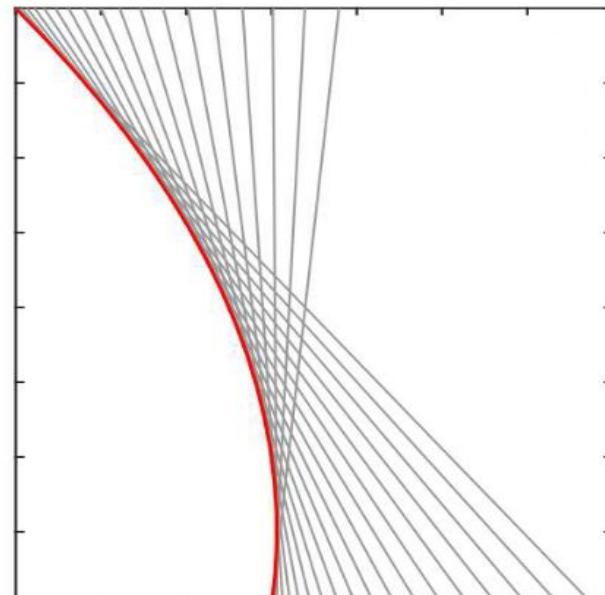
[Besselbeam - Wikipedia](#)

A. Singh et al., "Wavefront Engineering: Realizing Efficient Terahertz Band Communications in 6G and Beyond," in IEEE Wireless Communications, vol. 31, no. 3, pp. 133-139, June 2024.

Curved Beam

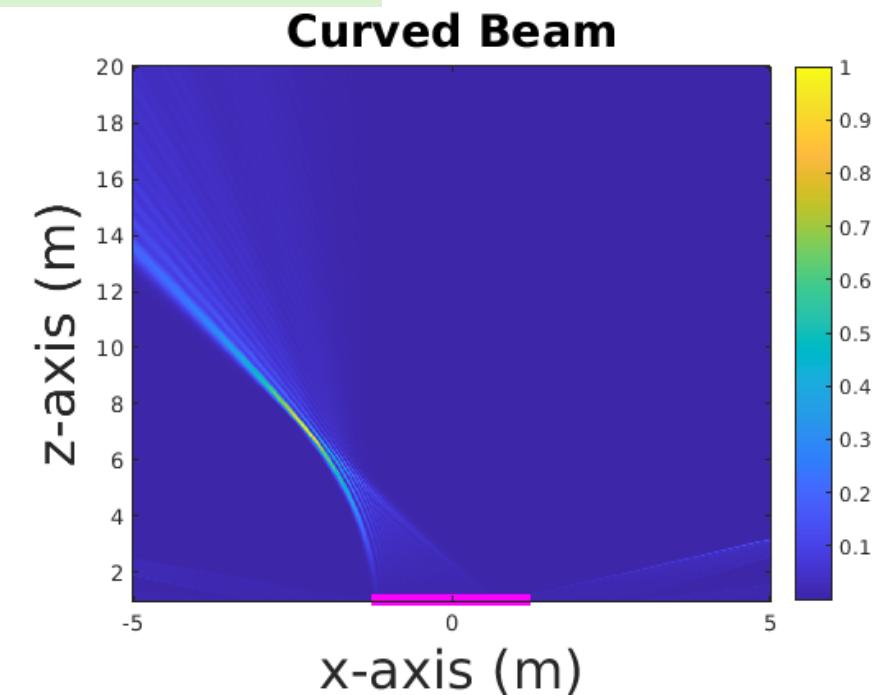
Follow arbitrary curved trajectories

Solve challenges associated to blockage.



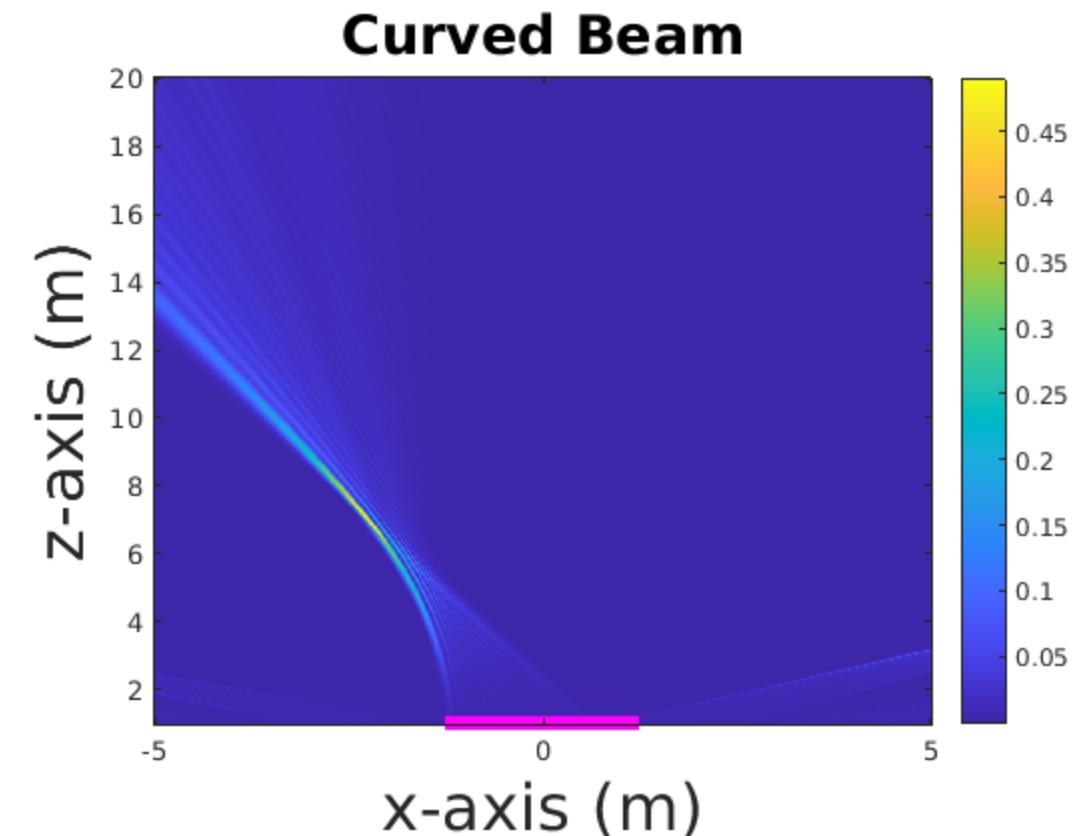
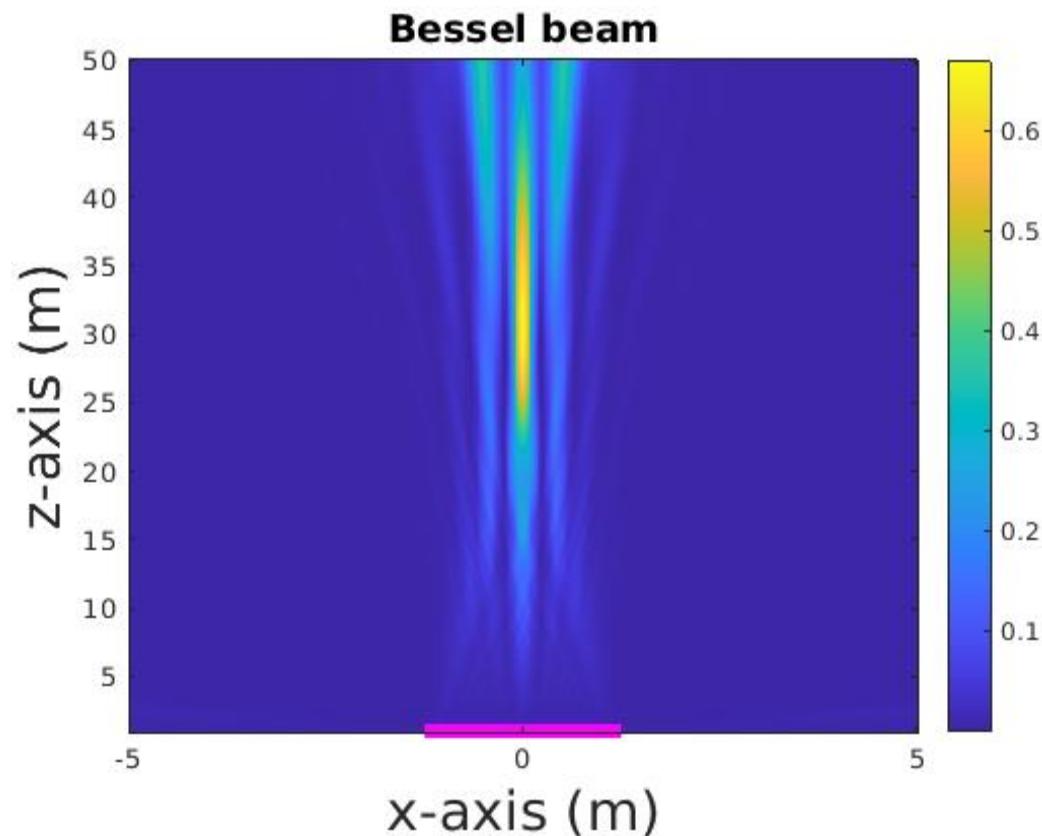
$$g(z) = -0.0125(z-1)^2 + .0025$$

Trajectory



Result Beam

Bessel and Curved Beam



Will Near-Field Effects Appear in 6G?

Example :

$$F < \frac{d_F}{10}$$

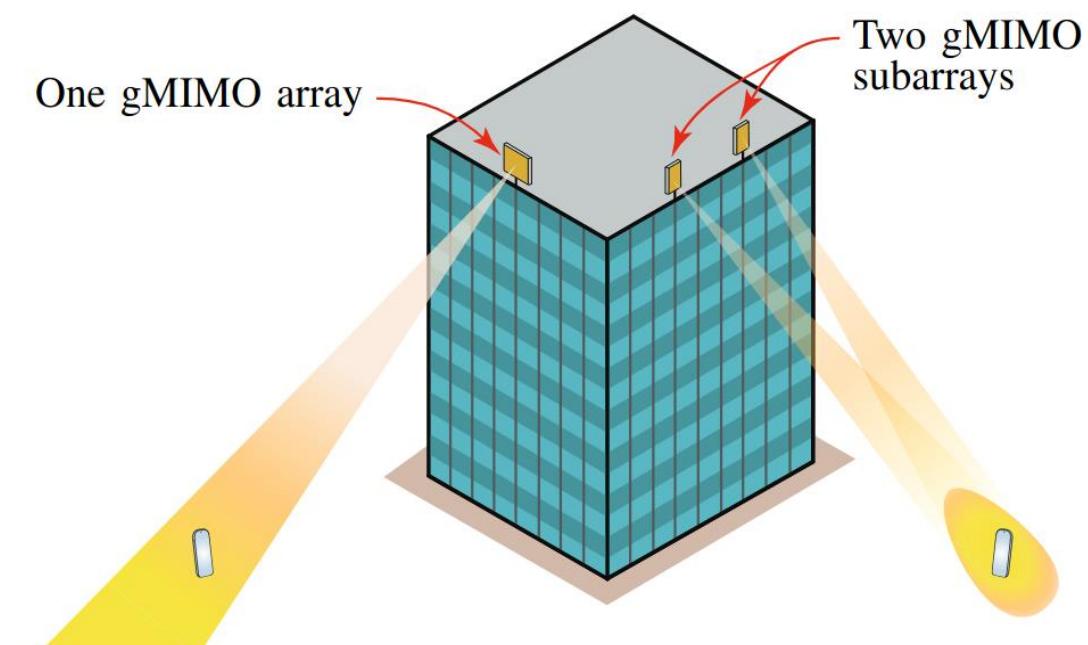
0.5×0.5 , 3 GHz = 1 m

1×1 m, 15 GHz = 20m

1×1 m, 30 GHz = 40 m



We need extremely large antenna array or very high frequency



Mini Matlab Project

