# Building meaningful machine learning models for disease prediction

Dr. Shirin Glander March 31, 2017

# Webinar for the ISDS R Group

This document presents the code used to produce the example analysis and figures shown in my webinar on building meaningful machine learning models for disease prediction.

My webinar slides are available on Github

**Description:** Dr Shirin Glander will go over her work on building machine-learning models to predict the course of different diseases. She will go over building a model, evaluating its performance, and answering or addressing different disease related questions using machine learning. Her talk will cover the theory of machine learning as it is applied using R.

#### Setup

All analyses are done in R using RStudio. For detailed session information including R version, operating system and package versions, see the sessionInfo() output at the end of this document.

All figures are produced with ggplot2.

#### The dataset

The dataset I am using in these example analyses, is the **Breast Cancer Wisconsin (Diagnostic) Dataset**. The data was downloaded from the UC Irvine Machine Learning Repository.

The first dataset looks at the predictor classes:

- malignant or
- benign breast mass.

The features characterise cell nucleus properties and were generated from image analysis of fine needle aspirates (FNA) of breast masses:

- Sample ID (code number)
- Clump thickness
- Uniformity of cell size
- Uniformity of cell shape
- $\bullet \quad {\rm Marginal \ adhesion}$
- Single epithelial cell size
- Number of bare nuclei
- Bland chromatin
- Number of normal nuclei
- Mitosis
- Classes, i.e. diagnosis

```
bc_data <- read.table("datasets/breast-cancer-wisconsin.data.txt", header = FALSE, sep = ",")</pre>
colnames(bc_data) <- c("sample_code_number",</pre>
                        "clump_thickness",
                        "uniformity_of_cell_size",
                        "uniformity_of_cell_shape",
                        "marginal_adhesion",
                        "single_epithelial_cell_size",
                        "bare nuclei",
                        "bland chromatin",
                        "normal nucleoli",
                        "mitosis",
                        "classes")
bc_data$classes <- ifelse(bc_data$classes == "2", "benign",</pre>
                           ifelse(bc_data$classes == "4", "malignant", NA))
```

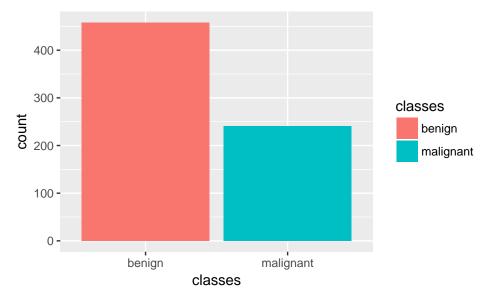
#### Missing data

```
bc_data[bc_data == "?"] <- NA</pre>
# how many NAs are in the data
length(which(is.na(bc_data)))
## [1] 16
# how many samples would we loose, if we removed them?
nrow(bc_data)
## [1] 699
nrow(bc_data[is.na(bc_data), ])
## [1] 16
Missing values are imputed with the mice package.
# impute missing data
library(mice)
bc_data[,2:10] <- apply(bc_data[, 2:10], 2, function(x) as.numeric(as.character(x)))</pre>
dataset_impute <- mice(bc_data[, 2:10], print = FALSE)</pre>
bc_data <- cbind(bc_data[, 11, drop = FALSE], mice::complete(dataset_impute, 1))</pre>
bc_data$classes <- as.factor(bc_data$classes)</pre>
# how many benign and malignant cases are there?
summary(bc_data$classes)
```

## **Data** exploration

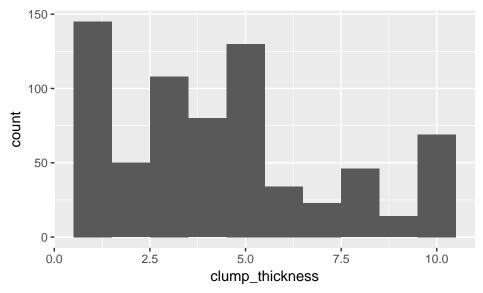
• Response variable for classification

```
library(ggplot2)
ggplot(bc_data, aes(x = classes, fill = classes)) +
  geom_bar()
```



 $\bullet\,$  Response variable for regression





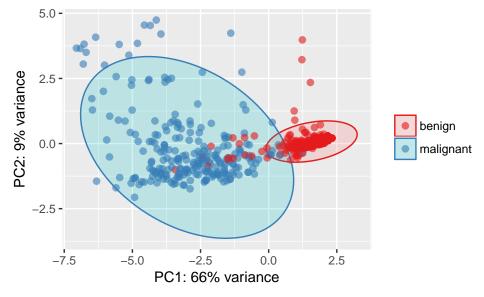
• Principal Component Analysis

To get an idea about the dimensionality and variance of the datasets, I am first looking at PCA plots for samples and features. The first two principal components (PCs) show the two components that explain the majority of variation in the data.

```
library(pcaGoPromoter)
library(ellipse)

# perform pca and extract scores
pcaOutput <- pca(t(bc_data[, -1]), printDropped = FALSE, scale = TRUE, center = TRUE)
pcaOutput2 <- as.data.frame(pcaOutput$scores)

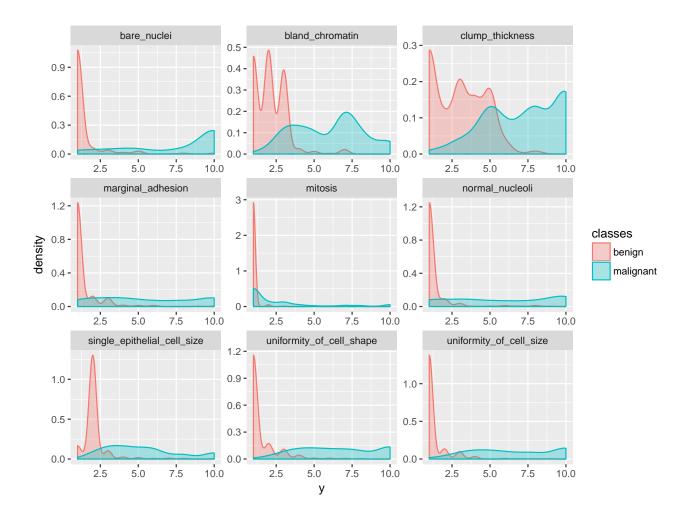
# define groups for plotting
pcaOutput2$groups <- bc_data$classes</pre>
```



• Features

```
library(tidyr)
```

```
##
## Attaching package: 'tidyr'
## The following object is masked from 'package:S4Vectors':
##
## expand
gather(bc_data, x, y, clump_thickness:mitosis) %>%
    ggplot(aes(x = y, color = classes, fill = classes)) +
        geom_density(alpha = 0.3) +
        facet_wrap( ~ x, scales = "free", ncol = 3)
```

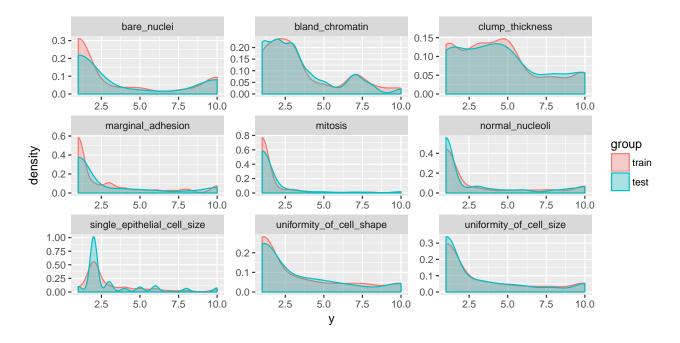


# Machine Learning packages for R

caret

```
library(caret)
```

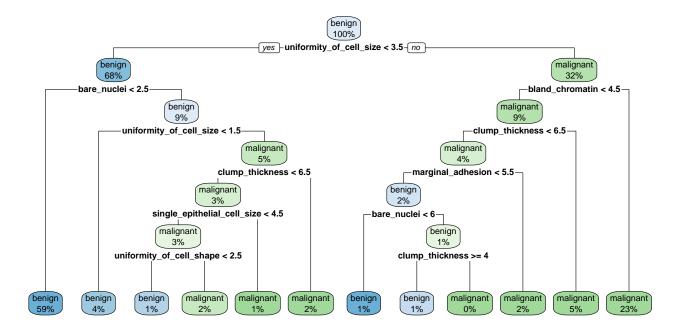
## Training, validation and test data



## Classification

#### Decision trees

rpart



#### Random Forests

Random Forests predictions are based on the generation of multiple classification trees. Can be used for classification and regression tasks. Here, I show a classification task.

When you specify savePredictions = TRUE, you can access the cross-validation resuls with model\_rf\$pred.model\_rf

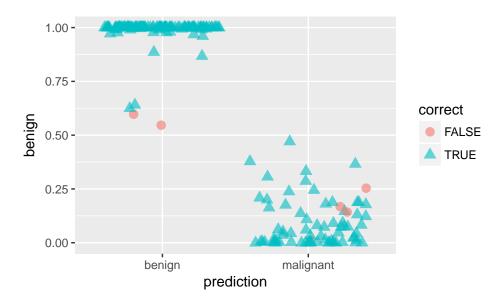
```
## Random Forest
##
##
  490 samples
     9 predictor
##
##
     2 classes: 'benign', 'malignant'
##
## Pre-processing: scaled (9), centered (9)
  Resampling: Cross-Validated (10 fold, repeated 10 times)
  Summary of sample sizes: 442, 441, 441, 441, 441, ...
##
  Resampling results across tuning parameters:
##
##
           Accuracy
                      Kappa
     mtry
##
     2
           0.9706276
                      0.9354524
##
           0.9665454
                      0.9261717
     5
     9
           0.9630759 0.9180675
##
```

```
##
## Accuracy was used to select the optimal model using the largest value.
## The final value used for the model was mtry = 2.
model_rf$finalModel$confusion
##
             benign malignant class.error
## benign
                 313
                             8
                                0.02492212
## malignant
                           165 0.02366864
  • Feature Importance
imp <- model_rf$finalModel$importance</pre>
imp[order(imp, decreasing = TRUE), ]
##
       uniformity_of_cell_size
                                    uniformity_of_cell_shape
##
                      54.416003
                                                    41.553022
               bland_chromatin
##
                                                  bare_nuclei
##
                      29.343027
                                                    28.483842
               normal_nucleoli single_epithelial_cell_size
##
##
                      19.239635
                                                    18.480155
##
                clump thickness
                                           marginal adhesion
##
                      13.276702
                                                    12.143355
##
                        mitosis
##
                       3.081635
# estimate variable importance
importance <- varImp(model_rf, scale = TRUE)</pre>
plot(importance)
  uniformity_of_cell_size
uniformity_of_cell_shape
        bland_chromatin
            bare nuclei
         normal_nucleoli
single_epithelial_cell_size
        clump_thickness
      marginal_adhesion
                 mitosis
                                        40
                                               60
                          0
                                 20
                                                      80
                                                             100
                                      Importance
  • predicting test data
confusionMatrix(predict(model_rf, test_data), test_data$classes)
## Confusion Matrix and Statistics
##
##
              Reference
## Prediction benign malignant
                   133
##
     benign
                                2
                              70
     malignant
##
```

Accuracy : 0.9713

## ##

```
95% CI: (0.9386, 0.9894)
##
       No Information Rate: 0.6555
##
       P-Value [Acc > NIR] : <2e-16
##
##
##
                     Kappa: 0.9369
##
    Mcnemar's Test P-Value: 0.6831
##
               Sensitivity: 0.9708
##
##
               Specificity: 0.9722
##
            Pos Pred Value: 0.9852
##
            Neg Pred Value: 0.9459
                Prevalence: 0.6555
##
##
            Detection Rate: 0.6364
##
      Detection Prevalence: 0.6459
##
         Balanced Accuracy: 0.9715
##
##
          'Positive' Class : benign
##
results <- data.frame(actual = test_data$classes,
                      predict(model_rf, test_data, type = "prob"))
results$prediction <- ifelse(results$benign > 0.5, "benign",
                              ifelse(results$malignant > 0.5, "malignant", NA))
results$correct <- ifelse(results$actual == results$prediction, TRUE, FALSE)
ggplot(results, aes(x = prediction, fill = correct)) +
  geom_bar(position = "dodge")
  100 -
                                                          correct
count
                                                              FALSE
                                                              TRUE
   50 -
                                      malignant .
                 benign
                          prediction
ggplot(results, aes(x = prediction, y = benign, color = correct, shape = correct)) +
 geom_jitter(size = 3, alpha = 0.6)
```



#### Extreme gradient boosting trees

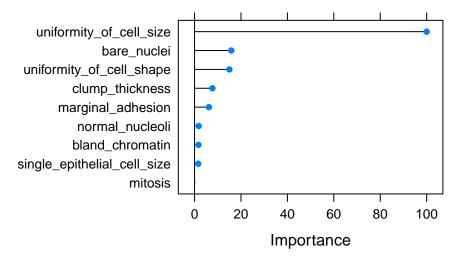
Extreme gradient boosting (XGBoost) is a faster and improved implementation of gradient boosting for supervised learning.

"XGBoost uses a more regularized model formalization to control over-fitting, which gives it better performance." Tianqi Chen, developer of xgboost

XGBoost is a tree ensemble model, which means the sum of predictions from a set of classification and regression trees (CART). In that, XGBoost is similar to Random Forests but it uses a different approach to model training. Can be used for classification and regression tasks. Here, I show a classification task.

• Feature Importance

```
importance <- varImp(model_xgb, scale = TRUE)
plot(importance)</pre>
```



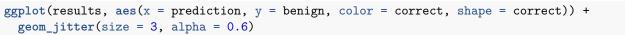
• predicting test data

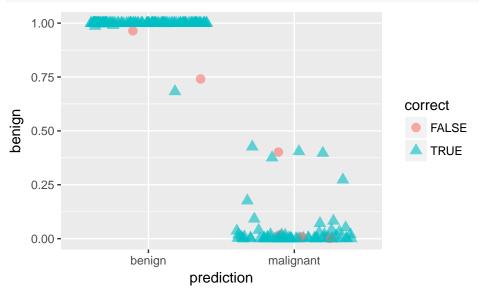
```
confusionMatrix(predict(model_xgb, test_data), test_data$classes)
## Confusion Matrix and Statistics
##
##
              Reference
## Prediction benign malignant
                  132
##
     benign
                             70
     malignant
                    5
##
##
##
                  Accuracy: 0.9665
                    95% CI : (0.9322, 0.9864)
##
##
       No Information Rate: 0.6555
       P-Value [Acc > NIR] : <2e-16
##
##
##
                     Kappa: 0.9266
##
   Mcnemar's Test P-Value: 0.4497
##
##
               Sensitivity: 0.9635
##
               Specificity: 0.9722
##
            Pos Pred Value: 0.9851
##
            Neg Pred Value: 0.9333
##
                Prevalence: 0.6555
##
            Detection Rate: 0.6316
      Detection Prevalence: 0.6411
##
##
         Balanced Accuracy: 0.9679
##
##
          'Positive' Class : benign
##
results <- data.frame(actual = test_data$classes,
                      predict(model_xgb, test_data, type = "prob"))
results$prediction <- ifelse(results$benign > 0.5, "benign",
                             ifelse(results$malignant > 0.5, "malignant", NA))
results$correct <- ifelse(results$actual == results$prediction, TRUE, FALSE)
```

```
ggplot(results, aes(x = prediction, fill = correct)) +
geom_bar(position = "dodge")

correct
FALSE
TRUE

prediction
```

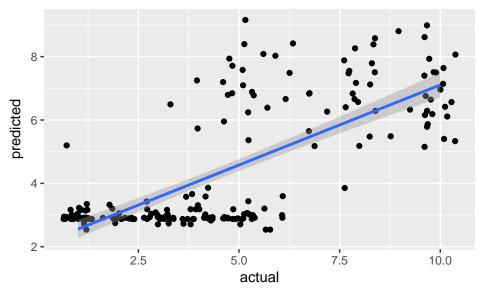




# Regression

```
model_glm
```

```
## Generalized Linear Model
##
## 490 samples
##
     9 predictor
##
## Pre-processing: scaled (9), centered (9)
## Resampling: Cross-Validated (10 fold, repeated 10 times)
  Summary of sample sizes: 441, 441, 440, 442, 441, 440, ...
##
  Resampling results:
##
##
     RMSE
               Rsquared
     1.974296
               0.5016141
##
##
##
data.frame(actual = test_data$clump_thickness,
           predicted = predict(model_glm, test_data)) %>%
  ggplot(aes(x = actual, y = predicted)) +
    geom_jitter() +
    geom_smooth(method = "lm")
```



#### Feature Selection

Machine learning uses so called features (i.e. variables or attributes) to generate predictive models. Using a suitable combination of features is essential for obtaining high precision and accuracy. Because too many (unspecific) features pose the problem of overfitting the model, we generally want to restrict the features in our models to those, that are most relevant for the response variable we want to predict. Using as few features as possible will also reduce the complexity of our models, which means it needs less time and computer power to run and is easier to understand.

Performing feature selection on the whole dataset would lead to prediction bias, we therefore need to run the whole modeling process on the training data alone!

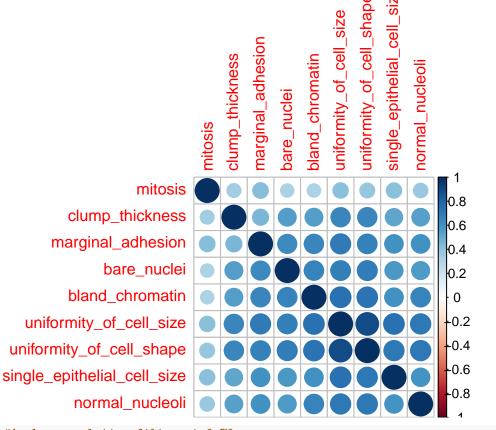
#### • Correlation

Often we have features that are highly correlated and thus provide redundant information. By eliminating highly correlated features we can avoid a predictive bias for the information contained in these features. This also shows us, that when we want to make statements about the biological/ medical importance of specific features, we need to keep in mind that just because they are suitable to predicting an outcome they are not necessarily causal - they could simply be correlated with causal factors.

Correlations between all features are calculated and visualised with the *corrplot* package. I am then removing all features with a correlation higher than 0.7, keeping the feature with the lower mean.

```
library(corrplot)

# calculate correlation matrix
corMatMy <- cor(train_data[, -1])
corrplot(corMatMy, order = "hclust")</pre>
```



```
#Apply correlation filter at 0.70,
highlyCor <- colnames(train_data[, -1])[findCorrelation(corMatMy, cutoff = 0.7, verbose = TRUE)]
## Compare row 2 and column 3 with corr 0.899</pre>
```

```
## Means: 0.696 vs 0.575 so flagging column 2
## Compare row 3 and column 7 with corr 0.736
## Means: 0.654 vs 0.55 so flagging column 3
## All correlations <= 0.7
# which variables are flagged for removal?
highlyCor</pre>
```

```
## [1] "uniformity_of_cell_size" "uniformity_of_cell_shape"
#then we remove these variables
train_data_cor <- train_data[, which(!colnames(train_data) %in% highlyCor)]</pre>
```

• Recursive Feature Elimination (RFE)

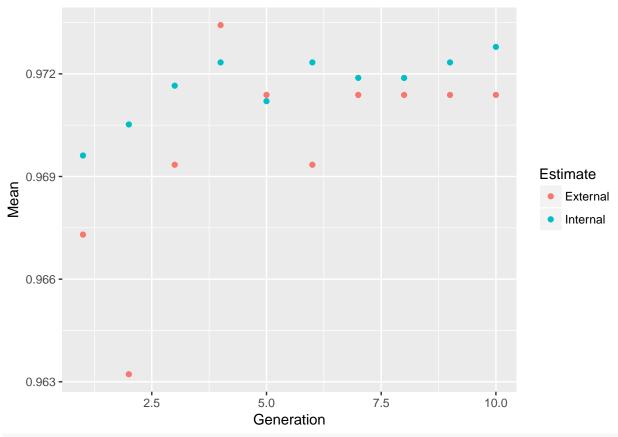
Another way to choose features is with Recursive Feature Elimination. RFE uses a Random Forest algorithm to test combinations of features and rate each with an accuracy score. The combination with the highest score is usually preferential.

• Genetic Algorithm (GA)

The Genetic Algorithm (GA) has been developed based on evolutionary principles of natural selection: It aims to optimize a population of individuals with a given set of genotypes by modeling selection over time. In each generation (i.e. iteration), each individual's fitness is calculated based on their genotypes. Then, the fittest individuals are chosen to produce the next generation. This subsequent generation of individuals will have genotypes resulting from (re-) combinations of the parental alleles. These new genotypes will again determine each individual's fitness. This selection process is iterated for a specified number of generations and (ideally) leads to fixation of the fittest alleles in the gene pool.

This concept of optimization can be applied to non-evolutionary models as well, like feature selection processes in machine learning.

```
plot(model_ga) # Plot mean fitness (AUC) by generation
```



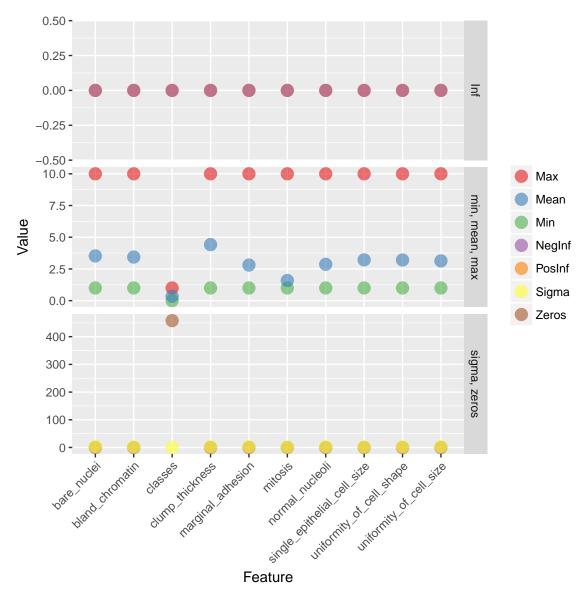
train\_data\_ga <- train\_data[, c(1, which(colnames(train\_data) %in% model\_ga\$ga\$final))]</pre>

## Grid search with h2o

The R package h2o provides a convenient interface to H2O, which is an open-source machine learning and deep learning platform. H2O distributes a wide range of common machine learning algorithms for classification, regression and deep learning.

```
library(h2o)
h2o.init(nthreads = -1)
    Connection successful!
##
##
  R is connected to the H2O cluster:
##
                                    1 hours 2 minutes
##
       H2O cluster uptime:
                                    3.10.3.6
##
       H2O cluster version:
##
       H20 cluster version age:
                                    18 days
##
                                    H2O_started_from_R_Shirin_gkt508
       H20 cluster name:
##
       H2O cluster total nodes:
                                    1
                                    1.76 GB
##
       H2O cluster total memory:
##
       H2O cluster total cores:
                                    2
##
       H2O cluster allowed cores:
                                    2
##
       H2O cluster healthy:
                                    TRUE
       H2O Connection ip:
                                    localhost
##
##
       H20 Connection port:
                                    54321
       H20 Connection proxy:
                                    NA
##
##
       R Version:
                                    R version 3.3.2 (2016-10-31)
```

We can now access all functions from the  $\bf h2o$  package that are built to work on H2O Frames. A useful such function is h2o.describe(). It is similar to base R's summary() function but outputs many more descriptive measures for our data. To get a good overview about these measures, I am going to plot them.



I am also interested in the correlation between features and the output. We can use the h2o.cor() function to calculate the correlation matrix. It is again much easier to understand the data when we visualize it, so I am going to create another plot.

```
library(reshape2) # for melting

##

## Attaching package: 'reshape2'

## The following object is masked from 'package:tidyr':

##

## smiths

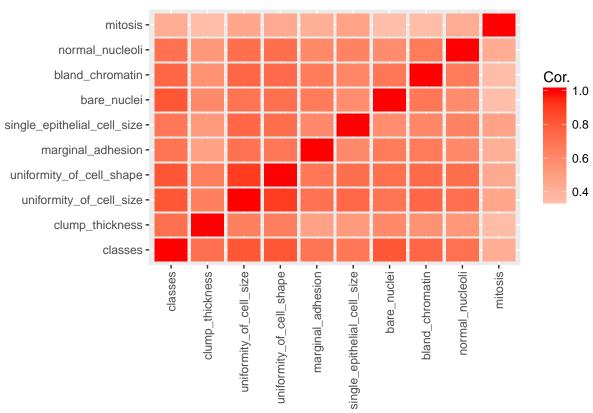
bc_data_hf[, 1] <- h2o.asfactor(bc_data_hf[, 1])

cor <- h2o.cor(bc_data_hf)
   rownames(cor) <- colnames(cor)

melt(cor) %>%
```

```
mutate(Var2 = rep(rownames(cor), nrow(cor))) %>%
mutate(Var2 = factor(Var2, levels = colnames(cor))) %>%
mutate(variable = factor(variable, levels = colnames(cor))) %>%
ggplot(aes(x = variable, y = Var2, fill = value)) +
    geom_tile(width = 0.9, height = 0.9) +
    scale_fill_gradient2(low = "white", high = "red", name = "Cor.") +
    theme(axis.text.x = element_text(angle = 90, vjust = 0.5, hjust = 1)) +
    labs(x = "",
        y = "")
```

## No id variables; using all as measure variables

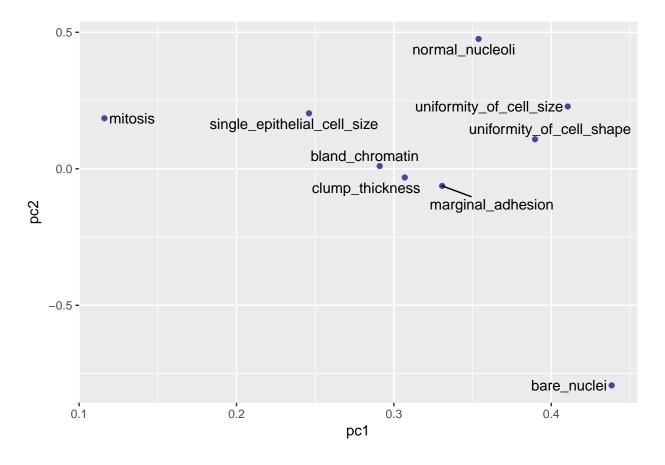


#### Training, validation and test data

Now we can use the h2o.splitFrame() function to split the data into training, validation and test data. Here, I am using 70% for training and 15% each for validation and testing. We could also just split the data into two sections, a training and test set but when we have sufficient samples, it is a good idea to evaluate model performance on an independent test set on top of training with a validation set. Because we can easily overfit a model, we want to get an idea about how generalizable it is - this we can only assess by looking at how well it works on previously unknown data.

I am also defining response and feature column names now.

```
test <- splits[[3]]</pre>
response <- "classes"
features <- setdiff(colnames(train), response)</pre>
summary(train$classes, exact_quantiles = TRUE)
## classes
             :317
## benign
## malignant:174
summary(valid$classes, exact_quantiles = TRUE)
## classes
## benign
             :71
## malignant:35
summary(test$classes, exact_quantiles = TRUE)
## classes
## benign
             :70
## malignant:32
We can also run a PCA on the training data, using the h2o.prcomp() function to calculate the singular value
decomposition of the Gram matrix with the power method.
pca <- h2o.prcomp(training_frame = train,</pre>
           x = features,
           validation_frame = valid,
           transform = "NORMALIZE",
           impute_missing = TRUE,
           k = 3,
           seed = 42)
##
                                                                            0%
                                                          ======| 100%
eigenvec <- as.data.frame(pca@model$eigenvectors)</pre>
eigenvec$label <- features
library(ggrepel)
ggplot(eigenvec, aes(x = pc1, y = pc2, label = label)) +
  geom_point(color = "navy", alpha = 0.7) +
 geom_text_repel()
```



#### Classification

Of course, you need quite a bit of experience and intuition to hit on a good combination of parameters. That's why it usually makes sense to do a grid search for hyper-parameter tuning. Hyper-parameter tuning with grid search allows us to test different combinations of hyper-parameters and find one with improved accuracy.

Keep in mind though, that hyper-parameter tuning can only improve the model so much without overfitting. If you can't achieve sufficient accuracy, the input features might simply not be adequate for the predictions you are trying to model. It might be necessary to go back to the original features and try e.g. feature engineering methods.

We can use the h2o.grid() function to perform a Random Grid Search (RGS). We could also test all possible combinations of parameters with Cartesian Grid or exhaustive search, but RGS is much faster when we have a large number of possible combinations and usually finds sufficiently accurate models.

For RGS, we first define a set of hyper-parameters and search criteria to fine-tune our models. Because there are many hyper-parameters, each with a range of possible values, we want to find an (ideally) optimal combination to maximize our model's accuracy. We can also specify how long we want to run the grid search for. Based on the results of each model tested in the grid, we can choose the one with the highest accuracy or best performance for the question on hand.

#### Random Forest

```
search_criteria <- list(</pre>
                         strategy = "RandomDiscrete",
                        max models = 50,
                        max runtime secs = 360,
                        stopping_rounds = 5,
                        stopping_metric = "AUC",
                        stopping_tolerance = 0.0005,
                         seed = 42
rf_grid <- h2o.grid(algorithm = "randomForest", # h2o.randomForest,
                                                  # alternatively h2o.gbm for Gradient boosting trees
                    x = features,
                    y = response,
                    grid_id = "rf_grid",
                    training_frame = train,
                    validation_frame = valid,
                    nfolds = 25,
                    fold_assignment = "Stratified",
                    hyper_params = hyper_params,
                    search_criteria = search_criteria,
                    seed = 42
                    )
```

We now want to extract the best model from the grid model list. What makes a model *the best* depends on the question you want to address with it: in some cases, the model with highest AUC is the most suitable, or the one with the lowest mean squared error, etc. We first use the h2o.getGrid() function to sort all models by the quality metric we choose (depending on the metric, you want it ordered by descending or ascending values). We can then get the model that's the first in the list to work with further. This model's hyper-parameters can be found with best\_model@allparameters. You can now work with your best model as with any regular model in h2o.

```
# performance metrics where smaller is better -> order with decreasing = FALSE
sort_options_1 <- c("mean_per_class_error", "mse", "err", "logloss")

for (sort_by_1 in sort_options_1) {
    grid <- h2o.getGrid("rf_grid", sort_by = sort_by_1, decreasing = FALSE)

    model_ids <- grid@model_ids
    best_model <- h2o.getModel(model_ids[[1]])

    h2o.saveModel(best_model, path="models", force = TRUE)
}

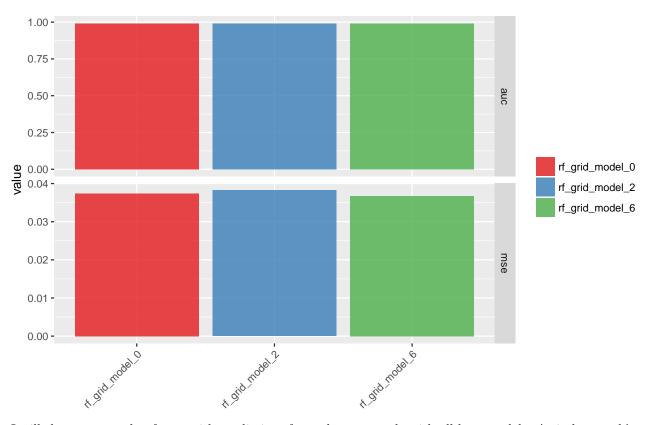
# performance metrics where bigger is better -> order with decreasing = TRUE
sort_options_2 <- c("auc", "precision", "accuracy", "recall", "specificity")

for (sort_by_2 in sort_options_2) {
    grid <- h2o.getGrid("rf_grid", sort_by = sort_by_2, decreasing = TRUE)</pre>
```

```
model_ids <- grid@model_ids
best_model <- h2o.getModel(model_ids[[1]])
h2o.saveModel(best_model, path = "models", force = TRUE)
}</pre>
```

The ultimate performance test for our model will be it's prediction accuracy on the test set it hasn't seen before. Here, I will compare the AUC and mean squared error for each best model from before. You could of course look at any other quality metric that is most appropriate for your model.

```
files <- list.files(path = "models")</pre>
rf_models <- files[grep("rf_grid_model", files)]</pre>
for (model_id in rf_models) {
   \textit{\#path} \gets paste0("U: \Github\_blog \Webinar \Mebinar\_ML\_for\_disease \Models \", model\_id) 
  path <- paste0("/Users/Shirin/Documents/Github/Webinar_ML_for_disease/models/", model_id)</pre>
  best_model <- h2o.loadModel(path)</pre>
  mse_auc_test <- data.frame(model_id = model_id,</pre>
                               mse = h2o.mse(h2o.performance(best_model, test)),
                               auc = h2o.auc(h2o.performance(best_model, test)))
  if (model_id == rf_models[[1]]) {
    mse_auc_test_comb <- mse_auc_test</pre>
  } else {
    mse_auc_test_comb <- rbind(mse_auc_test_comb, mse_auc_test)</pre>
  }
}
mse_auc_test_comb %>%
  gather(x, y, mse:auc) %>%
  ggplot(aes(x = model_id, y = y, fill = model_id)) +
    facet_grid(x ~ ., scales = "free") +
    geom_bar(stat = "identity", alpha = 0.8, position = "dodge") +
    scale_fill_brewer(palette = "Set1") +
    theme(axis.text.x = element_text(angle = 45, vjust = 1, hjust = 1),
          plot.margin = unit(c(0.5, 0, 0, 1.5), "cm")) +
    labs(x = "", y = "value", fill = "")
```

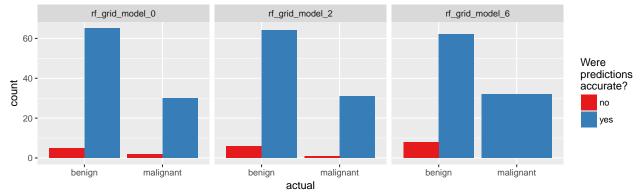


I will then create a dataframe with predictions for each test sample with all best models. As in last week's post, I want to compare the default predictions with stringent predictions.

```
for (model_id in rf_models) {
  best_model <- h2o.getModel(model_id)</pre>
  finalRf_predictions <- data.frame(model_id = rep(best_model@model_id,</pre>
                                                     nrow(test)),
                                     actual = as.vector(test$classes),
                                     as.data.frame(h2o.predict(object = best_model,
                                                                newdata = test)))
  finalRf_predictions$accurate <- ifelse(finalRf_predictions$actual == finalRf_predictions$predict,
                                          "yes", "no")
  finalRf_predictions$predict_stringent <- ifelse(finalRf_predictions$benign > 0.8,
                                                    "benign",
                                                    ifelse(finalRf_predictions$malignant > 0.8,
                                                           "malignant", "uncertain"))
  finalRf_predictions$accurate_stringent <- ifelse(finalRf_predictions$actual == finalRf_predictions$pr
                                                     "yes",
                                          ifelse(finalRf_predictions$predict_stringent == "uncertain",
                                                  "na", "no"))
  if (model_id == rf_models[[1]]) {
    finalRf_predictions_comb <- finalRf_predictions</pre>
```

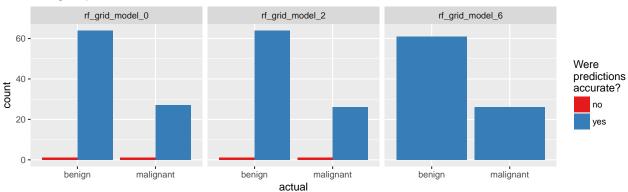
```
} else {
   finalRf_predictions_comb <- rbind(finalRf_predictions_comb, finalRf_predictions)</pre>
 }
##
                                                                0%
##
                                                                0%
##
                                                                0%
  |-----| 100%
finalRf_predictions_comb %>%
 ggplot(aes(x = actual, fill = accurate)) +
   geom_bar(position = "dodge") +
   scale_fill_brewer(palette = "Set1") +
   facet_wrap(~ model_id, ncol = 3) +
   labs(fill = "Were\npredictions\naccurate?",
       title = "Default predictions")
```

## Default predictions



```
finalRf_predictions_comb %>%
  subset(accurate_stringent != "na") %>%
  ggplot(aes(x = actual, fill = accurate_stringent)) +
    geom_bar(position = "dodge") +
    scale_fill_brewer(palette = "Set1") +
    facet_wrap(~ model_id, ncol = 3) +
    labs(fill = "Were\npredictions\naccurate?",
        title = "Stringent predictions")
```

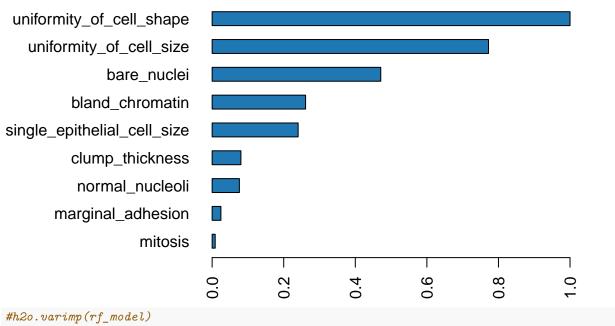
## Stringent predictions



With predictions made by different models, we can see where each model performs best. This obviously corresponds with the quality metric we chose to define the best model. Stringent prediction thresholds reduced the number of false predictions but of course also the number of predictions made at all.

```
#rf_model <- h2o.loadModel("U:\\Github_blog\\Webinar\\Webinar_ML_for_disease\\models\\rf_grid_model_6")
rf_model <- h2o.loadModel("models/rf_grid_model_6")
#summary(rf_model)
h2o.varimp_plot(rf_model)</pre>
```

# Variable Importance: DRF



```
One performance metric we are interested in is the mean per class error for training and validation data.

h2o.mean_per_class_error(rf_model, train = TRUE, valid = TRUE, xval = TRUE)
```

```
## train valid xval
## 0.024674571 0.007042254 0.023097284
```

The confusion matrix tells us, how many classes have been predicted correctly and how many predictions were accurate. Here, we see the errors in predictions on validation data

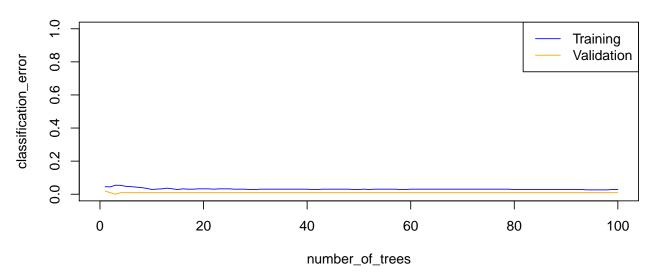
```
h2o.confusionMatrix(rf_model, valid = TRUE)
```

```
## Confusion Matrix (vertical: actual; across: predicted) for max f1 @ threshold = 0.293125896751881:
##
             benign malignant
                                           Rate
                                  Error
## benign
                 70
                            1 0.014085
                                          =1/71
## malignant
                  0
                           35 0.000000
                                          =0/35
## Totals
                 70
                           36 0.009434
                                         =1/106
```

We can also plot the classification error.

```
plot(rf_model,
    timestep = "number_of_trees",
    metric = "classification_error")
```

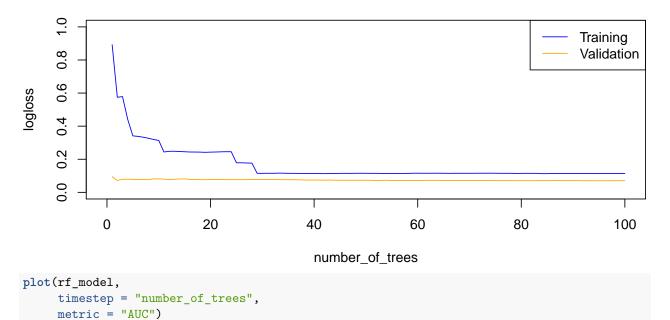
# **Scoring History**



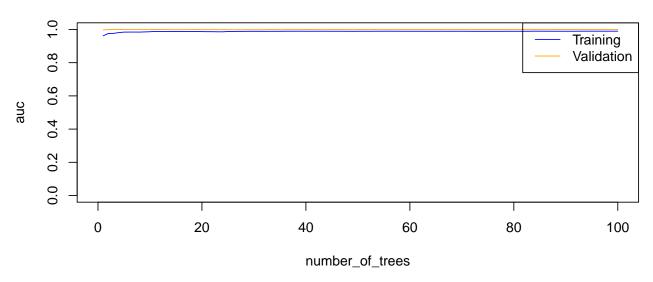
Next to the classification error, we are usually interested in the logistic loss (negative log-likelihood or log loss). It describes the sum of errors for each sample in the training or validation data or the negative logarithm of the likelihood of error for a given prediction/ classification. Simply put, the lower the loss, the better the model (if we ignore potential overfitting).

```
plot(rf_model,
    timestep = "number_of_trees",
    metric = "logloss")
```

# **Scoring History**



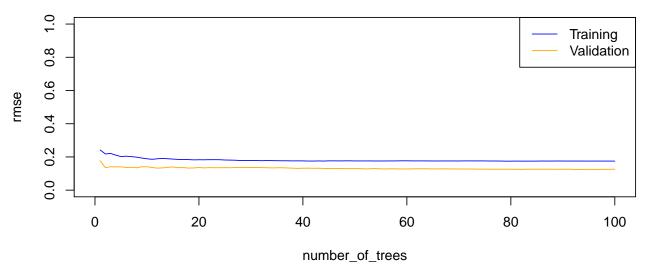
# **Scoring History**



We can also plot the mean squared error (MSE). The MSE tells us the average of the prediction errors squared, i.e. the estimator's variance and bias. The closer to zero, the better a model.

```
plot(rf_model,
    timestep = "number_of_trees",
    metric = "rmse")
```

# **Scoring History**



Next, we want to know the area under the curve (AUC). AUC is an important metric for measuring binary classification model performances. It gives the area under the curve, i.e. the integral, of true positive vs false positive rates. The closer to 1, the better a model. AUC is especially useful, when we have unbalanced datasets (meaning datasets where one class is much more common than the other), because it is independent of class labels.

```
h2o.auc(rf_model, train = TRUE)

## [1] 0.989521

h2o.auc(rf_model, valid = TRUE)

## [1] 0.9995976

h2o.auc(rf_model, xval = TRUE)
```

#### ## [1] 0.9890496

Now that we have a good idea about model performance on validation data, we want to know how it performed on unseen test data. A good model should find an optimal balance between accuracy on training and test data. A model that has 0% error on the training data but 40% error on the test data is in effect useless. It overfit on the training data and is thus not able to generalize to unknown data.

```
perf <- h2o.performance(rf_model, test)</pre>
perf
## H20BinomialMetrics: drf
##
## MSE:
         0.03673598
## RMSE: 0.1916663
## LogLoss: 0.1158835
## Mean Per-Class Error: 0.0625
## AUC: 0.990625
## Gini: 0.98125
##
## Confusion Matrix (vertical: actual; across: predicted) for F1-optimal threshold:
##
             benign malignant
                                  Error
                                           Rate
                 70
                             0 0.000000
                                          =0/70
## benign
## malignant
                  4
                            28 0.125000
                                          =4/32
```

```
##
## Maximum Metrics: Maximum metrics at their respective thresholds
##
                            metric threshold
                                                 value idx
## 1
                            max f1
                                    0.735027 0.933333
## 2
                            max f2
                                    0.294222 0.952381
                                                        37
## 3
                     max f0point5
                                    0.735027 0.972222
## 4
                     max accuracy
                                    0.735027 0.960784
                                                        25
##
  5
                    max precision
                                   1.000000 1.000000
                                                         0
                                                        37
##
                       max recall
                                    0.294222 1.000000
##
                  max specificity
                                   1.000000 1.000000
                 max absolute_mcc
                                    0.735027 0.909782
                                                        25
## 8
## 9
       max min_per_class_accuracy  0.424524 0.937500
                                                        31
## 10 max mean_per_class_accuracy
                                    0.294222 0.942857
                                                        37
##
## Gains/Lift Table: Extract with `h2o.gainsLift(<model>, <data>)` or `h2o.gainsLift(<model>, valid=<T/
Plotting the test performance's AUC plot shows us approximately how good the predictions are.
```

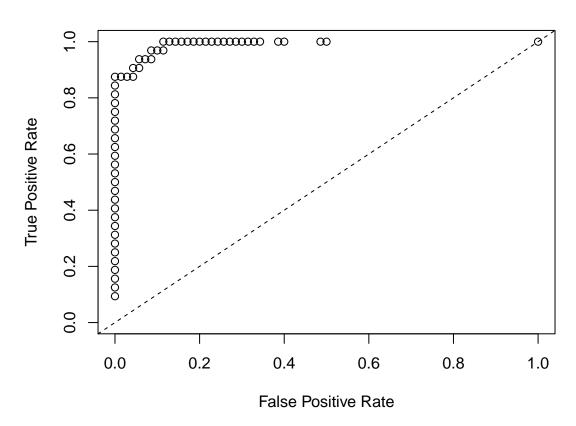
28 0.039216 =4/102

plot(perf)

## Totals

74

# True Positive Rate vs False Positive Rate



We also want to know the log loss, MSE and AUC values, as well as other model metrics for the test data:

```
h2o.logloss(perf)
## [1] 0.1158835
```

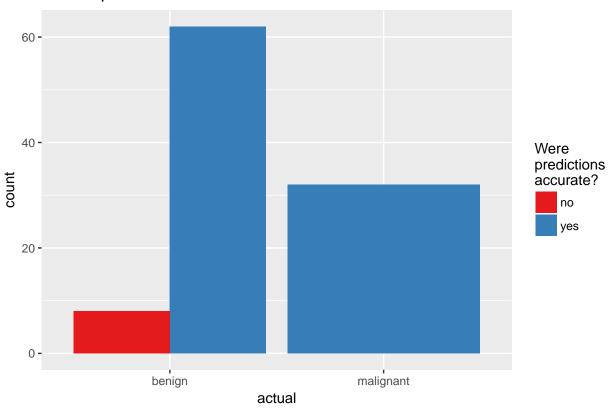
h2o.mse(perf)

```
## [1] 0.03673598
h2o.auc(perf)
## [1] 0.990625
head(h2o.metric(perf))
## Metrics for Thresholds: Binomial metrics as a function of classification thresholds
     threshold
                     f1
                               f2 f0point5 accuracy precision
     1.000000 0.171429 0.114504 0.340909 0.715686
## 1
                                                     1.000000 0.093750
     0.998333 0.222222 0.151515 0.416667 0.725490
                                                     1.000000 0.125000
     0.998000 0.270270 0.187970 0.480769 0.735294
                                                     1.000000 0.156250
      0.997222 0.315789 0.223881 0.535714 0.745098
                                                     1.000000 0.187500
     0.996210 0.358974 0.259259 0.583333 0.754902
                                                     1.000000 0.218750
     0.994048 0.400000 0.294118 0.625000 0.764706 1.000000 0.250000
##
     specificity absolute_mcc min_per_class_accuracy mean_per_class_accuracy
## 1
        1.000000
                     0.257464
                                             0.093750
                                                                      0.546875
## 2
        1.000000
                     0.298807
                                             0.125000
                                                                      0.562500
## 3
        1.000000
                     0.335794
                                             0.156250
                                                                      0.578125
## 4
        1.000000
                     0.369755
                                             0.187500
                                                                      0.593750
## 5
                                                                      0.609375
        1.000000
                     0.401478
                                             0.218750
## 6
        1.000000
                     0.431474
                                             0.250000
                                                                       0.625000
##
     tns fns fps tps
                                             fpr
                           tnr
                                    fnr
                                                       tpr idx
      70
          29
                   3 1.000000 0.906250 0.000000 0.093750
## 1
               0
  2
      70
          28
               0
                   4 1.000000 0.875000 0.000000 0.125000
##
                                                             1
## 3
      70
          27
               0
                   5 1.000000 0.843750 0.000000 0.156250
## 4
      70
          26
                   6 1.000000 0.812500 0.000000 0.187500
                                                             3
               0
## 5
      70
          25
               0
                   7 1.000000 0.781250 0.000000 0.218750
                                                             4
                   8 1.000000 0.750000 0.000000 0.250000
## 6
      70
          24
               0
                                                             5
```

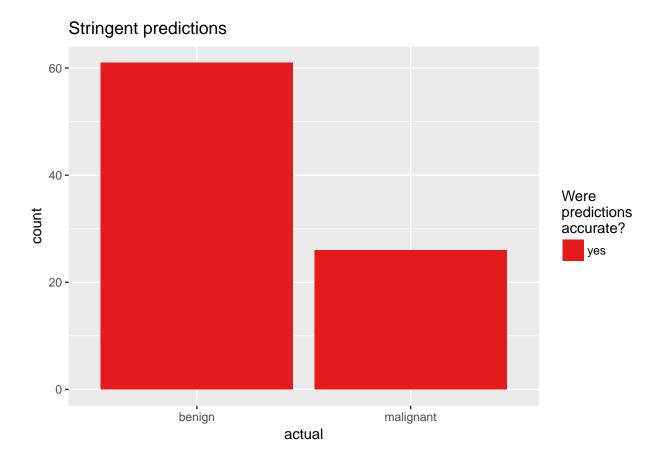
The final predictions with probabilities can be extracted with the h2o.predict() function. Beware though, that the number of correct and wrong classifications can be slightly different from the confusion matrix above. Here, I combine the predictions with the actual test diagnoses and classes into a data frame. For plotting I also want to have a column, that tells me whether the predictions were correct. By default, a prediction probability above 0.5 will get scored as a prediction for the respective category. I find it often makes sense to be more stringent with this, though and set a higher threshold. Therefore, I am creating another column with stringent predictions, where I only count predictions that were made with more than 80% probability. Everything that does not fall within this range gets scored as "uncertain". For these stringent predictions, I am also creating a column that tells me whether they were accurate.

```
finalRf_predictions %>%
  group_by(actual, predict) %>%
  dplyr::summarise(n = n())
## Source: local data frame [3 x 3]
## Groups: actual [?]
##
##
        actual
               predict
##
        <fctr>
                 <fctr> <int>
## 1
        benign
                 benign
## 2
        benign malignant
                             8
## 3 malignant malignant
                            32
finalRf_predictions %>%
  group_by(actual, predict_stringent) %>%
  dplyr::summarise(n = n())
## Source: local data frame [4 x 3]
## Groups: actual [?]
##
##
        actual predict_stringent
##
                           <chr> <int>
## 1
        benign
                          benign
                                    61
## 2
        benign
                       uncertain
                                     9
## 3 malignant
                                    26
                       malignant
## 4 malignant
                       uncertain
finalRf_predictions %>%
  ggplot(aes(x = actual, fill = accurate)) +
    geom_bar(position = "dodge") +
    scale_fill_brewer(palette = "Set1") +
    labs(fill = "Were\npredictions\naccurate?",
         title = "Default predictions")
```

# Default predictions



```
finalRf_predictions %>%
  subset(accurate_stringent != "na") %>%
  ggplot(aes(x = actual, fill = accurate_stringent)) +
    geom_bar(position = "dodge") +
    scale_fill_brewer(palette = "Set1") +
    labs(fill = "Were\npredictions\naccurate?",
        title = "Stringent predictions")
```



#### Deep learning with neural networks

Deep learning with neural networks is arguably one of the most rapidly growing applications of machine learning and AI today. They allow building complex models that consist of multiple hidden layers within artificial networks and are able to find non-linear patterns in unstructured data. Deep neural networks are usually feed-forward, which means that each layer feeds its output to subsequent layers, but recurrent or feed-back neural networks can also be built. Feed-forward neural networks are also called multilayer perceptrons (MLPs).

We can specify quite a few parameters, like

- Cross-validation: Cross validation can tell us the training and validation errors for each model. The final model will be overwritten with the best model, if we don't specify otherwise.
- Adaptive learning rate: For deep learning with h2o, we by default use stochastic gradient descent optimization with an an adaptive learning rate. The two corresponding parameters *rho* and *epsilon* help us find global (or near enough) optima.
- **Epochs**: Increasing the number of epochs (one full training cycle on all training samples) can increase model performance, but we also run the risk of overfitting. To determine the optimal number of epochs, we need to use early stopping.
- Early stopping: By default, early stopping is enabled. This means that training will be stopped when we reach a certain validation error to prevent overfitting. stopping\_metric: metric that we want to use as stopping criterion. stopping\_tolerance and stopping\_rounds: training stops when the the stopping metric does not improve by the stopping tolerance proportion any more (e.g. by 0.05 or 5%) for the number of consecutive rounds defined by stopping rounds.

• Activation Functions: The activation function defines the node output relative to a given set of inputs. We want our activation function to be non-linear and continuously differentiable.

Rectifier: is the default activation function. It is the fastest and most versatile option. It can lead to instability though and tends to be lower in accuracy. Tanh: The hyperbolic tangent is a scaled and shifted variant of the sigmoid activation function. It can take on values from -1 to 1 and centers around 0. Tanh needs more computational power than e.g. the Rectifier function. Maxout: is an activation function that is the max of the inputs. It is computationally quite demanding but can produce high accuracy models.

...WithDropout: When we specify with dropout, a random subset of the network is trained and the weights of all sub-networks are averaged. It works together with the parameter hidden\_dropout\_ratios, which controls the amount of layer neurons that are randomly dropped for each hidden layer. Hidden dropout ratios are useful for preventing overfitting on learned features.

- **Hidden layers**: Defines the number of hidden layers and the number of nodes per layer and are the most important hyper-parameter to set for deep neural networks, as they specify how many hidden layers and how many nodes per hidden layer the model should learn
- L1 and L2 penalties: L1: lets only strong weights survive. L2: prevents any single weight from getting too big.
- Rho and Epsilon: rho: similar to prior weight updates. epsilon: prevents getting stuck in local optima

Now, we can train the model with combinations of hyper-parameters from our specified stopping criteria and hyper-parameter grid.

model\_ids <- grid@model\_ids

```
best_model <- h2o.getModel(model_ids[[1]])</pre>
```

Because training can take a while, depending on how many samples, features, nodes and hidden layers you are training on, it is a good idea to save your model.

```
h2o.saveModel(best_model, path="models", force = TRUE)
```

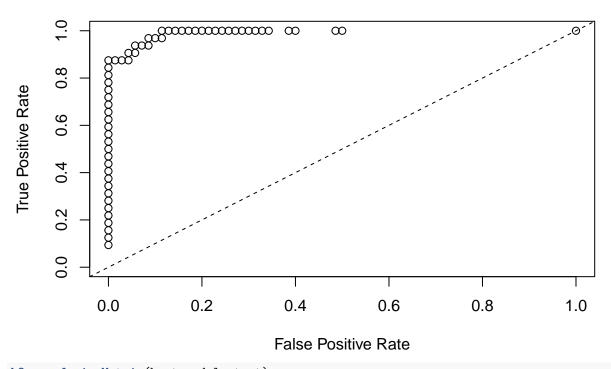
We can then re-load the model again any time to check the model quality and make predictions on new data.

dl\_model <- h2o.loadModel("models/dl\_grid\_model\_8")

We now want to know how our model performed on the validation data. The *summary()* function will give us a detailed overview of our model. I am not showing the output here, because it is quite extensive.

```
perf <- h2o.performance(best_model, test)
plot(perf)</pre>
```

# True Positive Rate vs False Positive Rate



h2o.confusionMatrix(best\_model, test)

```
## Confusion Matrix (vertical: actual; across: predicted) for max f1 @ threshold = 0.735026690140367:
##
             benign malignant
                                  Error
                 70
                                          =0/70
## benign
                             0 0.000000
## malignant
                  4
                            28 0.125000
                                          =4/32
## Totals
                 74
                            28 0.039216
                                         =4/102
h2o.shutdown()
```

## Are you sure you want to shutdown the H2O instance running at http://localhost:54321/ (Y/N)?

If you are interested in more machine learning posts, check out the category listing for machine\_learning.

#### sessionInfo()

```
## R version 3.3.2 (2016-10-31)
## Platform: x86_64-apple-darwin13.4.0 (64-bit)
## Running under: macOS Sierra 10.12.3
##
## locale:
## [1] en_US.UTF-8/en_US.UTF-8/en_US.UTF-8/C/en_US.UTF-8/en_US.UTF-8
##
## attached base packages:
## [1] stats4
                 parallel stats
                                     graphics grDevices utils
                                                                    datasets
## [8] methods
                 base
##
## other attached packages:
## [1] ggrepel_0.6.5
                             reshape2_1.4.2
                                                  h2o_3.10.3.6
## [4] corrplot_0.77
                             plyr_1.8.4
                                                  xgboost_0.6-4
## [7] randomForest_4.6-12 dplyr_0.5.0
                                                   caret 6.0-73
## [10] lattice_0.20-34
                             tidyr_0.6.1
                                                  pcaGoPromoter_1.18.0
## [13] Biostrings_2.42.1
                             XVector_0.14.0
                                                   IRanges_2.8.1
## [16] S4Vectors_0.12.1
                             BiocGenerics_0.20.0
                                                  ellipse_0.3-8
## [19] ggplot2_2.2.1
##
## loaded via a namespace (and not attached):
## [1] Rcpp_0.12.9
                             class_7.3-14
                                                   assertthat_0.1
## [4] rprojroot_1.2
                             digest_0.6.12
                                                  foreach_1.4.3
## [7] R6_2.2.0
                             backports_1.0.5
                                                  MatrixModels_0.4-1
## [10] RSQLite 1.1-2
                             evaluate_0.10
                                                  e1071_1.6-8
                             lazyeval 0.2.0
## [13] zlibbioc 1.20.0
                                                  minga 1.2.4
## [16] data.table_1.10.4
                             SparseM_1.74
                                                  car_2.1-4
## [19] nloptr 1.0.4
                             Matrix 1.2-8
                                                  rmarkdown 1.3
                                                  lme4_1.1-12
## [22] labeling_0.3
                             splines_3.3.2
## [25] stringr 1.2.0
                             RCurl_1.95-4.8
                                                  munsell 0.4.3
## [28] mgcv_1.8-17
                                                  nnet_7.3-12
                             htmltools_0.3.5
                                                  MASS_7.3-45
## [31] tibble_1.2
                             codetools_0.2-15
## [34] bitops_1.0-6
                             ModelMetrics_1.1.0
                                                  grid_3.3.2
## [37] nlme_3.1-131
                             jsonlite_1.2
                                                  gtable_0.2.0
## [40] DBI_0.5-1
                             magrittr_1.5
                                                  scales_0.4.1
## [43] stringi_1.1.2
                             RColorBrewer_1.1-2
                                                   iterators_1.0.8
## [46] tools_3.3.2
                             Biobase_2.34.0
                                                  pbkrtest_0.4-6
## [49] yaml_2.1.14
                             AnnotationDbi_1.36.0 colorspace_1.3-2
## [52] memoise_1.0.0
                             knitr_1.15.1
                                                   quantreg_5.29
```