

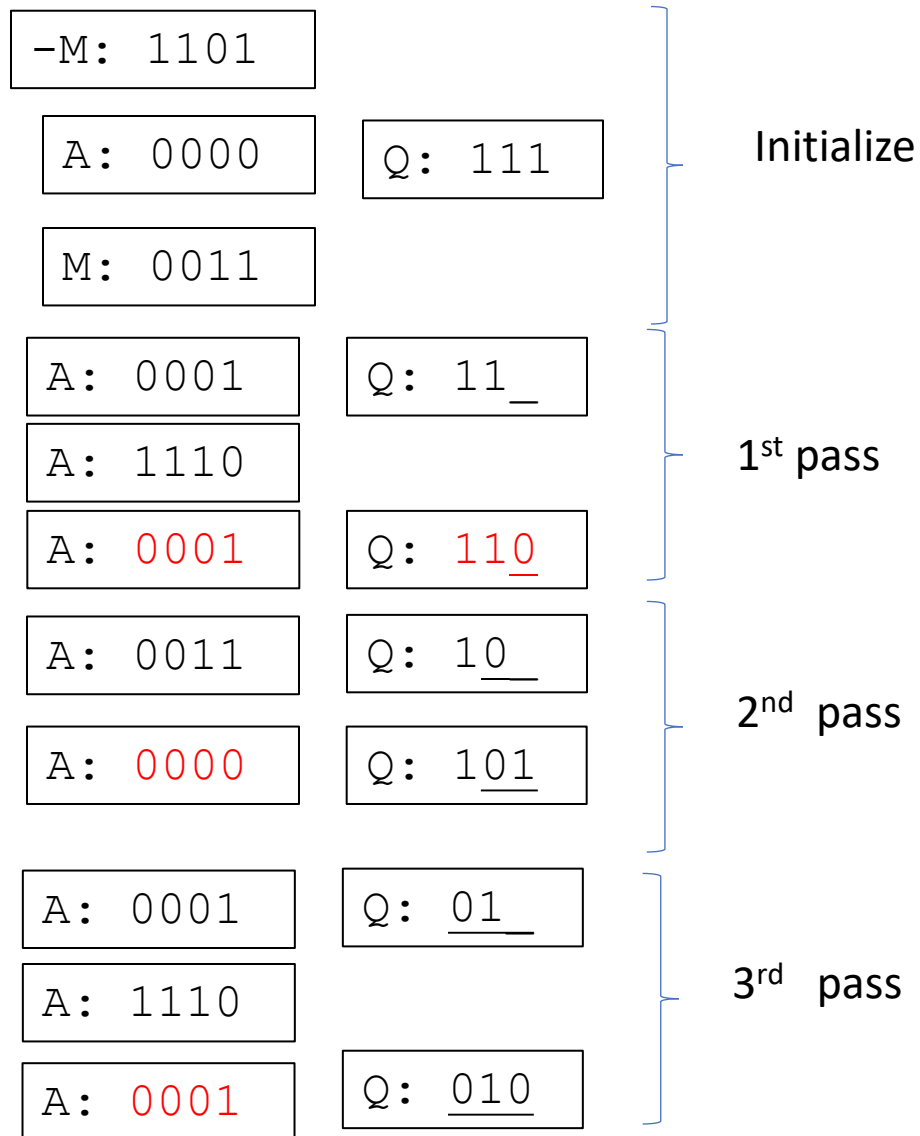
# Restoring Method

- In *restoring division*, the multiplier to the divisor is determined by first subtracting the divisor. If the result is negative, the divisor is restored (added back).

# Restoring Method

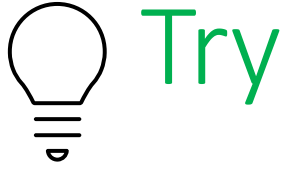
- Initialization
  - Clear  $A$ . Requires 1 extra bit for  $A$  to be used as a sign bit.
  - $Q$  gets dividend.
  - $M$  gets divisor.
- Loop for each bit of the dividend  $Q$ 
  - Shift  $AQ$  to the left.
  - Subtract ( $A \leftarrow A - M$ )
  - If negative ( $A_n = 1$ ), restore ( $A \leftarrow A + M$ ) and reset  $Q_0$  ( $Q_0 \leftarrow 0$ )
  - Else set  $Q_0$  ( $Q_0 \leftarrow 1$ )
- Quotient in  $Q$  while remainder in  $A$ ; adjust sign as needed

# Restoring Division



111 (Q) / 11 (M)

- Initialization
  - Clear A. Requires 1 extra bit for A to be used as a sign bit.
  - Q gets dividend.
  - M gets divisor.
- Loop for each bit of the dividend Q
  - Shift AQ to the left.
  - Subtract ( $A \leftarrow A - M$ )
  - If negative ( $A_n = 1$ ), restore ( $A \leftarrow A + M$ ) and reset  $Q_0$  ( $Q_0 \leftarrow 0$ )
  - Else set  $Q_0$  ( $Q_0 \leftarrow 1$ )
- Quotient in Q while remainder in A; adjust sign as needed



Try: 01101 (Q) / 00101 (M) (using restoring division)  
Show the value of A and Q after the end of each pass

After this pass	A	Q
1 <sup>st</sup>	000000	11010
2 <sup>nd</sup>	000001	10100
3 <sup>rd</sup>	000011	01000
4 <sup>th</sup>	000001	10001
5 <sup>th</sup>	000011	00010