Design and implementation of a new lightweight chaos-based cryptosystem to secure IoT communications.

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My Work: Lorenz system is used for random generator part in this paper. Below is the equation:

<u>Dynamical System:</u> One or more variables that change over time according to autonomous differential equations.

<u>Phase Space:</u> Cartesian space. Each point in the space is a unique state of the system, and has its own rate of change which can be shown as a vector.

Attractor: Set of points in the phase space which attracts all the trajectories in an area surrounding it – the basin of attraction.

- i) Fixed point attractor
- ii) Limit cycle attractor Van der pol oscillator.

Strange Attractor: It has a fractal structure. For Lorenz system it is 2.06.

Difference for different initial conditions:

$$D_t = D_0 e^{\chi} t$$

x = Lyapunov exponent;

Positive = Difference between trajectories increases exponentially.

Zero = Difference remains constant

Negative = Difference comes becomes zero eventually.

It is measured by simulation, keeping track of many trajectories.

It provides how chaotic a system is.

For Lorenz system, it is 0.9

Future Plan: Learn more detail about Lonrenz system and mathematics related to it.