

LMT

(Last Moment tuitions) ← youtube
channel
which
makes
complex
things
easy

NOTES

THIS NOTES ARE CLEARLY MADE
FOR THOSE WHO STUDIES AT
AT LAST MOMENT BECAUSE
HAME PATAH LAST MOMENT
KI Situation kya hoti hgi:)

BEST OF LUCK
FOR EXAM.

Before seeing notes

We suggest you to

see video **LAST MOMENT TUITIONS**
PE JAKE USME CONCEPT

Bahut ache se padhaya

hai uske baad notes
will be very easy
=)

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PLEASE YEAH

NOTES AUR VIDEO
SHARE KARO UNKO

JO APKE JITNE SMART

NAHI TAKI VOH

BHT ACHE MARKS

LAYE APKI TARAH



(LAST MOMENT TUITIONS)

Uninformed Search Strategies

Uninformed Search Strategies have no additional information about states beyond that provided in the problem definition.

There are five uninformed strategies

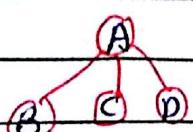
- ① - Breadth first search

BFS is a simple strategy. The root node is expanded first then all their successors are expanded next, then their successors and so on.

- In general all the nodes are expanded at a given depth in search tree before expanding the node at next level
- Uses two lists

Open : list of generated nodes but not yet expanded

(Suppose



A ko expand kiya hoh

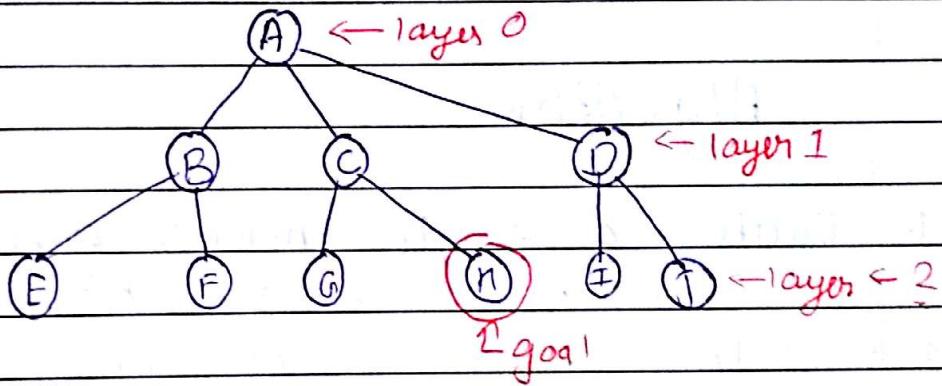
B, C, D generate hoga par voh expand nahi
hai (that comes in open)

Close : (Nodes which are visited and explored or expanded)

visit bhi ho chukte hai aur explored bhi

- BFS is implemented in FIFO manner (Open list in FIFO) i.e. nodes that are visited first are expanded first

Example :



Open [A]

$X = A$

close = [A]

Open (B, C, D)

$X = B$

close [A, B]

Open (E, F, G, H)

$X = C$

close (A, B, C)

Open (D, E, F, G, H)

$X = D$

close (A, B, C, D)

Open (E, F, G, H, I, J)

$X = E$

close (A, B, C, D, E)

$\text{Open}(F, G, H, I, J)$ $x = F$ $(\text{close}(A, B, C, D, E, F))$ $\text{open}(G, H, I, J)$ $x = G$ $(\text{close}(A, B, C, D, E, F, G))$ $\text{open}(H, I, J)$ $x = H$ [Goal Success] $(\text{close}(A, B, C, D, E, F, G, H))$ $\text{open}(I, J)$ $x = I$ $(\text{close}(A, B, C, D, E, F, G, H, I))$ $\text{open}(J)$ $x = J$ $(\text{close}(A, B, C, D, E, F, G, H, I, J))$

Algorithm

1. Create a single number queue comprising (containing) of root node
2. If the first member of the queue is goal node then go to Step 5
3. If the first member of the queue is not the goal node then
 - i) Remove it from open node
 - ii) Add it to visited list
 - iii) Consider its children if any and put them in queue from Backside
- 4) If the queue is not empty go to Step 2
- 5) If the queue is empty go to Step 6
- 6) Print success and Step
- 7) Print failure and Step

Explanation :- EK queue lo jisme root node ko dala.

- ② check karo Pehla number jo hame queue me dala jo ki root node tha voh geai hai kya. agar hai toh step 5 Pe ja
- ③ Agar nahi hai toh
 - usko open list se nikal
 - visited list me add kar
 - Uske koi children hai ki nahi check karo aur agar hai toh unko queue me add kar piche se.
- ④ queue khali hai kya toh step 6 Pe ja. Nahi hai toh step 2 Pe ja
- ⑤ mill gaya goal success print karo aur stop karo
- ⑥ Goal nahi mila failure stop kardo Abhi.

Advantages :-

- 1) completeness \rightarrow Yes
- 2) Optimum \rightarrow gives shallowst goal

Disadvantages :-

- 1) Space complexity : $O(b^{d+1})$ Big 'O' notation where b - branching factor
d - is depth of goal.
- 2) Time complexity : $O(b^{d+1})$

DFS
(Depth first search)

In this the current node is expanded till depth then go to why there is no successor or children. Then goes the next one.

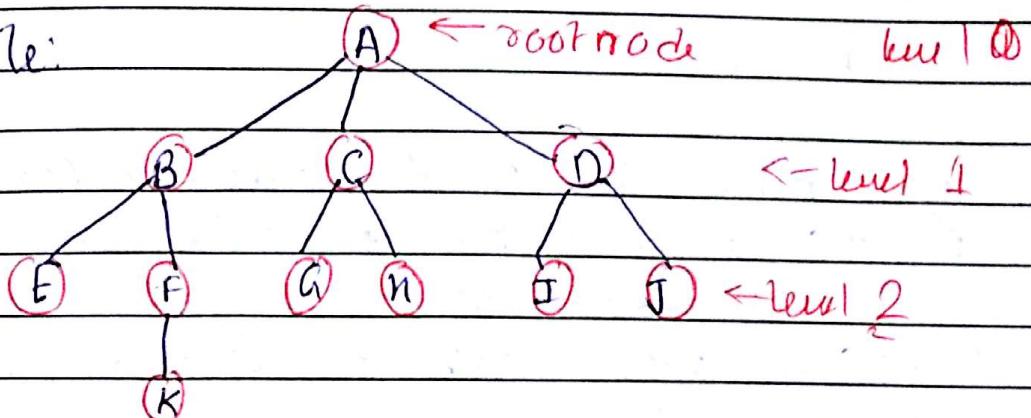
The DFS is implemented using LIFO strategy.

Then comes 2 first

open: nodes which are visited but not explored or expanded

close: nodes which are visited and explored

Example:

 $x = A$

close(C)

Open(B, C, D)

close(A)

 $x = B$ close(~~B~~(A, B)) $x = E$ close(~~E~~(A, B, E)) $x = F$

close(A, B, E, F)

open(K, C, D)

 $x = k$ goal

node success

Algorithm

- 1) Create a single number queue comprising of root node
- 2) If the first number of the queue is goal then go to step 5
- 3) If the first number of the queue is not goal node then
 - i) Remove it from open fringe node (list)
 - ii) Add to the list of visited node
 - iii) Consider the children or successor if any which are not yet explored and add them to queue from front side (LIFO)
- 4) If the queue is empty then go to step 6
If the queue is not empty go to step 2.
- 5) Print SUCCESS & STOP
- 6) Print failure & stop

Advantages

1) Space complexity : $O(bm)$

b - branching factor

m - depth of solution

2) Time complexity: $O(b^m) \rightarrow$ Exponential

Disadvantage

1) Completeness - NO

2) Optimun - NO

=

Depth limit Search(DLS)

It is a strategy where search puts limits to the maximum depth so that infinite loop can be avoided

- That is node at "depth l" will be considered as they don't have any successor or children.
- DLS can be viewed as a special case of DLS where depth limit is ∞ .

Note there can be two failure

DNo solution found

DNo solution found within the limit.

Advantage: Remove infinite loops

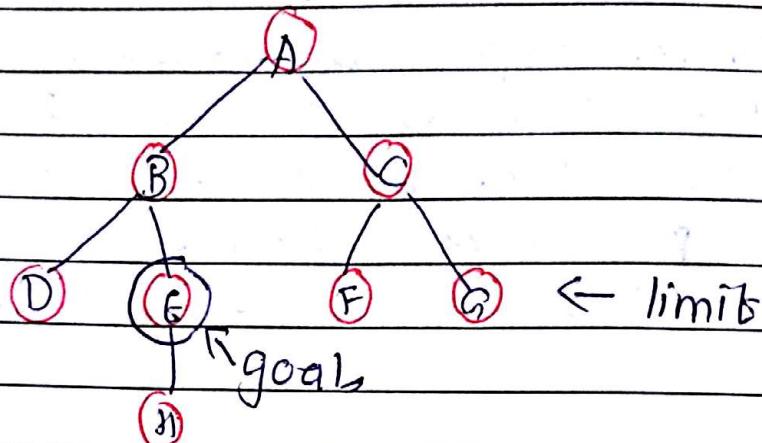
Disadvantage: Not complete because if depth where there is goal is greater than limit then we will not get the goal or solution

Optimal: No (if $d < e$)

Time Complexity = $O(b^e)$

Space Complexity = $O(bl)$.

Example



$X = A$

Open (B, C)

$X = B$

Open (D, E, B, C)

$X = D$

Open (E, B, C)

$X = E$

↳ goal
node
reach

close (A)

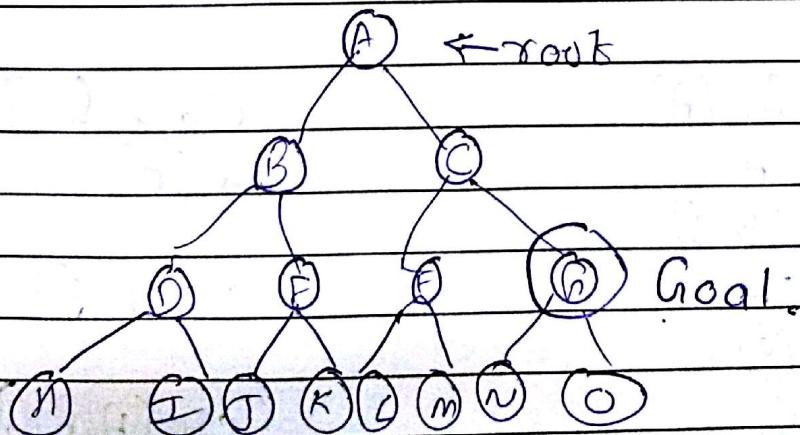
close (A, B)

close (A, B, D)

Thus we don't have to go to level 3 even if the goal was or will be in the level 3 we are not allowed.

(IDFS) Iterative Deepening Depth First Search

- Improved DLS
- IDFS is a general strategy which uses combination of DFS and BFS to remove incompleteness of DLS.
- also find Best depth limit
- It is done by gradually increasing limit by 0 then 1^{then} and 2^{and} so on until we get best depth limit
~~at i.e goal~~
- most popular uninformed search.



iteration 1
Dept 0

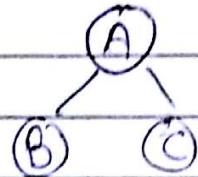
$\textcircled{A} \leftarrow \textcircled{C}$

$\text{Open}(A)$
 $x = A$
 $\text{Open}(C)$

$\text{close}(C)$
 $\text{close}(A)$

iteration 2

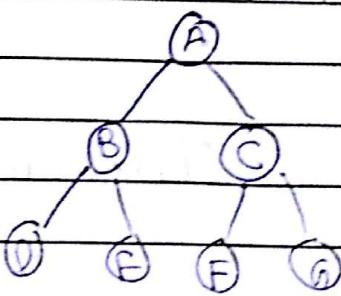
Dept 1



$\text{Open}(A)$
 $x = A$
 $\text{Open}(B, C)$
 $x = B$
 $\text{Open}(S)$
 $x = C$

$\text{close}(C)$
 $\text{close}(A)$
 $\text{close}(A, B)$
 $\text{close}(A, B, C)$

iteration 3
Dept. 2



Open [A]

$x = A$

($\text{close}(A)$)

Open (B, C)

$x = B$

($\text{close}(A, B)$)

Open (D, E, C)

$x = D$

($\text{close}(A, B, D)$)

Open (E, C)

$x = E$

($\text{close}(A, B, D, E)$)

Open (C)

$x = C$

($\text{close}(A, B, D, E, C)$)

Open (F, G)

$x = F$

($\text{close}(A, B, D, E, C, F)$)

Open (G)

~~$x = G$~~

Goal

Found

Algorithm Same as DFS

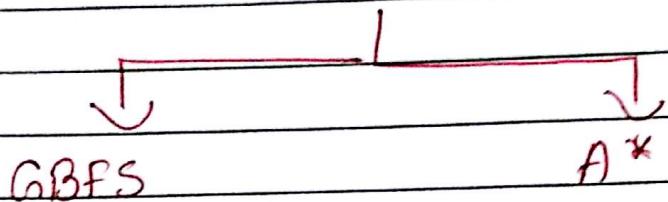
Advantages: Combines the benefit of both
bfs and DFS

Completeness and optimum \rightarrow AS BFS

Less space complexity \rightarrow AS DFS

Disadvantages: wasteful because nodes are generated
multiple times

Informed Searches



Informed Search: Voh search hai jisme
hamne goal bhi pata hota jha
aur rasta bhi

GBFS: Greedy Best first Search

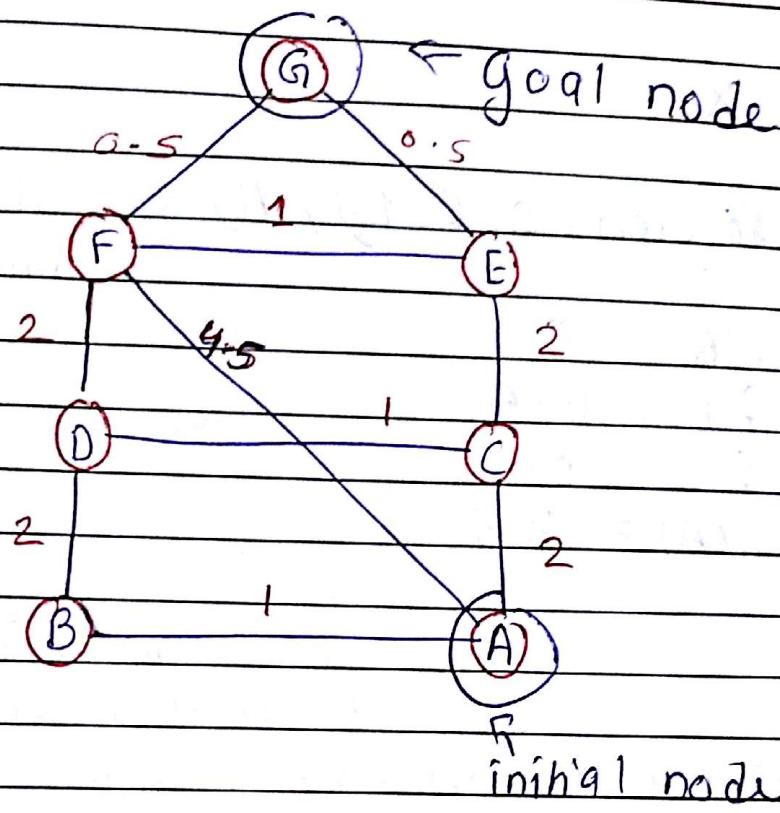
yeah banda lalchi hota hai jo
sasta mila leliya kam ka hai
bhi ki nahi voh yeh nahi dekhta

formula

$$f(n) = h(n)$$

(yeah hamne calculate
karna padta hai
h se yani intermediate
node se goal tak ki
ja distance hote hain voh
neta hai $h(n)$ j).

Example

 $\text{open}(A)$ $X = A$ $\text{open}(B, F, \text{_____}) \rightarrow \text{close}(A)$

ah hum function nikalenga

$$f(B) = B \text{ se goal takki value i.e. } 2 + 2 + 0.5 \\ = 4.5$$

 $f(F) = F \text{ se goal node takki value}$ $f(F) = 10.5$ $f(C) = C \text{ se goal node takki value}$ 2.5

lab app C se D and F se bhi ja

sakte hain par hamhe optimal value

(leni ki) yani best value

$$X = F$$

~~open (G, E, D, A)~~ \leftarrow yeah swapas &
~~E bhi jayinge.~~

$$f(G) = 0$$

$$f(F) = 0.5$$

$$f(D) = 2.5$$

$$f(A) = 4.5$$

Thus G is minimum and hence
 we got goal node But voh
 optimal nahi hai ham path mila

$$A - F - G = 5$$

Par 4.5 ie. A - C - E - G
 optimal tha,

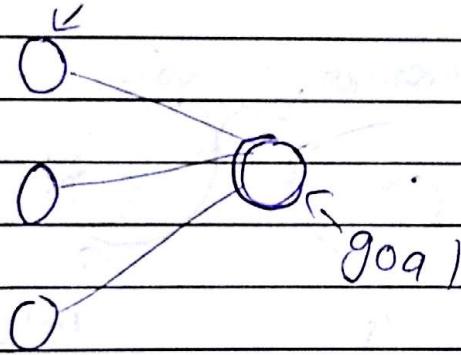
yeah iska disadvantage hai.

Iska solution hai A* Problem,
 or A* Algorithm

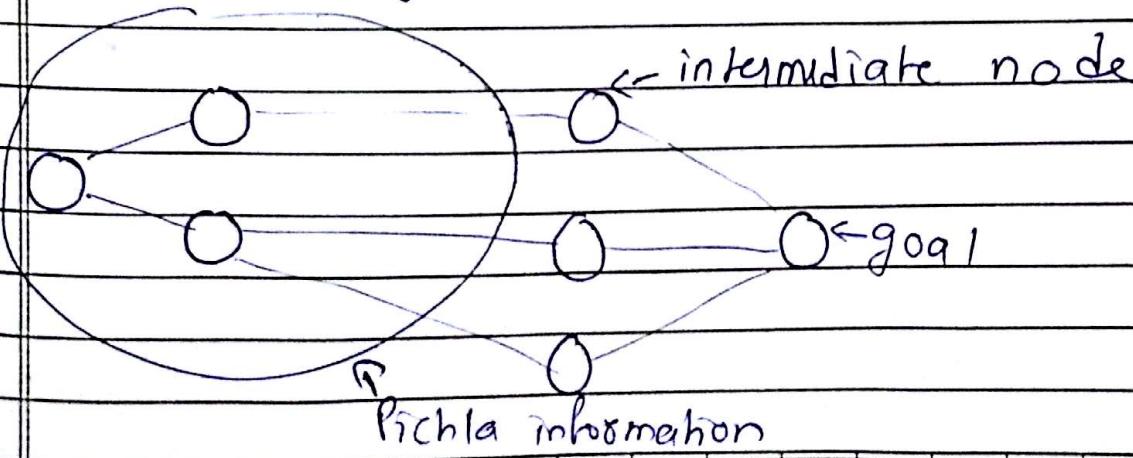
(A* Algorithm with
Solved example)

GBFS me kya hota tha voh na
goal ki taraf Bhagta hai

intermediate nodes



A* Pichla data lekh ke goal ke
Pass jata hai

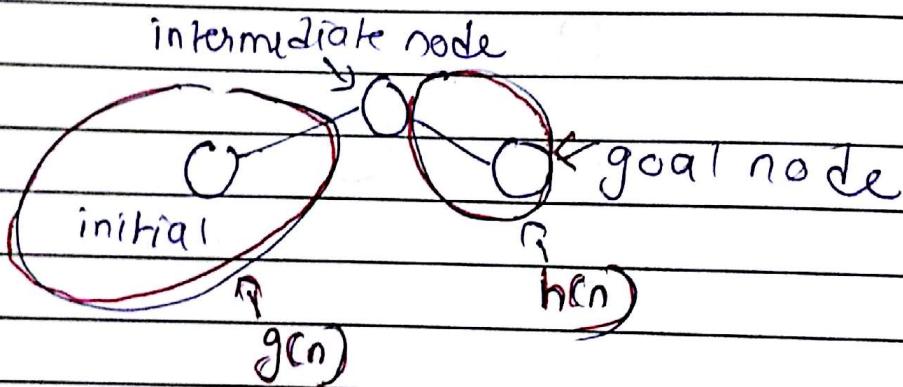


Toh iska formula hota hai

$$f(n) = g(n) + h(n)$$

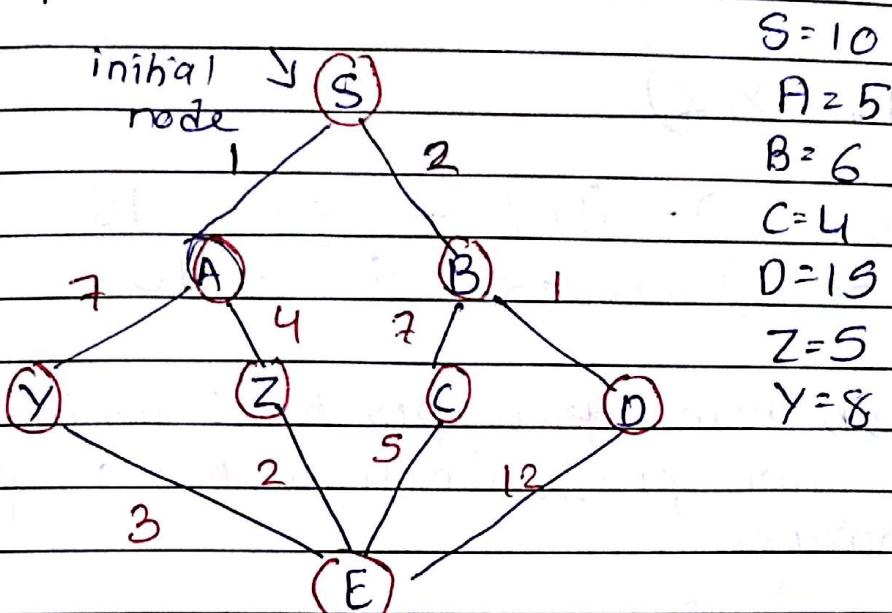
$g(n)$ - Pichla information

$h(n)$ - estimated goal take
Pahuchne ki value



Yeah ham optimal solution deta hai,

Example :-



Open (S)

$$X = S$$

$$\begin{aligned}
 f(S) &= g(n) + h(n) \\
 &= 0 + 10 \\
 &= 10
 \end{aligned}$$

Yeah count hoga
nahi hai par nikalte
rakhna padhta hai

Open (A, B)

$$f(S-A) = g(n) + h(n) = 1 + 5 = 6$$

$$f(S-B) = g(n) + h(n) = 1 + 6 = 8$$

ab dono me minimum konsa hai = 6
toh ab ham A ko expand karunge

EXPERIMENT :

No.

Page: 20

 $x = A$ Open (y, z)

$$f(S - A - Y) = (1+7) + (8) = 16$$

$$f(S - A - Z) = (1+4) + 5 = 10$$

ab hum yeah uper ke 2 function
 aur pichle function ko compare
 karunge

Tob hum (16, 10, 8)

(yeah Pichla
 jo function tha
 usse phila jo
 explore nahi hua)

ab tina me minimum kya hai

8 jo $f(S - B)$ ka function hai

Ton ab B ko explore ya expand
 karunge.

d

Teacher's Sign.:

$$X = 13$$

Open C, D)

~~$$f(S-B-C) = (2+7) + 4 = 13$$~~

~~$$f(S-B-D) = (2+1) + 5 = 18$$~~

First compare Karunge sab function ko

$$\min(f(S-B-C), f(S-B-D), f(S-A-Y), f(S-A-Z))$$

$$\min(13, 18, 16, 10)$$

Thus we will explore Z

ab hum Z ko expand karunge

$$X = Z$$

Open C, E)

$$f(S-A-Z-E) = (1+4+2) + 0 \\ = 7$$

ab ham answer yahi mil gaya
 Par num sari possibilities check
 Karunge ki best answer yehi hai
 Ki nahi,

Toh ab baki function bhi compare kar
 $\min(f(s-B-C), f(s-B-D), f(s-A-Y))$

$$= \min(13, 18, 16)$$

13 C ka hai hh hum
C ko expand karunge.

$$X = C$$

Open (E)

$$\begin{aligned} f(s-B-C-E) &= 2+7+5 \\ &= 14 \end{aligned}$$

$$\begin{aligned} \min(f(s-B-D), f(s-B-Y)) \\ \min(18, 16) \end{aligned}$$

Y ko expand karunge

$$X = Y$$

Open (Y)

$$\begin{aligned} f(s-A-Y-E) &= 1+7+3 \\ &= 11 \end{aligned}$$

$$x = D$$

~~Open C~~ Open E)

$$f(S-B-D-E) = 2+1+(2 \\ = 15,$$

Thus sabse best solution hai

$$f(S-A-Z-E) = 7,$$

Genetic Algorithm

function: GENETIC ALGORITHM (population, FITNESS-FN)
return an individual

input: population, a set of individuals

FITNESS-FN, a function that represent
the quality of individual

repeat

new population \leftarrow empty

loop for i from 1 to size(population) do

$x \leftarrow$ Random Selection (population, FITNESS-FN)

$y \leftarrow$ Random Selection (population, FITNESS-FN)

child \leftarrow REPRODUCE (x, y)

if (small Random probability) then child \leftarrow Mutate (child)

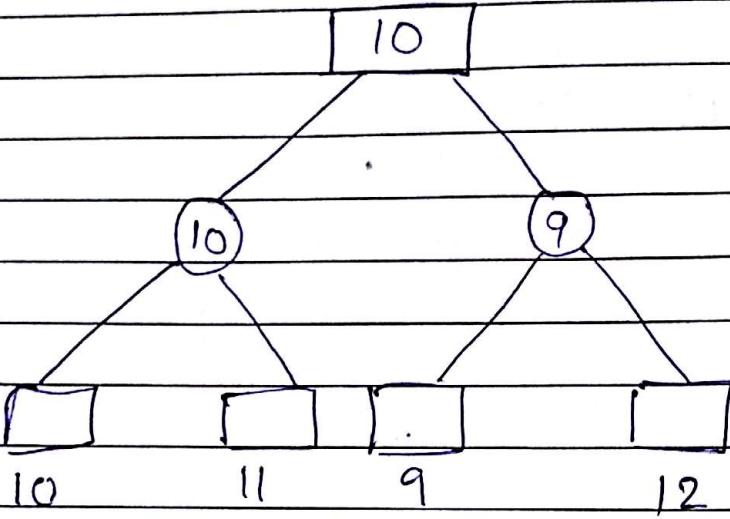
add child to new population

population ← new population

until a fit enough individual is found or
enough time has elapsed

return best individual

min - max Algorithm



Initially we will take the worst condition for max and min

$$\text{max} = -\infty$$

$$\text{min} = \infty$$

Now we will start from left node

Now minimum is playing so minimum will be updated.

[minimum]

$$\text{1) } \min(\infty, 10) = 10$$

$$\min(10, 11) = 10$$

Thus we got 10 for first node of minimum

2) Now second minimum is Playing to the right of it.

$$\min(\infty, 9) = 9$$

$$\min(9, 12) = 9$$

Thus we got 9 as answer for second minimum's node

[maximum]

now maximum is Playing thus its value will be updated

$$\max(-\infty, 10) = 10 \quad (\text{first node is Readed})$$

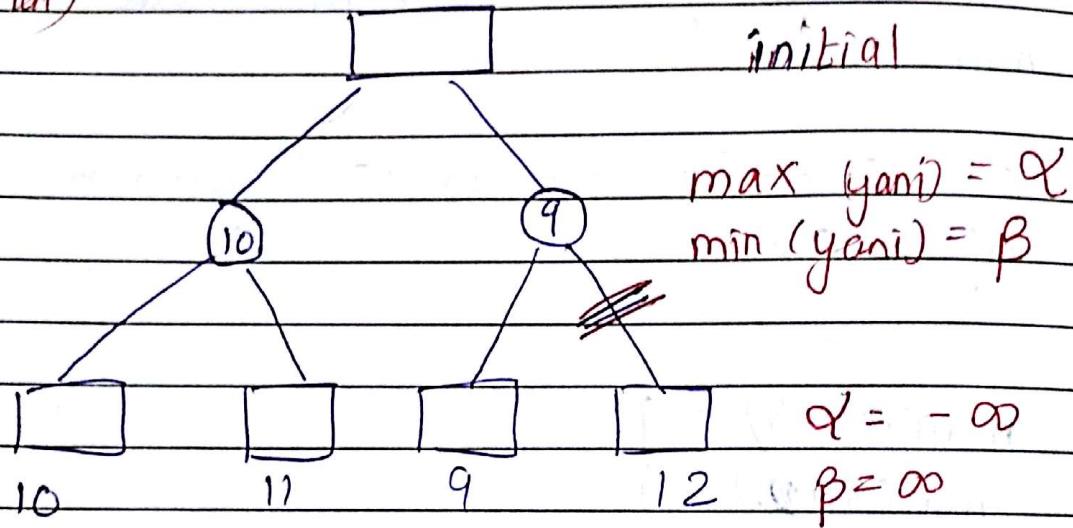
$$\max(10, 9) = 10 \quad (\text{second node is readed})$$

Answers
=

Teacher's Sign.: _____

Alpha beta pruning

(yeab khora bahut alpha beta min max jaise hi hai bus yeah unwanted nodes ko kaat deka hai)



we will start from left node
now β is Playing so
 α value i.e ∞ will
be constant and not
changed only β value
will be updated

$$\alpha \geq \beta$$

pruning

β

$$\alpha = -\infty$$

$\beta = (\infty, 10) \leftarrow \text{Read first}$
 $= 10 \text{ node}$

$$\beta = (10, 11) = 10$$

$$\alpha \geq \beta$$

Prunning

ab check karne ka

X

X

$$\alpha \geq \beta (-\infty \geq 10) \text{ no}$$

toh cancel karo

uss columns me

α Now alpha is
Playing

$$\alpha (-\infty, 10) = 10$$

X

X

$$\beta (\infty)$$

ab jo yeah alpha ki
value hai vo niche
ke nodes me update
hongi,

β now β is Playing

$$\alpha = 10$$

✓

✓

$$\beta (\infty, 9) = 9$$

yeha pe $\alpha \geq \beta$
condition satisfies

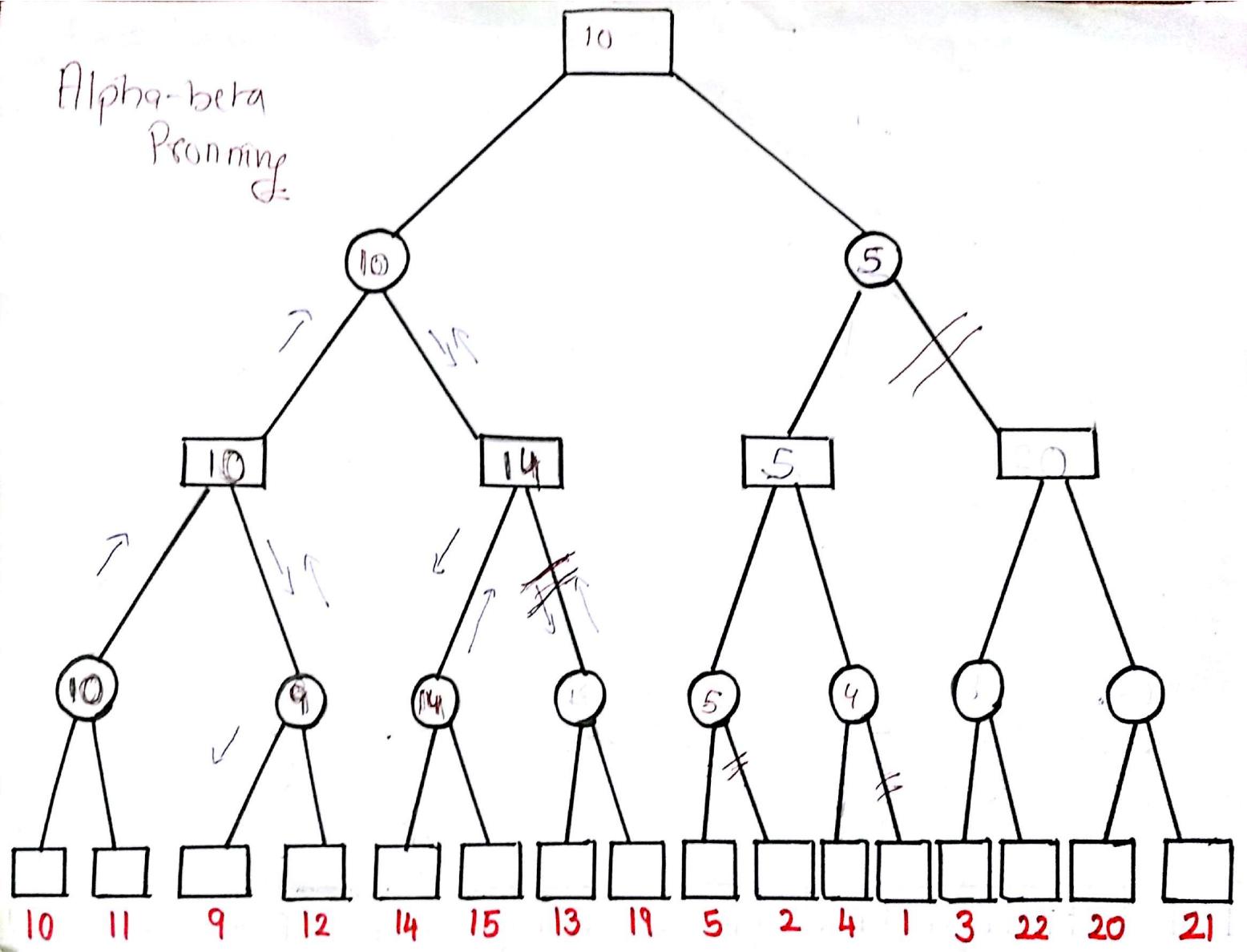
toh Prunning hongi

now α is Playing
 β value will be fixed
 $\beta = \infty$

$$\alpha(10, 9) = 10$$

Thus answer is
10 only same like
min max but we
have eliminated some nodes

Alpha-beta
Pruning



we will start from
left most node.

$$\alpha \geq \beta$$

Prunning

β is Playing

α will be constant
or fixed

$$\alpha = -\infty$$

$$\beta(\infty, 10) = 10$$

$$\beta(10, 10) = 10$$

X

X

α is Playing

β will be constant or
fixed

$$\beta = \infty$$

$$\alpha = (-\infty, 10) = 10$$

~~$\alpha = \text{cat}$~~

β is Playing

α will be constant

but now alpha value

will be 10 because

upse se alpha ki

value niche aai hai

(if not understood)

see the video

$\alpha = 10$

$\beta = (\infty, 9) = 9$

$\alpha \geq \beta$

Pruning

condition satisfies
 α will be pruned

 α is Playing

β will be constant
 off board

X

X

$\alpha(10, 9) = 10$

 β is Playing α will be constant

X

X

$\beta(\infty, 10) = 10$

ab ye koi niche ke

nodes me jayengi value

$\alpha = -\infty$

 β is Playing α will be constant

$\beta(10, 14) = 10$

$\beta(10, 15) = 10$

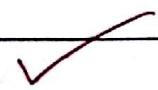
$\beta(14, 15) = 14$

β ki value update nahi
 hongi,

α is Playing
 β will be constant
 i.e 10

$$\alpha \geq \beta$$

prun



$$\alpha \in (-\infty, 14)$$

$$= 14$$

$\alpha \geq \beta$ condition
 satisfied

β is Playing
 α will be constant

$$\beta(10, 14) = 10$$

α is Playing
 β will be constant

$$\alpha(-\infty, 10) = 10$$

This α value Baki

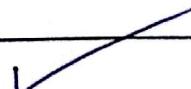
Sare node me jayangi
 upper se niche,

β is Playing
 α constant i.e 10.

$$\beta(\infty, 5) = 5$$

Condition satisfied

$$\alpha \geq \beta$$



- α is Playing
 β constant

$$\alpha(10, 5) = 10$$

$$\beta = \infty$$

$\alpha \geq \beta$

Pruning

X

X

- β is Playing
 α constant i.e. 10

$$\beta(\infty, 4) = 4$$

$$\alpha = 10$$

$$\beta = 4$$

✓

✓

Condition satisfies

- α is Playing
 β is constant

X

X

$$\alpha(10, 5) = 10$$

$$\alpha(10, 4) = 10$$

$$\alpha(5, 4) = 5$$

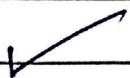
$$\alpha \beta = 90$$

- β is Playing
 α will be
 constant = 10

$$\alpha \geq \beta$$

Pruning.

$$\beta(10, 5) = 5$$



$$\alpha = 10, \beta = 5$$

Condition
 satisfies

- α is Playing
 β will be
 constant

$$\alpha(10, 5) = 10,$$

$$\boxed{|\alpha = 10}$$

Answer

IF YOU HAVE
ANY DOUBT
YOU CAN EMAIL US

Email: Sumerrajpurohit007@gmail.com

OR

CALL AT: 9762903078