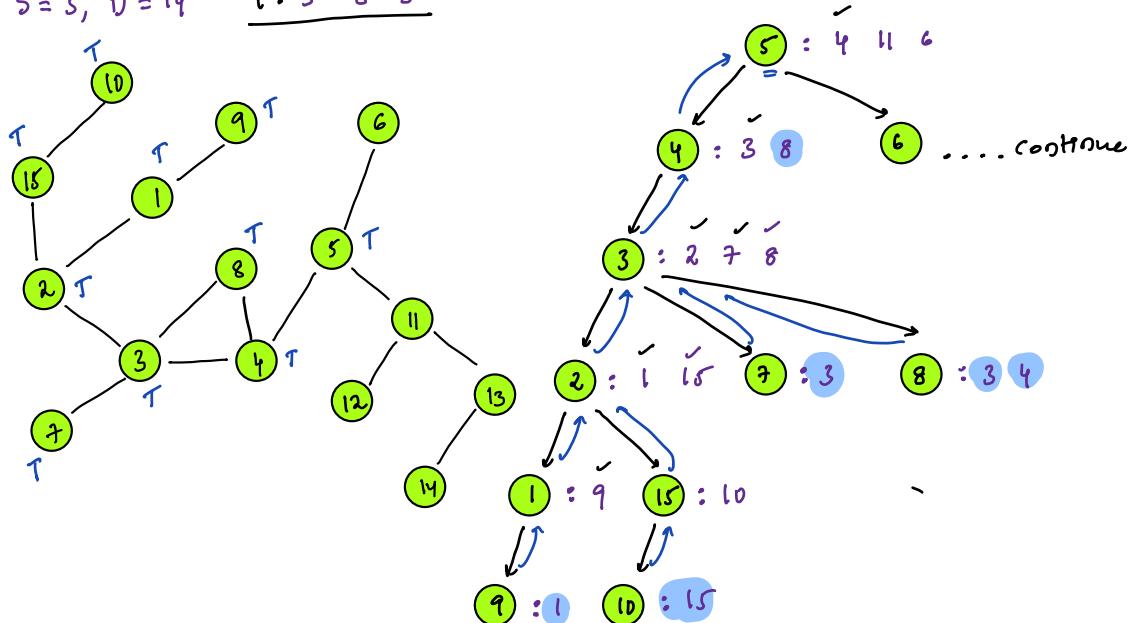


Todays Content:

- DFS ✓
- No: of connected components ✓
- No: of islands ✓
- MultiSource BFS ✓
- Rotten Oranges ✓

DFS: Depth First Search \rightarrow Similar to pre-order

$$S = S, D = 14 \quad \underline{4 : 5 \ 8 \ 3}$$



Code:

```

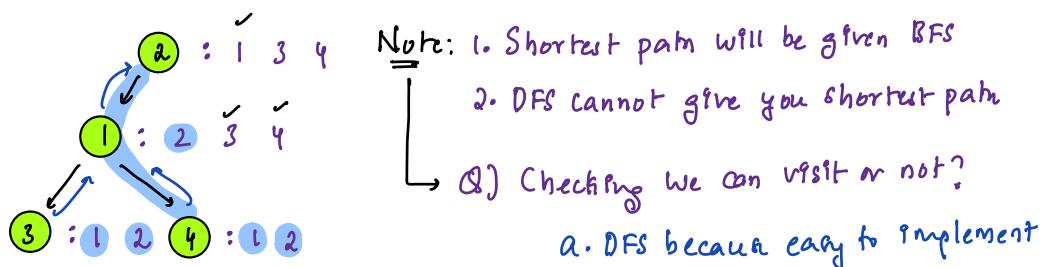
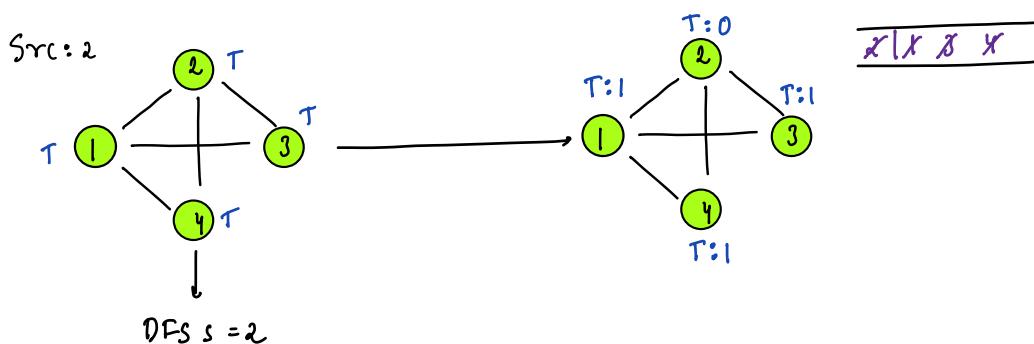
bool path( int N, int E, int u[], int v[], int s, int d) {
    Step1: Create Adj List
    list<int> g[N+1]; TODD
    SC: O(N+E)
    TC: O(N+E)

    Step2: bool vis[N+1] = false
    DFS(s, g[], vis[])
    return vis[d]
}

void DFS( int u, list<int> g[], bool vis[]) {
    if( vis[u] == true) { return } // If we visit a node which is already visited return
    vis[u] = true // Marking node as visited
    // Apply DFS to its unvisited adj nodes
    i = 0; i < g[u].size(); i++ {
        int v = g[u][i] // u — v
        if( vis[v] == false) { DFS(v, g[]), vis[] ) }
}

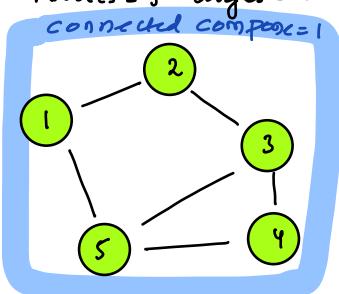
```

Shortest length using DFS:

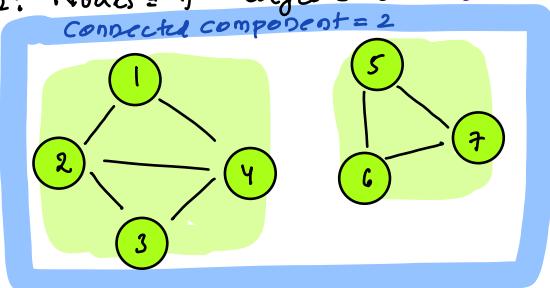


Graph Yes/No.

Ex1: Nodes = 5 Edges = 6 : Yes



Ex2: Nodes = 7 Edges = 8 : Yes



list<int> g[8]

g[0]	2 4
g[1]	1 3 4
g[2]	2 4
g[3]	1 2 3
g[4]	6 7
g[5]	5 7
g[6]	5 6
g[7]	

Q8) Given undirected Graph find no of Connected Components:

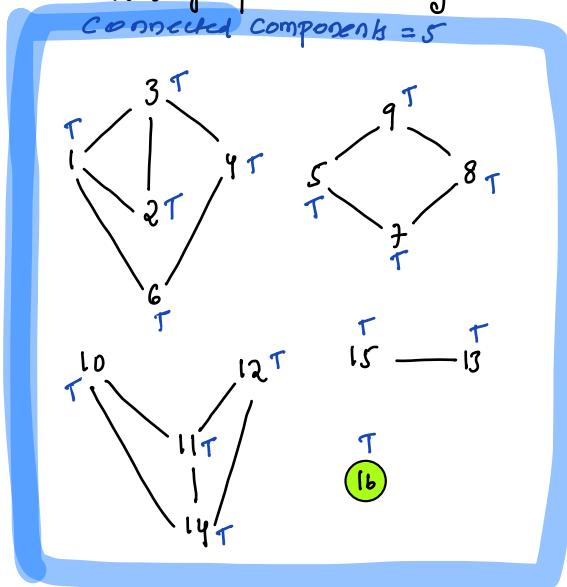
A component is said to be connected, : undirected graphs

If From every node we can visit all nodes in Component

$10; 12 \rightarrow 10; 22 \text{ pm}$

Ex: $N=16$ indicates.

In below graph how many connected components are there?



1 Single graph

$N=16, E=16,$

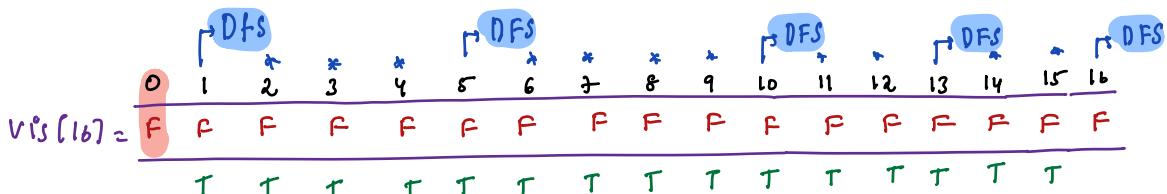
Note: A single node is also a connected component.

Input:

$N=16, E=16$

1	3	5	7	10	14
1	2	9	8	15	13
1	6	7	8	3	2
3	4	10	11	12	14
6	4	11	12		
5	9	11	14		

Idea: Count no: of times we apply BFS/DFS till all nodes visited.



int ncc (int N, int E, int u[], int v[]) TC: $O(N+E)$

SC: $O(N+E)$

Step1: Adj List

list <int> g[N+1] // TODO

$$\left. \begin{array}{l} O(N) \\ + \\ O(N) \end{array} \right\} = O(N+E)$$

Step2: Connected Components

int vis[N+1] = false

Stack size: $O(N)$

int c=0

i=1; i<=N; i++ {

} if(vis[i] == false) { DFS(i, g[], v[]) c=c+1 }

return c;

3Q) No. of islands :

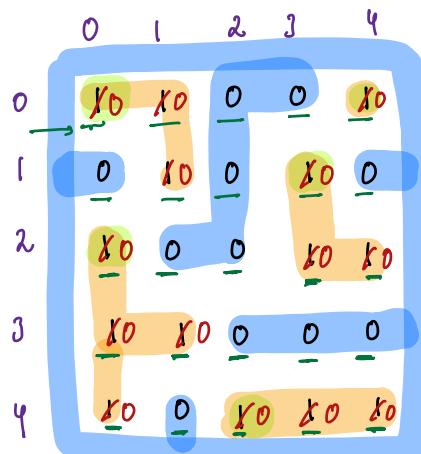
Given a matrix of 1's & 0's find no. of Islands are present?

$\text{mat}[i][j] \rightarrow$ 1: land Island: Water in all 4 directions
0: water

Note:

Outside $\text{mat}[i][j]$, assume water all in 4 directions

$\text{mat}[5][5]$: // 5 islands



Idea: Calculate no. of connected components.

Note: 1 is indirectly repres node

Apply BFS/DFS

a) Adj list: Any given cell
We can at max visit 4 cells

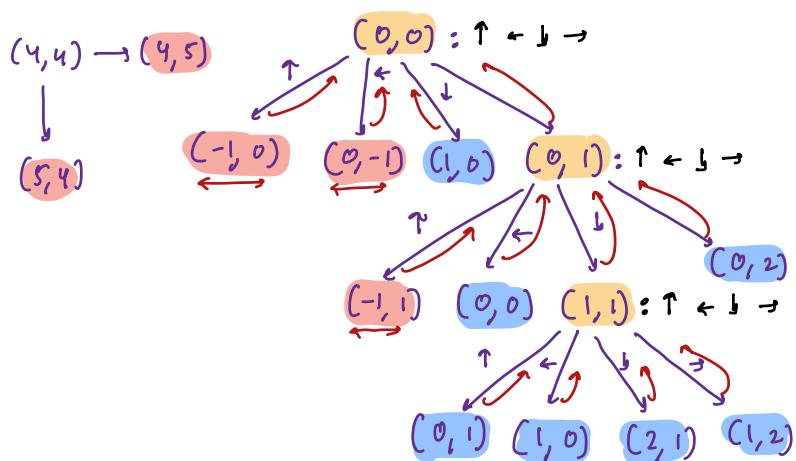
Cells: (i, j)

Adjacent cells:

$(i-1, j)$ $(i+1, j)$ $(i, j-1)$ $(i, j+1)$

Since we can get adjacent cells info, we dont need to create adj list

b) Vis[]: If a node visited make that cell water so
We can no longer use it

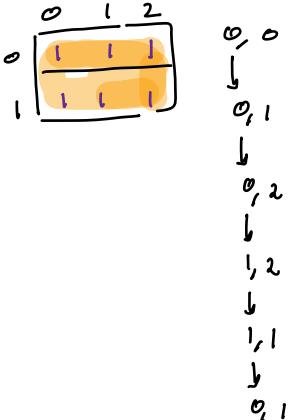


```

int island (int mat[N][M]) {
    int c = 0
    i = 0; i < N; i++) {
        j = 0; j < M; j++) {
            if (mat[i][j] == 1) {
                c = c + 1
                DFS (mat[i][j], i, j)
            }
        }
    }
    return c
}

```

TC: $O(N \times M)$ $\approx O(N \times M)$
 SC: $O(N \times M)$ // If all are 1's



```

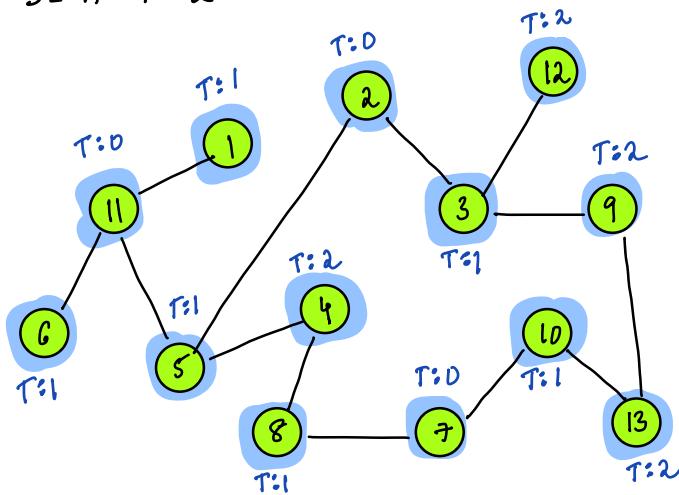
void dfs (int mat[N][M], int i, int j) {
    if (i < 0 || j < 0 || i >= N || j >= M || mat[i][j] == 0) { return }
    mat[i][j] = 0 // mark as visited
    // Call Adj Cells:
    DFS (mat, i-1, j)
    DFS (mat, i+1, j)
    DFS (mat, i, j+1)
    DFS (mat, i, j-1)
}

```

MultiSource BFS:

Given N Nodes & multiSource S_1, S_2, S_3 find length of shortest path for given dest node to any one of the source node $\{S_1, S_2, S_3\}$

$$\text{Ex: } S = 11 + 2 \quad D = 4$$



level	0	1	2
	X	X #	X X # 3 16 8 X X 2 1 13

0	1	2	3	4	5	6	7	8	9	10	11	12	13
0	1	0	1	2	1	1	0	1	2	1	0	2	2

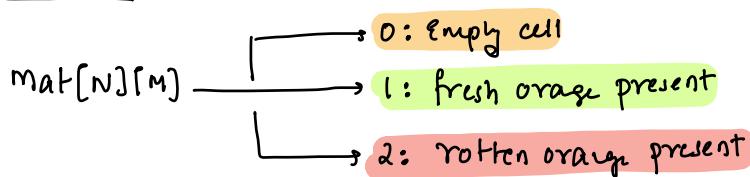
Idea: At start push all source nodes at once

Apply Enact BFS

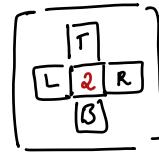
Return dist of dest node

$\rightarrow \boxed{\text{TC: } O(N+E) \quad SC: O(N+E)}$

Rotten Oranges:



Every minute any fresh orange, adjacent to a rotten orange becomes rotten, find min time, when all oranges become rotten. If not possible return -1?



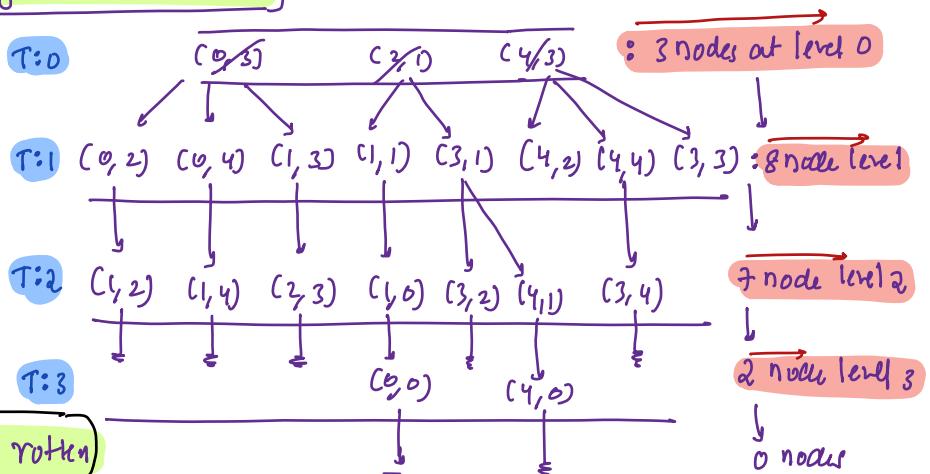
	0	1	2	3	4
0	15	0	11	2	11
1	14	13	12	11	12
2	0	14	0	12	0
3	0	15	14	13	14
4	17	16	15	14	15

	0	1	2
0	1	0	12
1	0	2	11
2	0	11	0

return -1, can never become rotten.)

ans: after 7 min all oranges become rotten.

	0	1	2	3	4
0	13	0	11	2	11
1	12	11	12	11	12
2	0	2	0	12	0
3	0	11	12	11	12
4	13	12	11	2	11



ans: after 3 min all oranges rotten

Idea MultiSource BFS.

Ques <pair<int>, int>>: Push all rotten oranges at start itself

No need of Adj list, because we can calculate all Adj Nodes

On given mat[][] push to mark it as rotten.

Count no: of levels -> to get time?

Int rotten Oranges (int mat[N][M])

TC: $4 \times (N + M) \approx O(N + M)$

SC: $O(N + M)$

Ques < pair<int, int>> que;

i = 0; i < N; i++) {

j = 0; j < M; j++) {

if (mat[i][j] == 2) { que.push(pair(i, j)) }

}

int l = 0 // Before pushing an orange mark rotten

while (que.size() > 0) {

int n = que.size();

l = l + 1

for (i = 0; i < n; i++) {

pair<int, int> ele = que.front();

que.delete(); // delete front element

int x = ele.first, int y = ele.second

// Adj nodes of x, y = (x-1, y) (x+1, y) (x, y-1) (x, y+1)

if (x-1 >= 0 && mat[x-1][y] == 1) { mat[x-1][y] = 2; que.push(pair(x-1, y)) }

if (x+1 < n && mat[x+1][y] == 1) { mat[x+1][y] = 2; que.push(pair(x+1, y)) }

if (y-1 >= 0 && mat[x][y-1] == 1) { mat[x][y-1] = 2; que.push(pair(x, y-1)) }

if (y+1 < M && mat[x][y+1] == 1) { mat[x][y+1] = 2; que.push(pair(x, y+1)) }

i = 0; i < N; i++) {

j = 0; j < M; j++) {

if (mat[i][j] == 1) { return -1 }

}

return l - 1