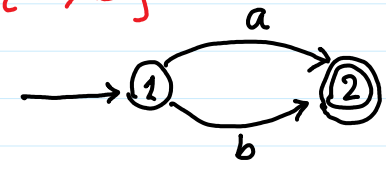
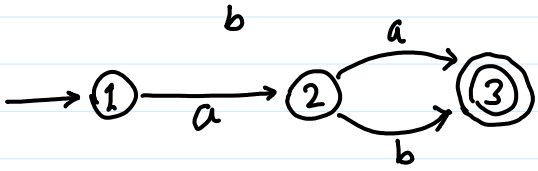
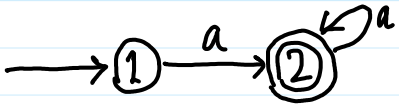
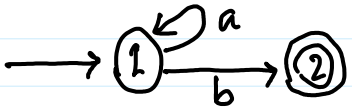
Consider $\Sigma = \{a, b\}$

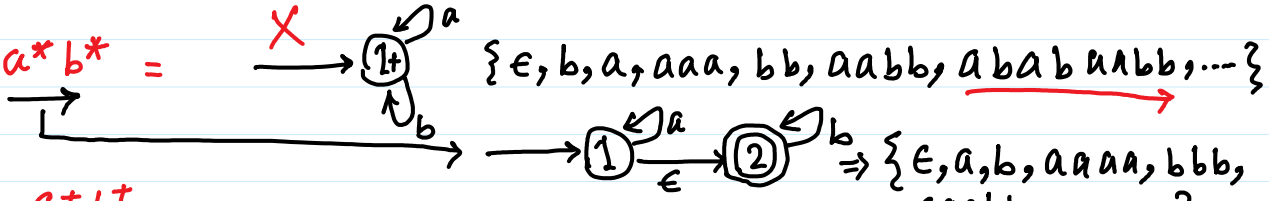
i. $a/b$ =  $\Rightarrow \{a, b\}$

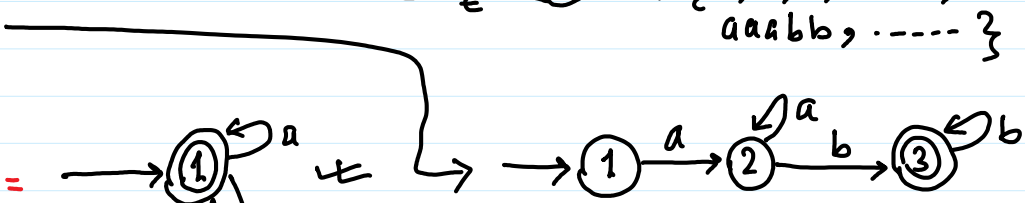
ii. $a(a/b)$ =  $\Rightarrow \{aa, ab\}$

iii. $a^*$ =  $\Rightarrow \{\epsilon, a, aa, aaa, \ldots\}$

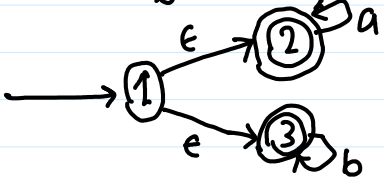
iv. $a^+$ =  $\Rightarrow \{a, aa, aaa, \ldots\}$

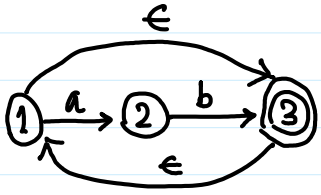
v. $a^*b$ =  $\Rightarrow \{b, ab, aab, aaab, \ldots\}$

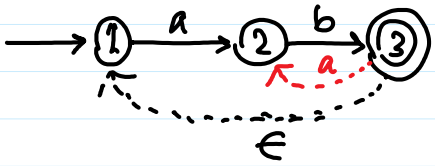
vi. $a^*b^*$ =  $\{\epsilon, b, a, aaa, bb, aabb, abab, aabb, \ldots\}$ $\Rightarrow \{\epsilon, a, b, aaaa, bbb, aaabb, \ldots\}$

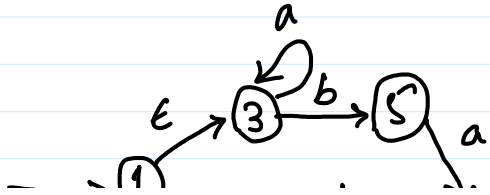
vii. $a^+b^+$ = 

viii. $(a/b)^*$ = 

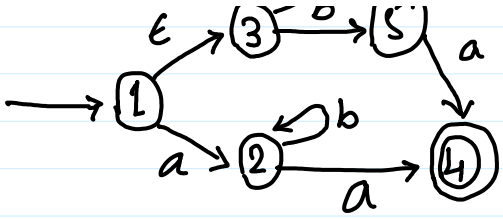
ix. $a^*/b^*$ = 

x. $(ab)^*$ = $\{\epsilon, ab, abab, ababab, \ldots\}$ 

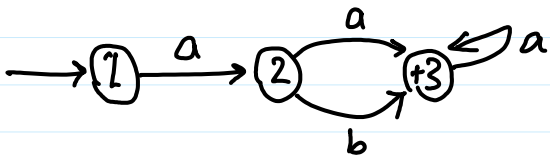
xi. $(ab)^+$ = $\{ab, abab, ababab, \ldots\}$ 

xii. $a^*ba / ab^*a$ 

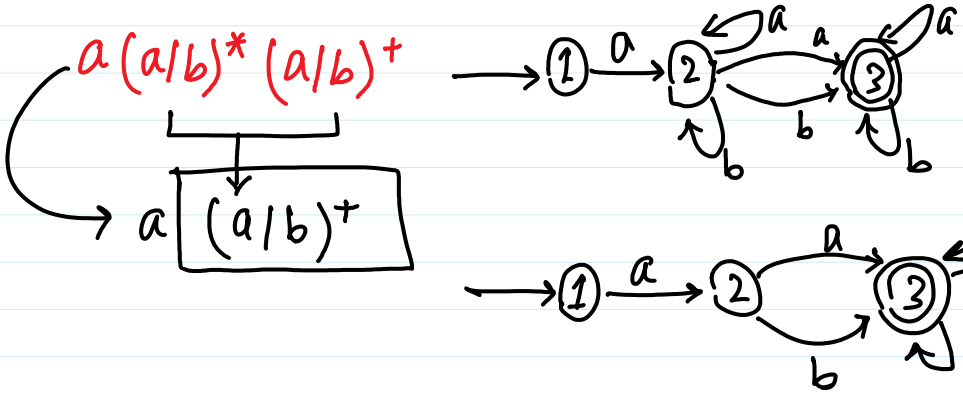
xii. $a \cdot b^* \mid ab \cdot a$




xiii. $a(a/b)a^*$




xiv. $a(a/b)^*(a/b)^+$




xv. $a(ab/ba)b$