

# Write-up for Homework1

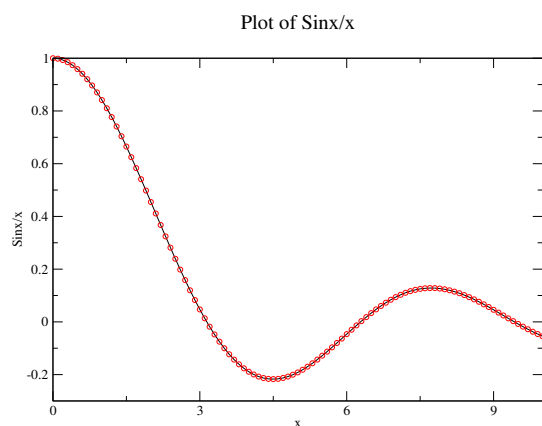
August 28, 2016

## 1 Bessel Function

In the given problem, as we can clearly see the function is divergent when the value of  $x$  tends to zero. Now, to avoid this situation I have chosen a particular value of  $\epsilon_p = 0.001$  and then used Taylor expansion of the given function for evaluating the value of given function in the range  $[0, 0.001]$ . And for above this value i.e. in the interval  $[0.001, 10]$  we evaluate the given function.

The code file to run this command is saved and included in the filename `f1ofx.f90` and `plotf1ofx.f90`, data file in the filename `f1ofx_data.dat`, and the `xmgrace` plot in the filename `sin.eps`. in the folder-name `probl`.

The plot I thus obtained for the given function is as shown below:

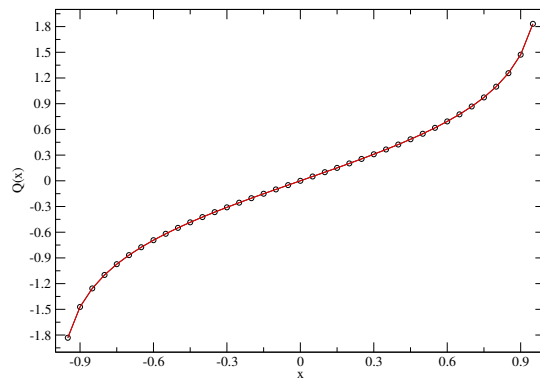


## 2 Legendre function

$Q_0(x)$ :

To find the value of the given function in the interval  $[-0.95, 0.95]$ , the code file I executed is saved and included in the filename `f1ofx.f90` and `plotf1ofx.f90`, data file in the filename `f1ofx_data1.dat`, and the `xmgrace` plot in the filename `b.eps`. in the sub folder `q0` inside the folder `prob2`.

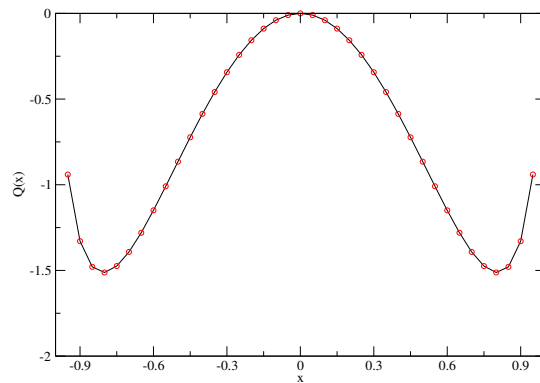
The plot I thus obtained for the given function is as shown below:



$Q_3(x)$ :

To find the value of the given function in the interval  $[-0.95, 0.95]$ , the code file I executed is saved and included in the filename `f1ofx.f90` and `plotf1ofx.f90`, data file in the filename `f1ofx_data2.dat`, and the `xmgrace` plot in the filename `q44.eps`. in the sub folder `q3` inside the folder `prob2`.

The plot I thus obtained for the given function is as shown below:



### 3 Complex Numbers

In order to get the computer to print a table as provided in homework problem, the code file I executed is saved and included in the filename `cnumbers.f90`, data file in the filename `a.dat`, and the `xmgrace` plot of the output phases obtained with the arctangent functions versus the input phase ( $\phi$ ) in the filename `atan.eps` and `atan2.eps` in the folder `prob3`.

From plotting the graph of corresponding functions we clearly see that , we have a cut on points  $(0.785, -1.57)$  and  $(1.57, -0.785)$  for  $\text{atan}(y/x)$ , on the points  $(3.06, -3.06)$  for  $\text{atan2}(y,x)$ , points  $(0.999, -0.993)$  for  $\text{sqrt}(z)$  and points  $(-3.06, 3.06)$  for  $\ln$ .

The plot I thus obtained for the given function is as shown below:

