Quantium Virtual Internship Project Task 2

Shams Reza Sajid

2022-11-02

Solution For Task 2

Load required libraries and datasets

```
filePath = ""
data = fread(pasteO(filePath, "QVI_data.csv"))

#### Set up themes for plots
theme_set (theme_bw())
theme_update(plot.title = element_text (hjust = 0.5))
```

Select Control Stores

The client has selected store numbers 77, 86 and 88 as trial stores and want control stores to be established stores that are operational for the entire observation period.

We would want to match trial stores to control stores that are similar to the trial store prior to the trial period of Feb 2019 in terms of:

- Monthly overall sales revenue
- Monthly number of customers
- Monthly number of transactions per customer

Let's first create the metrics of interest and filter to stores that are present throughout the pre-trial period.

```
print (measureOverTime)
##
         STORE_NBR YEARMONTH totSales nCustomers nTxnPerCust nChipsPerTxn
##
      1:
                       201807
                                  188.9
                                                 47
                                                       1.042553
                                                                     1.183673
##
      2:
                  1
                       201808
                                  168.4
                                                 41
                                                       1.000000
                                                                     1.268293
                                  268.1
##
      3:
                  1
                       201809
                                                 57
                                                       1.035088
                                                                     1.203390
##
      4:
                  1
                       201810
                                  175.4
                                                 39
                                                       1.025641
                                                                     1.275000
##
      5:
                  1
                       201811
                                  184.8
                                                 44
                                                       1.022727
                                                                     1.222222
##
## 3161:
                272
                       201902
                                  385.3
                                                 44
                                                       1.068182
                                                                     1.893617
## 3162:
                272
                       201903
                                  421.9
                                                 48
                                                       1.062500
                                                                     1.901961
## 3163:
                272
                       201904
                                  445.1
                                                 54
                                                       1.037037
                                                                     1.875000
## 3164:
                272
                       201905
                                  314.6
                                                 34
                                                       1.176471
                                                                     1.775000
## 3165:
                272
                       201906
                                  301.9
                                                 33
                                                       1.090909
                                                                     1.888889
##
         avgPricePerUnit
                 3.256897
##
      1:
##
      2:
                 3.238462
##
      3:
                 3.776056
##
      4:
                 3.439216
##
      5:
                 3.360000
##
## 3161:
                 4.329213
## 3162:
                 4.349485
## 3163:
                 4.239048
## 3164:
                 4.430986
## 3165:
                 4.439706
#### Filter to the pre-trial period and stores with full observation periods
storesWithFullObs = unique(measureOverTime[, .N, STORE_NBR][N == 12, STORE_NBR])
preTrialMeasures = measureOverTime[YEARMONTH < 201902 & STORE_NBR %in%storesWithFullObs, ]
Now we need to work out a way of ranking how similar each potential control store is to the trial store. We
can calculate how correlated the performance of each store is to the trial store.
Let's write a function for this so that we don't have to calculate this for each trial store and control store pair.
#### Create a function to calculate correlation for a measure, looping through each control store.
#### Let's define inputTable as a metric table with potential comparison stores,
# metricCol as the store metric used to calculate correlation on, and
# storeComparison as the store number of the trial store.
calculateCorrelation <- function(inputTable, metricCol, storeComparison) {</pre>
  calcCorrTable = data.table(Store1 = numeric(), Store2 = numeric(), corr_measure = numeric())
  storeNumbers = unique(inputTable[, STORE_NBR])
```

by = .(STORE_NBR, YEARMONTH)] [order(STORE_NBR, YEARMONTH)]

"corr_measure" = cor(inputTable[STORE_NBR == storeComparison,

"Store2" = i,

calculatedMeasure = data.table("Store1" = storeComparison,

for (i in storeNumbers) {

```
eval(metricCol)], inputTable[STORE
    calcCorrTable <- rbind(calcCorrTable, calculatedMeasure)</pre>
  }
  return(calcCorrTable)
}
```

eval(me

Apart from correlation, we can also calculate a standardised metric based on the absolute difference between the trial store's performance and each control store's performance.

Let's write a function for this.

```
#### Create a function to calculate a standardized magnitude distance for a measure,
#### looping through each control store
calculateMagnitudeDistance <- function(inputTable, metricCol, storeComparison) {</pre>
  calcDistTable = data.table(Store1 = numeric(), Store2 = numeric(), YEARMONTH = numeric(), measure = n
    storeNumbers <- unique(inputTable[, STORE_NBR])</pre>
  for (i in storeNumbers) {
    calculatedMeasure = data.table("Store1" = storeComparison
                                    , "Store2" = i
                                     "YEARMONTH" = inputTable[STORE_NBR == storeComparison, YEARMONTH]
                                    , "measure" = abs(inputTable[STORE_NBR == storeComparison, eval(metr
)
    calcDistTable <- rbind(calcDistTable, calculatedMeasure)</pre>
#### Standardize the magnitude distance so that the measure ranges from 0 to 1
 minMaxDist <- calcDistTable[, .(minDist = min(measure), maxDist = max(measure)),</pre>
                             by = c("Store1", "YEARMONTH")]
distTable <- merge(calcDistTable, minMaxDist, by = c("Store1", "YEARMONTH"))</pre>
distTable[, magnitudeMeasure := 1 - (measure - minDist)/(maxDist - minDist)]
finalDistTable <- distTable[, .(mag_measure = mean(magnitudeMeasure)), by =
                                .(Store1, Store2)]
return(finalDistTable)
}
```

Now let's use the functions to find the control stores! We'll select control stores based on how similar monthly total sales in dollar amounts and monthly number of customers are to the trial stores. So we will need to use our functions to get four scores, two for each of total sales and total customers.

```
#### Over to you! Use the function you created to calculate correlations against store 77 using total s
#### Hint: Refer back to the input names of the functions we created.
trial_store <- 77
corr_nSales <- calculateCorrelation(preTrialMeasures, quote(totSales), trial_store)</pre>
corr_nCustomers <- calculateCorrelation(preTrialMeasures, quote(nCustomers), trial_store)</pre>
```

```
#### Then, use the functions for calculating magnitude.
magnitude_nSales <- calculateMagnitudeDistance(preTrialMeasures, quote(totSales),trial_store)
magnitude_nCustomers <- calculateMagnitudeDistance(preTrialMeasures, quote(nCustomers), trial_store)</pre>
```

We'll need to combine the all the scores calculated using our function to create a composite score to rank on. Let's take a simple average of the correlation and magnitude scores for each driver. Note that if we consider it more important for the trend of the drivers to be similar, we can increase the weight of the correlation score (a simple average gives a weight of 0.5 to the corr_weight) or if we consider the absolute size of the drivers to be more important, we can lower the weight of the correlation score.

```
#### Over to you! Create a combined score composed of correlation and magnitude, by first merging the c
#### Hint: A simple average on the scores would be 0.5 * corr_measure + 0.5 * mag_measure
corr_weight <- 0.5
mag_weight <- 0.5
score_nSales <- merge(corr_nSales, magnitude_nSales, by = c("Store1", "Store2") )[, scoreNSales := corr
score_nCustomers <- merge(corr_nCustomers, magnitude_nCustomers, by = c("Store1", "Store2") )[, scoreNC</pre>
```

Now we have a score for each of total number of sales and number of customers. Let's combine the two via a simple average.

```
#### Over to you! Combine scores across the drivers by first merging our sales scores and customer score
score_Control <- merge(score_nSales, score_nCustomers, by = c("Store1", "Store2"))
score_Control[, finalControlScore := scoreNSales * 0.5 + scoreNCust * 0.5]
print(score_Control[order(-finalControlScore)])</pre>
```

```
##
        Store1 Store2 corr_measure.x mag_measure.x
                                                      scoreNSales corr_measure.y
##
     1:
            77
                   77
                           1.0000000
                                          1.0000000 1.0000000000
                                                                        1.0000000
     2:
            77
                  233
##
                           0.9736429
                                                     0.9797698229
                                                                        0.9656821
                                          0.9858967
            77
                   50
##
     3:
                           0.8977013
                                          0.9743836 0.9360424099
                                                                        0.7093977
##
            77
                   35
     4:
                           0.6910897
                                          0.9076712 0.7993804422
                                                                        0.8927414
##
     5:
            77
                  254
                           0.5848729
                                          0.9209658 0.7529193791
                                                                        0.9016105
##
## 255:
            77
                    4
                          -0.3478465
                                          0.1808497 -0.0834984086
                                                                       -0.3054117
## 256:
            77
                  147
                          -0.6640142
                                          0.5661961 -0.0489090421
                                                                       -0.7148957
                                          0.5057102 0.0008139983
## 257:
            77
                  227
                           -0.5040822
                                                                       -0.7506291
## 258:
            77
                  138
                           -0.6941490
                                          0.5084970 -0.0928259921
                                                                       -0.5483439
## 259:
            77
                   75
                                          0.3157098 -0.2397479861
                                                                       -0.5650164
                           -0.7952057
        mag_measure.y scoreNCust finalControlScore
##
##
            1.0000000 1.00000000
                                          1.0000000
     1:
##
     2:
            0.9909635 0.97832280
                                          0.97904631
##
     3:
            0.9319895 0.82069361
                                          0.87836801
##
     4:
            0.8995606 0.89615102
                                          0.84776573
##
     5:
            0.9295040 0.91555724
                                          0.83423831
##
## 255:
            0.2022603 -0.05157567
                                         -0.06753704
## 256:
            0.5095139 -0.10269086
                                         -0.07579995
## 257:
            0.4317654 -0.15943183
                                         -0.07930892
## 258:
            0.4165489 -0.06589749
                                         -0.07936174
## 259:
            0.3419888 -0.11151380
                                         -0.17563089
```

The store with the highest score is then selected as the control store since it is most similar to the trial store.

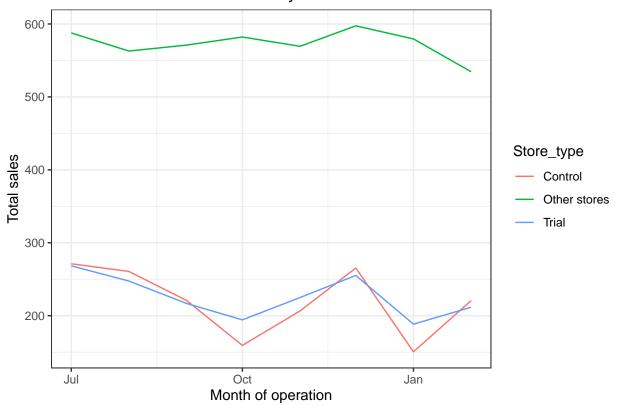
```
#### Select control stores based on the highest matching store (closest to 1 but not the store itself,
#### Over to you! Select the most appropriate control store for trial store 77 by finding the store wit.
control store <- score Control[Store2 != trial store][order(-finalControlScore)][1,Store2]</pre>
```

control_store

[1] 233

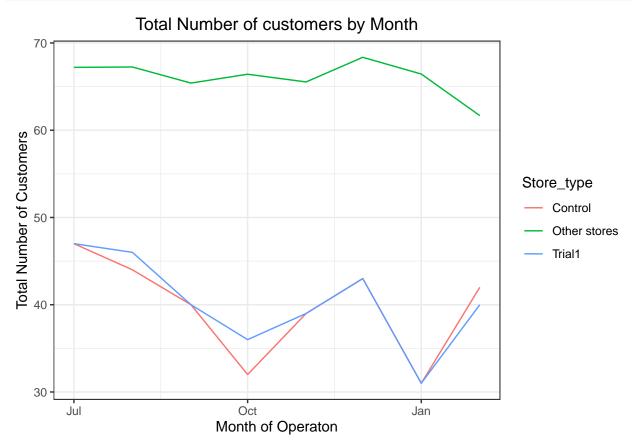
Now that we have found a control store, let's check visually if the drivers are indeed similar in the period before the trial. We'll look at total sales first.

Total sales by month



Next, number of customers.

```
[] [, numberCustomers := mean(nCustomers), by = c("YEARMONTH", "Storage of the content of t
```



Assessment of trial

The trial period goes from the start of February 2019 to April 2019. We now want to see if there has been an uplift in overall chip sales. We'll start with scaling the control store's sales to a level similar to control for any differences between the two stores outside of the trial period.

Now that we have comparable sales figures for the control store, we can calculate the percentage difference

between the scaled control sales and the trial store's sales during the trial period.

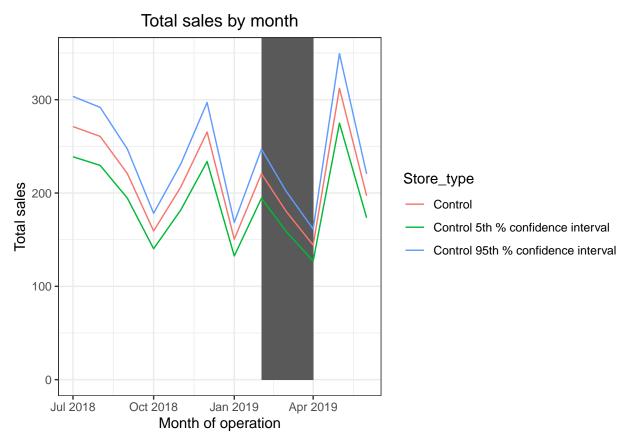
```
percentageDiff <- merge(scaledControlSales [, c("YEARMONTH", "controlSales")],</pre>
                        measureOverTime[STORE NBR == trial store, c("totSales", "YEARMONTH")],
                        by = "YEARMONTH")[, percentageDiff := abs(control store-totSales) / control sto
Let's see if the difference is significant!
#### As our null hypothesis is that the trial period is the same as the pre-trial period, let's take th
stdDev <- sd(percentageDiff[YEARMONTH < 201902 , percentageDiff])</pre>
#### Note that there are 8 months in the pre-trial period hence 8 - 1 = 7 degrees of freedom
degreesOfFreedom <- 7</pre>
#### We will test with a null hypothesis of there being 0 difference between trial and control stores.
#### Over to you! Calculate the t-values for the trial months. After that, find the 95th percentile of
#### Hint: The test statistic here is (x - u)/standard deviation
percentageDiff[, tValue := percentageDiff/stdDev][, TransactionMonth := as.Date(paste(YEARMONTH %/% 100
                                                      sep = "-"), "%Y-%m-%d")
                 ][YEARMONTH < 201905 & YEARMONTH > 201901, .(TransactionMonth,tValue)]
##
      TransactionMonth
                         tValue
            2019-04-01 1.806742
## 1:
## 2:
            2019-03-01 1.590797
## 3:
            2019-02-01 1.540410
```

Over to you! Calculate the percentage difference between scaled control sales and trial sales

Looking online we can find that the 95th percentile for 7 degrees of freedom is 1.895.

We can observe that the t-value is much larger than the 95th percentile value of the t-distribution for March and April - i.e. the increase in sales in the trial store in March and April is statistically greater than in the control store.

Let's create a more visual version of this by plotting the sales of the control store, the sales of the trial stores and the 95th percentile value of sales of the control store.

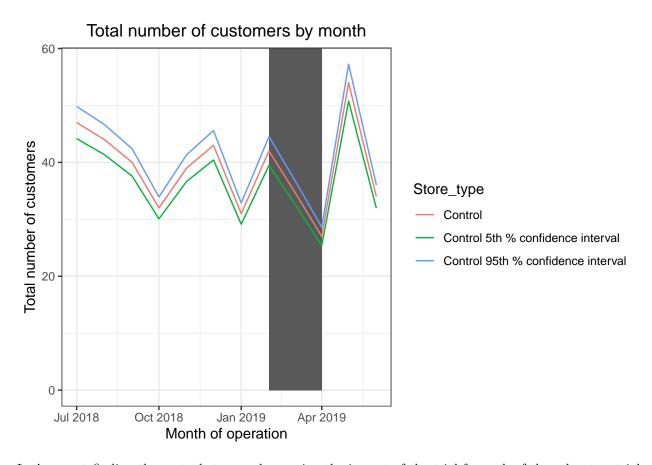


The results show that the trial in store 77 is significantly different to its control store in the trial period as the trial store performance lies outside the 5% to 95% confidence interval of the control store in two of the three trial months.

Let's have a look at assessing this for number of customers as well.

Let's again see if the difference is significant visually!

```
#### As our null hypothesis is that the trial period is the same as the pre-trial period, let's take t
stdDev <- sd(percentageDiff[YEARMONTH < 201902 , percentageDiff])</pre>
degreesOfFreedom <- 7</pre>
#### Trial and control store number of customers
pastCustomers <- measureOverTimeCusts[, nCusts := mean(nCustomers), by = c("YEARMONTH", "Store_type")</pre>
                                      [Store_type %in% c("Trial", "Control"), ]
#### Control store 95th percentile
pastCustomers_Controls95 <- pastCustomers[Store_type == "Control",</pre>
                                ][, nCusts := nCusts * (1 + stdDev * 2)
                                [][, Store_type := "Control 95th % confidence interval"]
#### Control store 5th percentile
pastCustomers_Controls5 <- pastCustomers[Store_type == "Control",</pre>
                                          ][, nCusts := nCusts * (1 - stdDev * 2)
                                          ][, Store_type := "Control 5th % confidence interval"]
trialAssessment <- rbind(pastCustomers, pastCustomers_Controls95, pastCustomers_Controls5)
#### Plot everything into one nice graph. geom_rect creates a rectangle in the plot. Use this to highli
ggplot(trialAssessment, aes(TransactionMonth, nCusts, color = Store_type)) +
  geom_rect(data = trialAssessment[ YEARMONTH < 201905 & YEARMONTH > 201901 ,],
            aes(xmin = min(TransactionMonth), xmax = max(TransactionMonth), ymin = 0, ymax = Inf, colo
  labs(x = "Month of operation", y = "Total number of customers", title = "Total number of customers by
```



Let's repeat finding the control store and assessing the impact of the trial for each of the other two trial stores.

Trial store 86

```
#### Calculate the metrics below as we did for the first trial store.
measureOverTime <- data[, .(totSales = sum(TOT_SALES),</pre>
                             nCustomers = uniqueN(LYLTY_CARD_NBR),
                             nTxnPerCust = (uniqueN(TXN_ID))/(uniqueN(LYLTY_CARD_NBR)),
                             nChipsPerTxn = (sum(PROD_QTY))/(uniqueN(TXN_ID)) ,
                             avgPricePerUnit = sum(TOT_SALES)/sum(PROD_QTY) ) , by = c("STORE_NBR", "YEA")
#### Use the functions we created earlier to calculate correlations and magnitude for each potential co.
trial_store <- 86
corr_nSales <- calculateCorrelation(preTrialMeasures, quote(totSales),trial_store)</pre>
corr_nCustomers <- calculateCorrelation(preTrialMeasures, quote(nCustomers), trial_store)</pre>
magnitude_nSales <- calculateMagnitudeDistance(preTrialMeasures, quote(totSales), trial_store)
magnitude_nCustomers <- calculateMagnitudeDistance(preTrialMeasures, quote(nCustomers), trial_store)</pre>
#### Now, create a combined score composed of correlation and magnitude
corr_weight <- 0.5</pre>
score_nSales <- merge(corr_nSales, magnitude_nSales, by = c("Store1", "Store2"))[ , scoreNSales := (cor.
score_nCustomers <- merge(corr_nCustomers, magnitude_nCustomers, by = c("Store1", "Store2"))[ , scorenC</pre>
```

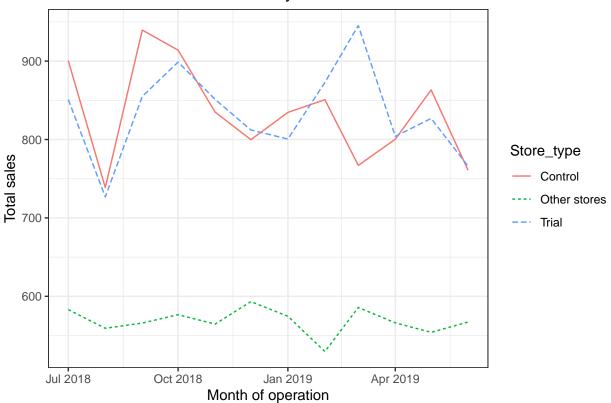
```
#### Finally, combine scores across the drivers using a simple average.
score_Control <- merge(score_nSales, score_nCustomers, by = c("Store1", "Store2"))
score_Control[, finalControlScore := scoreNSales * 0.5 + scoreNCust * 0.5]

#### Select control stores based on the highest matching store (closest to 1 but not the store itself,
control_store <- score_Control[Store1 == trial_store,][order(-finalControlScore)][2, Store2]
control_store</pre>
```

[1] 155

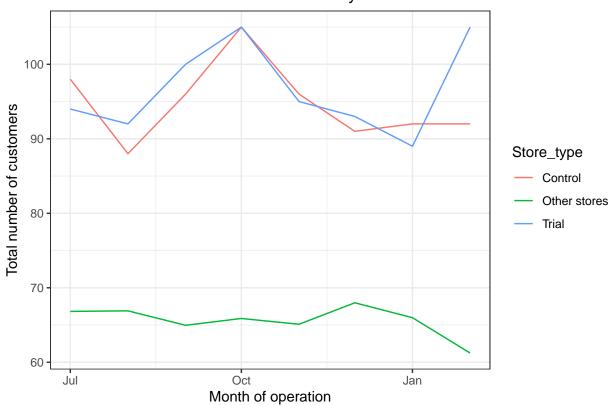
Looks like store 155 will be a control store for trial store 86. Again, let's check visually if the drivers are indeed similar in the period before the trial. We'll look at total sales first.





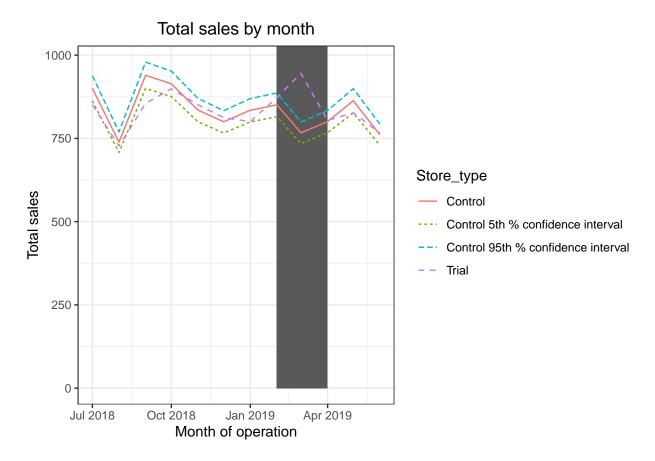
Great, sales are trending in a similar way. Next, number of customers.

Total number of customers by month



Good, the trend in number of customers is also similar. Let's now assess the impact of the trial on sales.

```
#### As our null hypothesis is that the trial period is the same as the pre-trial period, let's take th
#### Calculate the standard deviation of percentage differences during the pre-trial period
stdDev <- sd(percentageDiff[YEARMONTH < 201902 , percentageDiff])</pre>
degreesOfFreedom <- 7</pre>
#### Trial and control store total sales
#### Create a table with sales by store type and month.
#### We only need data for the trial and control store.
measureOverTimeSales <- measureOverTime</pre>
pastSales <- measureOverTimeSales[, Store_type := ifelse(STORE_NBR == trial_store, "Trial",</pre>
                                                          ifelse(STORE_NBR == control_store, "Control",
                                  ][, totSales := mean(totSales), by = c("YEARMONTH", "Store_type")
                                  ][, TransactionMonth := as.Date(paste(YEARMONTH %/%100, YEARMONTH %%
                                  [Store_type %in% c("Trial", "Control"), ]
#### Calculate the 5th and 95th percentile for control store sales.
#### The 5th and 95th percentiles can be approximated by using two standard deviations away from the me
#### Recall that the variable stdDev earlier calculates standard deviation in percentages, and not doll
#### Control store 95th percentile
pastSales_Controls95 <- pastSales[Store_type == "Control",</pre>
                                  ][, totSales := totSales * (1 + stdDev * 2)
                                  [][, Store_type := "Control 95th % confidence interval"]
#### Control store 5th percentile
pastSales_Controls5 <- pastSales[Store_type == "Control",</pre>
                                 ][, totSales := totSales * (1 - stdDev * 2)
                                ][, Store_type := "Control 5th % confidence interval"]
#### Then, create a combined table with columns from pastSales, pastSales_Controls95 and pastSales_Cont
trialAssessment <- rbind(pastSales, pastSales_Controls95, pastSales_Controls5)
#### Plotting these in one nice graph
ggplot(trialAssessment, aes(TransactionMonth, totSales, color = Store_type)) +
  geom rect(data = trialAssessment[ YEARMONTH < 201905 & YEARMONTH > 201901 ,],
            aes(xmin = min(TransactionMonth), xmax = max(TransactionMonth), ymin = 0, ymax = Inf, colo
 geom_line(aes(linetype = Store_type)) +
 labs(x = "Month of operation", y = "Total sales", title = "Total sales by month")
```

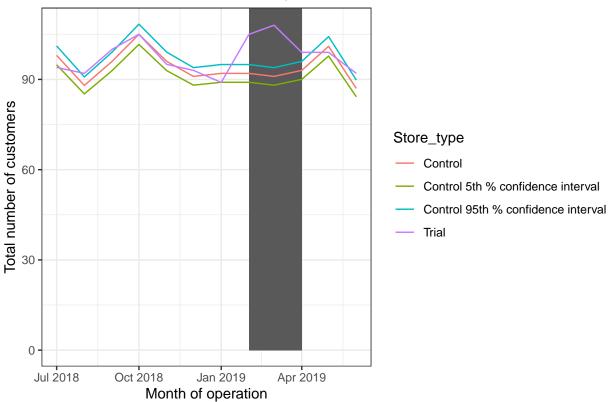


The results show that the trial in store 86 is not significantly different to its control store in the trial period as the trial store performance lies inside the 5% to 95% confidence interval of the control store in two of the three trial months. Let's have a look at assessing this for the number of customers as well.

```
#### This would be a repeat of the steps before for total sales
#### Scale pre-trial control customers to match pre-trial trial store customers
scalingFactorForControlCust <- preTrialMeasures[STORE_NBR == trial_store &</pre>
                                                 YEARMONTH < 201902, sum(nCustomers)]/preTrialMeasures[S
#### Apply the scaling factor
measureOverTimeCusts <- measureOverTime</pre>
scaledControlCustomers <- measureOverTimeCusts[STORE_NBR == control_store,</pre>
                                             ][ , controlCustomers := nCustomers * scalingFactorForContr
                                             ][, Store_type := ifelse(STORE_NBR == trial_store, "Trial",
                                                                       ifelse(STORE_NBR == control_store,
#### Calculate the percentage difference between scaled control sales and trial sales
percentageDiff <- merge(scaledControlCustomers[, c("YEARMONTH", "controlCustomers")],</pre>
                        measureOverTime[STORE_NBR == trial_store, c("nCustomers", "YEARMONTH")],
                        by = "YEARMONTH")[, percentageDiff := abs(controlCustomers-nCustomers)/controlC
#### As our null hypothesis is that the trial period is the same as the pre-trial
#### period, let's take the standard deviation based on the scaled percentage difference
#### in the pre-trial period
stdDev <- sd(percentageDiff[YEARMONTH < 201902 , percentageDiff])</pre>
```

```
degreesOfFreedom <- 7</pre>
#### Trial and control store number of customers
pastCustomers <- measureOverTimeCusts[, nCusts := mean(nCustomers), by = c("YEARMONTH", "Store_type")</pre>
                                       [Store_type %in% c("Trial", "Control"), ]
#### Control store 95th percentile
pastCustomers_Controls95 <- pastCustomers[Store_type == "Control",</pre>
                                ][, nCusts := nCusts * (1 + stdDev * 2)
                                ][, Store_type := "Control 95th % confidence interval"]
#### Control store 5th percentile
pastCustomers_Controls5 <- pastCustomers[Store_type == "Control",</pre>
                               ][, nCusts := nCusts * (1 - stdDev * 2)
                               ][, Store_type := "Control 5th % confidence interval"]
trialAssessment <- rbind(pastCustomers, pastCustomers_Controls95,</pre>
pastCustomers_Controls5)
#### Plotting these in one nice graph
ggplot(trialAssessment, aes(TransactionMonth, nCusts, color = Store_type)) +
 geom_rect(data = trialAssessment[ YEARMONTH < 201905 & YEARMONTH > 201901 ,],
            aes(xmin = min(TransactionMonth), xmax = max(TransactionMonth), ymin = 0, ymax = Inf, colo
 geom_line() +
 labs(x = "Month of operation", y = "Total number of customers", title = "Total number of customers by
```





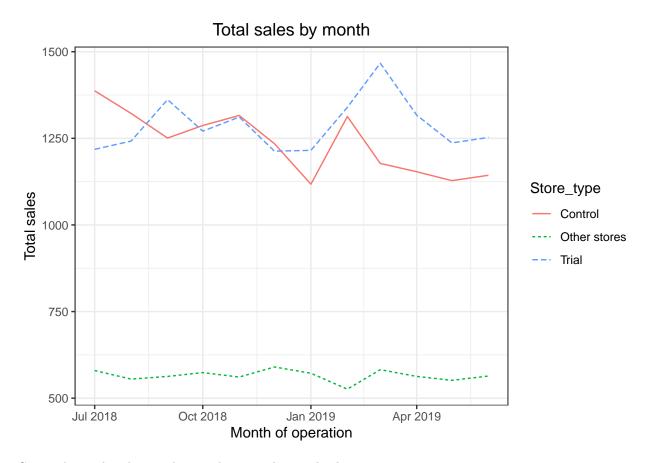
It looks like the number of customers is significantly higher in all of the three months. This seems to suggest that the trial had a significant impact on increasing the number of customers in trial store 86 but as we saw, sales were not significantly higher. We should check with the Category Manager if there were special deals in the trial store that were may have resulted in lower prices, impacting the results.

Trial store 88

[1] 237

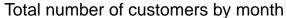
Looks like store 237 will be a control store for trial store 88.

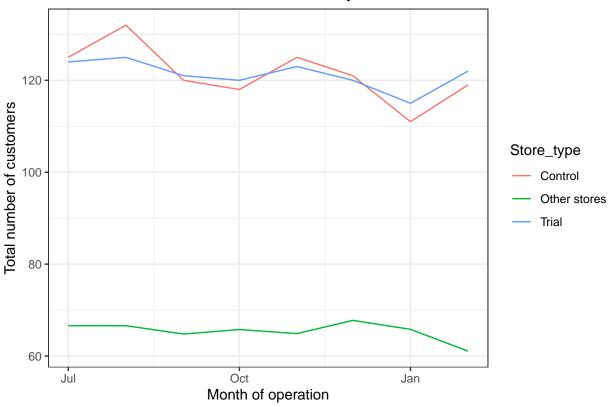
Again, let's check visually if the drivers are indeed similar in the period before the trial. We'll look at total sales first.



Great, the trial and control stores have similar total sales.

Next, number of customers.



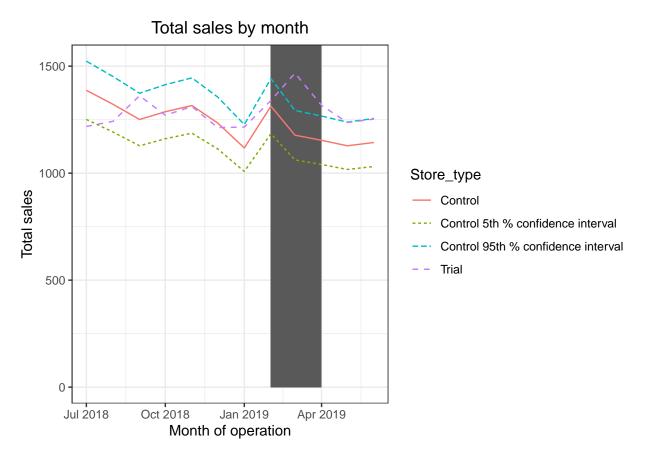


Total number of customers of the control and trial stores are also similar.

Let's now assess the impact of the trial on sales.

```
#### Scale pre-trial control store sales to match pre-trial trial store sales
scalingFactorForControlSales <- preTrialMeasures[STORE_NBR == trial_store & YEARMONTH < 201902,
                                                  sum(totSales)]/preTrialMeasures[STORE_NBR == control_s
#### Apply the scaling factor
measureOverTimeSales <- measureOverTime</pre>
scaledControlSales <- measureOverTimeSales[STORE_NBR == control_store,</pre>
                                           ][,controlSales := totSales * scalingFactorForControlSales]
#### Calculate the percentage difference between scaled control sales and trial sales
#### When calculating percentage difference, remember to use absolute difference
percentageDiff <- merge(scaledControlSales[, c("YEARMONTH", "controlSales")],</pre>
measureOverTime[STORE_NBR == trial_store, c("totSales", "YEARMONTH")], by = "YEARMONTH")[, percentageDi
#### As our null hypothesis is that the trial period is the same as the pre-trial period, let's take th
#### Calculate the standard deviation of percentage differences during the pre-trial period
stdDev <- sd(percentageDiff[YEARMONTH < 201902 , percentageDiff])</pre>
degreesOfFreedom <- 7</pre>
#### Trial and control store total sales
```

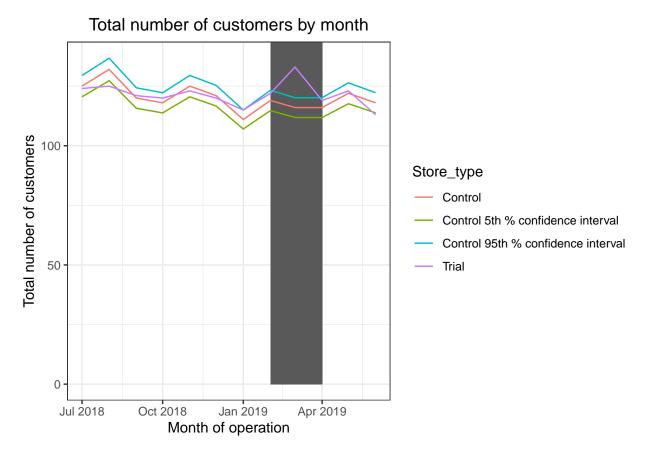
```
#### Create a table with sales by store type and month.
#### We only need data for the trial and control store.
measureOverTimeSales <- measureOverTime</pre>
pastSales <- measureOverTimeSales[, Store_type := ifelse(STORE_NBR == trial_store, "Trial",</pre>
                                                          ifelse(STORE_NBR == control_store, "Control",
                                  ][, totSales := mean(totSales), by = c("YEARMONTH", "Store_type")
                                  ][, TransactionMonth := as.Date(paste(YEARMONTH %/%100, YEARMONTH %%
                                  [Store_type %in% c("Trial", "Control"), ]
#### Calculate the 5th and 95th percentile for control store sales.
#### The 5th and 95th percentiles can be approximated by using two standard deviations away from the me
#### Recall that the variable stdDev earlier calculates standard deviation in percentages, and not doll
#### Control store 95th percentile
pastSales_Controls95 <- pastSales[Store_type == "Control",</pre>
                                  ][, totSales := totSales * (1 + stdDev * 2)
                                  ][, Store_type := "Control 95th % confidence interval"]
#### Control store 5th percentile
pastSales_Controls5 <- pastSales[Store_type == "Control",</pre>
                                 ][, totSales := totSales * (1 - stdDev * 2)
                                ][, Store_type := "Control 5th % confidence interval"]
#### Then, create a combined table with columns from pastSales, pastSales_Controls95 and pastSales_Cont
trialAssessment <- rbind(pastSales, pastSales_Controls95, pastSales_Controls5)</pre>
#### Plotting these in one nice graph
ggplot(trialAssessment, aes(TransactionMonth, totSales, color = Store_type)) +
  geom_rect(data = trialAssessment[ YEARMONTH < 201905 & YEARMONTH > 201901 ,],
            aes(xmin = min(TransactionMonth), xmax = max(TransactionMonth), ymin = 0, ymax = Inf, colo
  geom_line(aes(linetype = Store_type)) +
  labs(x = "Month of operation", y = "Total sales", title = "Total sales by month")
```



The results show that the trial in store 88 is significantly different to its control store in the trial period as the trial store performance lies outside of the 5% to 95% confidence interval of the control store in two of the three trial months.

Let's have a look at assessing this for number of customers as well.

```
#### period, let's take the standard deviation based on the scaled percentage difference
#### in the pre-trial period
stdDev <- sd(percentageDiff[YEARMONTH < 201902 , percentageDiff])</pre>
degreesOfFreedom <- 7</pre>
#### Trial and control store number of customers
pastCustomers <- measureOverTimeCusts[, nCusts := mean(nCustomers), by = c("YEARMONTH", "Store_type")</pre>
                                       [Store_type %in% c("Trial", "Control"), ]
#### Control store 95th percentile
pastCustomers_Controls95 <- pastCustomers[Store_type == "Control",</pre>
                                 ][, nCusts := nCusts * (1 + stdDev * 2)
                                 ][, Store_type := "Control 95th % confidence interval"]
#### Control store 5th percentile
pastCustomers_Controls5 <- pastCustomers[Store_type == "Control",</pre>
                               ][, nCusts := nCusts * (1 - stdDev * 2)
                               ][, Store_type := "Control 5th % confidence interval"]
trialAssessment <- rbind(pastCustomers, pastCustomers_Controls95,</pre>
pastCustomers_Controls5)
#### Plotting these in one nice graph
ggplot(trialAssessment, aes(TransactionMonth, nCusts, color = Store_type)) +
  geom_rect(data = trialAssessment[ YEARMONTH < 201905 & YEARMONTH > 201901 ,],
            aes(xmin = min(TransactionMonth), xmax = max(TransactionMonth), ymin = 0 , ymax = Inf, colo
  labs(x = "Month of operation", y = "Total number of customers", title = "Total number of customers by
```



Total number of customers in the trial period for the trial store is significantly higher than the control store for two out of three months, which indicates a positive trial effect.

Conclusion

Good work! We've found control stores 233, 155, 237 for trial stores 77, 86 and 88 respectively. The results for trial stores 77 and 88 during the trial period show a significant difference in at least two of the three trial months but this is not the case for trial store 86. We can check with the client if the implementation of the trial was different in trial store 86 but overall, the trial shows a significant increase in sales. Now that we have finished our analysis, we can prepare our presentation to the Category Manager.