

Part E

- ① Consider the following processes with arrival times and burst times.

process	Arrival time	Burst time
P1	0	5
P2	1	3
P3	2	6

Calculate the average waiting time using First-Come First served (FCFS) scheduling.

⇒ Step 1: Compute completion time (CT)

process	Arrival time (AT)	Burst time (BT)	completion time (CT)
P1	0	5	$0+5=5$
P2	1	3	$5+3=8$
P3	2	6	$8+6=14$

Step 2: Compute Turnaround time (TAT)

$$TAT = CT - AT$$

process	Arrival time (AT)	Completion time (CT)	Turnaround time (TAT)
P1	0	5	$5-0=5$
P2	1	8	$8-1=7$
P3	2	14	$14-2=12$

Step 3: Compute waiting time (WT)

$$WT = TAT - BT$$

process	turnaround time (TAT)	Burst time (BT)	Waiting time (WT)
P1	5	5	$5-5=0$
P2	7	3	$7-3=4$
P3	12	6	$12-6=6$

Step 4: Compute Average Waiting Time (AWT)

$$AWT = \frac{\sum WT}{\text{Total processes}}$$

$$AWT = \frac{0+4+6}{3}$$

$$= \frac{10}{3}$$

$$AWT = 3.33.$$

② Consider the following processes with arrival times and burst times:

Process	Arrival time	Burst time
P1	0	3
P2	1	5
P3	2	1
P4	3	4

Calculate the average turnaround time using shortest job first (SJF) scheduling.

⇒ Step 1:

Process	Arrival Time (AT)	Burst Time (BT)
P1	0	3
P2	1	5
P3	2	1
P4	3	4

Step 2: Determine the execution order and completion time.

1) At Time 0, only P1 is available → Execute P1 (BT=3).

$$\text{Completion Time (CT) of P1} = 0 + 3 = 3$$

2) At Time 3, the available processes are P2 (BT=5), P3 (BT=1), P4 (BT=4).

Shortest Burst Time = P3 (BT=1) → execute P3.

$$\text{Completion Time (CT) of P3} = 3 + 1 = 4$$

3) At Time 4, the available processes are P2 (BT=5), P4 (BT=4).

Shortest Burst Time = P4 (BT=4) → execute P4

$$\text{Completion Time (CT) of P4} = 4 + 4 = 8$$



4) At time 8, only P2 remains \rightarrow Execute P2 (BT=5).
Completion time (CT) of P2 = $8 + 5 = 13$.

The execution order is $P_1 \rightarrow P_3 \rightarrow P_4 \rightarrow P_2$.

Step 3: Compute turnaround time (TAT)

$$TAT = CT - AT$$

Process	Arrival time (AT)	Completion time (CT)	Turnaround time (TAT)
P1	0	3	$3 - 0 = 3$
P2	1	13	$13 - 1 = 12$
P3	2	4	$4 - 2 = 2$
P4	3	8	$8 - 3 = 5$

Step 4: Compute Average Turnaround time (ATAT)

$$ATAT = \frac{\sum TAT}{\text{total processes}}$$

$$ATAT = \frac{3 + 12 + 2 + 5}{4}$$

$$= \frac{22}{4}$$

$$ATAT = 5.5 \text{ ms.}$$

③ Consider the following processes with arrival times, burst times, and priorities (lower number indicates higher priority).

process	Arrival time	Burst time	priority
P ₁	0	6	3
P ₂	1	4	1
P ₃	2	7	4
P ₄	3	2	2

Calculate the average waiting time using priority scheduling.

⇒ Step 1: sorted processes by Arrival time and execute based on priority

process	Arrival time (AT)	Burst time (BT)	priority
P ₁	0	6	3
P ₂	1	4	1
P ₃	2	7	4
P ₄	3	2	2

Step 2: Determination execution order and completion time (CT):

1) At the time 0, only P₁ is available → execute P₁ (BT=6).
Completion time (CT) of P₁ = 0 + 6 = 6.

2) At the time 6, the available processes are P₂ (Priority=1), P₃ (Priority=4), P₄ (Priority=2).

Highest priority (lowest ~~Priority~~ ^{Number}) = P₂ (Priority=1) ⇒
execute P₂ (BT=4)

Completion time (CT) of P₂ = 6 + 4 = 10.

3) At the time 10, the available processes are P3 (priority=4) and P4 (priority=2).

Highest Priority = P4 (Priority=2) \rightarrow execute P4 (BT=2)

Completion time (CT) of P4 = $10 + 2 = 12$

4) At time 12, only P3 remains \rightarrow execute P3 (BT=7)

Completion time (CT) of P3 = $12 + 7 = 19$

Execution order is $P1 \rightarrow P2 \rightarrow P4 \rightarrow P3$.

Step 3: Compute turnaround time (TAT)

$$TAT = CT - BT$$

Process	Arrival time (AT)	Completion time (CT)	Turnaround time (TAT)
P1	0	6	$6 - 0 = 6$
P2	1	10	$10 - 1 = 9$
P3	2	19	$19 - 2 = 17$
P4	3	12	$12 - 3 = 9$

Step 4: Compute Waiting time (WT)

$$WT = TAT - BT$$

Process	Turnaround time (TAT)	Burst time (BT)	Waiting time (WT)
P1	6	6	$6 - 6 = 0$
P2	9	4	$9 - 4 = 5$
P3	17	7	$17 - 7 = 10$
P4	9	2	$9 - 2 = 7$

Step 5: Compute Average Waiting time (AWT)

$$AWT = \frac{\sum WT}{\text{Total processes}} = \frac{0 + 5 + 10 + 7}{4} = \frac{22}{4}$$

$$AWT = 5.5 \text{ ms}$$



- ④ Consider the following processes with arrival times and burst times, and the time quantum for Round Robin Scheduling is 2 units:

Process Arrival time Burst time

P ₁	0	4
P ₂	1	5
P ₃	2	2
P ₄	3	3

Calculate the average turnaround time using Round Robin Scheduling.



Step 1: Given Data

Process Arrival time Burst time

P ₁	0	4
P ₂	1	5
P ₃	2	2
P ₄	3	3

Time quantum = 2 units.

Step 2: Gantt Chart:

- 1) At time = 0, P₁ starts execution for 2 units (Remaining burst time: 2).

Gantt chart: [P₁(0-2)]

- 2) At time = 2, P₂ arrives and starts execution for 2 units (Remaining burst time: 3)

Gantt chart: [P₁(0-2), P₂(2-4)]

- 3) At time = 4, P₃ arrives and executes for 2 units (completed)

Gantt chart: [P₁(0-2), P₂(2-4), P₃(4-6)]

- 4) At time = 6, P₄ arrives and executes for 2 units (Remaining burst time: 1)

Gantt chart: [P₁(0-2), P₂(2-4), P₃(4-6), P₄(6-8)]



5) At time = 8, P1 resumes execution for 2 units (completed)
 Gantt chart: [P1(0-2), P2(2-4), P3(4-6), P4(6-8), P1(8-10)]

6) At time = 10, P2 resumes execution for 2 units (remaining burst time: 1)
 Gantt chart: [P1(0-2), P2(2-4), P3(4-6), P4(6-8), P1(8-10), P2(10-12)]

7) At time = 12, P4 resumes execution for 1 unit (completed)
 Gantt chart: [P1(0-2), P2(2-4), P3(4-6), P4(6-8), P1(8-10), P2(10-12), P4(12-13)]

8) At time = 13, P2 resumes execution for 1 unit (completed)
 Gantt chart: [P1(0-2), P2(2-4), P3(4-6), P4(6-8), P1(8-10), P2(10-12), P4(12-13), P2(13-14)]

STEP 3: Completion time (CT) calculation

Process	Completion time (CT)
P1	10
P2	14
P3	6
P4	13

STEP 4: Turnaround time (TAT) calculation
 $TAT = CT - \text{Arrival Time}$

Process	Arrival time (AT)	Completion time (CT)	Turnaround time (TAT)
P1	0	10	$10 - 0 = 10$
P2	1	14	$14 - 1 = 13$
P3	2	6	$6 - 2 = 4$
P4	3	13	$13 - 3 = 10$

Step 5: Average Turnaround Time calculation

$$\text{Average TAT} = \frac{\sum \text{TAT}}{\text{Total processes}}$$

$$= \frac{10 + 13 + 4 + 10}{4}$$

$$= \frac{37}{4}$$

$$\boxed{\text{ATAT} = 9.25 \text{ units.}}$$

⑤ consider a program that uses the `fork()` system call to create a child process, initially the parent process has a variable x with a value of 5. After forking, both the parent and child processes increment the value of x by 1. What will be the final values of x in the parent and child processes after the `fork()` call?

⇒ step by step execution:

1) Initial condition:

The parent process has a variable $x = 5$.

2) Forking:

- The `fork()` call creates a new child process.
- Both the parent and child inherit the same initial state meaning $x = 5$ in both processes.
- However, each process gets its own separate copy of x .

3) Incrementing x :

- The process of parent increments its copy of $x \rightarrow x = 6$.
- The child process also increments its own copy of $x \rightarrow x = 6$.

Final values of x :

- In the parent process $x = 6$
- In the child process $x = 6$.