

Today's Content:

→ Palindrome generation ✓

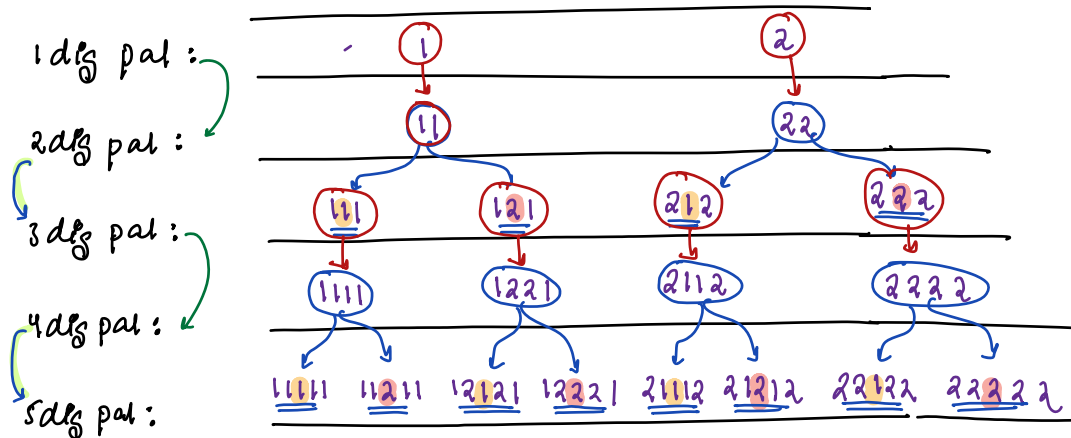
→ De-queue ✓

→ Max of every window ✓

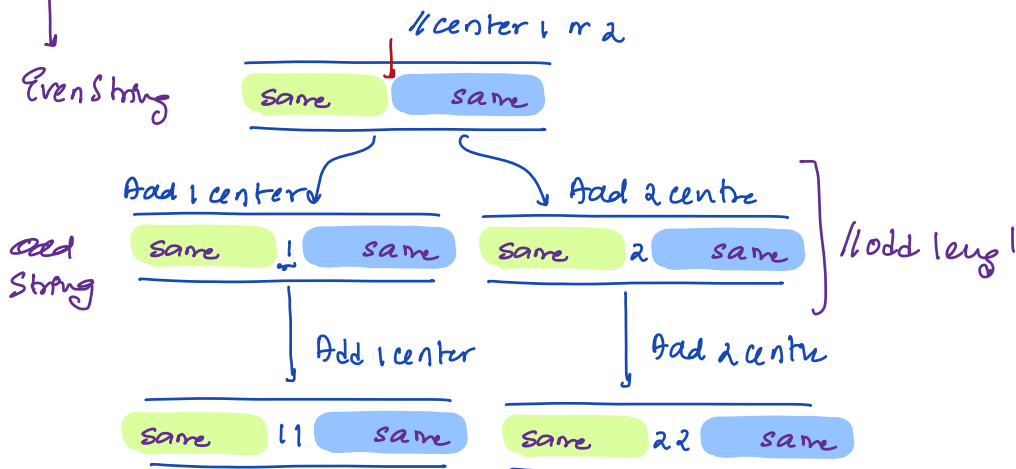
st: Print k pal number: generated by only 1 & 2

k=5: 1 2 11 22 111 → ans

k=7: 1 2 11 22 111 121 212 → ans



obs1: For even string: at center add 1 → get palindrome string  
at center add 2 → get palindrome string



obs2: For odd string, add character at center once again  
at center to get → even length palindrome

TODO:

Deque: double ended queue



$\{ \begin{array}{l} \text{insert\_rear()} \\ \text{delete\_front()} \end{array} \} \begin{array}{l} S_1 \\ S_2 \end{array} \{ \begin{array}{l} \text{insert\_front()} \\ \text{delete\_rear()} \end{array} \} \begin{array}{l} Q_2 \\ Q_1 \end{array} \begin{array}{l} \text{rear()} \\ \text{front()} \end{array}$

Using linked:

- 1) insert at start
  - 2) insert at back
  - 3) delete at front
  - 4) delete at end
- $\} \begin{array}{l} \text{double linked list} \\ \text{Code: TODO} \end{array}$
- $\rightarrow$  LRU cache

Syntax: { if not there implement it } Functional

$\begin{array}{l} \text{deque} \langle \text{int} \rangle \text{ dq} \rightarrow \\ \downarrow \quad \quad \downarrow \\ \text{deque} \quad \text{type of data} \end{array} \left\{ \begin{array}{l} \text{dq.insert\_front()} \quad \text{dq.delete\_front()} \\ \text{dq.insert\_rear()} \quad \text{dq.delete\_rear()} \\ \text{dq.front()} \quad \text{dq.rear()} \quad \text{dq.size()} \end{array} \right\}$

$\rightarrow$  Each function takes  $O(1)$

108) Given  $arr[N]$  &  $k$ , print max element in every window of size  $k$

subarray of: len  $k$   
 continuous part of array

#  $N=9$     0    1    2    3    4    5    6    7    8  
 $arr[9] = 10 \ 1 \ 9 \ 3 \ 7 \ 6 \ 5 \ 11 \ 8$

$k=4$

Output: 10 9 9 7 11 11

} #  $N-k+1 = 9-4+1 = 6$

Idea1: For every subarrays of len =  $k$  iterate & print max

TC:  $(N-k+1) * (k)$     SC:  $O(1)$

$\hookrightarrow k \approx N/2 = (N-N/2+1)(N/2) = (N/2+1)(N/2) \approx O(N^2)$

Idea2:

0    1    2    3    4    5    6    7    8  
 $arr[] = 10 \ 2 \ 9 \ 3 \ 1 \ 6 \ 5 \ 11 \ 8$

x    x    x

Data Structure  $\rightarrow$  max / delete elem / insert elem // TreeSet: hashmap: 2

~~10~~ 1    10 9 9 6 ...  
~~8~~ 6  
~~9~~ 5  
 3

store all data in sorted order  
 $\rightarrow$  min:  $\log N$   
 $\rightarrow$  max:  $\log N$

0    1    2    3    4    5  
 $arr[] : 10 \ 6 \ 10 \ 3 \ 9 \ 11$

x

$k=4$

arr's freq

TreeSet  $\rightarrow$  {duplicates get deleted}  $\Rightarrow$  TreeMap < key, value > :

Data sorted based on keys

~~10~~ 10 9  
 6  
 3  
 9

$arr[]: \begin{matrix} 0 & 1 & 2 & 3 & 4 & 5 \\ 10 & 6 & 10 & 3 & 9 & 11 \end{matrix}$   
 $k=4$

Treemap

$\left\{ \begin{matrix} \langle 11, 1 \rangle \\ \langle 10, 2 \rangle \\ \langle 9, 1 \rangle \\ \langle 6, 1 \rangle \\ \langle 3, 1 \rangle \end{matrix} \right\}$

Idea: Treemap + Sliding Window : TODO

↳ : Every element goes inside Treemap once  
gets deleted once

TC:  $N \times \log k$  SC:  $O(k)$

TC:  $N$

Ex2:

| 0 | 1  | 2 | 3  | 4 | 5 | 6  | 7 | 8  | 9 | 10 | 11 | 12 |
|---|----|---|----|---|---|----|---|----|---|----|----|----|
| 3 | 15 | 6 | 12 | 4 | 2 | 10 | 9 | 13 | 7 | 2  | 5  | 3  |

k=4

front  $\hookrightarrow$  ~~3~~ ~~15~~ ~~6~~ ~~12~~ ~~4~~ ~~2~~ ~~10~~ ~~9~~ ~~13~~ 7 2 5 3  $\hookrightarrow$  rear

output: 15 15 12 12 10 13 13 13 13 7 //cross verify

operations: obj: rear ele & new element : rear ele del

$\rightarrow$  rear-element  $\left| \begin{array}{l} \text{rear-insert() } \left| \text{rear-delete() } \right. \right\} \text{ deque } \\ \rightarrow$  front-element  $\left| \begin{array}{l} \text{front-delete() } \right. \end{array} \right.$

| 0  | 1 | 2  | 3 | 4 | 5  |
|----|---|----|---|---|----|
| 10 | 6 | 10 | 3 | 9 | 11 |

k=4

front  $\hookrightarrow$  ~~10~~ ~~6~~ ~~10~~ ~~3~~ ~~9~~ 11  $\hookrightarrow$  rear #now=11

output: 10 10 11 //cross check

void subman(int arr[], int k) { Tc: O(N) Sc: O(k) —

deque<int> dq;

Step 1: Insert first k element in window [0, k-1]

i = 0; i < k; i++) {

    // new element insert = arr[i]

    while( dq.size() > 0 && dq.rear() < arr[i] ) {

        dq.delete\_rear();

    dq.insert\_rear( arr[i] )

print( dq.front() ) // 0 1 2 3... k-1 k k+1 k+2 ...

i = k; i < n; i++) {

    // new element insert = arr[i] // delete = arr[i-k] ?

    while( dq.size() > 0 && dq.rear() < arr[i] ) {

        dq.delete\_rear();

    dq.insert\_rear( arr[i] )

    if( dq.front() == arr[i-k] ) {

        dq.delete\_front();

    print( dq.front() )

}

}

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\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_



Part: 4 : Tree : 11 : 4 weeks

BT BST Tree Heap Greedy

→ google/microsoft :

Coming Sunday : 10:30 AM

Rahul Yadav

→ Stacks / Queue / Deque / Linked List

9:10 → 9:20

Parts: 14 :

Backtracking Dp Graph

28 | 24 → 1

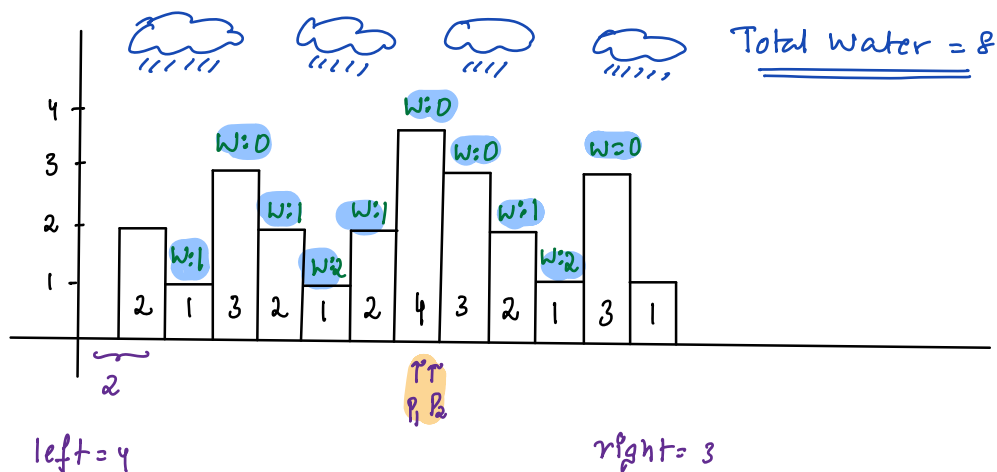
9 days  
9/9 ✓

#### 48) Rain water trapped ?

Given  $arr[N]$  elements, where  $arr[i]$  represents height of the building, return amount of water trapped in all buildings

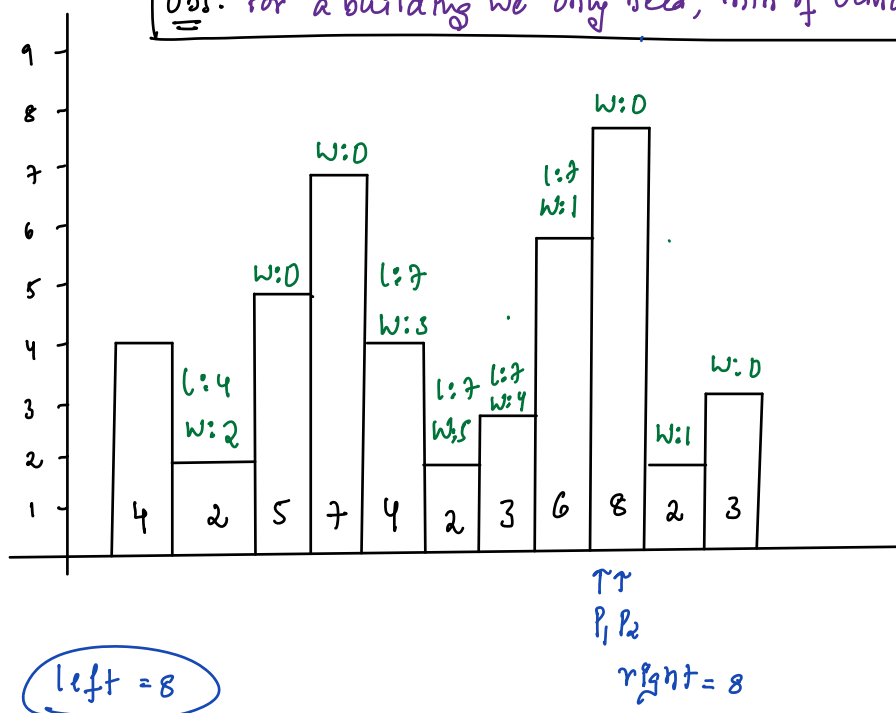
Note: Width of each building is 1

$arr[] = \{ 2, 1, 3, 2, 1, 2, 4, 3, 2, 1, 3, 1 \}$



En:

Obs: for a building we only need, min of (lman, rman)



Idea: For every building get its limiting building height