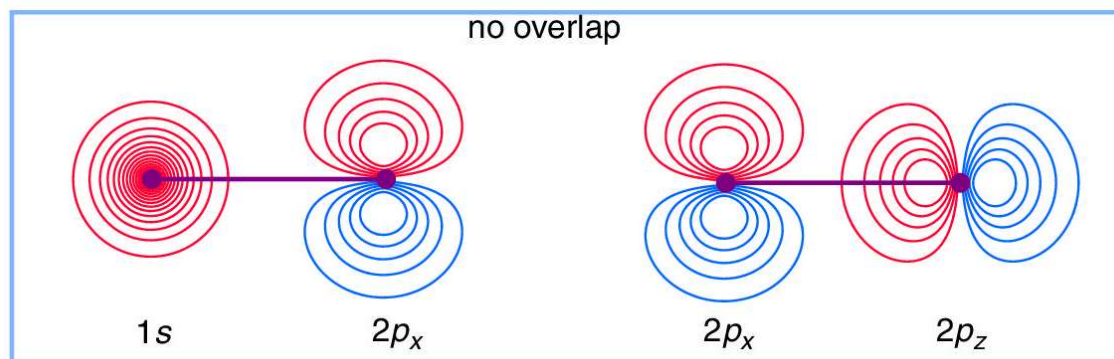
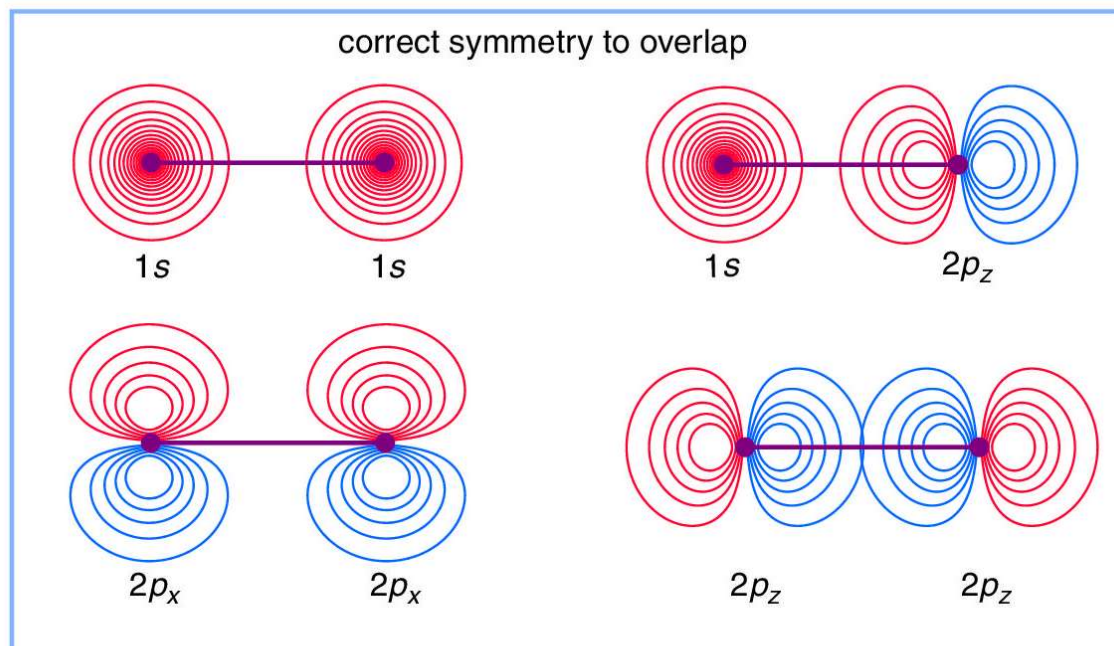
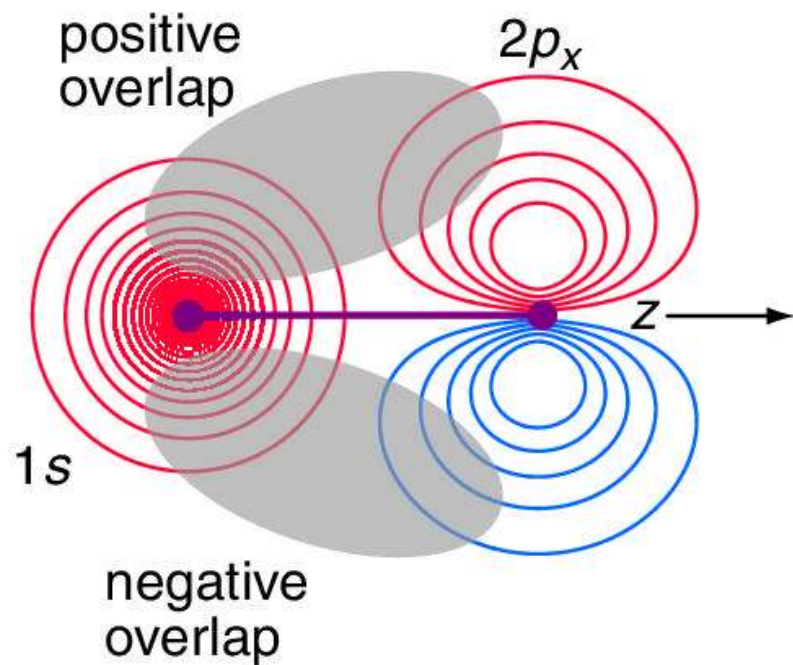


# Review: Rules for Forming MOs: 1

Combining certain number of AO's produces the same number of MO's e.g. combining 4 AOs give 4 MOs

# Rules for Forming MOs: 2

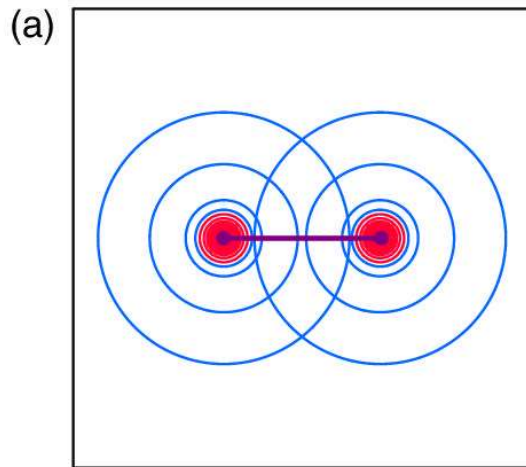
Recall: Only AO's of the correct symmetry will give MOs



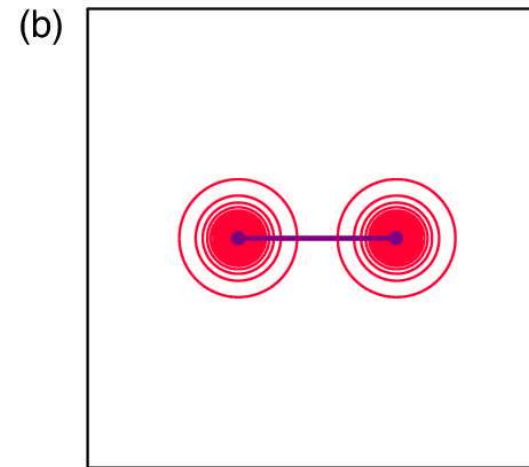
# Rules for Forming MOs: 3

Size: In order to interact for form MOs, the AOs must overlap significantly- high S

Example: Look at the MO formed from 2s AO's and 1s AO's of Li



2s

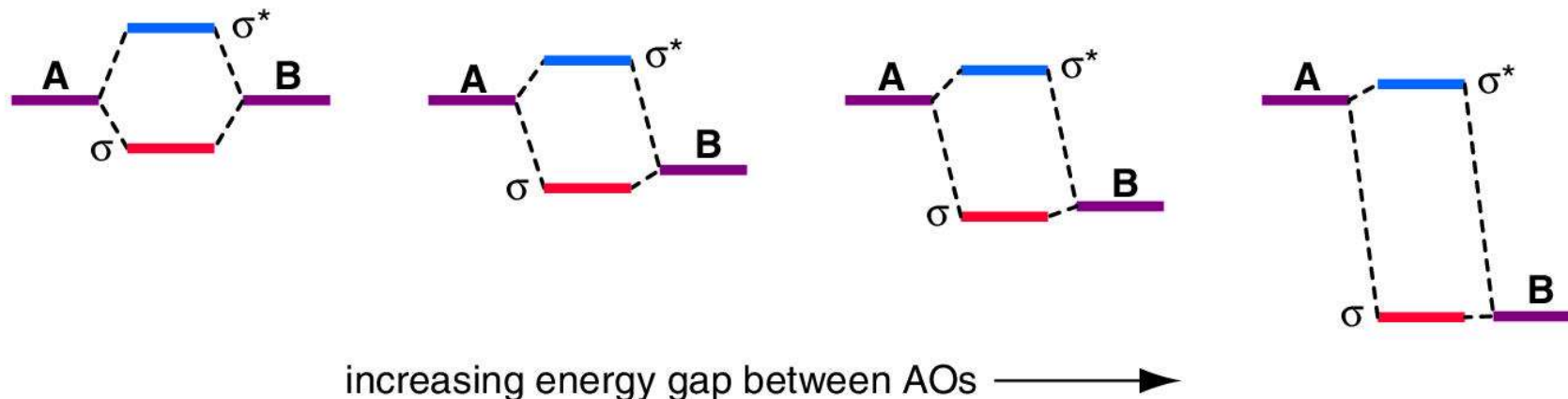


1s

- The 2s AO's overlap significantly- the resulting bonding and anti-bonding MO will be significantly shifted from the energy of AO's
- For the 1s's, even though symmetry is correct to overlap, S will be zero

# Rules for Forming MOs: 4

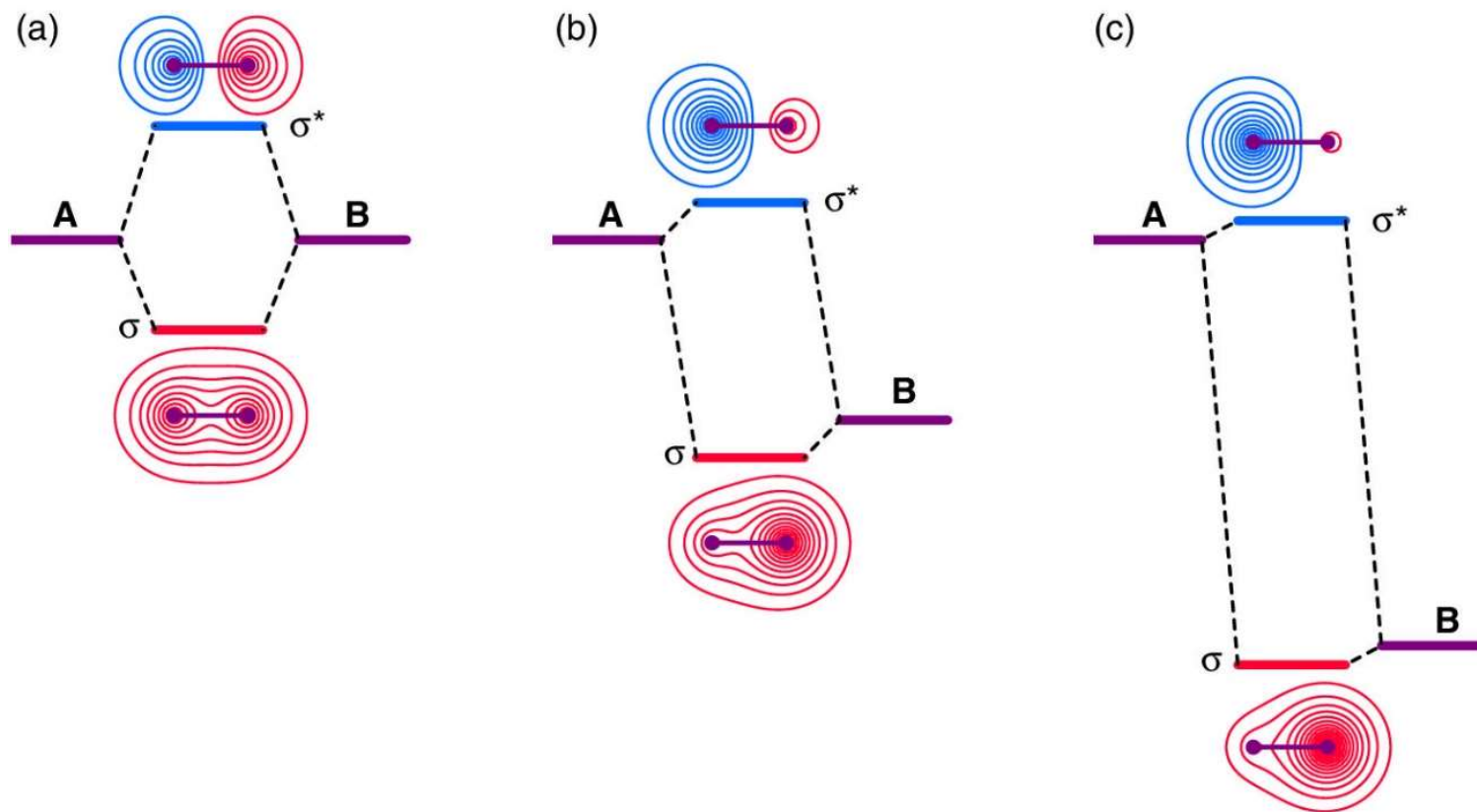
Energy match and contribution from different AOs



- When AOs are closely matched in energy, the bonding and anti-bonding MOs lie significantly above and below the AOs
- The bonding MO lies closer in energy to that of the lower energy AO
- The anti-bonding MO lies closer in energy to that of the higher energy AO

# Rule 5 for Forming MOs

Energy match and contribution from different AOs

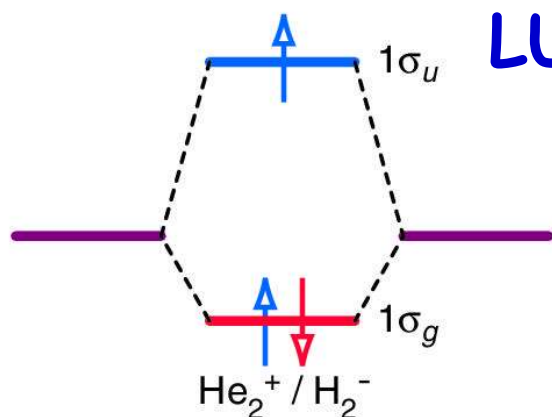
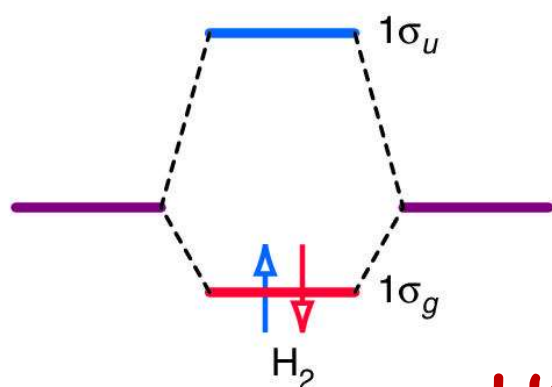
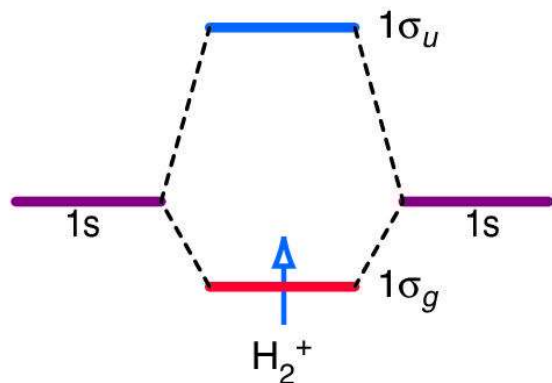


- Contribution to the bonding MO from the lower energy AO increases, while from the higher energy AO decreases
- Contribution to the anti-bonding MO from the higher energy AO increases, while from the lower energy AO decreases

# Dihydrogen Molecule: Orbital Interaction Diagram

1. Plot atomic valence orbital energies
2. Determine which orbitals can interact (those with  $S > 0$ ).
3. Plot MO energies and draw orbitals Interaction
4. Use Aufbau principle to fill in electrons

# H<sub>2</sub>, He and their Ions



| Molecule | BDE (kJ/mol) | Bond length (pm) |
|----------|--------------|------------------|
| $H_2^+$  | 256          | 106              |
| $H_2$    | 432          | 74               |
| $He_2^+$ | 241          | 108              |
| $He_2$   | Not Observed | Not Observed     |

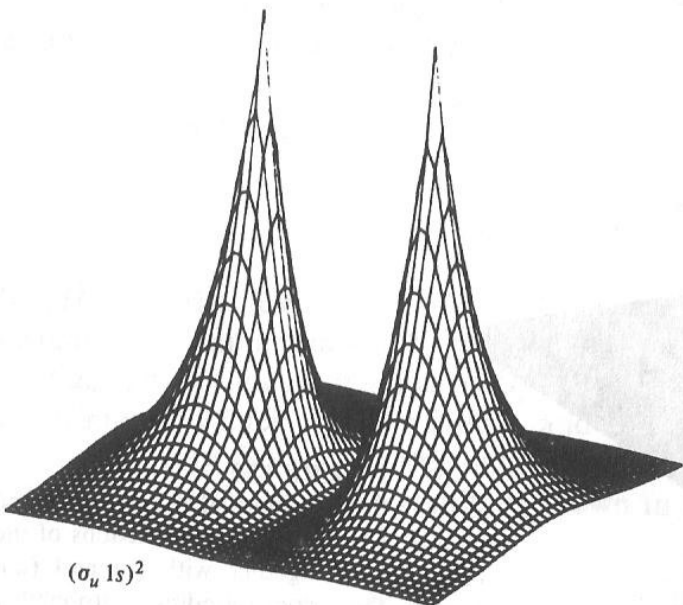
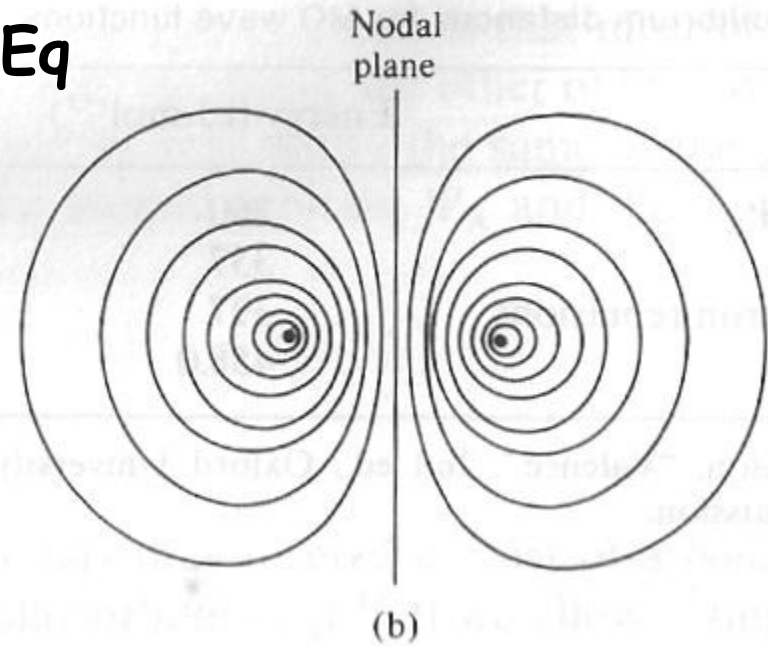
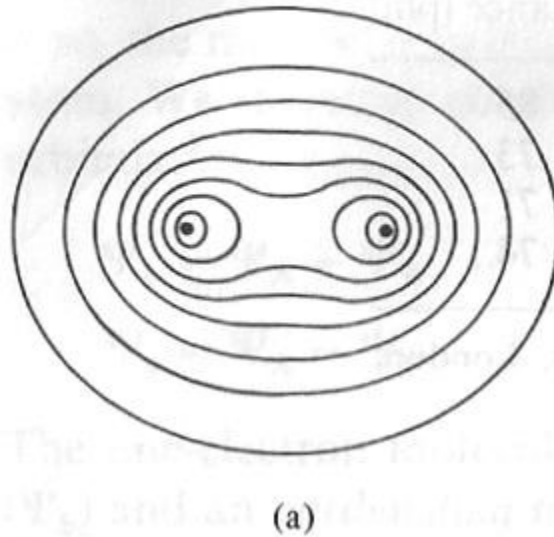
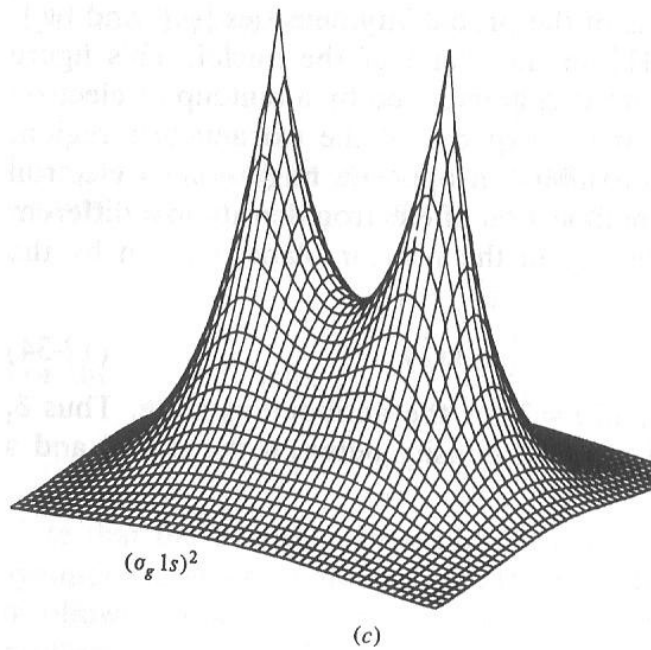
**HOMO** : Highest Occupied Molecular Orbital  
**LUMO** : Lowest Unoccupied Molecular Orbital

$BO = \frac{1}{2}(\text{no. of bonding electrons} - \text{no. of anti-bonding electrons})$



# Electron Density Maps/Contours

At  $R_{Eq}$



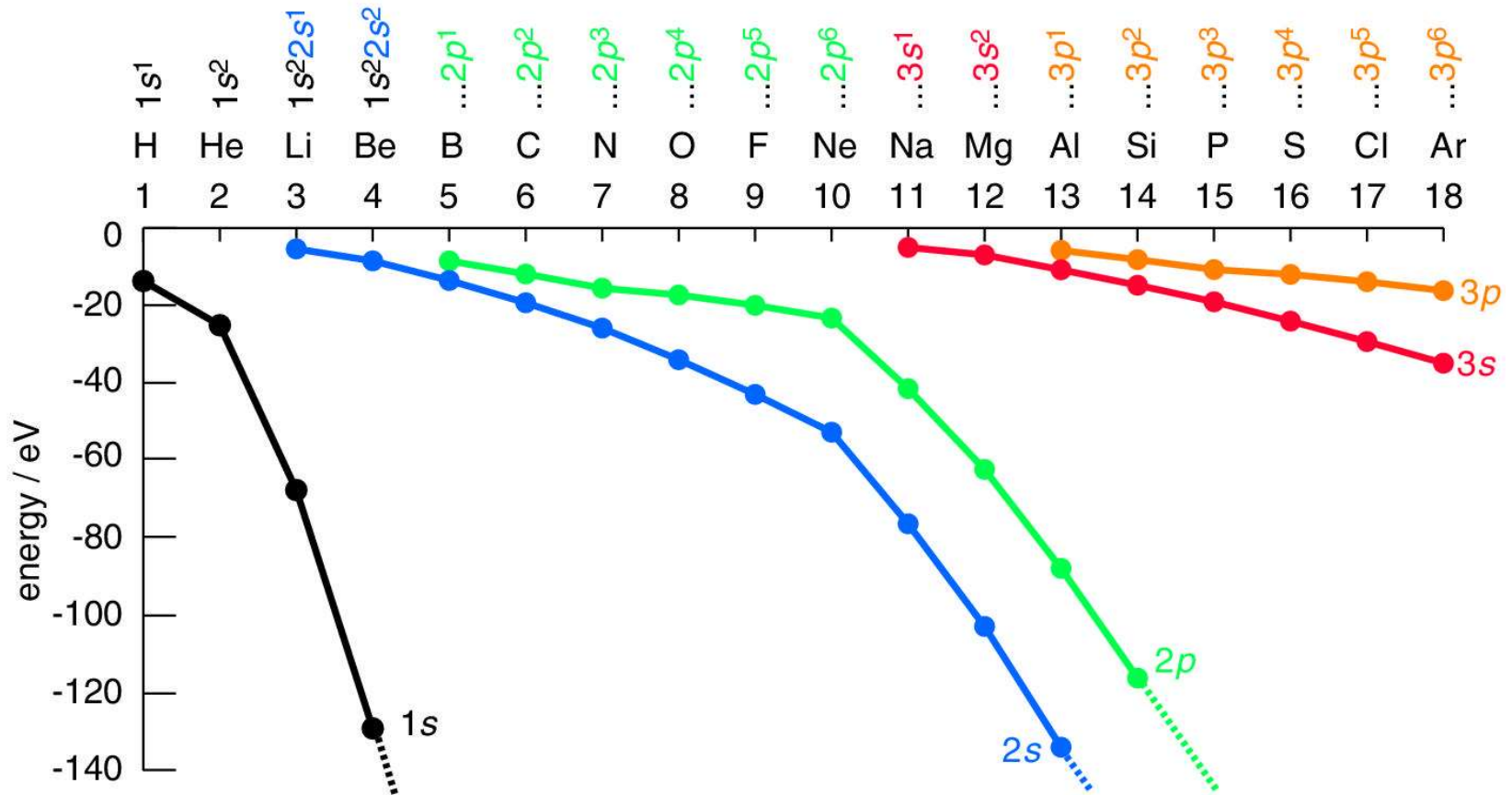
Probability density is equal for each line drawn in the contour plot.

Value of probability density higher close to the Nucleus and decreased radially

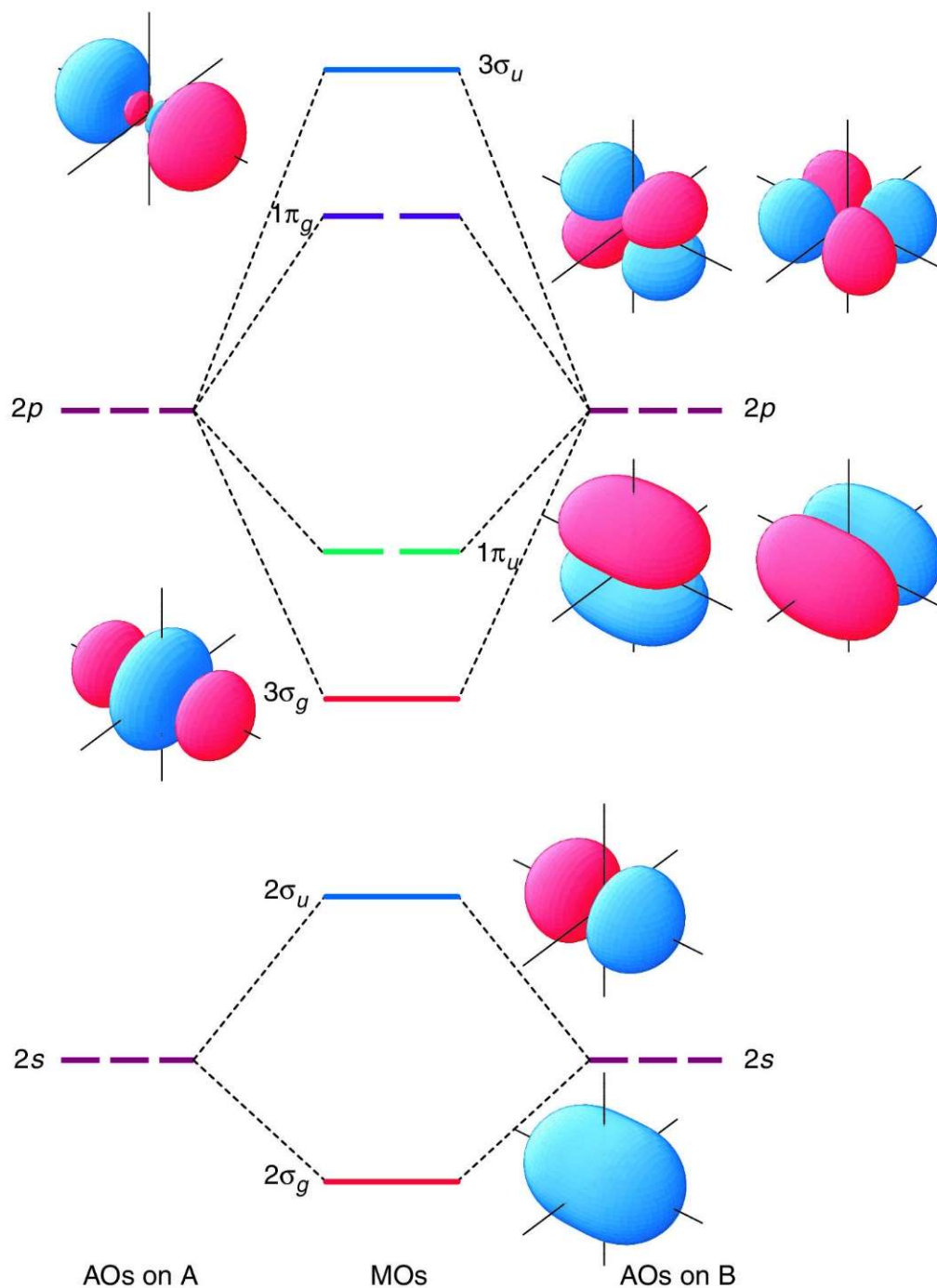


# Idealized MO Diagrams: 2<sup>nd</sup> Row

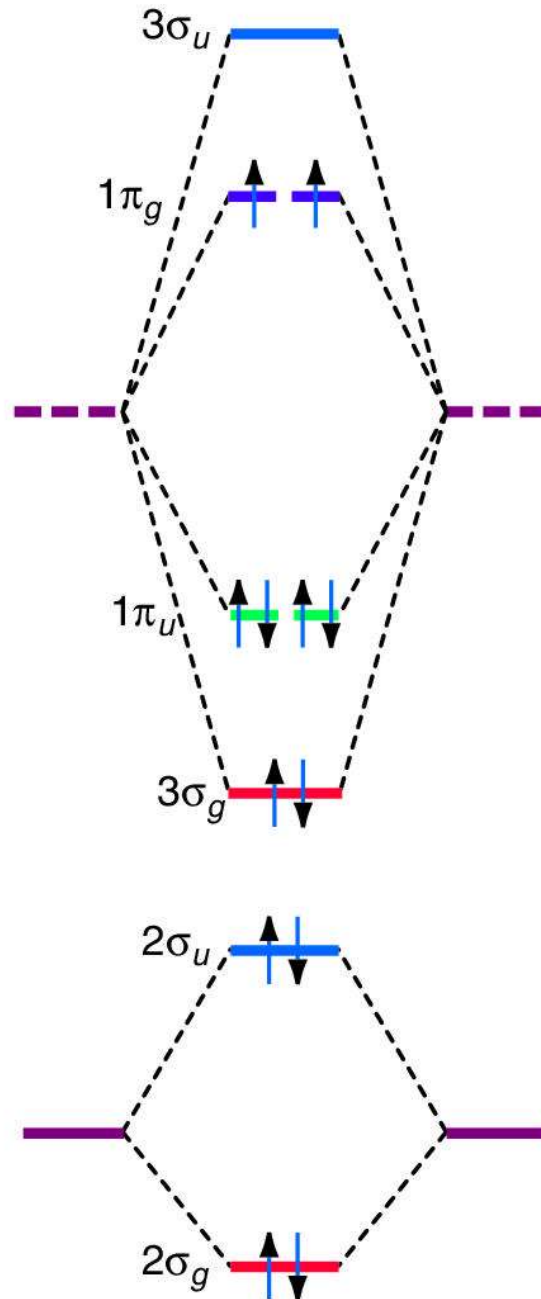
Recall:



# Idealized MO Diagrams: 2<sup>nd</sup> Row



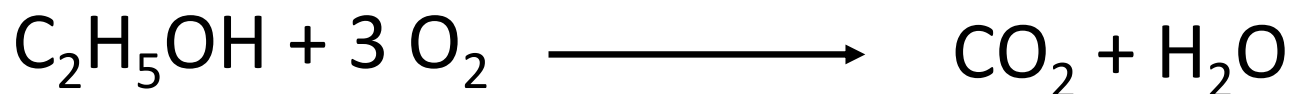
# Idealized MO Diagrams: $O_2$ , $F_2$ , $Ne_2$



# Oxygen as a Fuel

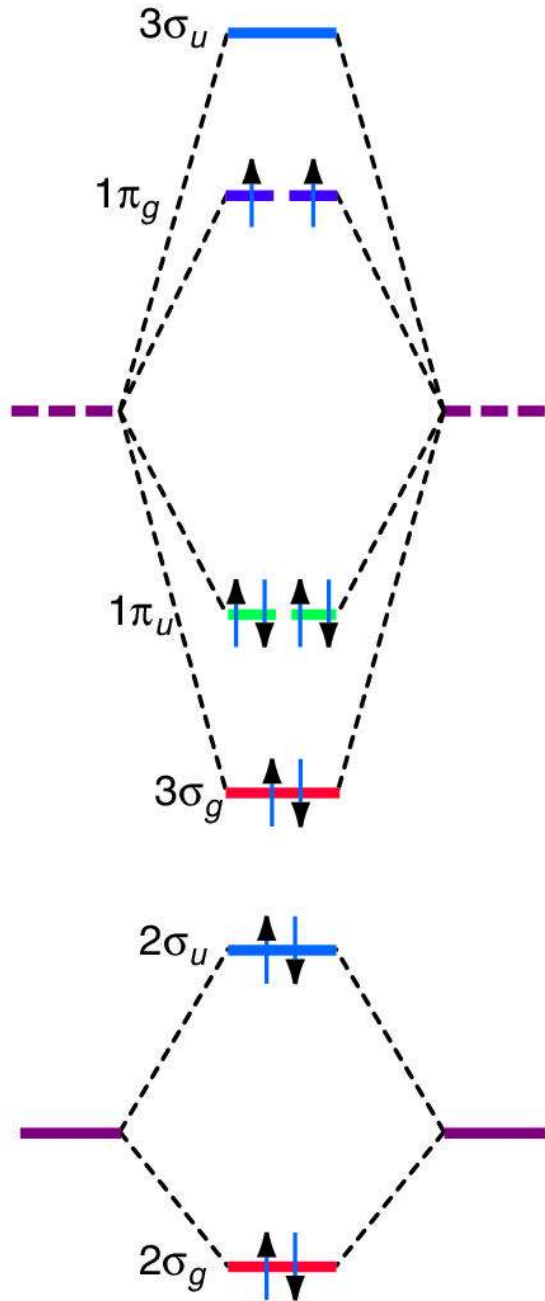


## Fossil Fuels





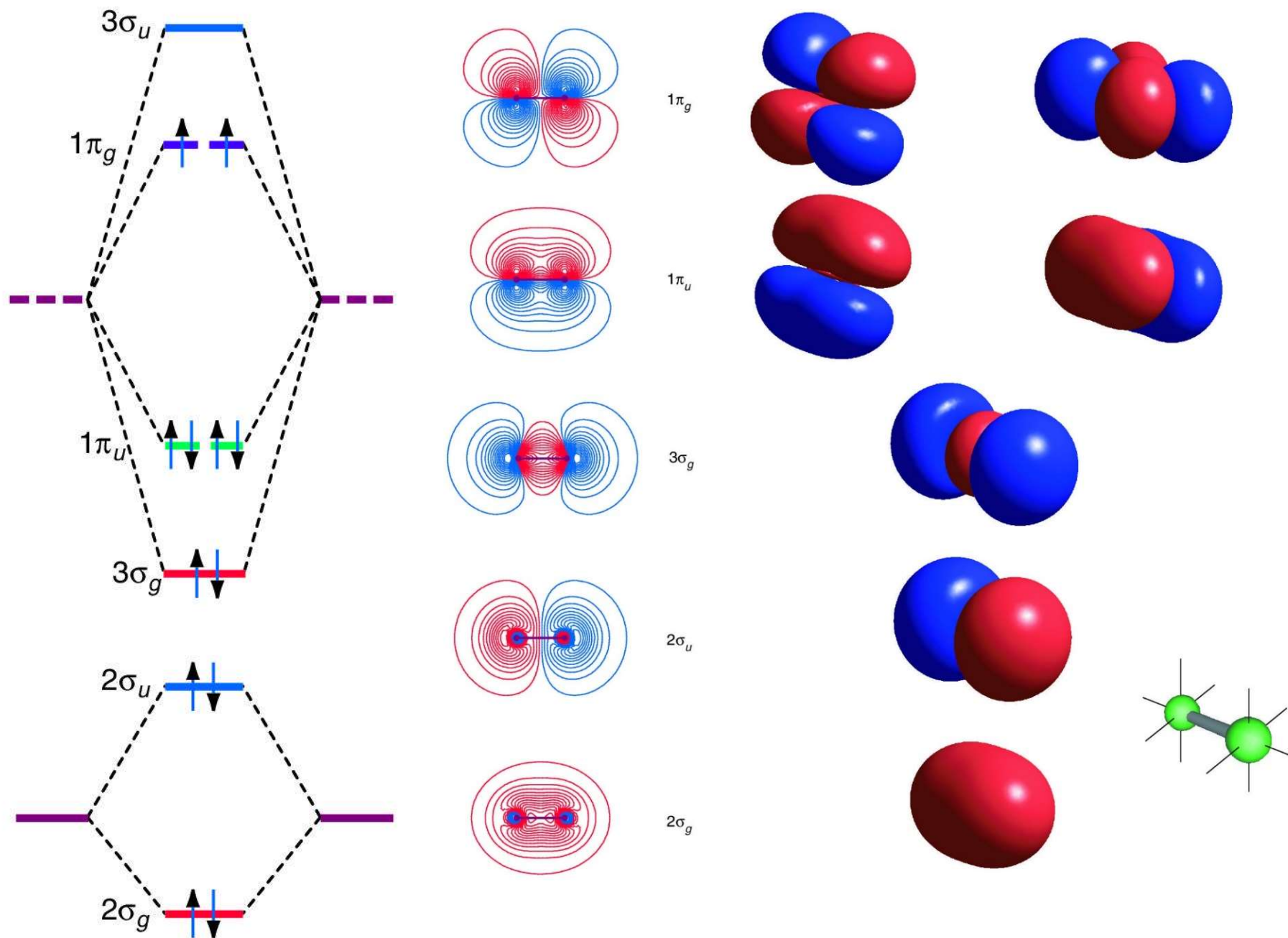
# Idealized MO Diagrams: $O_2$ , $F_2$ , $Ne_2$



HOMO, LUMO and Bond Order



# Idealized MO Diagrams: O<sub>2</sub>



For 3D view: <https://www.chemtube3d.com/orbitalsfluorine/>

# Photoelectron Spectroscopy of O<sub>2</sub>

- Irradiate molecules with high-energy radiation and scan
- Determine the energies of the electrons ejected from the molecules



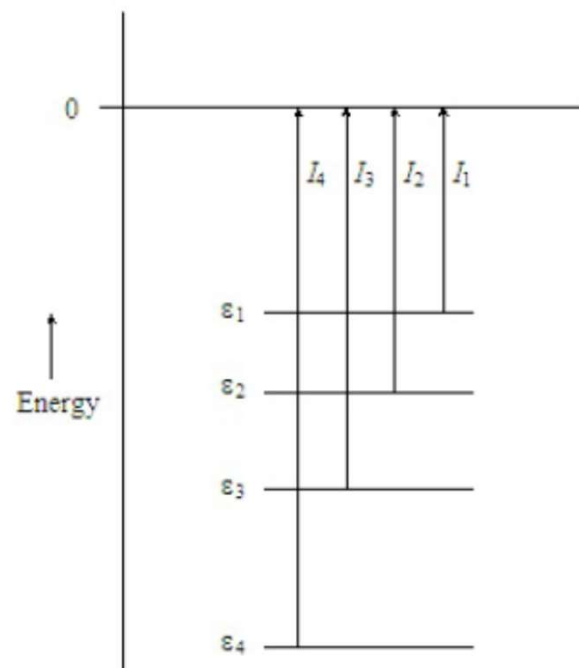
Conservation of energy then requires that  $E(A) + h\nu = E(A^+) + E(e^-)$

Since the free electron's energy is present solely as kinetic energy (KE):  $E(e^-) = KE$

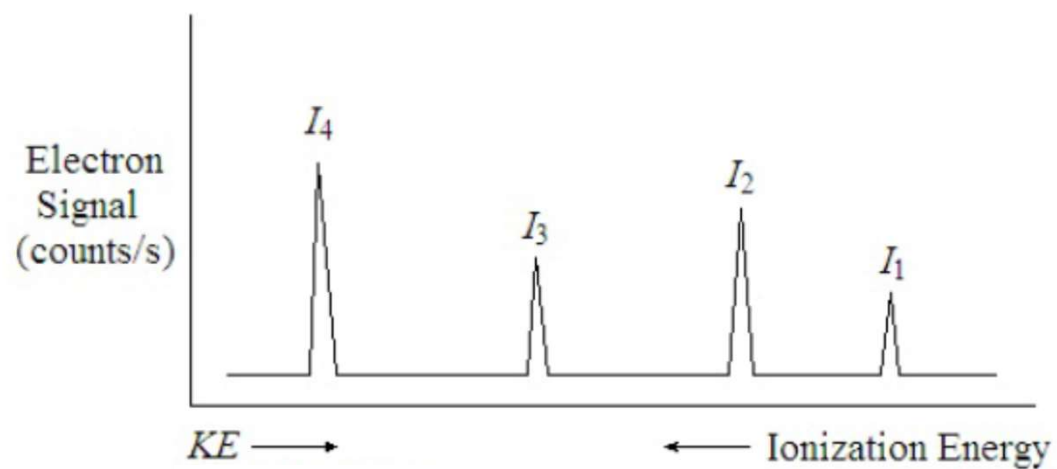
$$KE = h\nu - [E(A^+) - E(A)]$$

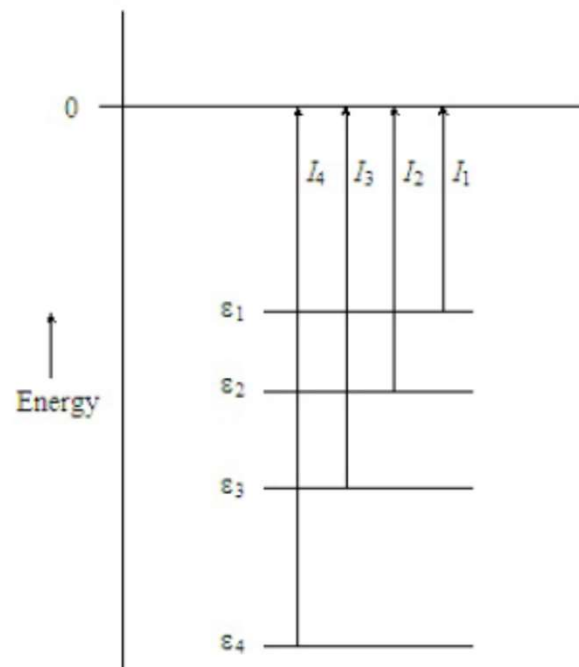
$$KE = h\nu - IE$$

$$IE = h\nu - KE$$

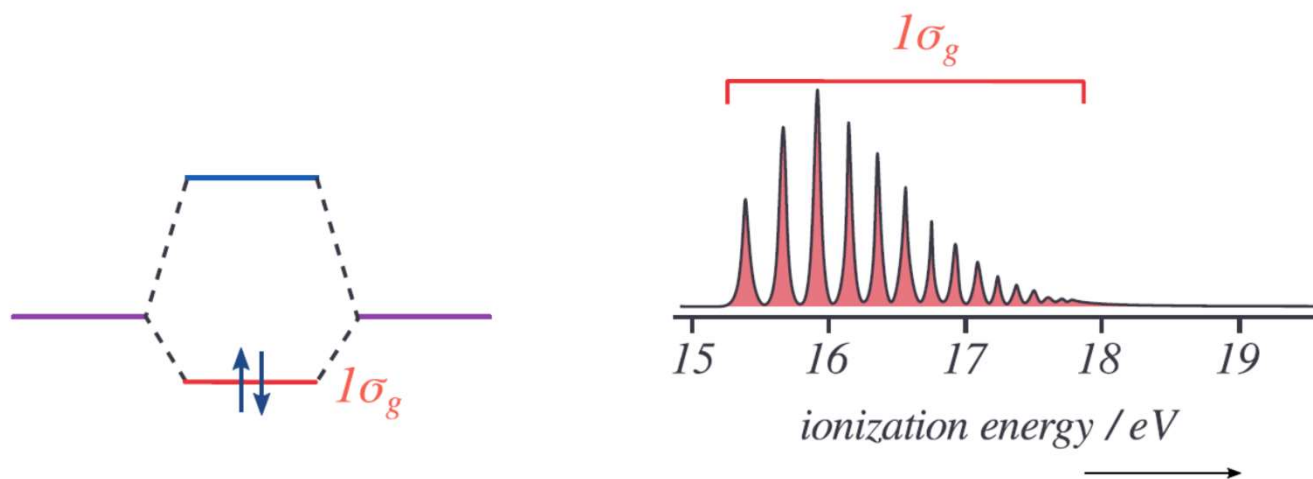


Schematic P.E.S. Spectrum

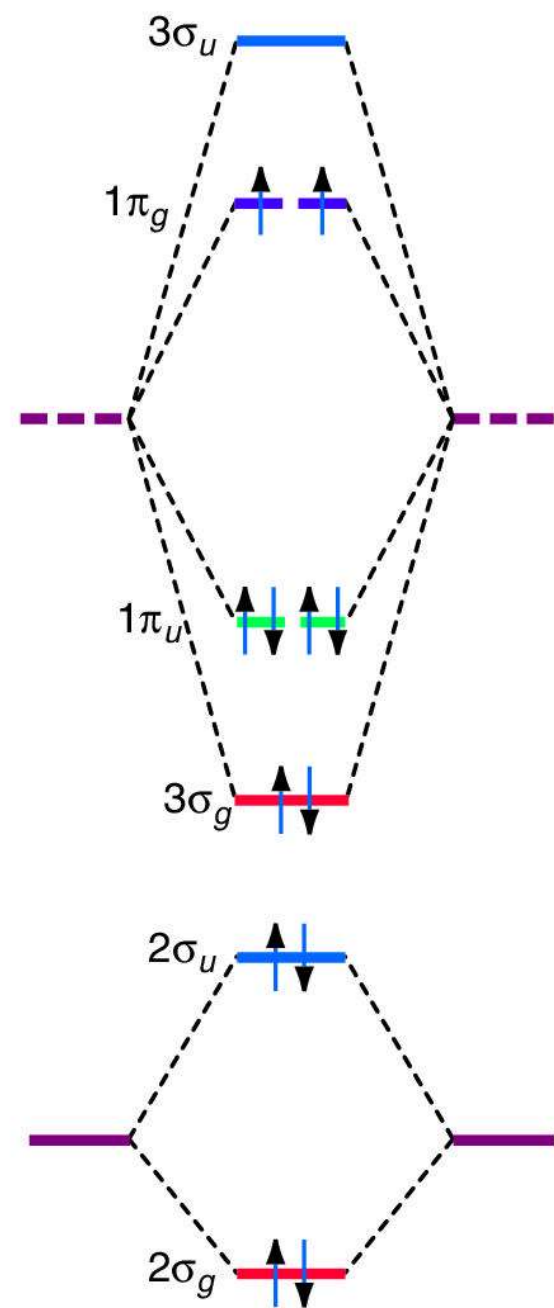
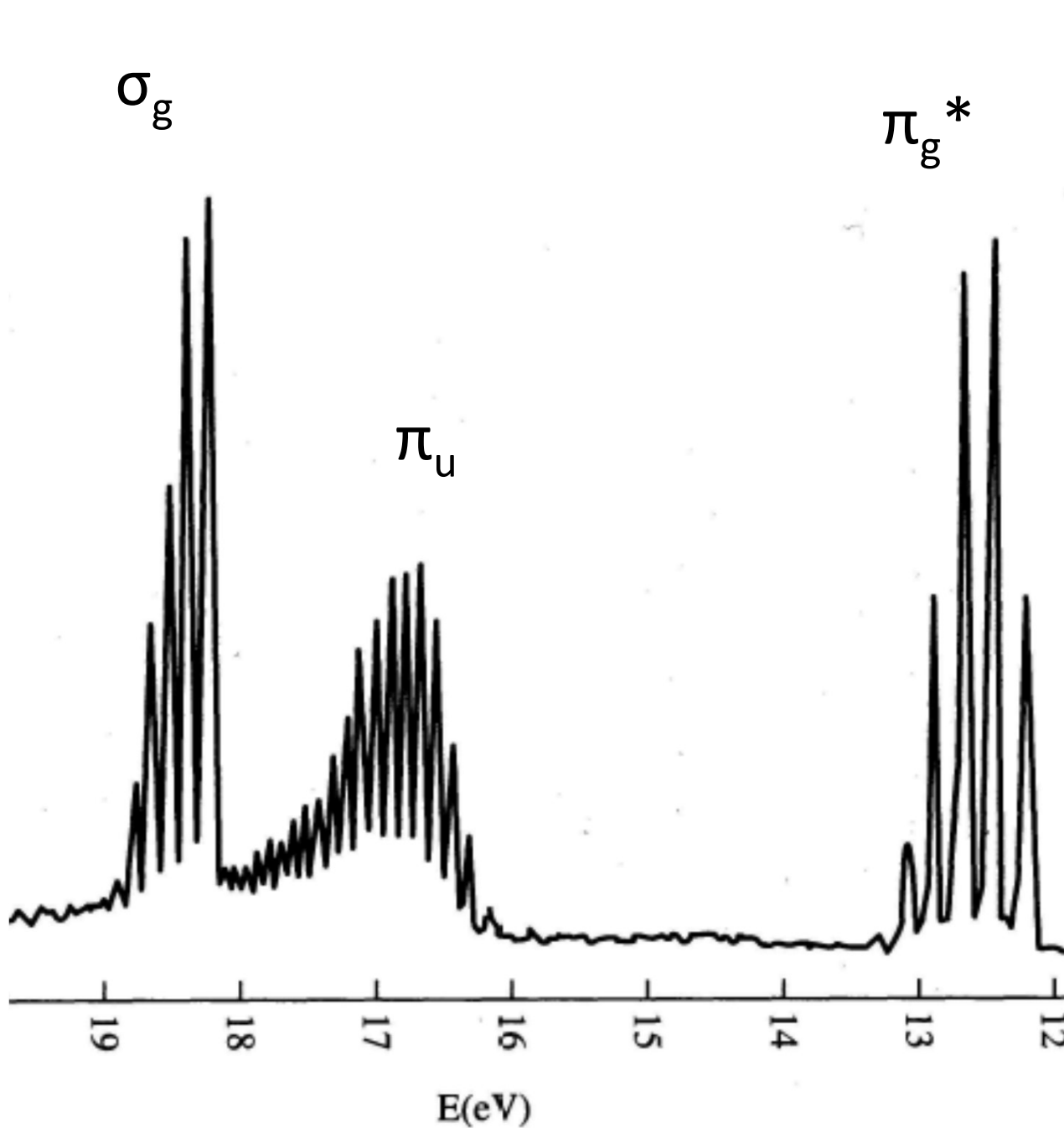




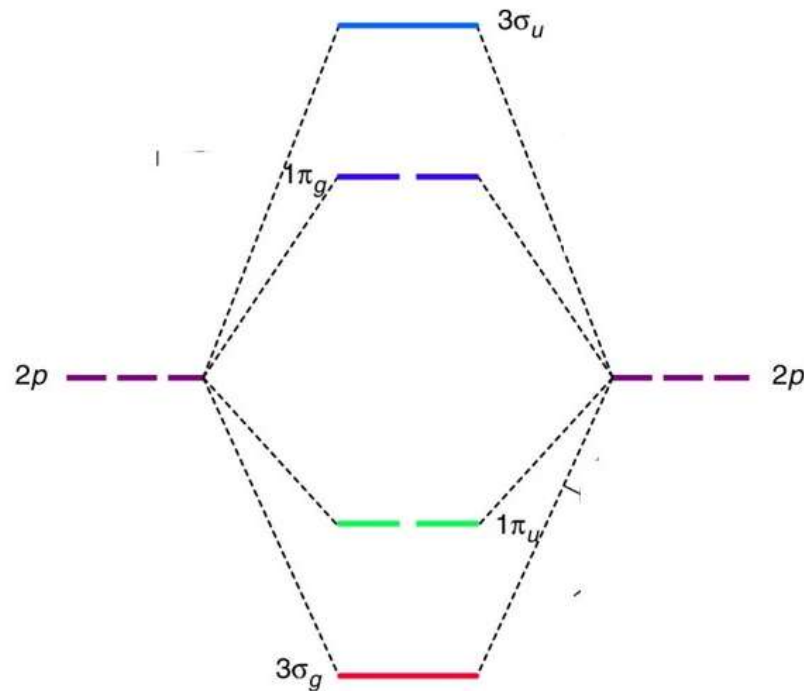
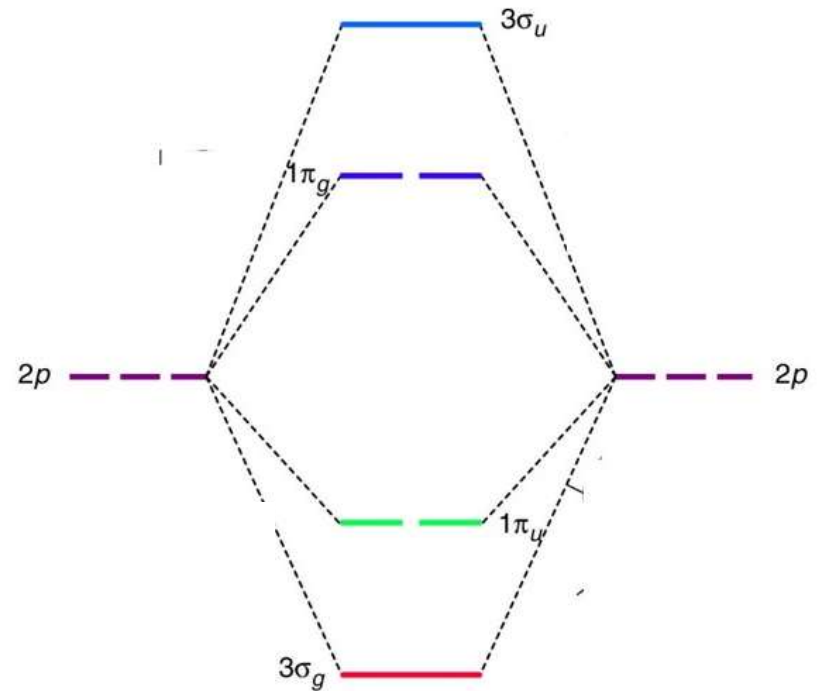
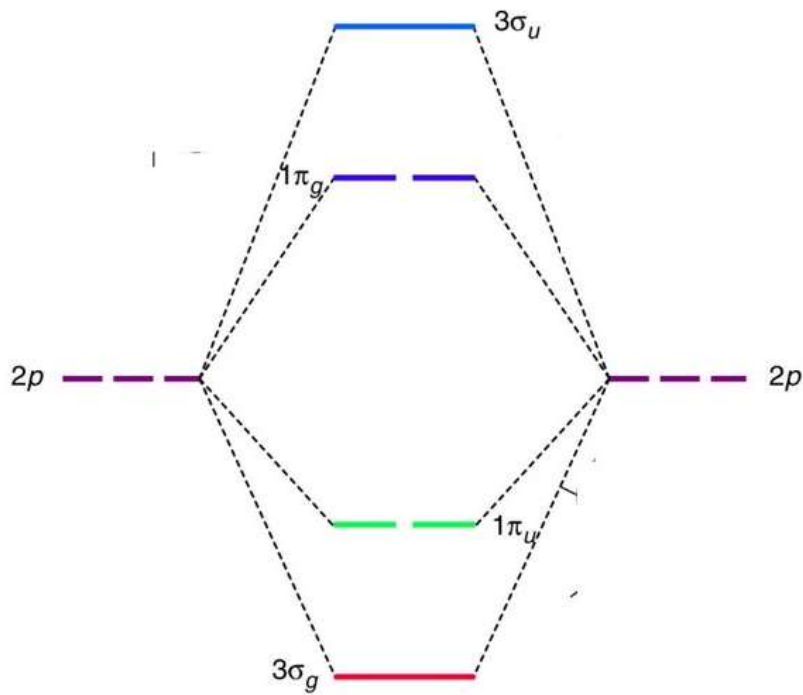
Schematic P.E.S. Spectrum



# Photoelectron Spectra of O<sub>2</sub>



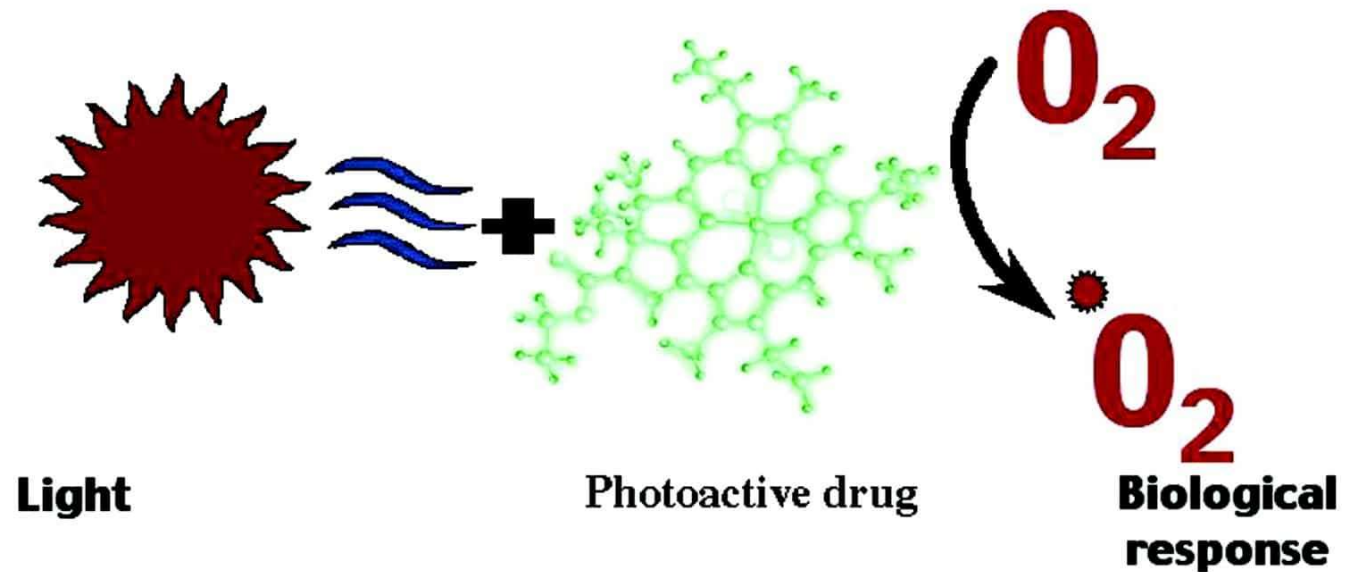
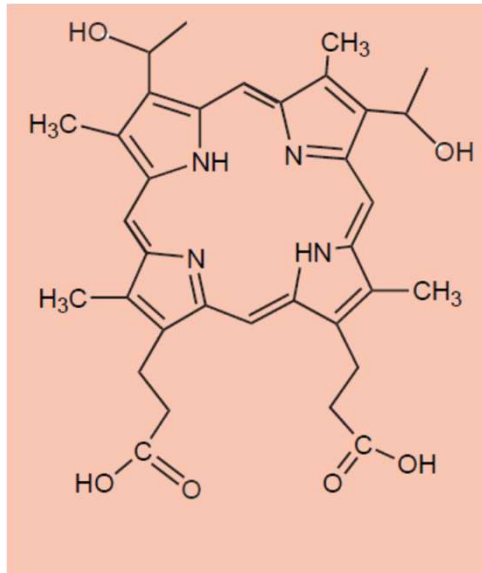
# Possible Excited States of O<sub>2</sub>





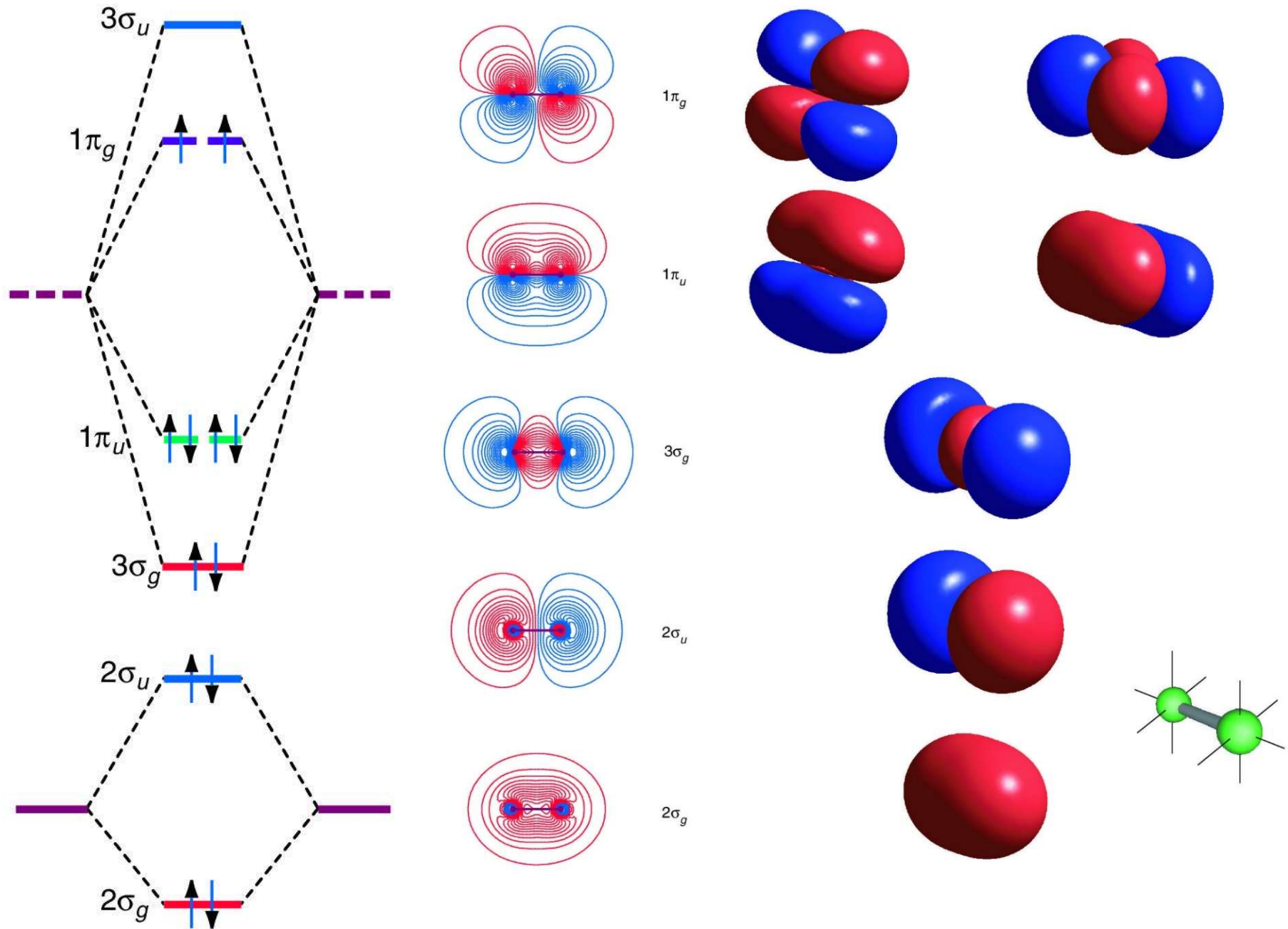
# Photodynamic Therapy

## Mechanism of Photodynamic Therapy



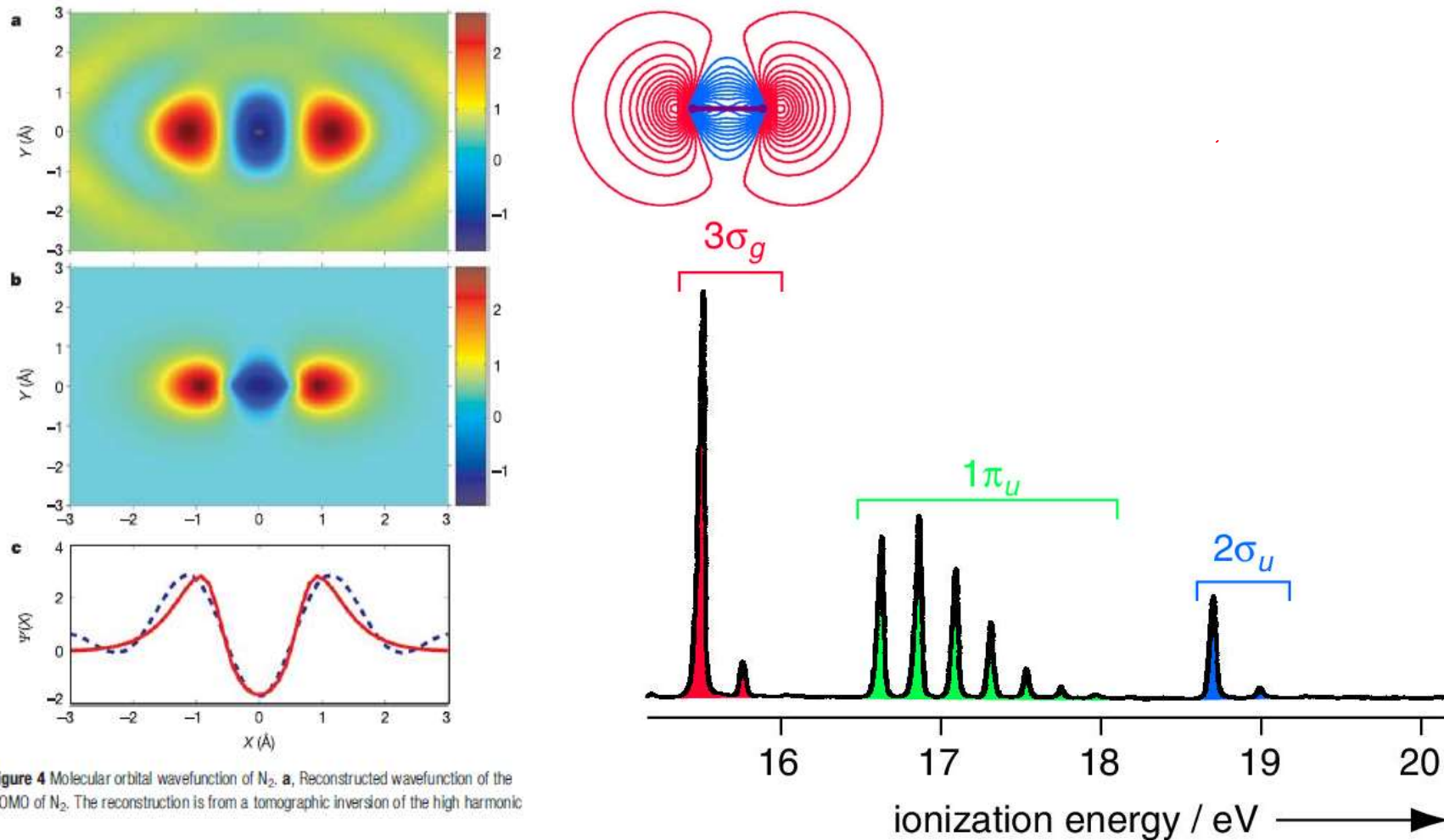
- **Reactive oxygen species / free radicals**
- **PDT initiates cellular apoptosis**

# Expected MO Diagrams of N<sub>2</sub>



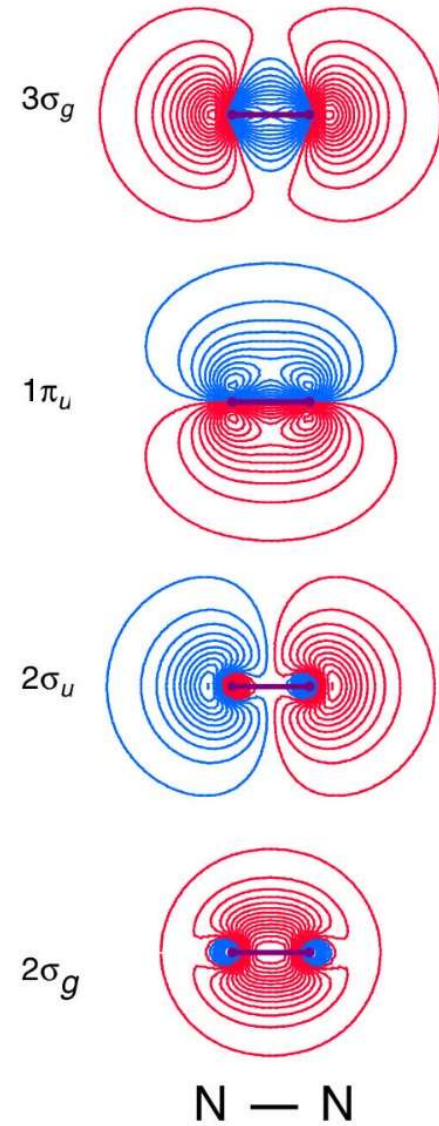
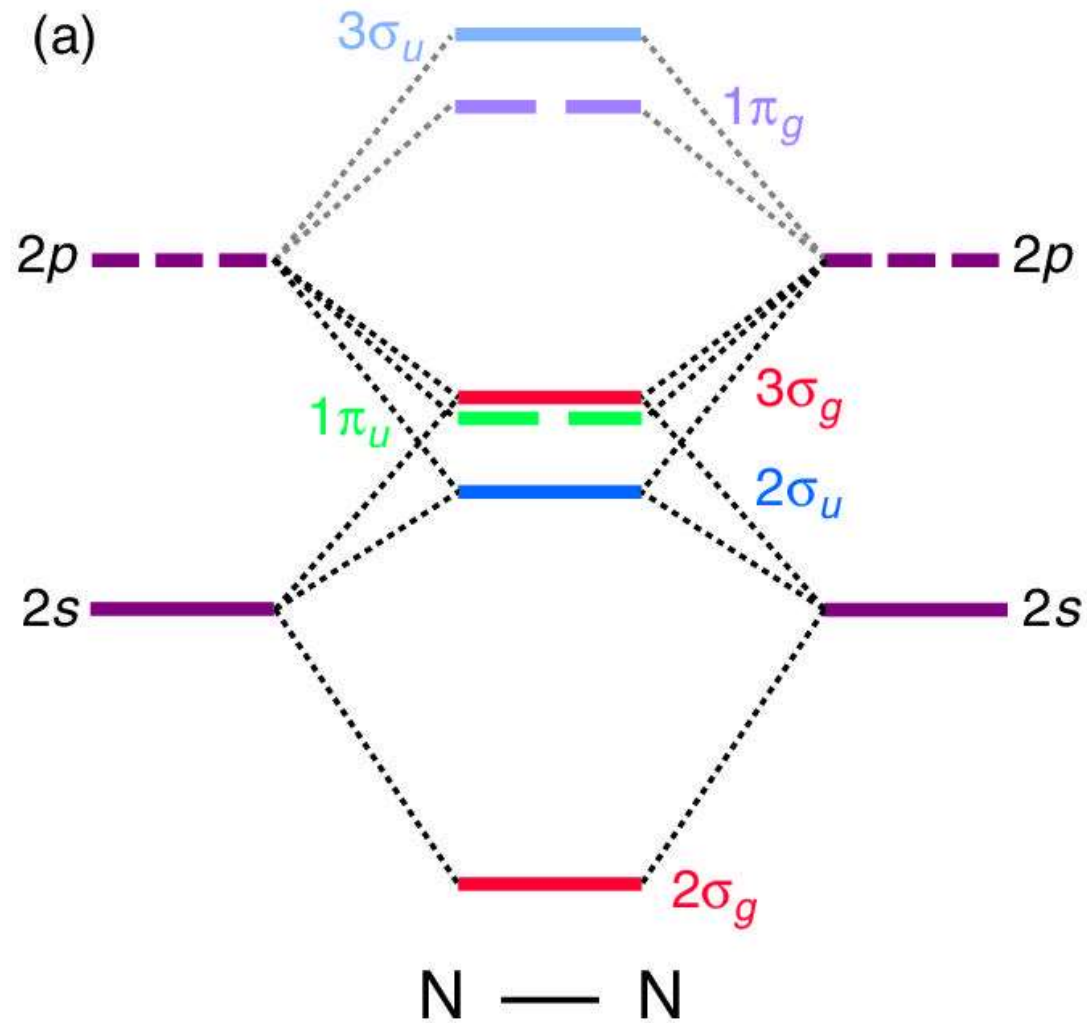
# Actual MO and Energy Diagram for N<sub>2</sub>

Nature 2004 vol 432 867



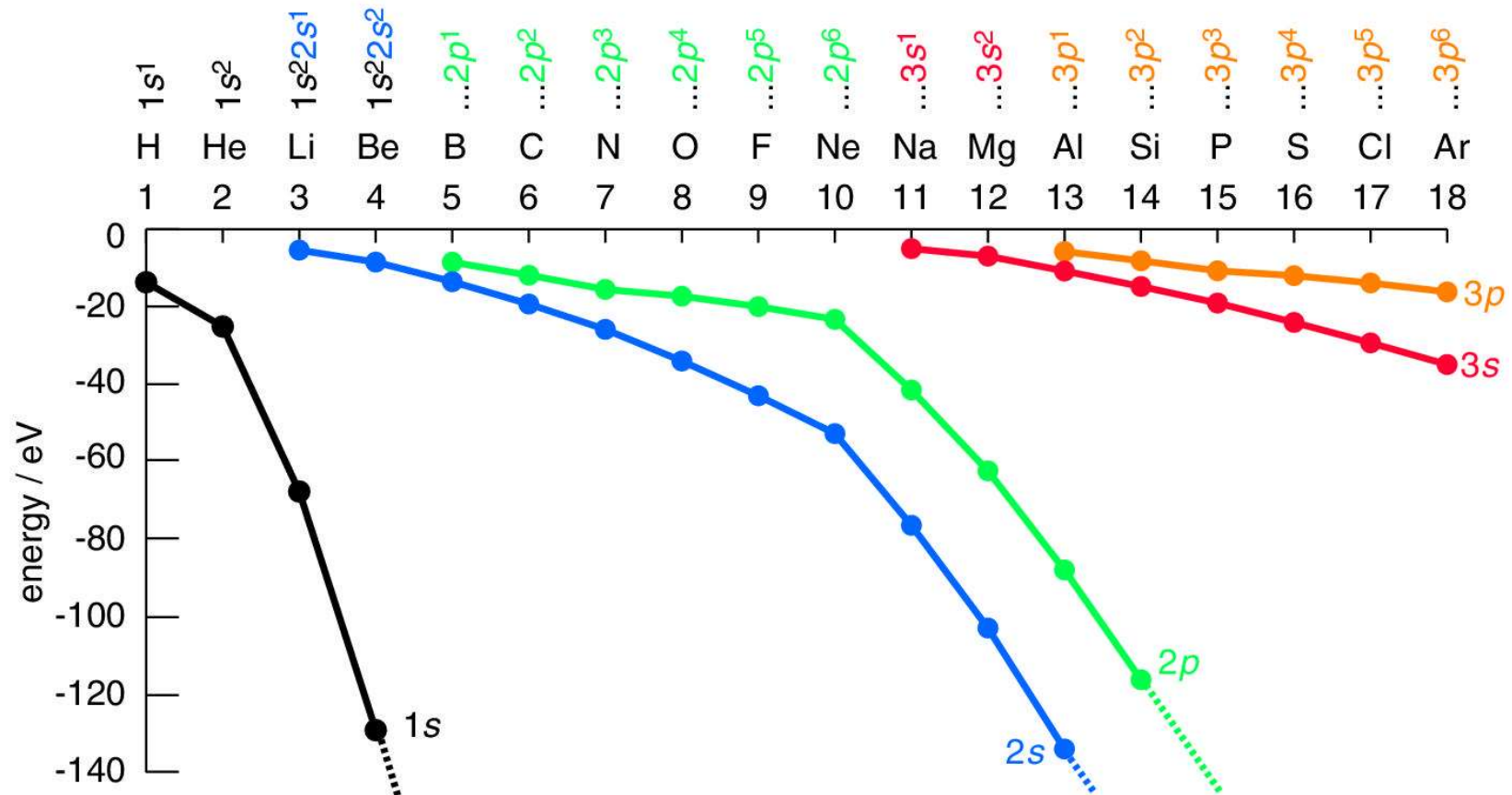
- Mixing of 2S and 2P<sub>z</sub> orbital → due to small energy gap
  - 2s and 2p<sub>z</sub> electrons feels not so different  $Z_{\text{eff}}$

# Actual MO and Energy Diagram for N<sub>2</sub>



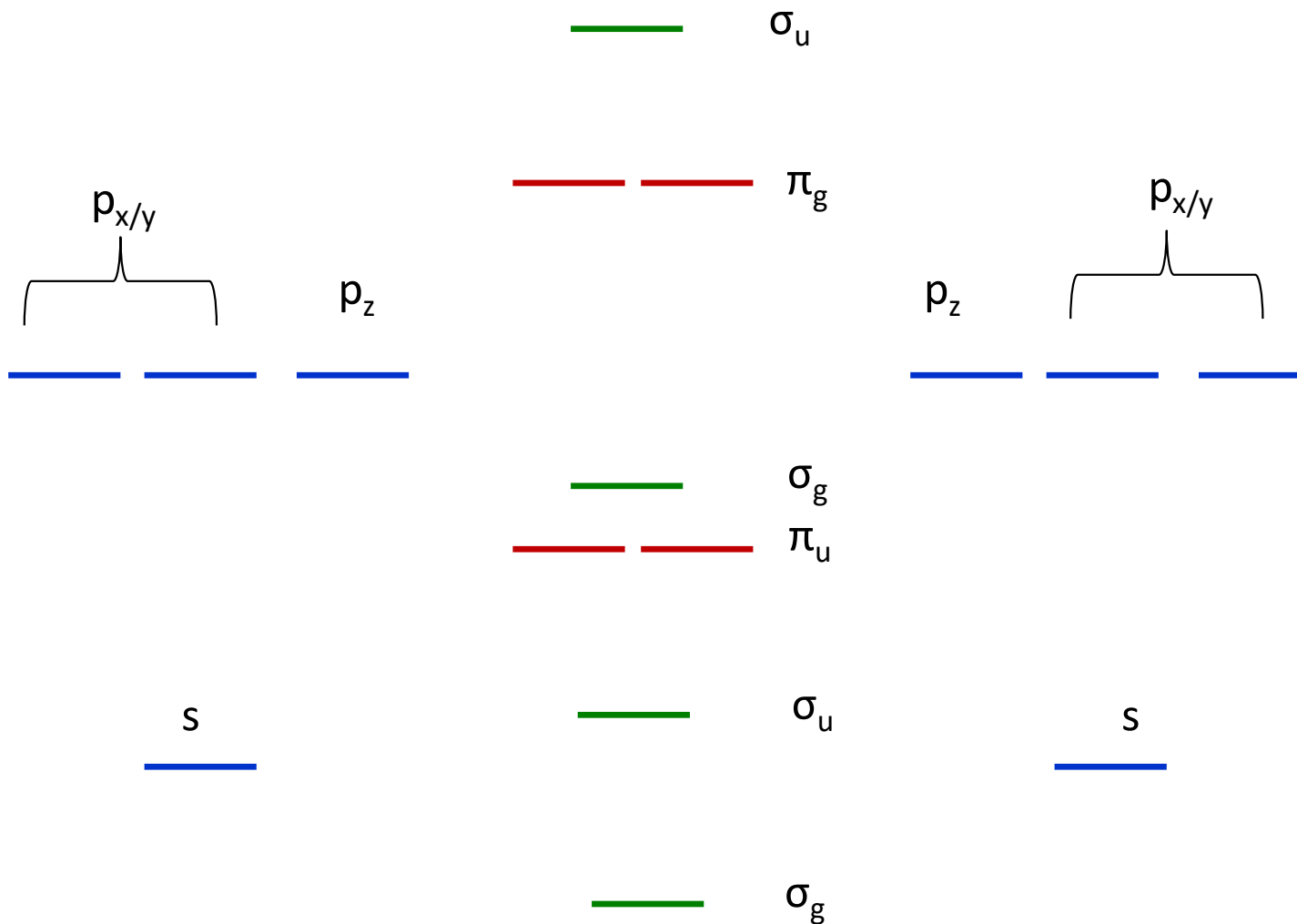
# S-P Mixing in Atomic Orbitals

Recall:

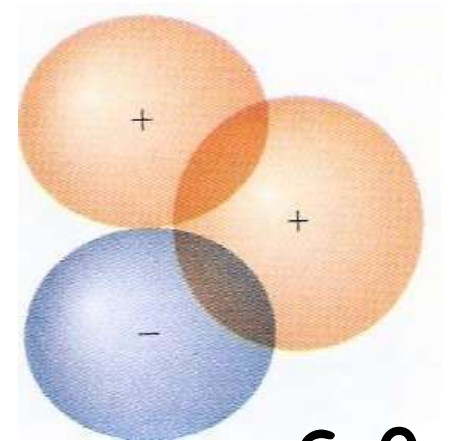




# MO of N<sub>2</sub>

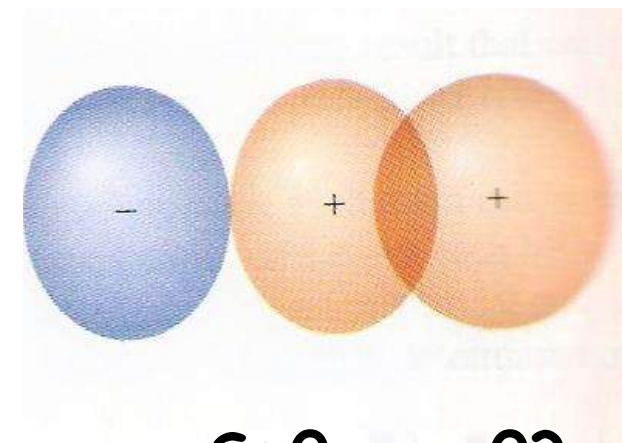


$P_{x/y} + s$



$S=0$

$P_z + s$

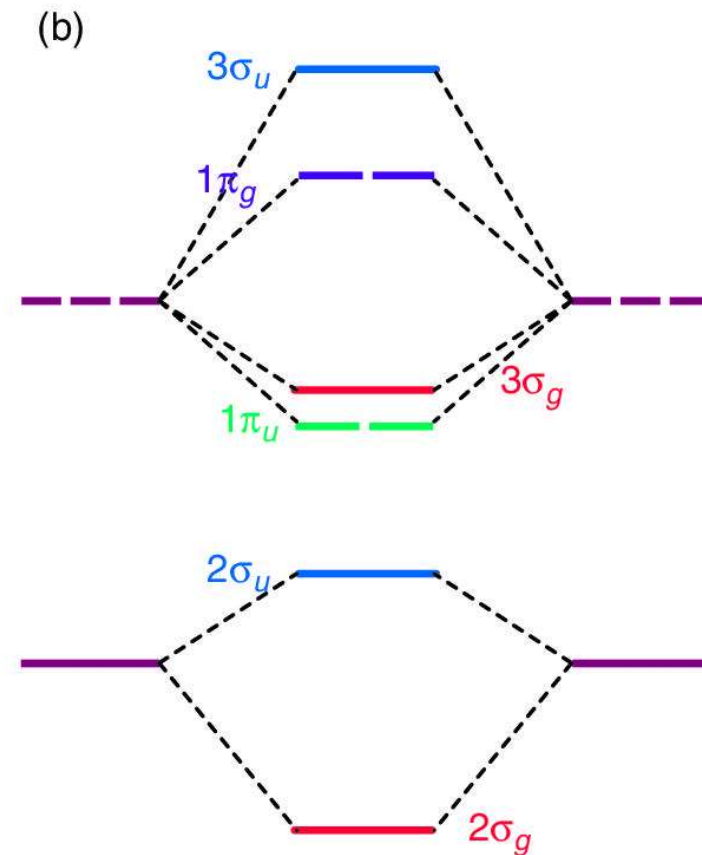
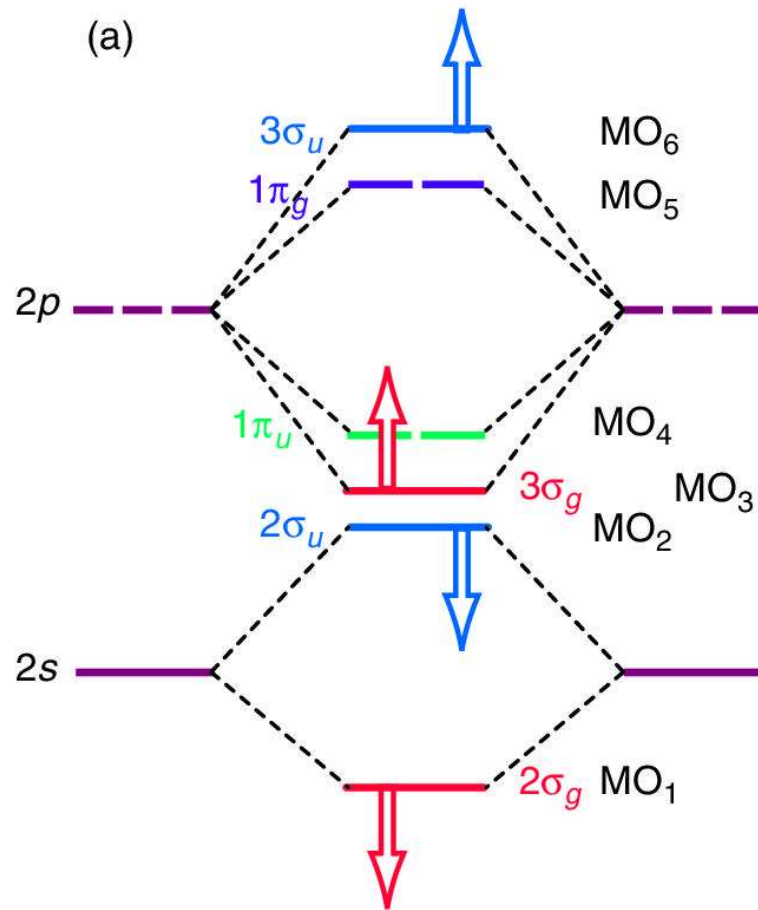


$S > 0$  or  $< 0$ ?

4 MO's can be constructed from 2s (two) and 2p<sub>z</sub> (two)  
 Example one MO can be  $c_1^*(2s) + c_2^*(2s) + c_3^*(2p_z) + c_4^*(2p_z)$



# S-P Mixing in Atomic Orbitals



Mixing of 2s and 2p

# Actual MO and Energy Diagram for N<sub>2</sub>

