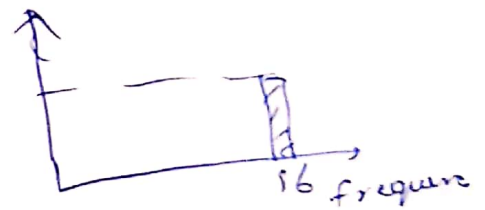
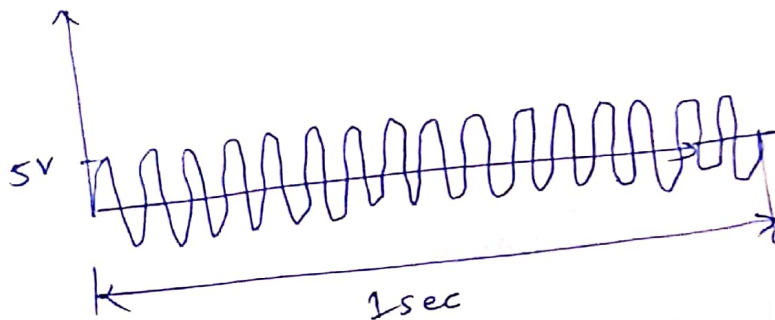
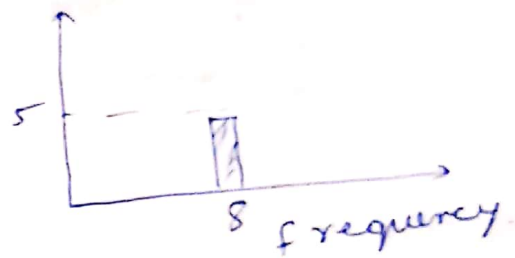
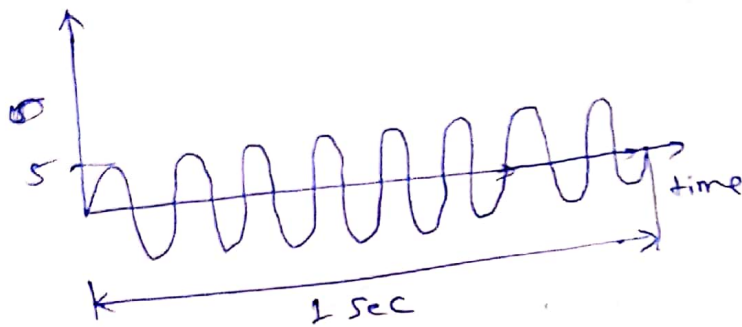
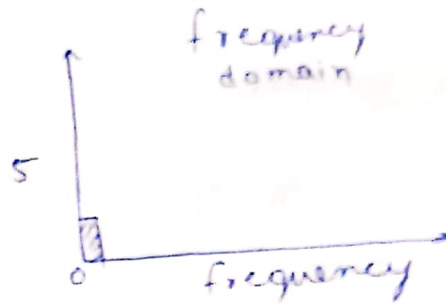
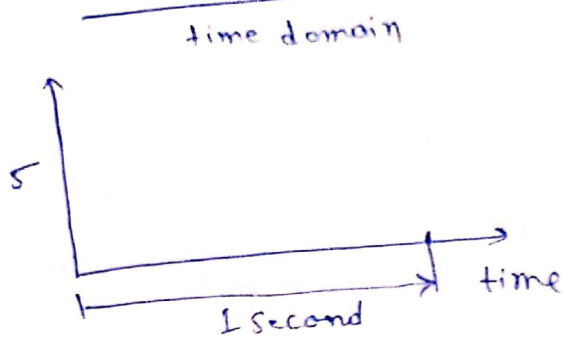


L-3

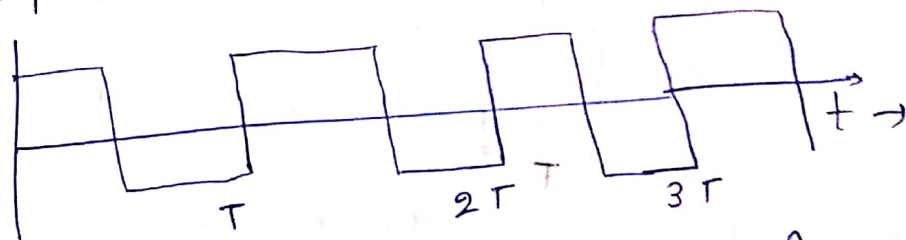
frequency and time domain



frequency Spectrum

- frequency spectrum of a signal is the range of frequencies a signal contains
 Example :- A square wave.

$$f = \frac{1}{T}$$



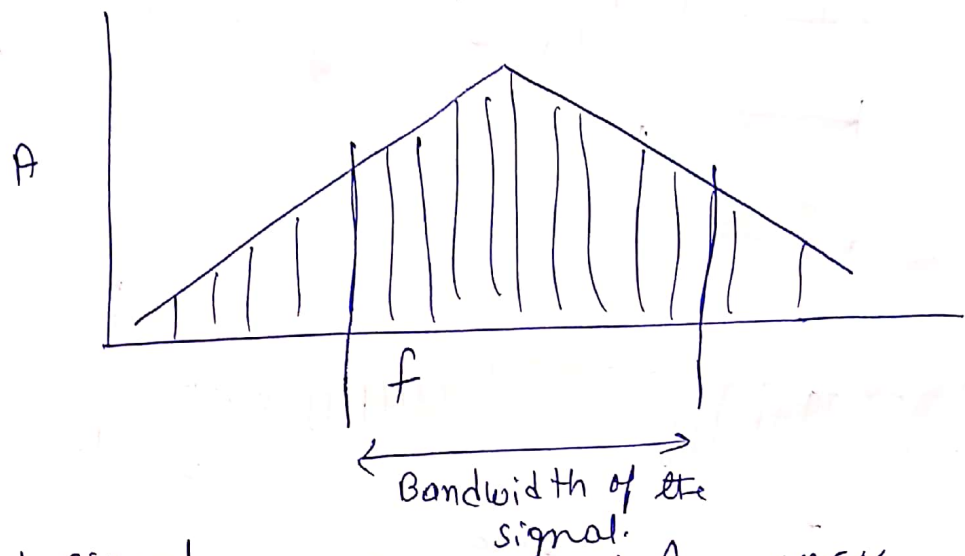
$$s(t) = \frac{A}{2\pi} \sin(2\pi ft) + \frac{A}{8\pi} \sin(6\pi ft) + \frac{A}{10\pi} \sin(10\pi ft)$$

Harmonics — lower amplitude.

(2)
in case of signal frequency spectrum will be very large. Amplitude is lower.

Bandwidth

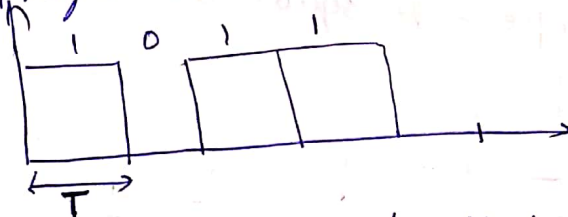
— Range of frequencies over which most of the signal energy of a signal is contained is known as bandwidth or effective bandwidth of the signal. The term 'most' is somewhat arbitrary



Digital signal → infinite no. of frequency.

Bit interval and Bit rate

Bit interval → It is the time required to send a single bit.



Bit rate :- It is the no. of bit intervals per seconds (bps)

kbps = 10^3 bps
mbps = 10^6 bps
gbps = 10^9 bps

$$\text{Bit rate} = \frac{1}{T}$$

No. of Symbol send in per sec.

Propagation time and wavelength

Propagation time :- time required for a signal to travel from one point of transmission medium to the other.

$$\text{propagation time} = \text{distance} / \text{propagation speed.}$$

Wavelength :- distance occupied in space by single period

$$\text{wavelength} = \text{propagation speed} \times \text{period.}$$

$$= \text{propagation speed} / \text{frequency.}$$

Example

Speed of electromagnetic signal in free space $\rightarrow 3 \times 10^8 \text{ m/s}$

$$\lambda = \frac{c}{f}$$

wavelength of red light $\geq 4 \times 10^{14} \text{ Hz} \rightarrow \text{frequency.}$

$$\lambda = 3 \times 10^8 / 4 \times 10^{14} = 750 \text{ nm}$$

transmission impairments and channel capacity

impairments

- To send data we have to send signal through a communication medium
- A medium is not ideal. The imperfections causes impairment in the signals

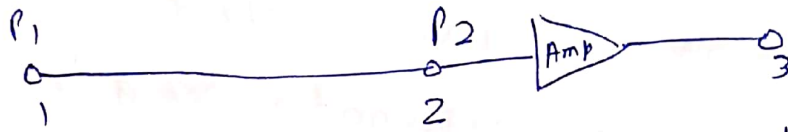
impairment

- Attenuation
- Distortion
- Noise.

Attenuation :- Attenuation leads to loss of energy expressed in decibel.

$$dB = 10 \log_{10}(P_2/P_1)$$

- It decides how far a signal can be sent without amplification.



An amplifier can be used to compensate the attenuation of the medium.

Decibel (dB) is a measure of the relative strengths of two signals. If P_2 and P_1 are signal strengths at two different points 2 and 1 respectively, then relative strength at the first point with respect to the second point in dB is $dB = 10 \log_{10}(P_2/P_1)$

How fast data can be sent?

It depends on three factors

- 1) Bandwidth of the channel
- 2) No. of levels used in the signal
- 3) Noise level in the channel.

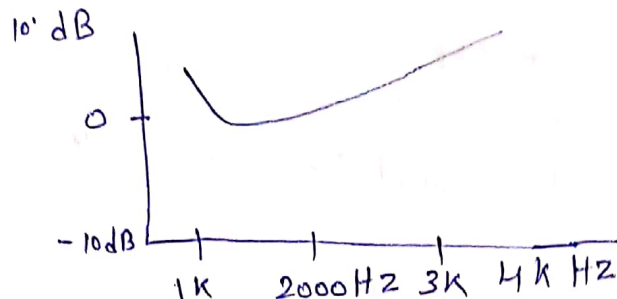
Distortion :- Some frequencies are passed without attenuation, some are weakened and some are blocked. This leads to distortion.

L-3(2)

Attenuation Distortion

- Attenuation varies as a function of frequency. This is known as Attenuation distortion.

Example:- voice grade telephone line.



Nyquist Bit Rate

Noiseless Channel

$$\text{max bit rate } C = 2 \cdot B \cdot \log_2 L$$

$C \rightarrow$ Channel Capacity.

$B \rightarrow$ Bandwidth of the channel

$L \rightarrow$ No. of signal levels used

Baud Rate

No. of distinct symbols transmitted per second, irrespective of the form encoding.

for baseband digital transmission $L = 2$

$$\text{maximum Baud Rate} = \frac{1}{\text{Element width}} = 2B$$

0V
1V
0V
0.5V
1.0V
2.0V

Bit rate or information rate (I)

No. of bits transmitted per second.

$$I = \text{Baud Rate} \times \text{Bits per Baud}$$

$$= \text{Baud Rate} \times N = \text{Baud Rate} \times \log_2 M$$

for binary encoding, the bit rate and the baud rate are the same i.e

$$I = \text{Baud Rate}$$

Noise

It causes to be interpreted as a signal of greater level if it is in positive phase or a smaller level if it is in negative phase.

Signal to noise Ratio

P = Average signal power

N = Avg noise power

$$\frac{S}{N} = \frac{\text{average signal power}}{\text{Avg noise power}} = \frac{P}{N}$$

$$\left(\frac{S}{N}\right)_{dB} = 10 \log\left(\frac{S}{N}\right)$$

Shannon Capacity (Noisy Channel)

Shannon capacity gives the highest data rate for a noisy channel

$$C = B \times \log_2(1 + S/N)$$

where S/N is the signal to noise ratio.

In case of extremely noisy channel $C = 0$

Noise ~~not~~ types

~~ter~~ thermal $\Rightarrow N = k \cdot T \cdot B$

vol

Intermodulation \rightarrow signals of different frequencies share the same medium

Crosstalk \rightarrow unwanted coupling.

impulse noise \rightarrow .