
 Marwadi University Marwadi Chandarana Group	NAAC 	Marwadi University Faculty of Engineering and Technology Department of Information and Communication Technology
Subject: DAA (01CT0512)	Aim: Implementing the Searching Algorithms and understanding the time and space complexities	
Lab-2		Enrolment No: 92301733046

Programming Language: Python

1) Linear search:

➤ Theory:

➤ How It Works:

- Start from the first element.
- Compare each element with the target.
- Stop when you find it or reach the end.

➤ Code:

#Linear Search Algorithm

```
def linear_search(arr, target):
```

```
    if(target in arr):
```

```
        return arr.index(target)
```

```
    else:
```

```
        return -1
```

```
arr=[1, 2, 3, 4, 5]
```

```
target=3
```

```
result=linear_search(arr, target)
```

```
if result!=-1:
```

```
    print(f"Target {target} found at index: {result}")
```

```
else:
```

```
    print(f"Target {target} not found in the array")
```

➤ output:



```

PROBLEMS  OUTPUT  DEBUG CONSOLE  TERMINAL  PORTS
PS D:\DAA> python -u "d:\DAA\linear-search.py"
Target 3 found at index: 2
PS D:\DAA>

```

➤ Time Complexity:

- Worst time complexity: $O(n)$

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- If the target is not present or is the last element, we must check every element once. $n = \text{length of the array}$.
- II. Best case time complexity: $O(1)$
 - If the target is at the **first index**, we find it immediately.
- Space Complexity: $O(1)$
- Justification:
 - No **extra data structures** or **recursive calls** are used.



2) Binary Search:

- Theory:
 - Binary search is a fast and intelligent search technique used to find an item in a sorted list.
 - It works by repeatedly dividing the search range in half and eliminating the part that doesn't contain the target.
 - Rather than going through every item one by one, binary search tries to zero in on the answer quickly cutting the search space in half with every step.
- Code:

```
def binary_search(arr, target):
    if len(arr) == 0:
        return 0

    mid = len(arr)// 2
    if mid==1:
        return arr[mid]
    if arr[mid]==target:
        return mid
    elif arr[mid]>target:
        return binary_search(arr[:mid], target)
    elif arr[mid]<target:
        return binary_search(arr[mid+1:], target)
    else:
        return -1

arr=[1,2,3,4,5,6,7]
target = 3
print(binary_search(arr, target))
```

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➤ output:



```

PROBLEMS  OUTPUT  DEBUG CONSOLE  TERMINAL  PORTS

PS D:\DAA> python -u "d:\DAA\binary_search.py"
2
★ PS D:\DAA>

```

➤ Time Complexity: $O(\log n)$

Justification:

- Each recursive call cuts the array in half.
- Suppose the array has n elements:
 - First call \rightarrow size n
 - Next \rightarrow size $n/2$
 - Then $\rightarrow n/4, n/8, \dots$ until size becomes 1.
 - So the number of steps is roughly $\log_2(n)$.

➤ Worst case time complexity: $O(\log n)$

- At each recursive step, the array is divided into half \rightarrow just like cutting a book in half to find a page faster.
- Even in the worst case (when the element is at the very end or not in the list), the function performs at most $\log_2(n)$ steps before concluding.
- So, for $n = 8 \rightarrow$ max steps ≈ 3 (since $2^3 = 8$)

➤ Space Complexity: $O(\log n)$

Justification:

- You're using slicing like `arr[:mid]` and `arr[mid+1:]` in every recursive call.
- This creates a new array copy each time, which takes space.
- Also, recursion uses call stack memory.
- Both slicing and recursion depth go up to $\log n \rightarrow$ hence, space = $O(\log n)$.