

# **Black-Box Testing Techniques**

# Partition Testing

- Also known as *input space partitioning* and *equivalence partitioning*.
- Idea is to *partition* the program's *input space* based on a (small) number of *equivalence classes* such that, *according to the specification*, every element of a given partition is “handled” (e.g., mapped to an output) “in the same manner.”

## Partition Testing (cont'd)

- **If** the program happens to be implemented in such a way that being “handled in the same manner” means that either
  - **every element of a partition is mapped to a correct output, or**
  - **every element of a partition is mapped to an incorrect output,****then** testing the program with just one element from each partition would be tantamount to *exhaustive testing*.

## Partition Testing (cont'd)

- Two types of equivalence classes are identified: *valid* (corresponding to inputs deemed valid from the specification) and *invalid* (corresponding to inputs deemed erroneous from the specification)

## Partition Testing (cont'd)

- However, it is sometimes possible and convenient to identify *multivariate classes* which partition an input space directly.
- Consider the following specification...

# Partition Testing Example

- Program Specification:

An ordered pair of numbers,  $(x, y)$ , are input and a message is output stating whether they are in ascending order, descending order, or equal. If the input is other than an ordered pair of numbers, an error message is output.

# Partition Testing Example (cont'd)

- Equivalence Classes:

$\{ (x, y) \mid x < y \} (V)$

$\{ (x, y) \mid x > y \} (V)$

$\{ (x, y) \mid x = y \} (V)$

$\{ \text{input is other than an ordered pair of numbers} \} (I)$

**Valid classes**

**Invalid class**

# Sample Program Design

- Conceptually, would the underlying assumption of partition testing hold for these classes if the following program design was employed?

```
    if (input is other than an ordered pair of numbers)      then
output("invalid input")
    else
        if x<y then output("ascending order")
        else
            if x>y then output("ascending order")
            else
                output("equal")
```



## Identifying and Representing Test Cases

- Test case design requirements are often represented (documented) using a “test case COVERAGE MATRIX.”
- Columns in the matrix represent templates for test case inputs (and in some cases expected results).
- Rows represent the design rationale for each test case.

# A Test Case Coverage Matrix

EQUIVALENCE CLASSES	TEST CASES			
	1	2	3	4
$\{ (x, y) \mid x > y \} (V)$	V			
$\{ (x, y) \mid x < y \} (V)$		V		
$\{ (x, y) \mid x = y \} (V)$			V	
$\{ \text{other} \} (I)$				I

## Dealing with Complex Multiple-Input Situations (cont'd)

- the most critical issue in partition testing is the choice of an “equivalence relation” that defines the classes used.

## Some Simple Heuristics for Identifying Equivalence Classes

- “Must Be” Situations
  - “First character must be a letter.”
  - Identify one valid and one invalid class:
    - {1st char letter } (V),
    - {1st char not letter} (I)

## Some Simple Heuristics for Identifying Equivalence Classes (cont'd)

- “Range of Values” Situations
  - “Input HOURS will range in value from 0 to 40.”
  - Identify one valid and two invalid classes:
    - $\{ \text{HOURS} \in [0,40] \} (V),$
    - $\{ \text{HOURS} < 0 \} (I),$
    - $\{ \text{HOURS} > 40 \} (I)$

## Some Simple Heuristics for Identifying Equivalence Classes (cont'd)

- “Possible Differences” Situations
  - “For  $\text{HOURS} \leq 20$ , output ‘Low’; for  $\text{HOURS} > 20$ , output ‘HIGH’.”
  - If the specification suggests that values in a class may be handled differently, divide the class accordingly.  $\{ \text{HOURS} \in [0,40] \} (V)$  becomes:
    - $\{ \text{HOURS} \in [0,20] \} (V),$
    - $\{ \text{HOURS} \in (20,40] \} (V)$

# Another Partition Testing Example

- Identify disjoint sets of classes for each input variable associated with the following program specification fragment.
- You may detect some “incompleteness” problems with the specification...

# City Tax Specification 1:

The first input is a yes/no response to the question “Do you reside within the city?” The second input is gross pay for the year in question.

A non-resident will pay 1% of the gross pay in city tax.

Residents pay on the following scale:

- If gross pay is no more than \$30,000, the tax is 1%.
- If gross pay is more than \$30,000, but no more than \$50,000, the tax is 5%.
- If gross pay is more than \$50,000, the tax is 15%.



# Equivalence Classes for City Tax Specification 1:

- ***Res?***

- { yes } (V)
- { no } (V)
- { other } (I)

- ***Gross\_Pay***

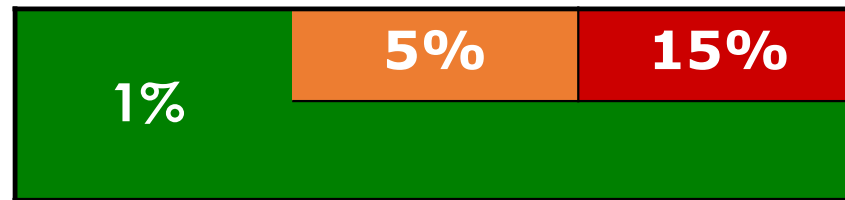
- [0, 30K] (V)
- (30K, 50K] (V)
- (50K, MAX] (V)
- < 0 (I)
- > MAX (I)

## Two-Dimensional (Valid) Input Space

		<b><i>Gross_Pay</i></b>		
		$\leq 30K$	$(30K, 50K]$	$> 50K$
<b><i>Res?</i></b>	yes	1%	5%	15%
	no	1%	1%	1%

If we partition the space comprised of these classes based solely on the specified outputs, what would the result be?

## Partitioning Based on Specified Output



Would you be comfortable with the degree of coverage afforded by choosing ONE test case from each of these 3 partitions? Why or why not?

## The “Brute-Force” Approach

We could “hedge our bet” by associating a separate partition with *every (feasible) combination* of classes from the sets:

1%	5%	15%
1%	1%	1%

## The “Brute-Force” Approach (cont’d)

- The “brute-force” approach of specifying a test case for each (feasible) combination of classes (i.e., for each element in the **Cartesian product** of the classes associated with each variable) is sometimes referred to as “Strong Equivalence Class Testing.”
- The term “Weak Equivalence Class Testing” refers to specifying the *minimum* number of test cases required to cover all classes. (This will always be the largest number of disjoint classes associated with a single variable.)

## Some conclusions

- In general, the connection between partition testing and exhaustive testing is tenuous, at best.
- Partitioning a complex, multi-dimensional input space based solely on differences in specified output behavior can be risky.

## Some conclusions (cont'd)

- The “brute-force” approach of associating a separate partition with every (feasible) combination of classes from the sets provides excellent black-box coverage, but is impractical when the number of inputs and associated sets of classes is large.

## Some conclusions (cont'd)

- Choosing an equivalence relation by “second-guessing” the most likely implementation based on how the specification is written is more in keeping with the idea that, *according to the specification*, every element of a given partition would be “handled” (e.g., mapped to an output) “in the same manner.”