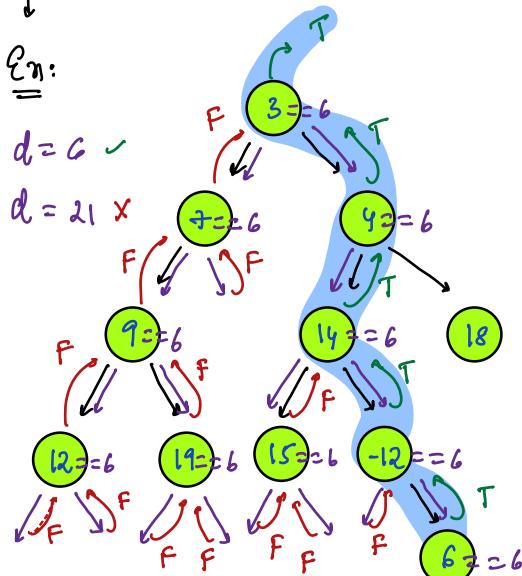


Todays Content:

- Path from root to given node ↵
- LCA in Binary Tree ↵ [9:50 → 10 pm]
- No. of Nodes at k from given node ↵
- Recover BST ↵

Q1: Given a B.T which contains all unique values. Search if there exists a d in B.T

Ass: Given tree, search for d return T/F



bool check(Node root, int d){ TC: O(N) SC: O(H)}

if (root == null) { return false }

if (root.data == d) { return true }

if (check(root.left, d) ||

check(root.right, d))

} return true

} return false

Obs: If we store all nodes, which returns true, it gives path between source & root node.

list<Node> path; // path between root & source (d)

bool getPath(Node root, int d) TC: O(N) SC: O(H)

if (root == null) { return false }

if (root.data == d) { path.add(root), return true }

if (check(root.left, d) || check(root.right, d))

path.add(root); // this node is returning true hence it

} return true belongs in path

} return false

Note: Path we get in above example:

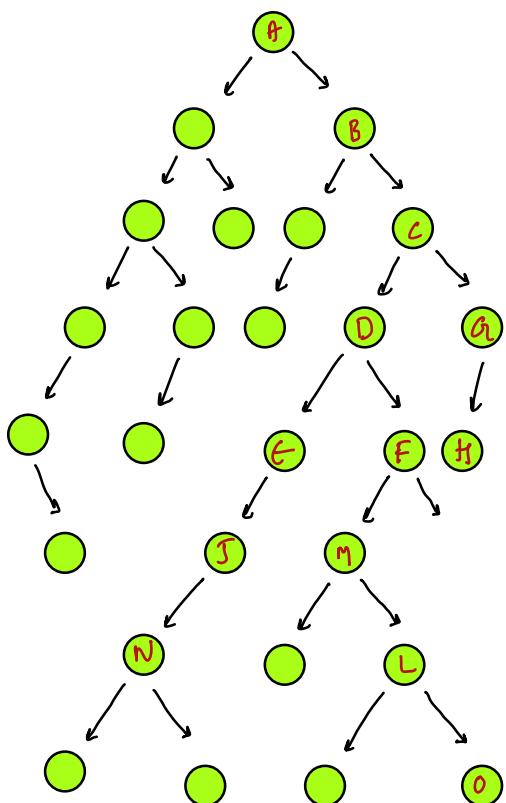
6 -12 4 4 3

// path is stored from source to root

if root is source & need: Reverse the list

LCA: lowest common ancestor: lowest common ancestor is defined between 2 nodes p & q as the lowest node in Tree, which is an ancestor to both p & q .

Note: We allow a node to be ancestor to itself



$$\underline{\text{Ex1}}: \text{LCA}(M, H) : C$$

$$\begin{array}{c} M: M F D | C | B | A \\ \hline H: \quad H G | C | B | A \end{array}$$

$$\underline{\text{Ex2}}: \text{LCA}(J, L) : D$$

$$\begin{array}{c} J: J E | D | C | B | A \\ \hline L: L M F | D | C | B | A \end{array}$$

$$\underline{\text{Ex3}}: \text{LCA}(D, C) : C$$

$$\begin{array}{c} D: D | C | B | A \\ \hline C: | C | B | A \end{array}$$

All Nodes are distinct

Node LCA(Node root, int p, int q) { TC: $O(N + N + H) \rightarrow TC: O(N + H)$

Step1: Get path from

SC: $O(H + H) \rightarrow O(H)$

a) $p \rightarrow \text{root}$: stored in `list<Node> PathP`

b) $q \rightarrow \text{root}$: stored in `list<Node> PathQ`

Step2: From both paths iterate from back & get last node
which is matching.

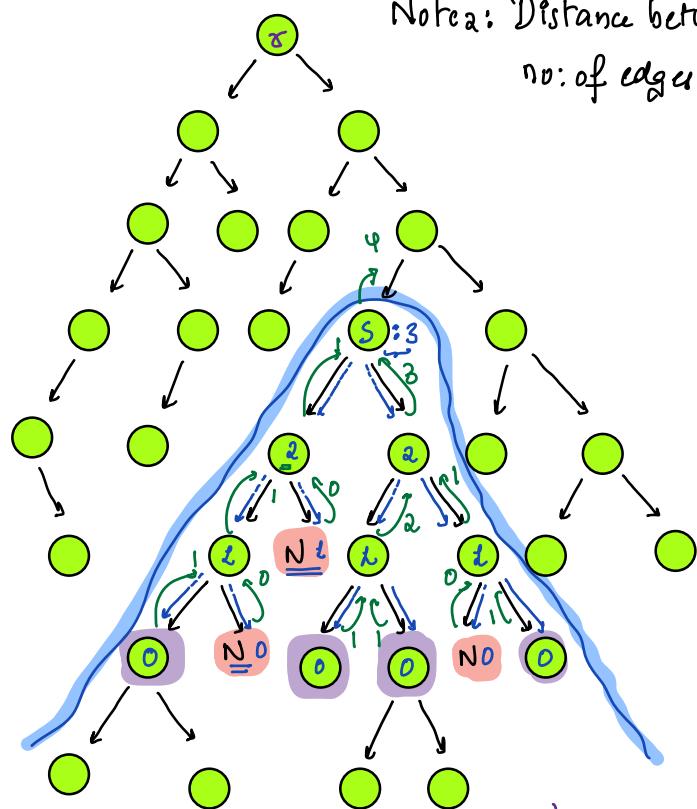
Q2: Given a source node how many nodes are there at C address of node

distance = k,

Note: All nodes should be below source

Note: Distance between nodes calculate

no: of edges between them



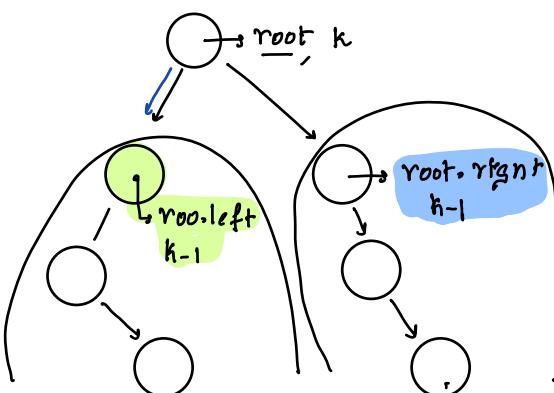
int below(Node S, int k) { TC: O(N) SC: O(H)}

```

if (S == null) { return 0; }
if (k == 0) { return 1; }
int l = below(S.left, k-1);
int r = below(S.right, k-1);
return l+r;

```

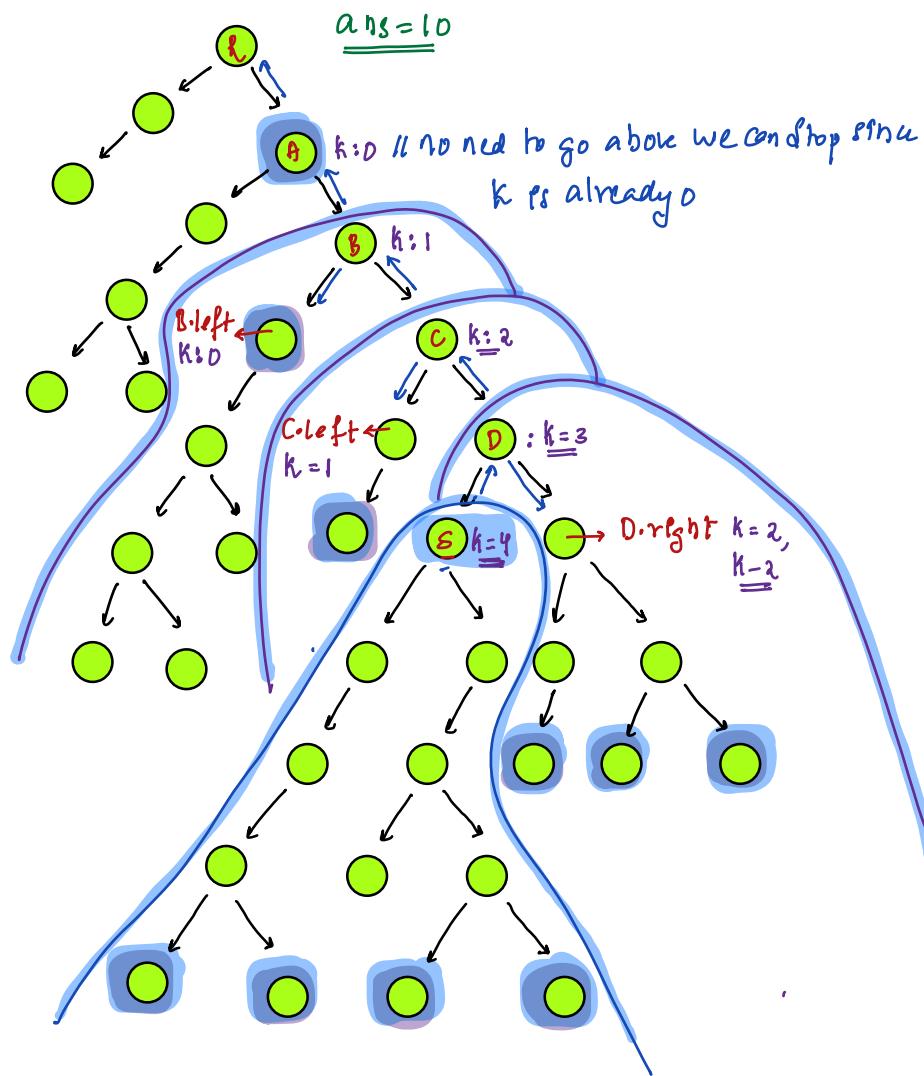
3



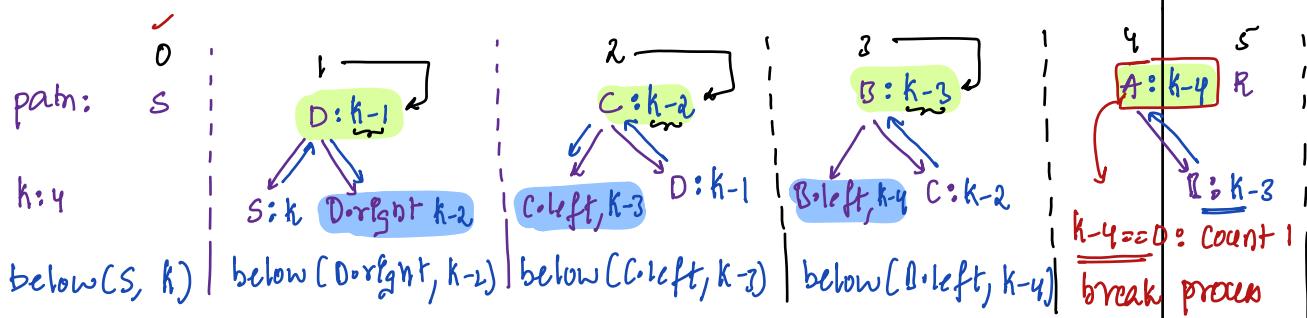
Q8) Calculate no. of nodes are at a distance k from Source

→ Note: Only Source node value is given, we need to search it first

→ Note2: Binary Tree contains only distinct values



Step1: Get path from src → root, We store address



Int count nodes (Node r, Int s, Int k) { TC: O(N) SC: O(1) }

//Step1: Path from src → root

list<Node> p

getPath(r, s) // we have path from src to root in p

Int c = below(p[0], k);

i = 1; i < p.size(); i++) {

// node at p[i], distance of node = k - i

if (k - i == 0) { c = c + 1, break; }

// node at p[i] child is at p[i-1]

if (p[i].left == p[i-1]) { // goto right & search

c = c + below(p[i].right, k - i - 1)

else

c = c + below(p[i].left, k - i - 1)

return c;

}

p[i]: k - i
p[i-1]
p[i].right: k - i - 1

Recover Sorted arr[]

Given an $\text{arr}[]$, which is formed by swapping 2 distinct index positions in a sorted inc^y $\text{arr}[]$: $\{1 \text{ swap}\}$
 get original sorted $\text{arr}[] \rightarrow \underline{\text{TC: OCN}}$

Eg1: Input $\text{arr}[]: \{4, 10, 12, 19, 14, 18, 19, 25, 28\}$

$\text{arr}[]: \{4, 10, 12, 14, 18, 19, 25, 28\}$

Eg2: $\text{arr}[]: \{2, 6, 8, 10, 14, 19, 23, 40, 51\}$

$\text{arr}[]: \{2, 6, 8, 10, 14, 19, 23, 40, 51\}$

Eg3: $\text{arr}[] = \{3, 6, 10, 15, 12, 17, 20, 33\}$

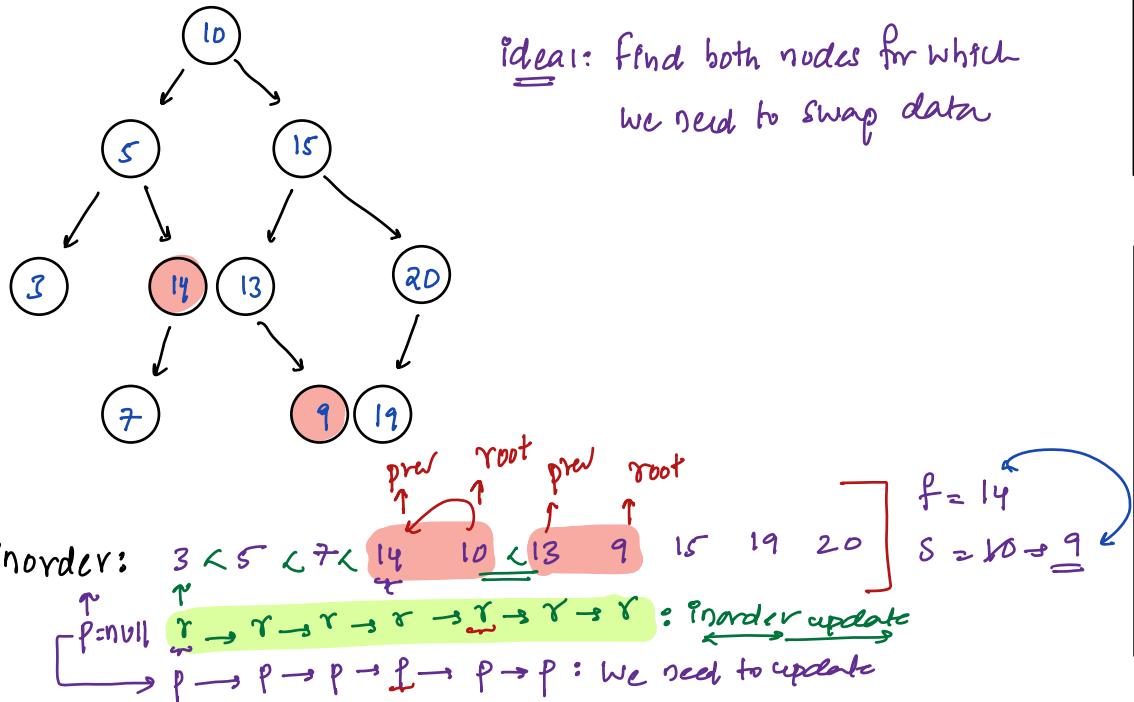
$\text{arr}[] = \{3, 6, 10, 15, 12, 17, 20, 33\}$

Eg4: $\text{arr}[] = \{2, 4, 6, 10, 14, 16, 20, 24, 30\}$

$\text{arr}[]: \{2, 4, 6, 10, 14, 16, 20, 24, 30\}$

Recover BST :

Given a BST, which is formed by swapping a distinct nodes,
recover original BST



Node $f = \text{null}$ $s = \text{null}$ $p = \text{null}$

void inorder(Node root) { TC: O(N) SC: O(H) }

```

if (root == null) { return; }
inorder(root.left);

if (p != null && p.data > root.data) {
    if (f == null) { // It happened 1st time
        f = p, s = r
    } else { // It happened 2nd time s = r }
}
p = root // updating previous
inorder(root.right)

```

swap (f.data, s.data)