

# Design and implementation of a new lightweight chaos-based cryptosystem to secure IoT communications.

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**Recap:** Previously I read about the stable and unstable fixed points.

**My Work:** This week I'm learning more about chaos theory in online courses.

- Stable points are called attractors and unstable points are called repellers.
- All focus will be on stable fixed points.
- Another form of equations exist that are called logistic equations. This is a simple model of population growth, an iterated function.

$$P_{n+1} = r P_n$$

$r$  is growth factor. For  $r > 1$ , population will become infinity, for  $r = 1$  population will not change and for  $0 < r < 1$  population will decrease.

- Population can become infinity which is to be handled in this equation.
- Modifying above equation we get,

$$f(P) = r P \left(1 - \frac{P}{A}\right)$$

Here  $A$  = Annihilation population.

If  $P \ll A$ , then  $f(p) = rP$

- By dividing both side with  $A$  and simplifying we get,

$$X_{n+1} = r X_n (1 - X_n)$$

$$\begin{aligned} f(x) &= r x (1 - x) \\ &= rx - rx^2 \end{aligned}$$

This is standard form of the equation which is a parabola.

**Future Plan:** Study more details about the mathematics and mechanisms of chaos theory.