

**EE 304P**  
**Communication Theory Lab**

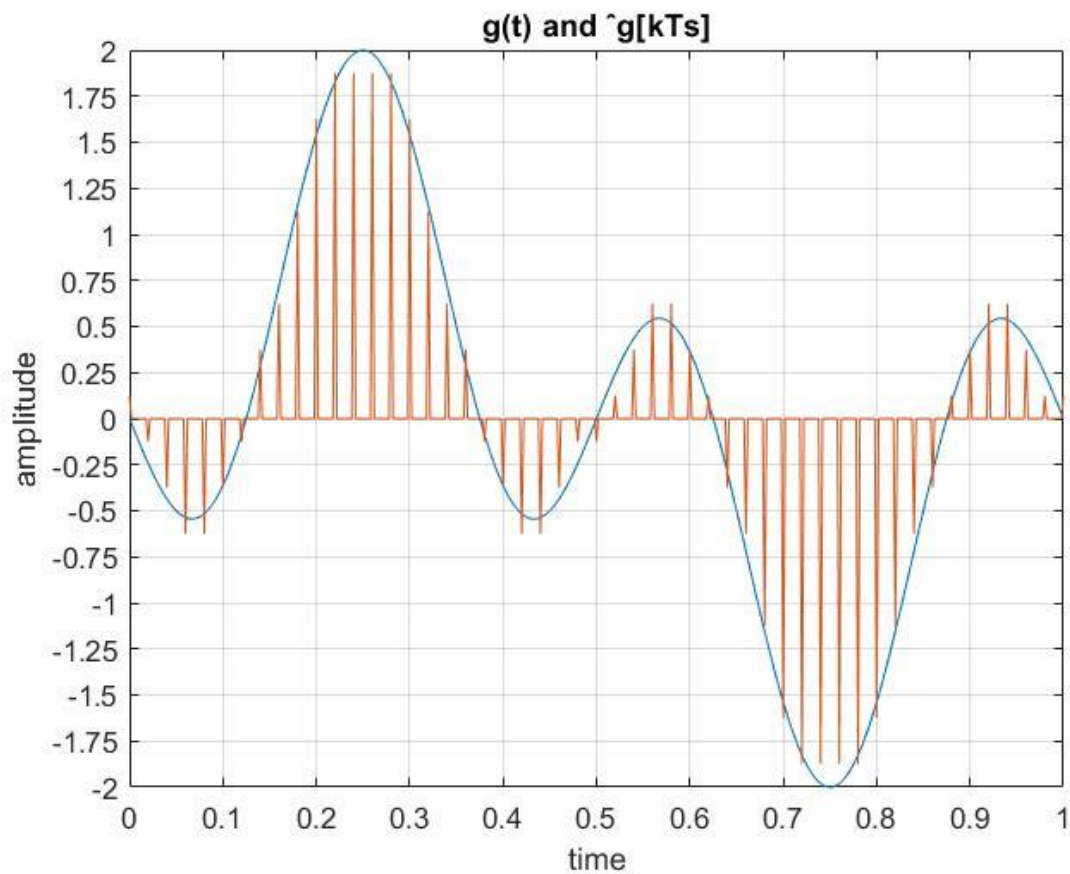
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**Lab assignment – 8**

1.

A.



$$g(t) = \sin(2\pi t) - \sin(6\pi t)$$

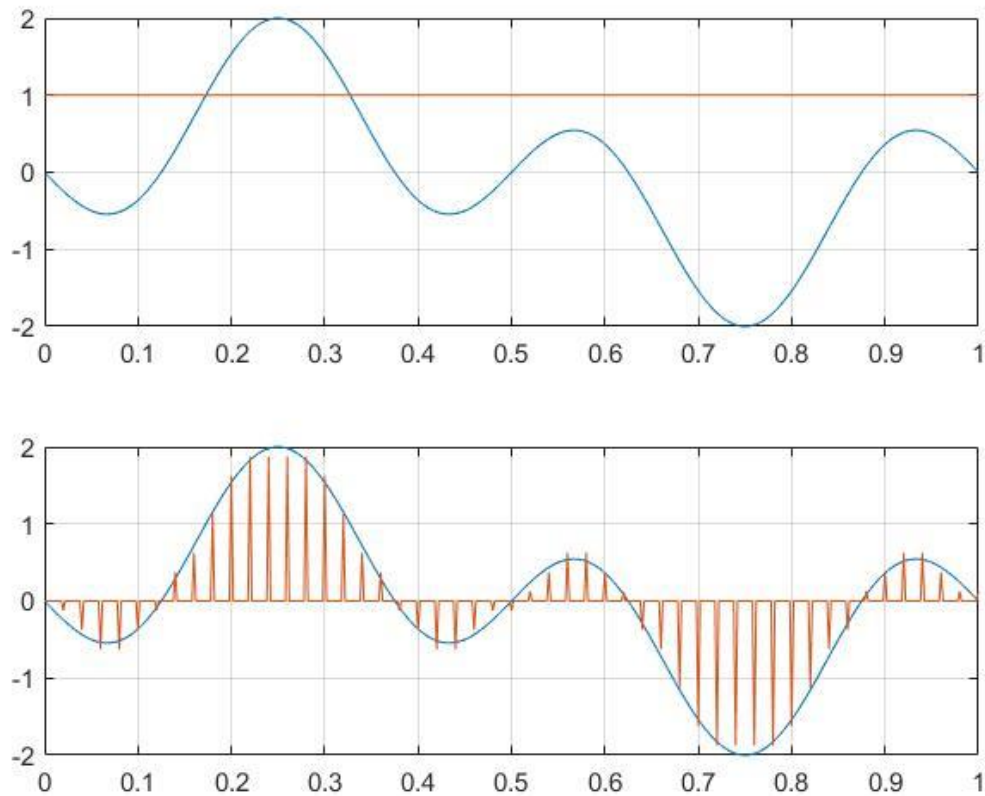
sampling frequency = 50 Hz =  $1/T_s$

$$g_{kts} = g(t) \cdot y;$$

In the above graph,  $g_{kts}$  is indicated by the blue subplot, and the red subplot indicates  $\hat{g}_{kts}$ , which is obtained by approximating the midpoints of 16 discrete levels, by uniformly dividing the peak-to-peak range of  $g(t)$ .

In the graph, we can see the 16 discrete levels to which the signal has been quantised.

B.

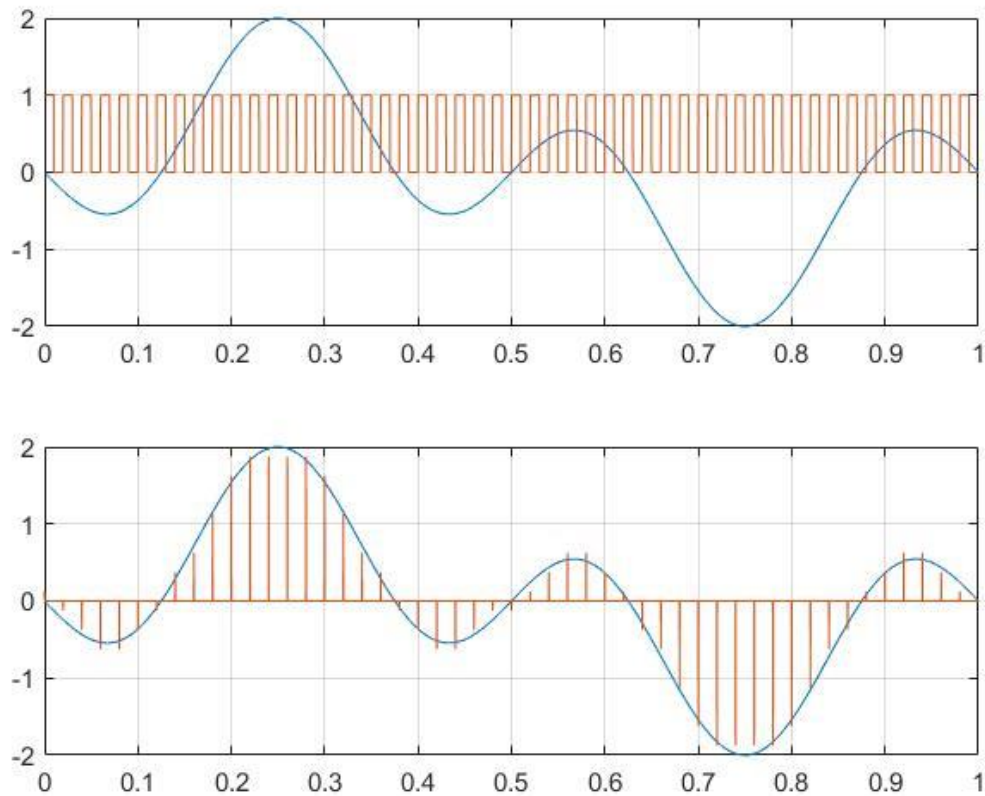


In the first graph,  $g(t)$  and  $p(t)$  are superimposed.  $g(t)$  is the message signal and  $p(t)$  is the rectangular pulse of duration  $T_b$ .

$g_q(t)$  is obtained by multiplying  $g_{kts}$  (the quantised signal) and  $p(t)$ .  $g_q(t)$  is equal to  $g_{kts}$  as we multiply  $g_{kts}$  with rectangular pulse of amplitude 1.

In the second graph, the red plot indicates  $g_q(t)$ , and the blue plot indicates  $g(t)$ .

C.



In the first graph,  $g(t)$  and  $p(t)$  are superimposed.  $g(t)$  is the message signal and  $p(t)$  is the rectangular pulse of duration  $T_b$ . The pulse is divided into two parts of duration  $T_s/2$  and  $T_s/2$ . For the first half the amplitude of rectangular pulse is 1 (high) and for the second half is 0 (low).

We obtain  $gqt$  by multiplying  $g_{kts}$  with  $p(t)$ .  $gqt$  is equal to  $g_{kts}$  as we multiply  $g_{kts}$  with rectangular pulse of amplitude 1.

In the 2nd graph, the blue plot represents signals  $g(t)$  and the red plot represents  $gqt$ .

D.

Time	$g(t)$	$p(t)$	$g_s(kT_s)$ ( $g_{kts}$ )	$g^*[kT_s]$ ( $g_{kts}$ )
0	0	1	0	0
$T_s$	-0.243	1	-0.243	-0.125
$2T_s$	-0.436	1	-0.436	-0.375
$3T_s$	-0.537	1	-0.537	-0.625
$4T_s$	-0.516	1	-0.516	-0.625
$5T_s$	-0.363	1	-0.363	-0.375
$6T_s$	-0.086	1	-0.086	-0.125

The encoding mentioned in the question is Pulse Code Modulation. It is not the best encoding method, especially when transmitting large number of bits.