



GURU NANAK DEV ENGINEERING COLLEGE, LUDHIANA

(AN AUTONOMOUS COLLEGE U/S 2(F) & 12(B) OF UGC ACT - 1956)
 AICTE Approved, Punjab Govt. Aided Status ISO : 9001:2008 Certified AFFILIATED TO I.K. Gujral PTU Jalandhar
 (E) Accredited UG Programmes, Institute Accredited by NAAC (A Grade) & TCS

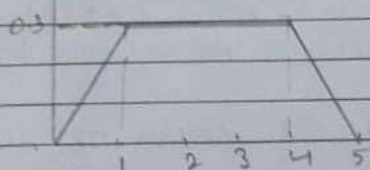
Dated 30-05-22 class Btech Sec IT A2

Class Roll No. 1921036 Subject IML

University Roll. No. 1905334 Signature of Invigilator [Signature]

Q. No.	1	2	3	4	5	6	7	Total Marks	Sig. of Examiner
Marks	2	2	4	4	4	8		24	<u>[Signature]</u>

Q6.

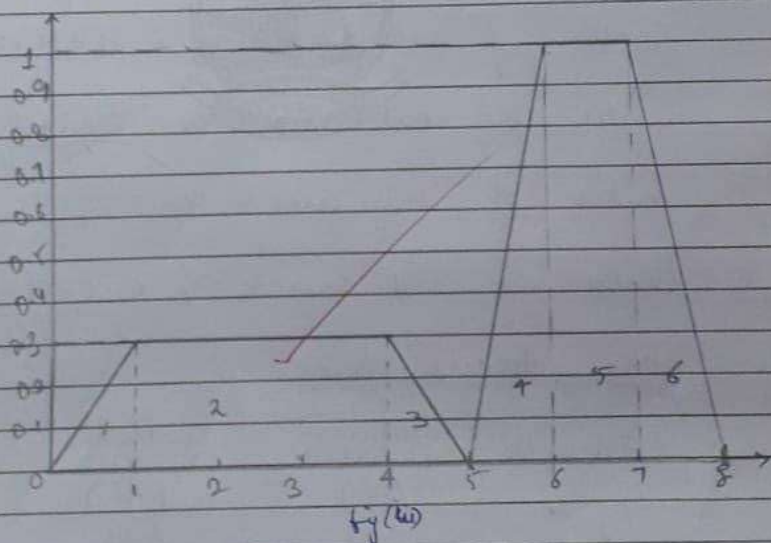


Fig(i) Fuzzy set 1



Fig(ii) fuzzy set 2

(combining fig(i) & fig(ii))



After combining both the fuzzy sets, we will divide the area into sub areas.

Here after divisions, we have '6- sub areas'.

Now, we will calculate the total area

of all sub areas.

$$\text{Total area of sub area 1, } A_1 = \frac{1}{2} \times 1 \times 0.3 = \frac{0.3}{2} = 0.15$$

$$\text{Total area of sub area 2, } A_2 = 3 \times 0.3 = 0.9$$

$$\text{Total area of sub area 3, } A_3 = \frac{1}{2} \times 1 \times 0.3 = 0.15$$

$$\text{Total area of sub area 4, } A_4 = \frac{1}{2} \times 1 \times 1 = 0.5$$

$$\text{Total area of sub area 5, } A_5 = 1 \times 1 = 1$$

$$\text{Total area of sub area 6, } A_6 = \frac{1}{2} \times 1 \times 1 = 0.5$$

Now we will find the center of sub area

$$\text{Center of sub area 1, } x_1 = \frac{0+1+1}{3} = \frac{2}{3} = 0.66$$

$$\text{Center of sub area 2, } x_2 = \frac{1+4}{2} = \frac{5}{2} = 2.5$$

$$\text{Center of sub area 3, } x_3 = \frac{4+4+5}{3} = \frac{13}{3} = 4.33$$

$$\text{Center of sub area 4, } x_4 = \frac{5+6+6}{3} = \frac{17}{3} = 5.66$$

$$\text{Center of sub area 5, } x_5 = \frac{6+7}{2} = \frac{13}{2} = 6.5$$

$$\text{Center of sub area 6, } x_6 = \frac{7+7+8}{3} = \frac{22}{3} = 7.33$$

Putting in tabular form:-

Sub Area No.	Total area of sub area (A_i)	Center of sub area (x_i)	$A_i x_i$
1	0.15	0.66	0.099
2	0.9	2.5	2.25
3	0.15	4.33	0.6495
4	0.5	5.66	2.83
5	1	6.5	6.5
6	0.5	7.33	3.665
$\Sigma A_i = 3.2$			$\Sigma A_i x_i = 15.97$

Defuzzified value

\therefore The defuzzified combination

4.99

Qs:

Production by
Production
Defective
Contribution

Contribution

$$P(M_1) =$$

$$P(M_2)$$

$$P(D) =$$

$$P(M_1|D)$$

$$P(M_2|D)$$

$$P(D|M)$$

Probability by

\therefore Probability by

$$A1 = \frac{1}{2} \times 1 \times 0.3$$

$$= \frac{0.3}{2} = 0.15$$

$$A2 = 3 \times 0.3 = 0.9$$

$$A3 = \frac{1}{2} \times 1 \times 0.3 = 0.15$$

$$A4 = \frac{1}{2} \times 1 \times 1 = \frac{1}{2} = 0.5$$

$$A5 = 1 \times 1 = 1$$

$$A6 = \frac{1}{2} \times 1 \times 1 = 0.5$$

Rate of subas

$$1 = \frac{2}{3} = 0.66$$

$$4 = \frac{5}{2} = 2.5$$

$$1+5 = \frac{13}{3} = 4.33$$

$$6 = \frac{17}{3} = 5.66$$

$$13 = \frac{13}{2} = 6.5$$

$$22 = \frac{22}{3} = 7.33$$

$$A_i X_i$$

$$0.099$$

$$2.25$$

$$0.64$$

$$2.83$$

$$6.5$$

$$3.66$$

$$A_i X_i = 15.97$$

Defuzzified value, $X^* = \frac{\sum_{i=1}^n A_i X_i}{\sum_{i=1}^n A_i}$

$$X^* = \frac{15.97}{3.2}$$

$$X^* = 4.99$$

\therefore The defuzzified value, X^* for the combination of 2 fuzzy sets is 4.99.

Q2) Production by Machine 1 = 35 screws/hr
 Production by Machine 2 = 45 screws/hr
 Defective screws/hr = 1.5% or 0.015
 Contribution of Machine 1 in defective parts = 0.50%
 Contribution of Machine 2 in defective parts = 50%.

$$P(M1) = \frac{35}{80} = 0.437$$

$$P(M2) = \frac{45}{80} = 0.563$$

$$P(D) = 0.015$$

$$P(M1|D) = 0.5$$

$$P(M2|D) = 0.5$$

$$P(D|M1) = ?$$

Probability that screwdriver is produced by machine 1 is defective,

$$P(D|M1) = \frac{P(M1|D) \times P(D)}{P(M1)}$$

$$= \frac{0.5 \times 0.015}{0.437}$$

$$= 0.017 \text{ i.e., } 1.7\%$$

\therefore Probability that screwdriver is produced by machine 1 is defective is 1.7%.

Q4	Logistic Regression	K-NN	Naive Bayes theorem	Support Vector
<u>Definition</u>	Logistic regression is used to classify datasets with sigmoid function.	K-Nearest Neighbors looks for the similarity of data point with other clusters & assign it accordingly.	Naive Bayes is based upon Bayes theorem that calculates using conditional probability. $P(A B) = \frac{P(A) \times P(B)}{P(B)}$	Support Vector machine classifies the help of decision boundaries or hyperplanes.
<u>Advantages</u>	<ul style="list-style-type: none"> Good performance Works well for linear datasets. 	<ul style="list-style-type: none"> Can be very useful for high dimensional datasets. 	<ul style="list-style-type: none"> Very helpful in probabilistic analysis. Gives more accurate results. 	<ul style="list-style-type: none"> Works efficiently small or medium data.
<u>Disadvantages</u>	Assumes linearity between dependent & independent variables.	<ul style="list-style-type: none"> May lead to some issues if dataset is too large. Not a value of k should be correct. 	<ul style="list-style-type: none"> Sometimes it give "Zero probability problems." 	<ul style="list-style-type: none"> May lead to overfitting. Not more accurate too large data.
<u>Example</u>	Spam filtration	Dividing groups, or in gender classification	In finding defect in probability for manufacturing purposes.	In segment class mail of stock etc.

We have 2 main classification models:-
 (i) Decision Tree Classifier:
 a tree-like structure

- ⇒ It has a tree-like structure & have root nodes, branches & leaf nodes.
- ⇒ The root node contains whole dataset, branches contain ^{subtrees} decisions & leaf node is

Roll No. 190334 Class 3rd Sem A2
 Date 10/11/2019
 Subject IITL

1	2	3	4	5	6	7	Total Marks	Signature

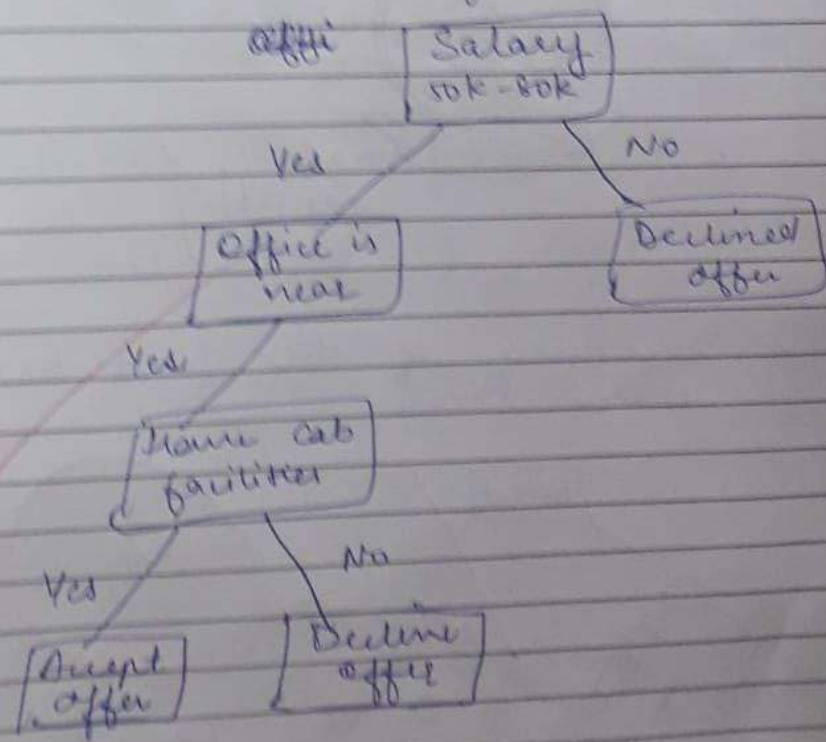
Final Decision

- Advantages:- May help in classification
 or low false rate data
- less complex than random f
 - efficient & easy to implement

Disadvantages:- May lead to overfitting,
 not much suitable for large datasets.

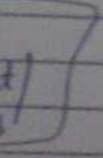
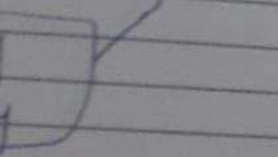
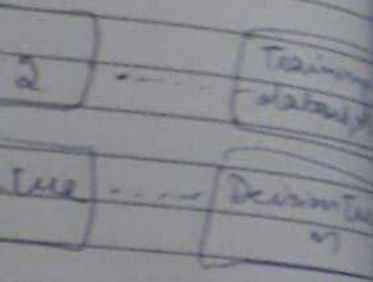
Example:- To classify if the candidate
 random will miss elections or if
 student will get admission in
 the respective college.

Visualization:- lets take an example of some
 job offer:-

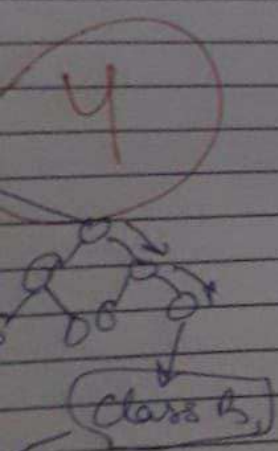


#2: Random Forest Classifier:
 : It is made up of a lot of decision
 trees and is very huge.
 : It has a tree like structure.

problems
these algorithms
these division
complexity
of error
process
computing

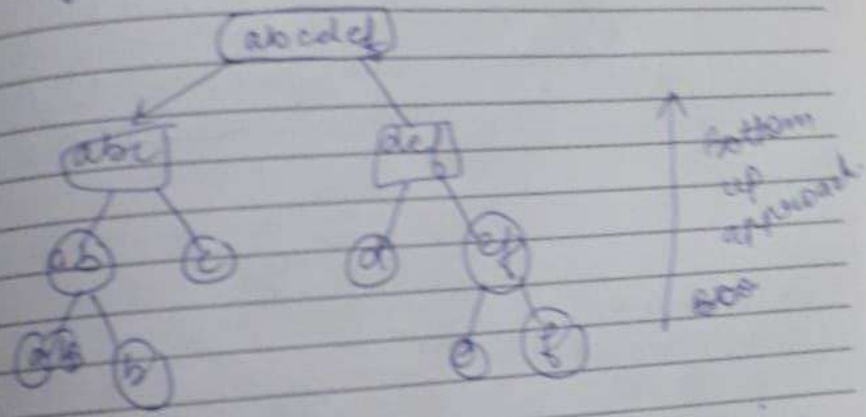


fruit belongs to



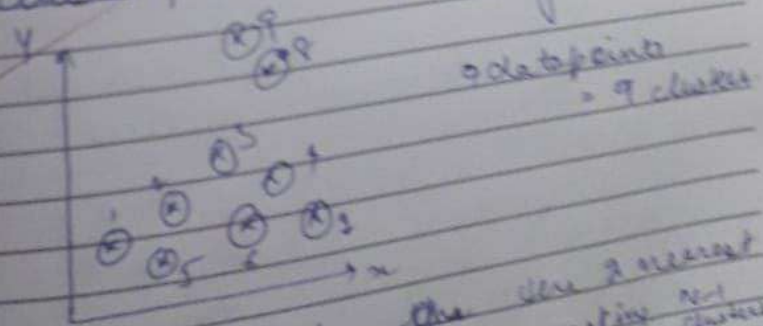
Class A)

hierarchical agglomerative clustering
works under unsupervised machine learning
dataset provided is unlabelled.
this we form a tree-like structure
in form of hierarchy
structure.
a top bottom up approach
it makes a so only one cluster at the end.
it is also known as Agglomerative clustering i.e. AC/NES.

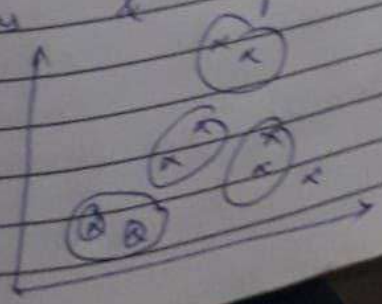


Seps/Working of Agglomerative Clustering

Step 1: All the datapoints are considered as clusters. i.e. no. of datapoints = no. of clusters.

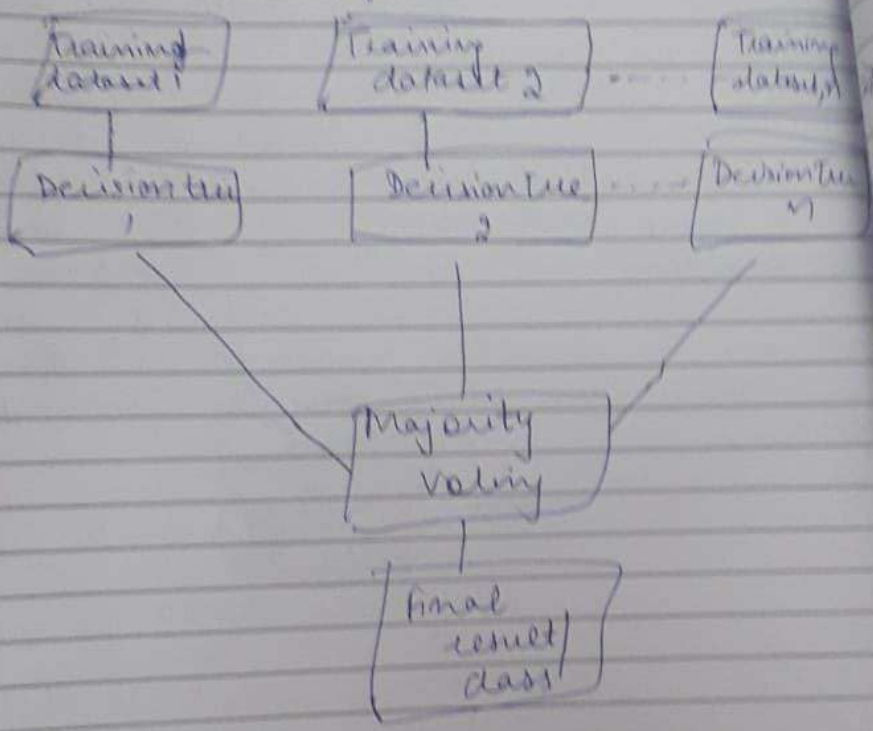


Step 2: Now we check the distance between clusters & group them making n-1 clusters.

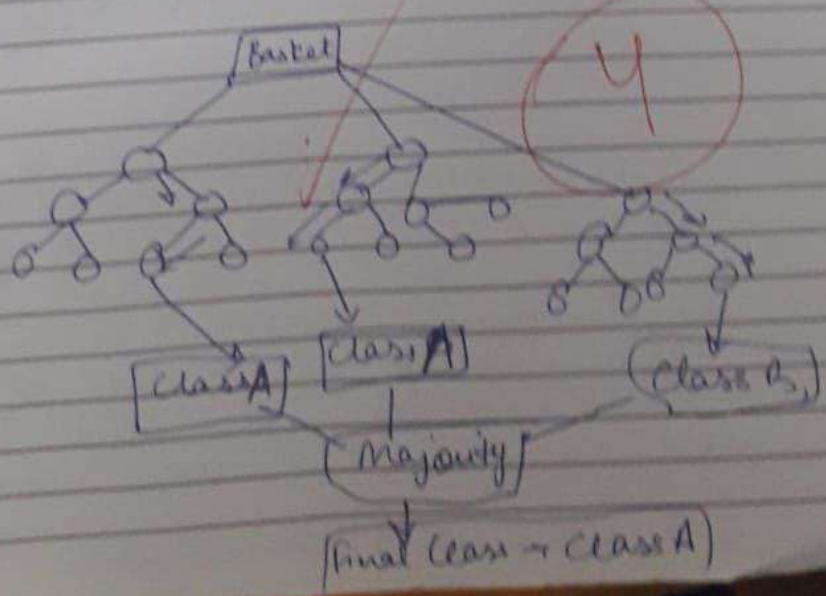


- Advantages:- can help overcome problems faced by decision tree algorithm
- More effective than decision tree
- Disadvantages:- It is very complex
- May have chances of error during the process.
 - May lead to overfitting.

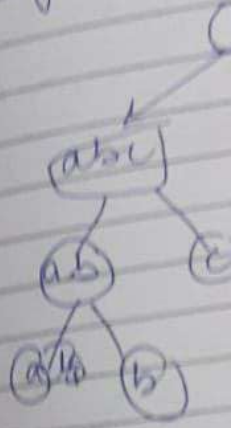
Visualization (Example):



Example:- Classifying if the fruit belongs to which class.



Hierarchical approach comes under machine learning dataset as this hierarchical structure is a cluster at a time. It is also merging i.e.



Steps / Working

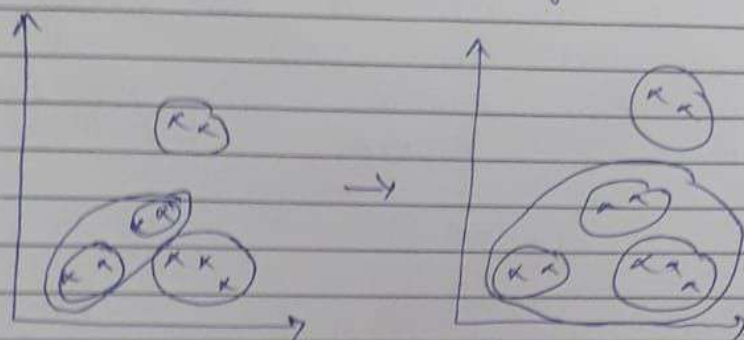
Step 1: See the as cluster

Step 2: Now cluster

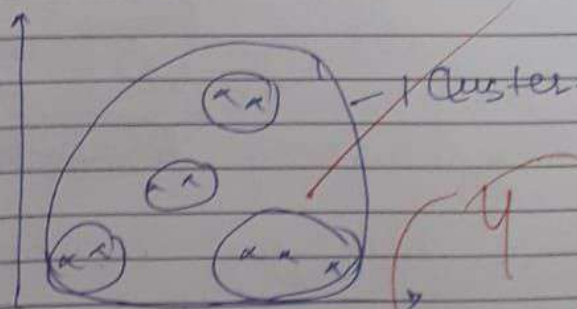
Step 3: Again we will group 2 nearest clusters making no. of clusters $N-1$.

Step 4: Repeat step 3 until we get only one cluster.

Steps: All clusters are combined & made a single cluster.



Eg. students of same standard in different class groups.

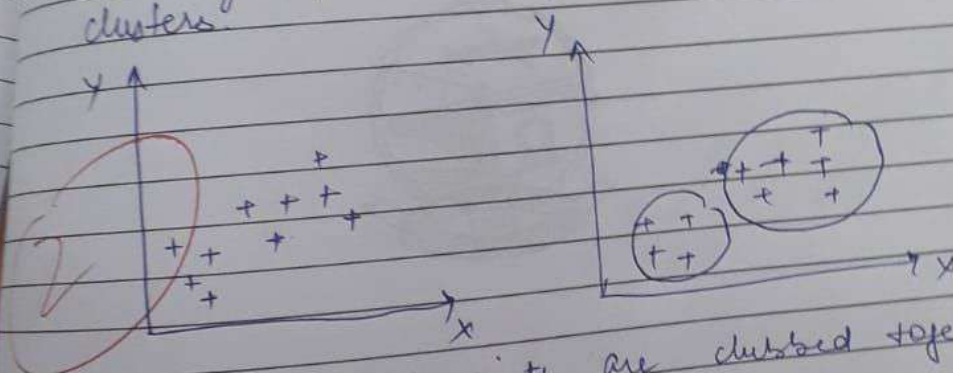


We can find the nearest clusters using diff. distance metrics like Euclidean distance.

⇒ AGNES is the inverse of Divisive Hierarchical Clustering.

⇒ AGNES is less complex & is less efficient as it doesn't take decisions consider all the global datapoints & just starts combining or grouping the local datapoints. It doesn't consider or think before acting.

Also the process of models is done under no supervision. As the dataset is unlabelled, it have scattered datapoints, which are grouped together by forming clusters.



The similar datapoints are clubbed together in clusters.

in clusters.

Ques 1 \rightarrow k in k -mode clustering refers to the number of clusters, taken for the clustering process.

Ans The very first step of k -mode clustering is defining the k the value of at least

The very is defining clustering is value of 'k'
 \Rightarrow In most cases the value of k is taken randomly at first
 \Rightarrow At the end, depending upon solving all iterations, we get the final number of clusters, which is almost in most cases same as an

⇒ In clustering, we can ^{also} solve the value of k using the elbow method (i.e. solved using WCSS). This method is mostly used in k -means clustering.

⇒ K -Mode clustering is used for categorical data i.e. when we don't have numerical datapoints.

