

LE/EECS 1015

(Section D)

Week 12: Classes & Objects

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This Week...

1. An Introduction to Classes & Objects

- Instance Variables
- Function Parameters
- Collections
- “self” / “this”

2. Some Forewords on Time & Space Complexity

- Data Structures
- Algorithms (Sorting)

Goals of Lab 10

- 1. Writing and debugging scripts which define classes and objects.**
- 2. Learning how to apply object-oriented programming principles to real-world problems.**

Lab 10 – What You Do....

Task	Points
Follow the Steps (Rectangle Class)	50
Debugging (Inventory Management System)	30

Lab 10 – Useful Resources

- [Python Object Oriented Programming in 10 minutes](#)  (BroCode)
- [Python read a file](#)  (Bro Code)
- [Write files using Python!](#)  (Bro Code)

Optional (But Highly Encouraged)

- [Python inheritance](#)  (BroCode)
- [Learn Python polymorphism in 8 minutes!](#)  (BroCode)
- [Learn Python generators in 8 minutes!](#)  (BroCode)
- [Learn Python generator expressions in 9 minutes!](#)  (BroCode)
- [Big-Oh, Big-Omega, Big-Theta Lecture Slides](#)
- [Time Complexity Proofs \(Some Examples\)](#)

Classes & Objects

- **Classes** allow us to create our own data type with custom *attributes* and *methods* (“actions / behaviours”).
 - Attributes are created and accessed using **dot notation** and can represent any kind of data type
(e.g., we’ve seen *int*, *float*, *list*, *set*, *dict*, and *tuple* so far....)
 - The first parameter for methods in a class should always be **self** (**unless it is a static method**) by convention. It shares a similar role to, “this” in Java. *It is used to access instance-specific attributes or behaviours of an object.*
- **Objects** represent the *instantiation* or *realization* of your class. As such, each object has its own memory address!

Classes & Objects

- We use **Classes & Objects** because they allow us to....
 1. Modularize code such that each block focuses on a small set of priorities. (This makes debugging easier!)
 2. Allows you to re-use code through more advanced techniques which you will learn in LE/EECS 2030 such as...
 - a) Inheritance
 - b) Polymorphism

Classes & Objects

- You can implement certain methods with special names in your classes which allow your objects to interact appropriately with basic Python syntax (e.g., operators).
- Examples
 1. `__str__(self, /)` will return `str(self)`
 2. `__add__(self, value, /)` will return `self + value`
 3. `__lt__(self, value, /)` will return `self < value`
 4. `__invert__(self, /)` will return `~self`
- `__init__(self, *args, **kwargs)` will initialize the attributes of a newly defined object. It serves as the class's constructor.

Putting It All Together

1. Declare a Class (Naming Convention Uses **CamelCase**)
2. Define the Constructor (**`__init__`(....)**)
 - Define private attributes using the underscore convention.
3. Define the Methods (Naming Convention Uses **snake_case**)
 - **Getter:** Returns the value of an objects attribute.
 - **Setter:** Binds a new value to the objects' attribute.
 - **Helper:** Assists in implementing new behaviour of the class.

File I (Input) / O (Output)

- Python has built-in functions (*such as `open()`*) which allows us to create, read, or write data to/from memory!
 - **Relative Path:** Contingent based on where you are (`ls` ∨ `dir`).
 - **Absolute Path:** Hard-coded for your specific memory management hierarchy (`pwd`).
- Once you are done working with a file, you should close it as soon as possible to (1) reduce memory overhead and (2) avoid the risk of a race condition.

Some Notes on Open()

- The mode parameter can be set to create, read, or write to/from a file based on the following table:

Character	Meaning
'r'	open for reading (default)
'w'	open for writing, truncating the file first
'x'	create a new file and open it for writing
'a'	open for writing, appending to the end of the file if it exists
'b'	binary mode
't'	text mode (default)
'+'	open a disk file for updating (reading and writing)

Demo Use-Case of Open()

```
def stream_lyrics(file_name: str):
    with open(file_name, mode = 'r') as file:
        for line in file:
            for word in line.split():
                yield word + " "
                time.sleep(0.02)
    yield '\n'
```

✓ 0.0s

Python

```
for word in stream_lyrics('lyrics.txt'):
    print(word, end = '', flush=True)
```

Python

Computational Complexity

- **Time**
 - How, ‘fast’ is your program?
 - You must consider the pros and cons of using certain data structures and/or algorithms in developing the optimal program.
- **Space Complexity**
 - How much memory does a program need?
 - How much auxiliary space is required?
 - How deep is the call stack? (e.g. ,Recursion)

Time Complexity

- Time complexity involves the analysis of time required to solve a problem given the size of an input.
- We are interested in assessing how much longer it takes to solve a problem as the input grows given an algorithm.
- We are mostly interested in the worst-case scenario when using Big-O notation, however, you can also assess the average-case and best-case.

Big-Oh Notation (Upper Bound)

- Big-O notation is used to estimate the number of operations that an algorithm makes as the input grows.
- “Let f and g be functions from the set of integers or the set of real numbers to the set of real numbers. We say that $f(x)$ is $O(g(x))$ if $\exists C, k > 0$ such that $|f(x)| \leq C \times |g(x)|$ whenever $x \geq k$.”
- This basically says that if $f(x)$ is $O(g(x))$, then $f(x)$ grows slower than some fixed $c \times g(x)$ as x grows within a bound.

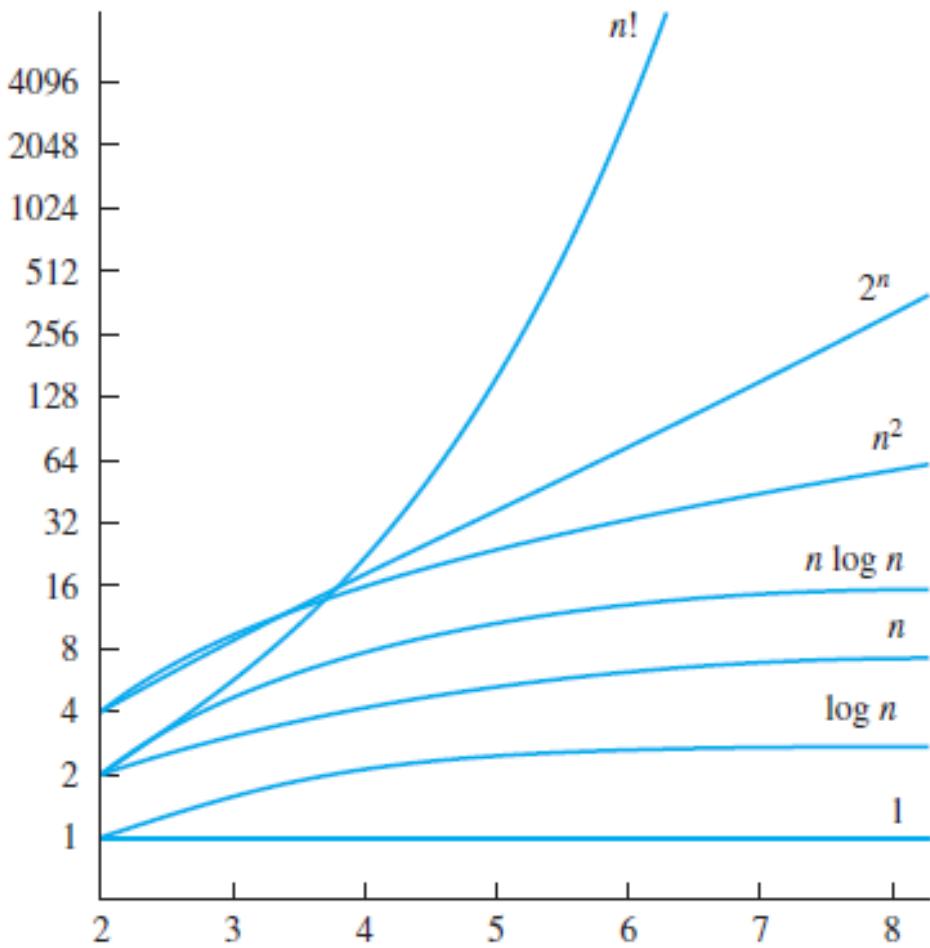


FIGURE 3 A Display of the Growth of Functions Commonly Used in Big- O Estimates.

Big Omega Notation (Lower Bound)

- “Let f and g be functions from the set of integers or the set of real numbers to the set of real numbers. We say that $f(x)$ is $\Omega(g(x))$ if $\exists C, k > 0$ such that $|f(x)| \geq C \times |g(x)|$ whenever $x \geq k$ ”
- $f(x)$ is $\Omega(g(x))$ if and only if $g(x)$ is $O(f(x))$.

Big-Theta Notation (Tight Bound)

- Useful when we want to give an upper and a lower bound on the size of a function $f(x)$ relative to some reference function $g(x)$.
- “Let f and g be functions from the set of integers or the set of real numbers to the set of real numbers. We say that $f(x)$ is $\Theta(g(x))$ if $f(x)$ is $O(g(x)) \wedge f(x)$ is $\Omega(g(x))$.”
- If $f(x)$ is $\Theta(g(x))$, we say that f is big-Theta of $g(x)$, $f(x)$ is of order $g(x)$, and that $f(x)$ and $g(x)$ are of the same order.

Putting It All Together

- Assume that we have a sorted list of size n . Our task is to determine whether an element exists within the list and to return its index.
 1. How can this be done in $O(n)$ time complexity?
 2. How can this be done in $O(\log_2(n))$ time complexity?
- In LE/EECS 2101, you will have similar discussions around sorting lists. Some sorting algorithms run in $O(n \log_2(n))$, however, they require certain preconditions to be met (e.g., list must be unsorted).

That's all folks!
Thanks for a GREAT semester!

Good luck with your exams and future
endeavours!



Thank You!

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