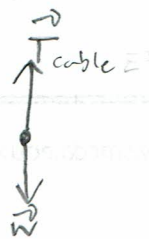
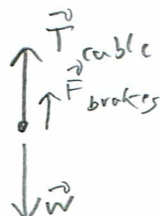


3.



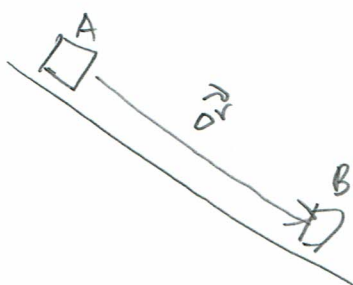
	Sign	
$T_{cable}$	+	
$W$	-	
$W_{net}$	0	← change in speed is zero
$\Delta K$	0	

4.



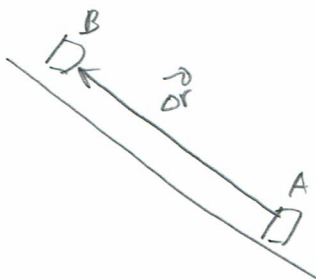
	Sign	
$T_{cable}$	-	
$F_{brakes}$	-	
$W$	+	
$W_{net}$	-	← slows down
$\Delta K$	-	

5.



	Sign	
$n$	0	(⊥ to motion)
$W$	+	
$W_{net}$	+	→ speeds up
$\Delta K$	+	

6.



	Sign	
$n$	0	
$W$	-	
$W_{net}$	-	→ slows down
$\Delta K$	-	

7.



	sign	
$W$	-	slows down
$W_{net}$	-	
$\Delta K$	-	

8.

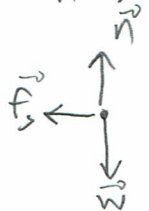


	sign	
$W$	-	speeds up
$F_{hand}$	+	
$W_{net}$	+	
$\Delta K$	+	

9.



(from behind car view)

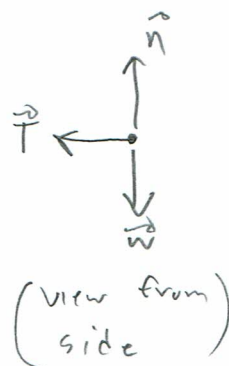


Assumes negligible drag and engine force

	sign	
$n$	0	all $\perp$ to motion
$f_s$	0	
$W$	0	
$W_{net}$	0	no change in speed
$\Delta K$	0	

↓ if present drag and the force caused by the engine would provide negative and positive work, respectively.

10.



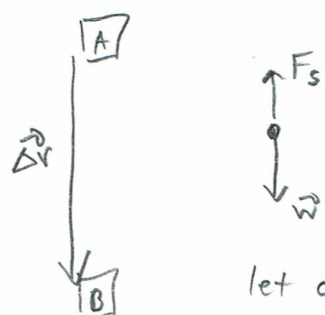
	sign	
$T$	0	all $\perp$ to motion
$n$	0	
$W$	0	
$W_{net}$	0	no change in speed
$\Delta K$	0	

$\Delta v = 0$  since there's no displacement

11.  $W = Fd$  here (constant force in the same direction as  $\Delta \vec{r}$ )  
 $F$  and  $d$  are the same for both, so  $W$  is the same.  
 Therefore  $\Delta K$  is the same.

12. Particle A will travel further since its accel will be greater  
 $(d = \frac{1}{2}at^2)$ . Since  $W = Fd$  that means more work  
 will be done on A.

13.



$$W_{\text{spring}} = -\frac{1}{2}k(X_f^2 - X_i^2) \quad \text{where } X_f = d$$

$$X_i = 0$$

$$= -\frac{1}{2}kd^2$$

Since  $x$  is distance from equilibrium.

$$W_{\text{grav}} = mgd$$

let  $d = |\Delta \vec{r}|$      $\Delta K = 0$  (starts and ends at rest)

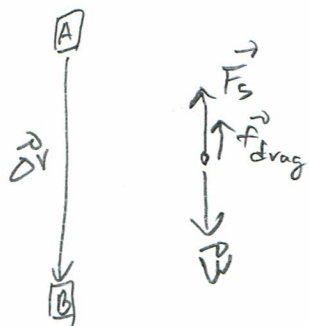
so  $W_{\text{net}} = \Delta K = 0$

$$\Rightarrow -\frac{1}{2}kd^2 + mgd = 0$$

$$\Rightarrow \frac{1}{2}kd^2 = mgd$$

$$\Rightarrow d = \frac{2mg}{k} = 0.196 \text{ m}$$

14.



works are the same as above, but  
 add  $W_{\text{drag}} = -f_{\text{drag}} \cdot d$

so  $W_{\text{net}} = \Delta K$

$$\Rightarrow -\frac{1}{2}kd^2 - f_{\text{drag}}d + mgd = 0$$

$$\Rightarrow \frac{1}{2}kd = mg - f_{\text{drag}}$$

$$\Rightarrow d = \frac{2(mg - f_{\text{drag}})}{k} = 0.166 \text{ m}$$