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\documentclass[a4j]{jarticle}
\input{MathM}
\begin{document}
\begin{center}{\large \bf Arithmetic Calculation} \end{center}
\begin{center}----- Addition -----
\end{center}
\[
-5 + 3 = \mathbb{Z}
] /
-3.2 + 1.6 = \mathbb{Z} \{1.6\}
\]
] /
0.1 + 0.1 = \mathbb{Q}\{0.1\}\{0.1\}
] /
0.24 + 0.36 = \mathbb{Z}_{0.24} \{0.36\}
\]
] /
-12 + 2.3 + 3.45 = EaddS\{-12\}\{2.3\}\{u\} Eadd\{u\}\{3.45\}
\]
\begin{center}----- Subtraction ------
\end{center}
] /
2.3 - 1.2 = \mathbb{2.3} \{1.2\}
\]
] /
0.1 - 0.1 = \mathbb{Sub}\{0.1\}\{0.1\}
\]
0.5 - 0.72 = \mathbb{Sub}\{0.5\}\{0.72\}
```

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\]
] /
3.2 - 1.6 = \mathbb{Sub}\{3.2\}\{1.6\}
\]
] /
7.5 - 1.6 - 2.1 = \mathbb{SubS}\{7.5\}\{1.6\}\{u\} \mathbb{Sub}\{u\}\{2.1\}
] /
10 - 73 - 28 = \mathbb{SubS}\{10\}\{73\}\{u\} \mathbb{Sub}\{u\}\{28\}
\]
\begin{center}----- Multiplication -----
\end{center}
] /
1.2 \times (-2.3) = \mathbb{1.2} \{-2.3\}
\]
] /
0.1 \times 0 = \mathbb{Q} \{0.1\} \{0\}
\]
] /
0.5 \times 0.5 = \mathbb{2} \{0.5\} \{0.5\}
\]
] /
3.2 \times 1.6 = \mathbb{3.2} \{1.6\}
\]
] /
0.5 \times 0.7 = \mathbb{C} \{0.5\} \{0.7\}
\]
] /
-3.2 \times 1.6 \times 0.7 = \mathbb{S}{-3.2}{1.6}{u}
\mathbb{L}\{u\}\{0.7\}
\]
```

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\begin{center}----- Division ------
\end{center}
\[
3.7 \det(-1.4) = \det\{3.7\}\{-1.4\}
\]
\[
2 \det 3 = \det\{2\} \{3\}
\]
] /
1 \div 3 =\Ediv\{1\}\{3\}
\]
] /
10 \div 7 = \Ediv\{10\}\{7\}
\]
] /
5.12 \det 1.6 = \det \{5.12\} \{1.6\}
\]
] /
(-5.12) \det 1.6 \det (-0.8) = \underbrace{EdivS\{-5.12\}\{1.6\}\{u\}}
\Ediv{\u}{-0.8}
\]
] /
9 \cdot div 3 \cdot div 2 = EdivS{9}{3}{\u} \cdot Ediv{\u}{2}
\begin{center}----- Arithmetic Calculation in General
----\end{center}
] /
i22~12j{i4866j=
\mathbb{22}{12}{u} \cdot \mathbb{u}
\EdivS{486}{6}{\u} \Eadd{\ma}{\u}
\]
] /
(8.63+7.05) \times (6.5-1.6) =
\EaddS{8.63}{7.05}{u} \edef\ma{u}
\]
\begin{center}{\large \bf Combinatorics} \end{center}
```

```
\begin{center}{------ Factorials -----}
\end{center}
] /
7! = \frac{7!}{7!}
\]
\begin{center}{------}
\end{center}
1/
_9{\rm P}_4 = \mathrm{perm}_9{4}
\end{center}
] /
_9{\rm C}_9 = {\rm Comb}_9_{9}, 
_9{\rm C}_8 = {\rm Comb}_9{8}, 
_9{\rm C}_7 = {\rm Comb}\{9\}\{7\},
_9{\rm C}_6 = {\rm Comb}_{9}_{6}, 
_9{\rm C}_5 = {\rm Comb}\{9\}\{5\},
\]
] /
_9{\rm C}_4 = {\rm Comb}_9_4, 
_9{\rm C}_3 = {\rm Comb}_9_{3}, 
_9{\rm C}_2 = {\rm Comb}\{9\}\{2\},
_9{\rm C}_1 = {\rm Comb}\{9\}\{1\},
_9{\rm C} = {\rm Comb}\{9\}\{0\}
_{20}{\rm C}_{0} = {\rm Comb}_{20}_{0}, \ _{20}_{\rm C} = 
comb{20}{1}, comb{20}{1}, comb{20}{2}, comb{20}{2}, comb{20}{2},
_{20}{\rm C}_{3} = {\rm Comb}_{20}_{3}, \ _{20}_{\rm C}_{4} =
\comb{20}{4}, \comb{20}{\rm C}_{5} = \comb{20}{5},
_{20}{\rm C}_{6} = {\rm comb}_{20}_{6}
] /
_{20}{\rm C}_{7} = {\rm Comb}_{20}_{7}, \ _{20}_{\rm C}_{8} =
comb{20}{8}, comb{20}{9} = comb{20}{9},
_{20}{\rm C}_{10} = {\rm comb}_{20}_{10}, \ __{20}_{\rm C}_{11} =
\comb{20}{11},
\]
```

```
_{20}{\rm C}_{12} = {\rm Comb}_{20}_{12}, \ _{20}_{\rm C}_{13} =
\comb{20}{13}, \
_{20}{\rm C}_{14} = {\rm Comb}_{20}_{14}, \ _{20}_{\rm C}_{15} =
\comb{20}{15}, \cdot {20}{\rm C}_{16} = \comb{20}{16},
_{20}{\rm C}_{17} = {\rm comb}_{20}_{17},
] /
_{20}{\rm C}_{18} = {\rm Comb}_{20}_{18}, \ __{20}_{\rm C}_{19} =
_{20}{\rm C}_{20} = {\rm comb}_{20}
\comb{20}{19}, \
\begin{center}----- Binomial Expansion
   -----\end{center}
] /
(x+y)^2 = \sum (x+y)^2
\]
] /
(x-y)^2 = \sum (x-y)^2
\]
] /
(x+y)^3 = \sum (x+y)^3
\]
] /
(x-y)^3 = \mathbb{E}_{x-y}^3
\]
] /
(a+b)^4 = \sum_{a+b}^4
\]
] /
(\alpha)^9 = \Xi(\alpha)^9
\]
1/
(\alpha)^9 = \Xi(\alpha)^9
\]
```

\end{document}