```
from sklearn.datasets import load_iris
from sklearn.cluster import AgglomerativeClustering, KMeans
import scipy.cluster.hierarchy as shc
import matplotlib.pyplot as plt
import numpy as np

# Load the iris dataset
data = load_iris()
df = data.data
target = data.target
feature_names = data.feature_names

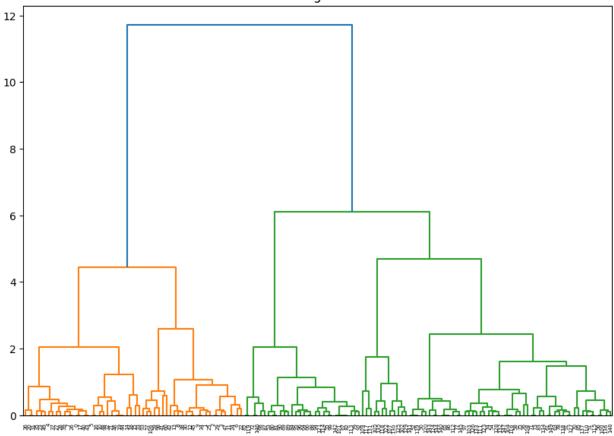
# Extract Sepal Length and Sepal Width
sepal_length_width = df[:, :2]
```

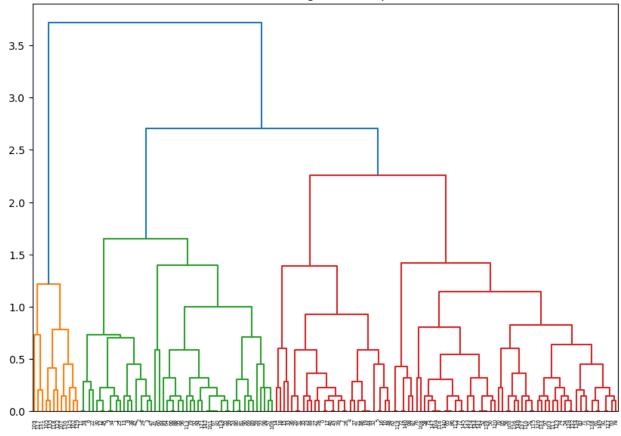
Show dendrogram of the iris data using hierarchical clustering using the ward method.

```
# Dendrogram using ward method
plt.figure(figsize=(10, 7))
plt.title("Iris Dendrogram - Ward")
dend_ward = shc.dendrogram(shc.linkage(sepal_length_width,
method='ward'))
plt.show()

# Dendrogram using complete method
plt.figure(figsize=(10, 7))
plt.title("Iris Dendrogram - Complete")
dend_complete = shc.dendrogram(shc.linkage(sepal_length_width,
method='complete'))
plt.show()
```





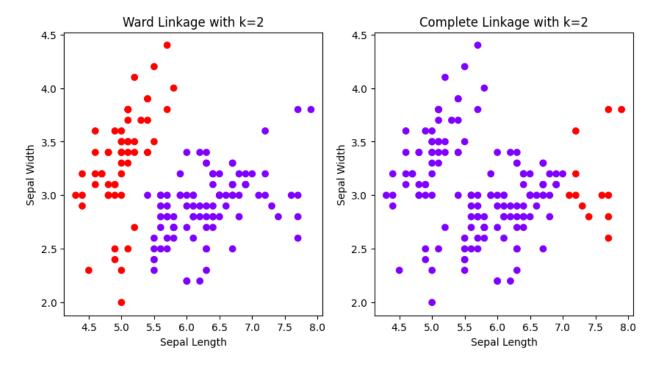


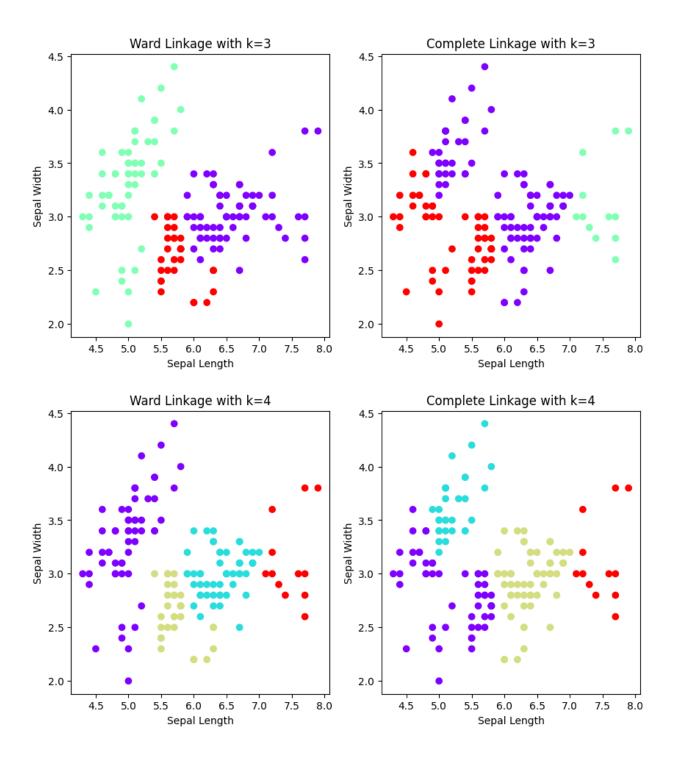
Scatter plots of the data in 2d showing the clusters in different colors using Agglomerative Clustering for different k values. Show the plots side by side for ward and complete linkage.

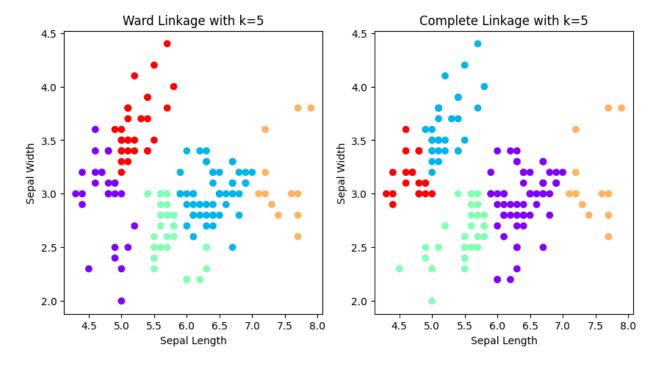
```
# Define k values
k_{values} = [2, 3, 4, 5]
# Agglomerative Clustering for different k values using ward and
complete linkage
for k in k_values:
    # Create a subplot with 1 row and 2 columns
    fig, axes = plt.subplots(\frac{1}{2}, figsize=(\frac{10}{5}))
    # Agglomerative Clustering with ward linkage
    cluster ward = AgglomerativeClustering(n clusters=k,
linkage='ward')
    labels ward = cluster ward.fit predict(sepal length width)
    axes[0].scatter(sepal length width[:, 0], sepal length width[:,
1], c=labels ward, cmap='rainbow')
    axes[0].set title(f'Ward Linkage with k={k}')
    axes[0].set xlabel('Sepal Length')
    axes[0].set_ylabel('Sepal Width')
```

```
# Agglomerative Clustering with complete linkage
  cluster_complete = AgglomerativeClustering(n_clusters=k,
linkage='complete')
  labels_complete = cluster_complete.fit_predict(sepal_length_width)
  axes[1].scatter(sepal_length_width[:, 0], sepal_length_width[:,
1], c=labels_complete, cmap='rainbow')
  axes[1].set_title(f'Complete Linkage with k={k}')
  axes[1].set_xlabel('Sepal Length')
  axes[1].set_ylabel('Sepal Width')

# Display the plot
  plt.show()
```

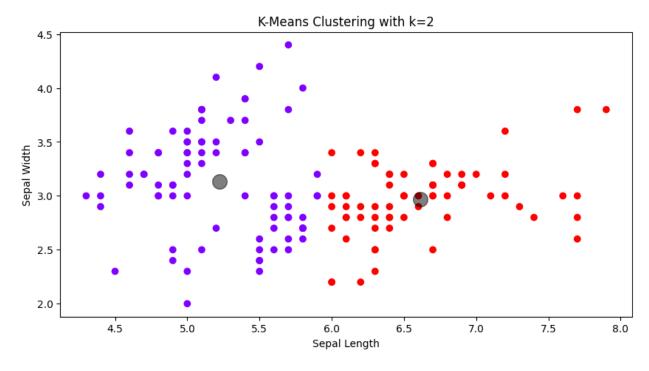


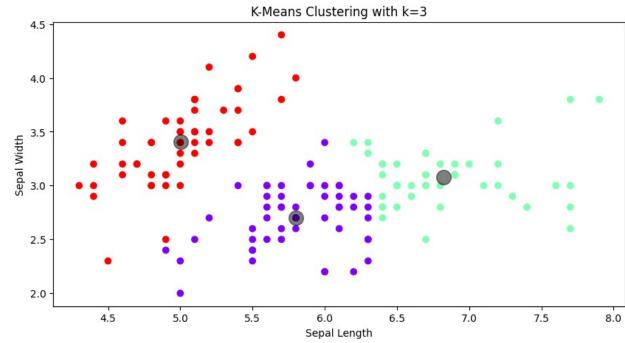


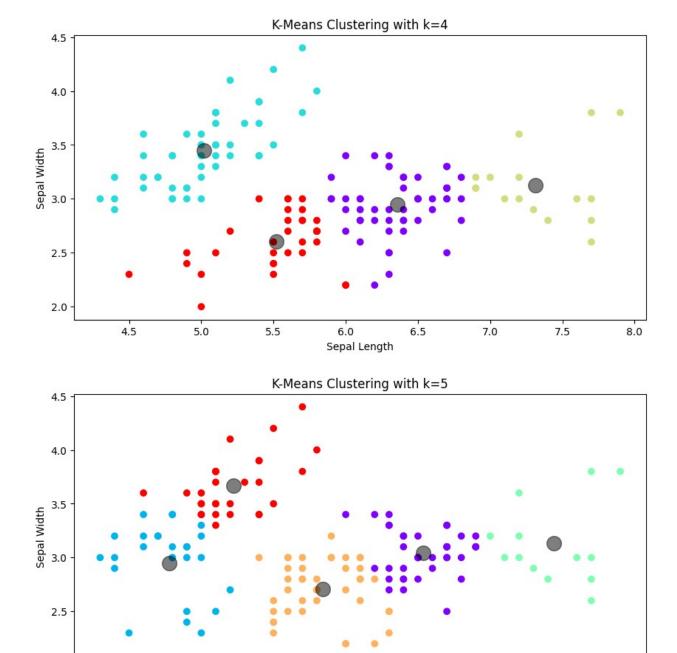


Scatter plot of the data in 2d showing the clusters in different colors using K-Means clustering for different k values. Also show the cluster centers in the plot

```
# K-Means Clustering for different k values
for k in k values:
    # Create a subplot for each k value
    plt.figure(figsize=(10, 5))
    plt.title(f'K-Means Clustering with k={k}')
    # Perform the clustering
    kmeans = KMeans(n clusters=k)
    kmeans.fit(sepal_length width)
    y kmeans = kmeans.predict(sepal length width)
    # Plot the clusters
    plt.scatter(sepal length width[:, 0], sepal length width[:, 1],
c=y kmeans, cmap='rainbow')
    # Plot the centroids
    centers = kmeans.cluster_centers_
    plt.scatter(centers[:, 0], centers[:, 1], c='black', s=200,
alpha=0.5)
    plt.xlabel('Sepal Length')
    plt.ylabel('Sepal Width')
    plt.show()
```







Based on the provided dendrograms and scatter plots

5.0

5.5

## 1. Logical Interpretation from Clusters:

4.5

2.0

- The scatter plots for both hierarchical clustering methods with (k=2) show a clear distinction between two groups. However, as the number of clusters increases to (k=4) and (k=5), the clusters become less distinct.

6.0

Sepal Length

7.0

7.5

8.0

6.5

 The K-Means clustering with (k=3) seems to align well with the known classification of the Iris dataset, which has three species. The clusters are wellseparated and compact, which suggests good clustering performance.

## 2. Comparison of Euclidean Distance and Complete Linkage:

- The dendrogram using the ward method (which employs the Euclidean distance) suggests two main clusters with a significant height difference indicating a strong distinction between them.
- The complete linkage dendrogram and scatter plots, on the other hand, show a less distinct separation between clusters, especially as (k) increases. For (k=2), complete linkage creates a cluster with a wide spread which may include more variance within the cluster compared to ward linkage.
- In higher values of (k), the clusters from complete linkage seem to be more fragmented compared to those from ward linkage, which may indicate less cohesion within the clusters.

## 3. Comparison of Agglomerative and K-Means Clustering Scatter Plots:

- The scatter plots from Agglomerative clustering with ward linkage tend to show more cohesive and compact clusters, especially for (k=3), which is consistent with the natural grouping in the Iris dataset.
- K-Means clustering scatter plots, particularly for ( k=3 ) and ( k=5 ), show distinct clusters with clear centroids. K-Means tends to create more spherical clusters due to the algorithm's tendency to minimize variance within clusters.
- Comparing the scatter plots for (k=2) in both methods, K-Means provides a clearer separation between clusters, which could be due to its centroid initialization and optimization approach.
- For (k=3), both methods perform similarly well in separating the clusters, but K-Means has a slight edge in terms of the compactness of the clusters.
- For ( k=5 ), the K-Means clustering method begins to show some overlap and less clear distinctions between clusters, suggesting that ( k=3 ) might be a more appropriate choice for the number of clusters in this dataset.