Signals and Systems Laboratory (EC2P002)

EXPERIMENT-2

Shorya Sharma

19EE01017

Aim of the experiment:

To identify the five different systems given on the basis of their characteristics:

- ➤ Linearity/Non-Linearity
- Time Variance/Time Invariance
- Causality/Non-Causality

Theory: -

Linear System:

A linear system is one that satisfies the "superposition principle"

$$\tau\left(a_1x_1(n)+a_2x_2(n)\right)=\tau\left[a_1x_1(n)\right]+\tau\left[a_2x_2(n)\right]$$
 Above equation says "response to weighted sum of all inputs" is equal to "sum of response to the weighted individual inputs"

Time invariant System:

Delay produced in input which will be reflected same amount of delay in the output response

$$\begin{array}{c} x\left(n\right) \rightarrow system {\rightarrow} y\left(n\right) \\ x\left(n-k\right) \rightarrow syetem {\rightarrow} y\left(n-k\right) \end{array}$$

Causal System:

If a system is said to be causal means if output of a system at any time depends only present and past input.

$$y(n) = F[x(n), x(n-1), x(n-2), x(n-3), x(n-4), x(n-5), \dots]$$

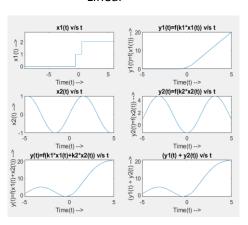
Results:

Signals taken: X1(t) = u(t+1/2) + u(t-1/2)

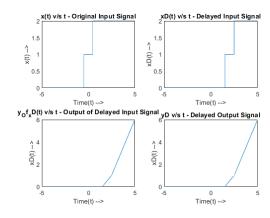
X2(t)=u(t)

$$1.y(t) = \int_{-\infty}^t x(t)$$

Linear



Time Invariance



Causality

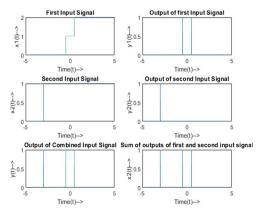
COMMAND WINDOW

>> system1
The system is causal
>>

- Time-Invariant
- Casual
- Linear

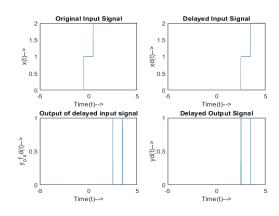
$$2.y(t) = \frac{\mathrm{d}}{\mathrm{d}t}(x(t))$$

Linearity



- Linear
- Time-Invariant
- Casual

Time-Invariance

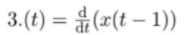


Causality

COMMAND WINDOW

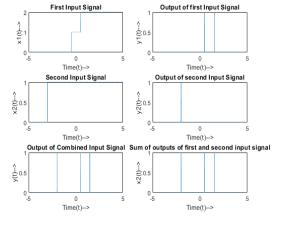
>> system2

The system is causal

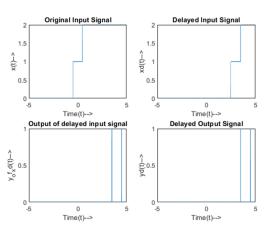


Linearity

Linear Time-Invariant Casual



Time-Invariance



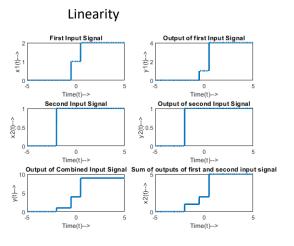
Causality

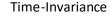
COMMAND WINDOW

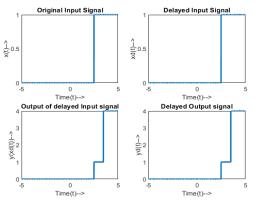
>> system3

The system is causal

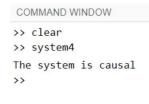
$$4.y(t) = x(t)^2$$





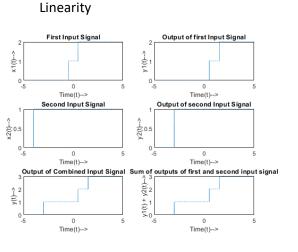


Causality

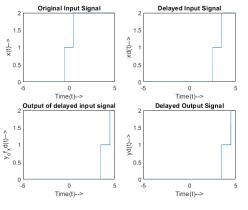


- Non-Linear
- Time-Invariant
- Casual

$$5.y(t) = x(t-1)$$



Time-Invariance



Causality

COMMAND WINDOW

>> system5
The system is causal
>>

- Linear
- Time-Invariant
- Casual

Discussion:

The system is linear if it holds superposition theorem as we verified. We shifted input and output signal to check if the input is equal to output and hence if the system is time invariant. Lastly, we checked for causality if the output depends upon only on past or present values. We saw that our practical results followed the theoretical ones. MATLAB is a powerful tool to form systems and plot input and output signals.

Conclusion:

Our experiment was completed as we formed each system equation and observed the input and output signals to draw conclusions about the nature of the system. All the given systems were time-invariant and causal. Except system 4, all systems were linear.

Appendix

1) System-1

```
syme i;
al-beautiside(t-0.3) shawriside(t+0.3);
al-beautiside(t-0.3) shawriside(t+0.3);
project(s);
titie(tails wis tr);
project(s);
yishel(tails wis tr);
```

2) System-2

```
t=5:1.05:3;
i=longth(1);
i=long
```

```
title("Dum of outputs of first and second input signal");
errolement(y, (y1-y2));
if (arren)
disp("The function is linear");
disp("The function is linear");
end

disp("The function is linear");
end

the function is linear";
end

the function is linear "linear";
end

disp("The signal is time-variant");
end

disp("The signal is time-variant");
end

end
```

3) <u>System-3</u>

```
t=-0:0.000:5;
l=lampin();
l=la
```

end

graduaries (1,1); bliso, yd(t)=yl(t-d)=diff(zl(t-1-d))

for i=l1;

if(t(t)-d-1)=0.5 || (t(l)-d-1)==0.5)

yd(t)=l2;

end

subplo((2,2,1));

plo((t,x));

ziabel("f(time(t)->");

```
title("Original Imput Signal");
subploc(2,2,2);
filed ("Gille (the "O"))
filed ("Gille (the "O")
```

4) <u>System-4</u>

```
t=-5:0.005:5;
1=length(t);
x1=zeros(1,1); y1=zeros(1,1);
                                        Averaged(1,1);
kleinput(Enter constant 1 ");
kleinput(Enter constant 2 ");
xxxixx); (Combined input i.e, xxki*x1+x2*x2*xi*(u(t-0.5)+u(t+0.5))+k2*u(t+2);
yxzarox(1,1);
                                        yearon(1,1);

for istil
iff(1)=0.5)
if(1)=0.5;
yi(1)=4**(1+1)=(2*2*)=4**(1+2);
yi(1)=4**(1+1)=(2*2*)=4**(1+2);
xi(1)=2**(1+2)=(2*2*)=4**(1+2);
xi(1)=1**(1+2)=2**(1+2)=1**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2)=2**(1+2
sz(1), "
sz(1), "
yű(1) az-vaj
and
sz(1)
s
                                                  %Causality check
c=causal(x1,y1,t);
disp(c);
                                        dispic("Enter delay time for time invariance check");

seasons(1,3);vsarcs(1,3);

seasons(1,3);vsarcs(1,3);

scip(1)=0;

scip(2);

scip(
                              and advances (,1); \label{eq:decomposition} \begin{split} & \text{end} \\ & \text{end} \\ & \text{set} \\ & \text{set} \text{cos}(,1); \\ & \text{yet} \underbrace{\text{gastrons}(1,1); \\ & \text{yet} \underbrace{\text{gastrons}(1,1); \\ & \text{yet} \underbrace{\text{gastrons}(1,1); \\ & \text{yet} \underbrace{\text{gastrons}(1,1); \\ & \text{yet} \underbrace{\text{gastrons}(1,2); \\ & \text{gastrons}(1,2); \\ & \text{g
                                                  with end to be considered as the constant of 
                    yd(1=1)

subject(2,21);
subject(2,21);
plot(t,x0,"LinsHint,",2);
plot(t,x0,"LinsHint,",2);
ylabel("x(t)---");
title("coliginal input Bignal");
title("coliginal input Bignal");
plot(t,x0,"LinsHint,",2);
title("coliginal input Bignal");
subject(2,2);
plot(t,y0,"LinsHint,",2); Noutput of delayed Input Signal
plot(t,y0,"LinsHint,",2); Noutput of delayed Input Signal
plot(t,y0,"LinsHint,",2); Noutput of delayed Input Signal
ylabel("yout in-");
title("coliginal of delayed Input Signal");
title("coliginal of delayed Input Signal");
errollense(y0,y0,Tx0);
errollense(y0,y0,Tx0);
disp("The signal is Time-Tovariant");
disp("The signal is Time-Tovariant");
end
disp("The signal is Time-Tovariant");
end
```

5) <u>System-5</u>

```
t=-510.00515)
l-leapfit(f) are constant 1 ");
l-leapfit(f) are constant 1 ");
leapfit(f) are constant 2 ");
leaffit(f) are con
```

```
if(t(i)>=1.5)
y1(i)=2*k1;
y(i)=2*k1+k2;
                                                    \begin{array}{c} \hat{y}(1) = 2^n k 1 + k 2 r \\ \text{when } \{ t(1) = 0.5 \text{ fix } t(1) < 1.5 ) \\ \hat{y}(1) = 1 + k 1 r \\ \hat{y}(1) = 1 + k 2 r \\ \text{end} \\ \text{in}(1) = 1 \\ \text{end} \\ \text{end} \\ \text{end} \\ \text{end} \\ \end{array} 
If ([1])=-1 if ([1])=-2)

If ([1])=-2 if ([1])=-2)

and

and

and

and

and

and

([1])

If ([1]
            disp(c)
t=-510.005:5)
soamcos(1,1);y=zeros(1,1);
if(t(1)=0.5)
if(t(1)=0.5)
x(1)=1;
x(1)=1.5)
x(1)=1.5)
if(1)=1.5)
soamcos(1,1)=1.5)
y(1)=1;
y(1)=1;
            and design ("Enter dalay time"); addescros(1,1); of addescros(1,1); of
                         end ydeseros(t,1); \ %liso, \ yd(t)=y(t-d)=x(t-d-1) \\ +1i1 \\ +1
sides((t(1)-0-1)9-0,3 % (t(1)-0-1)0,5)

and

and

and

and

plot(t,x)

plot(t
```

Causality Function

```
Function Coccusal (a, y, t)

1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1-10-10;
1
```