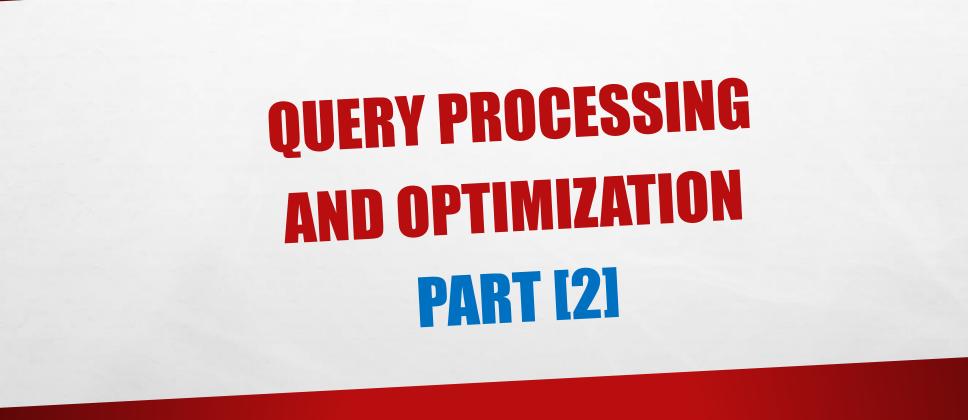
# DATABASE SYSTEMS II (IS313P)

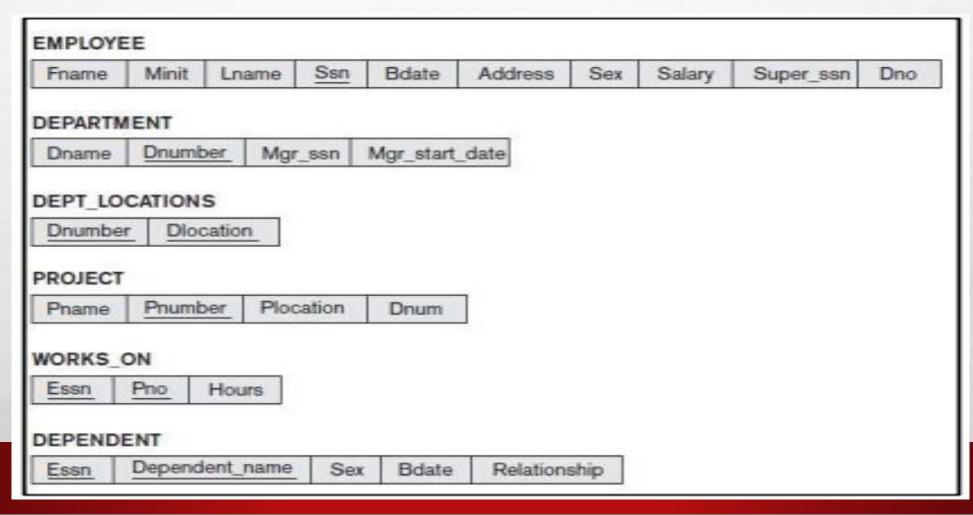
LECTURE NO. 09



06/12/2023



#### Consider the following schemas for next examples



- The main heuristic is to apply first the operations that reduce the size of intermediate results.
  - Ex. Apply SELECT and PROJECT operations before applying the JOIN or other binary operations.

#### **Example:**

For every project located in 'Stafford', retrieve the project number, the controlling department number and the department manager's last name, address and birthdate.

#### ■ SQL query:

SELECT P.NUMBER, P.DNUM, E.LNAME, E.ADDRESS, E.BDATE

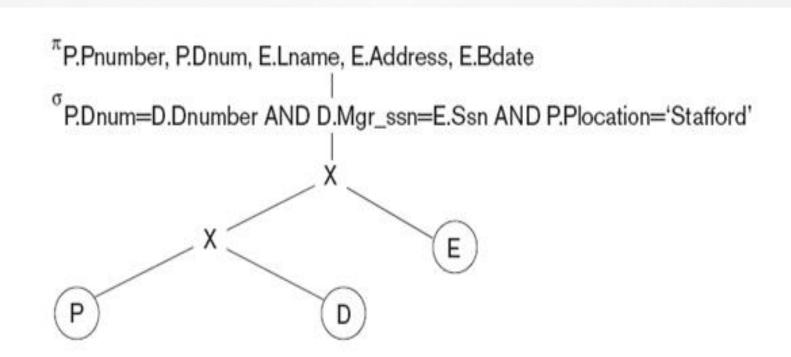
FROM PROJECT AS P, DEPARTMENT AS D, EMPLOYEE AS E

WHERE P.DNUM=D.DNUMBER AND D.MGR\_SSN=E.SSN AND P.PLOCATION='STAFFORD';

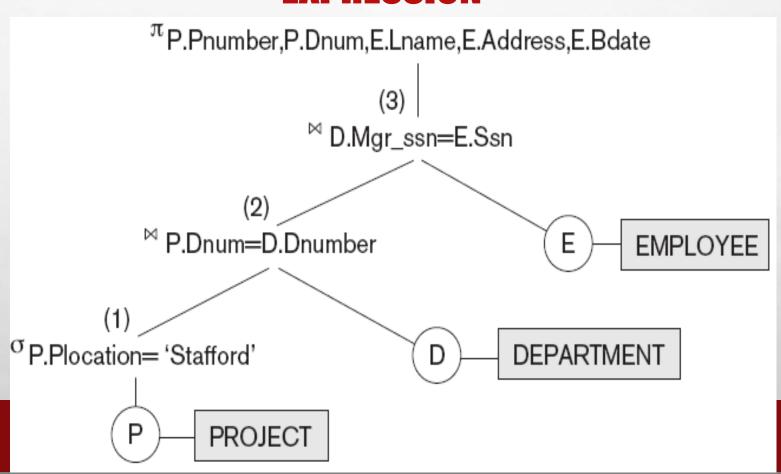
#### **■** Relation algebra:

 $\pi$ PNUMBER, DNUM, LNAME, ADDRESS, BDATE ((( $\sigma$ PLOCATION='STAFFORD'(PROJECT))  $\bowtie$  DNUM=DNUMBER (DEPARTMENT))  $\bowtie$  MGR\_SSN=SSN(EMPLOYEE))

#### **INITIAL (CANONICAL) QUERY TREE FOR SQL QUERY**



# QUERY TREE CORRESPONDING TO THE RELATIONAL ALGEBRA EXPRESSION



- Heuristic Optimization of Query Trees:
  - The same query could correspond to many different relational algebra expressions and hence many different query trees.
  - The task of heuristic optimization of query trees is to find a final query tree that is efficient to execute.

#### **Example:**

SELECT LNAME

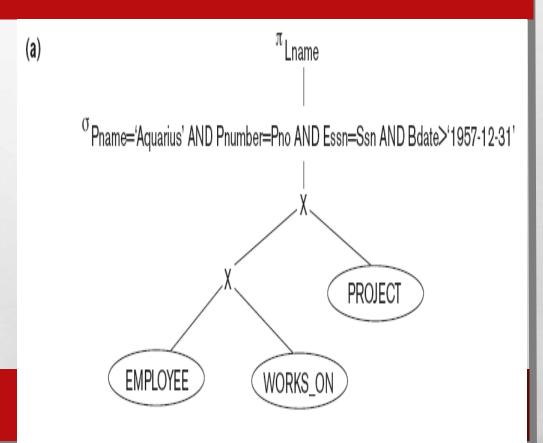
FROM EMPLOYEE, WORKS\_ON, PROJECT

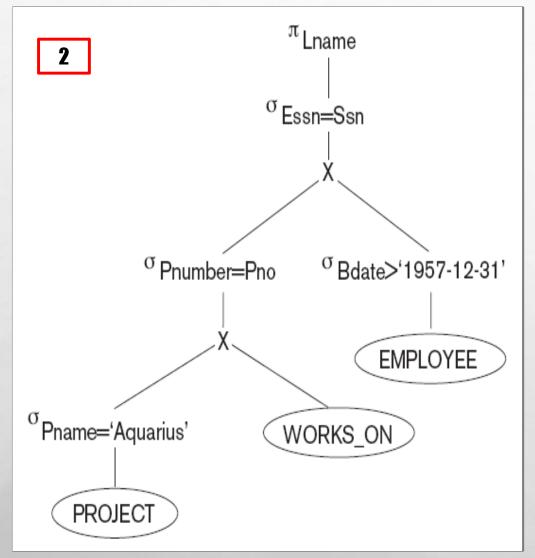
WHERE PNAME = 'AQUARIUS' AND PNMUBER=PNO

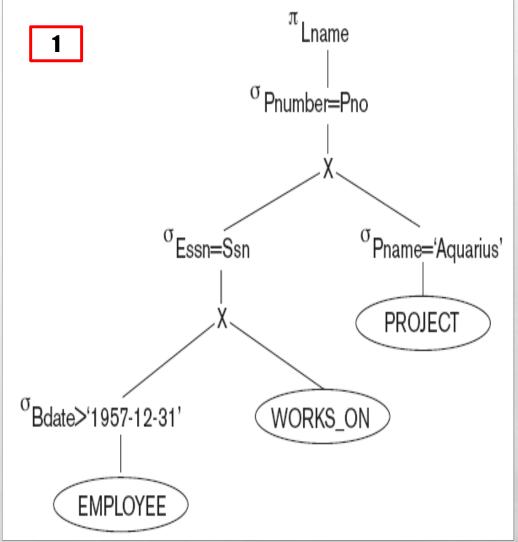
AND ESSN=SSN AND BDATE > '1957-12-31';

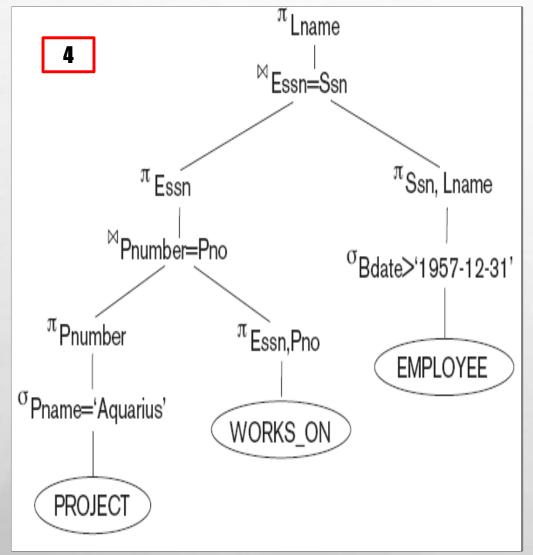
# Steps in converting a query tree during heuristic optimization:

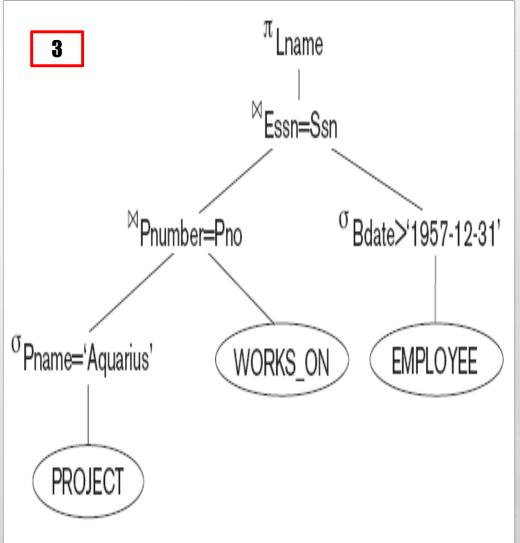
- (a) Initial (canonical) query tree for SQL query Q.
- **(b)** Moving SELECT operations down the query tree.
- (c) Applying the more restrictive SELECT operation first.
- (d) Replacing CARTESIAN PRODUCT and SELECT with JOIN operations.
- (e) Moving PROJECT operations down the query tree.











#### General Transformation Rules for Relational Algebra Operations:

1. Cascade of  $\sigma$ : A conjunctive selection condition can be broken up into a cascade (sequence) of individual  $\sigma$  operations:

**2.** Commutatively of  $\sigma$ : The s operation is commutative:

$$\triangleright$$
  $\sigma_{c1} (\sigma_{c2}(R)) = \sigma_{c2} (\sigma_{c1}(R))$ 

3. Cascade of  $\pi$ : In a cascade (sequence) of  $\pi$  operations, all but the last one can be ignored:

$$ightharpoonup \pi_{List1} (\pi_{List2} (...(\pi_{Listn}(R))...)) = \pi_{List1}(R)$$

**4. Commuting**  $\sigma$  with  $\pi$ : If the selection condition c involves only the attributes A1, ..., An in the projection list, the two operations can be commuted:

5- Commutativity of  $\bowtie$  (and x): The  $\bowtie$  operation is commutative as is the x operation:

 $R \bowtie_{C} S = S \bowtie_{C} R$ ; R X S = S X R

6. Commuting  $\sigma$  with  $\bowtie$  (or x): If all the attributes in the selection condition c involve only the attributes of one of the relations being joined, then the two operations can be commuted as follows:

 $\sigma_{c}(R \bowtie S) = (\sigma_{c}(R)) \bowtie S$ 

Alternatively, if the selection condition c can be written as (c1 and c2), where condition c1 involves only the attributes of R and condition c2 involves only the attributes of S, the operations commute as follows:

 $\sigma_{c}(R \bowtie S) = (\sigma_{c1}(R)) \bowtie (\sigma_{c2}(S))$ 

#### General Transformation Rules for Relational Algebra Operations

**7. Commuting**  $\pi$  with  $\bowtie$  (or x): Suppose that the projection list is L = {A1, ..., An, B1, ..., Bm}, where A1, ..., An are attributes of R and B1, ..., Bm are attributes of S. If the join condition c involves only attributes in L, the two operations can be commuted as follows:

$$\pi_{L}(R\bowtie_{C}S) = (\pi_{A1,...,An}(R))\bowtie_{C}(\pi_{B1,...,Bm}(S))$$

If the join condition C contains additional attributes not in L, these must be added to the projection list, and a final operation is needed.

#### General Transformation Rules for Relational Algebra Operations

- **8. Commutativity of set operations**: The set operations ∪ and ∩ are commutative but "—" is not.
- **9.** Associativity of  $\bowtie$ , X, U, and  $\cap$ : These four operations are individually associative; that is, if  $\theta$  stands for any one of these four operations (throughout the expression), we have

$$(\mathbf{R} \Theta \mathbf{S}) \Theta \mathbf{T} = \mathbf{R} \Theta (\mathbf{S} \Theta \mathbf{T})$$

**10. Commuting \sigma with set operations:** The  $\sigma$  operation commutes with  $U, \cap$ , and -.

If  $\theta$  stands for any one of these three operations, we have

$$\sigma_{\mathbf{c}}(\mathbf{R} \, \theta \, \mathbf{S}) = (\sigma_{\mathbf{c}}(\mathbf{R})) \, \theta (\sigma_{\mathbf{c}}(\mathbf{S}))$$

General Transformation Rules for Relational Algebra Operations

11- The  $\pi$  operation commutes with U.

$$\pi_{\mathbf{L}}(\mathbf{R} \cup \mathbf{S}) = (\pi_{\mathbf{L}}(\mathbf{R})) \cup (\pi_{\mathbf{L}}(\mathbf{S}))$$

#### 12- Converting a $(\sigma, x)$ sequence into $\bowtie$ :

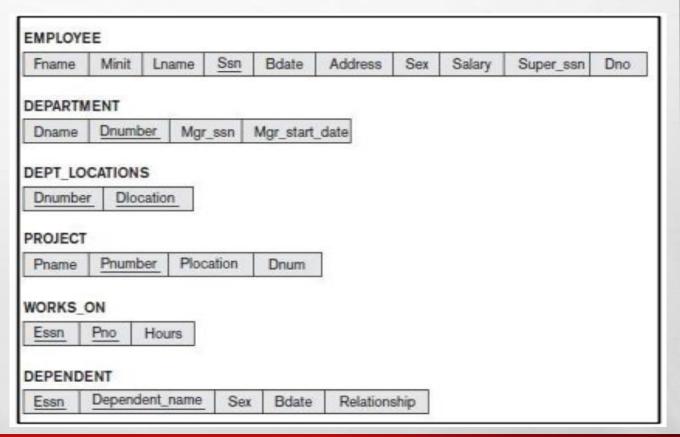
If the condition c of a  $\sigma$  that follows a **X** Corresponds to a join condition, **convert the**  $(\sigma, \mathbf{X})$  sequence into a  $\bowtie$  as follows:

$$(\sigma_{\mathbf{C}}(\mathbf{R} \times \mathbf{S})) = (\mathbf{R} \bowtie_{\mathbf{C}} \mathbf{S})$$

# QUIZ

#### For the following schema,

- a) Write SQL query to find the First names, Last names, and addresses for all employees works on Research department.
- b) Write the Relational Algebra Expression corresponding to the query in part a.
- c) Draw the query tree for the optimized solution.



# ANY QUESTIONS PP

