# Predicting Revenue of an Ice Cream Shop depending upon the Temperature.

So we have a dataset of a Ice Cream Shop wherein

- "Temperature" is independent variable
- "Revenue" is dependent variable

So we're going to build a **Decision Tree Regressor** to find the relation between these two variables.

# **Importing Libraries**

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.tree import DecisionTreeRegressor
```

# Import the Dataset

```
df = pd.read_csv('https://raw.githubusercontent.com/mk-gurucharan/Regression/master/IceCreamD
```

### df.head()

	Temperature	Revenue	Ż
0	24.566884	534.799028	
1	26.005191	625.190122	
2	27.790554	660.632289	
3	20.595335	487.706960	
4	11.503498	316.240194	

df.describe()

		Temperature	Revenue
СО	unt	500.000000	500.000000
m	ean	22.232225	521.570777
		0 00000	1 1011
df.info(	)		

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 500 entries, 0 to 499
Data columns (total 2 columns):
# Column Non-Null Count Dtype
--- 0 Temperature 500 non-null float64
1 Revenue 500 non-null float64
dtypes: float64(2)
memory usage: 7.9 KB
```

To check whether we have Missing Value

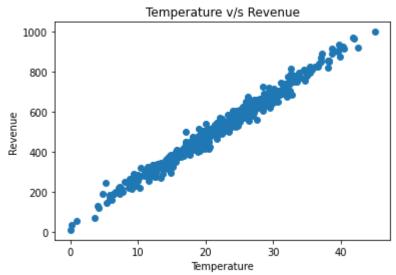
```
df.isnull().sum().sum()
```

0

### **Data Visualization**

```
plt.scatter(df.Temperature,df.Revenue)
plt.xlabel('Temperature')
plt.ylabel('Revenue')
plt.title('Temperature v/s Revenue')
```

Text(0.5, 1.0, 'Temperature v/s Revenue')

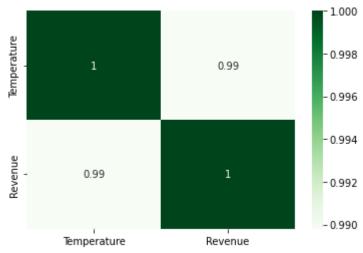


this clearly shows that there is a linear relationship between the two; hence we'll make a simple Linear Regression model

Validating the correlation matrix using Heatmap

```
sns.heatmap(df.corr(), annot=True, cmap='Greens')
```





# Check the outliers

```
plt.figure(figsize=(10,10))
df.boxplot()
```

<matplotlib.axes.\_subplots.AxesSubplot at 0x7fd6e6d40e50> 1000 800 Since there are 3 to 4 outliers we can move ahead with it. 600 + **Feature Scaling** Splitting the Data for Training and Testing x=np.array(df.Temperature.values) y= np.array(df.Revenue.values) from sklearn.preprocessing import StandardScaler stanscale = StandardScaler() x=stanscale.fit transform(x.reshape(-1, 1)) y=stanscale.fit\_transform(y.reshape(-1, 1)) Χ [-6.30470911e-01], [-1.66140519e+00], [ 1.08775907e+00], [-3.74523684e-01], [ 6.05466483e-01], [ 9.70398816e-01], [ 2.81490687e+00], [-4.10932058e-01], [-8.81435478e-01], [-4.13922552e-02], [ 8.99568644e-01], [-3.65164265e-01], [ 9.45533668e-01], [-7.68495660e-02], [ 3.40775969e-01], [ 1.10379429e+00], [ 1.53874624e+00], [-1.64639350e-01], [ 1.84153271e+00],

[ 5.10404179e-01], [ 1.61950026e+00],

```
[-1.65128400e-01],
            [ 2.23428551e+00],
            [ 5.31384903e-01],
            [ 2.13653762e+00],
            [ 2.04928639e-02],
            [-1.59772760e+00],
            [-3.38450145e-01],
            [-8.78162869e-04],
            [-4.13568834e-01],
            [-5.93615097e-02],
            [-5.03568715e-01],
            [-9.10714661e-01],
            [ 8.15689884e-01],
            [ 3.83418021e-01],
            [-4.60402144e-01],
            [ 3.09797555e-02],
            [ 9.70905758e-01],
            [-6.47150147e-01],
            [ 6.24216061e-01],
            [-2.14709880e+00],
            [ 1.45275735e-01],
            [-1.22777667e+00],
            [ 1.28588821e+00],
            [-6.83503593e-01],
            [ 5.85042583e-01],
            [ 1.96914036e-01],
            [ 1.51329248e+00],
            [ 1.01874284e-01],
            [-9.02628610e-01],
            [ 3.56050740e-01],
            [ 5.27604251e-03],
from sklearn.model_selection import train_test_split
x_train,x_test,y_train,y_test = train_test_split(x,y,test_size=0.2)
Using Decision Tree Regressor Model
regressor = DecisionTreeRegressor()
Train the model
regressor.fit(x_train,y_train)
```

[ 2.78511813e-01], [ 2.03207146e+00], [ 8.24397864e-01], [-1.24985809e+00], [-1.31512671e+00], [-5.90614976e-01], DecisionTreeRegressor()

### Making Predictions and Checking Accuracy

```
ypred = regressor.predict(x_test)
```

ypred

```
array( 7.56874910e-01, -2.86605995e-02, 2.91625218e-01, 1.78329663e-01,
       -4.13503479e-01, -1.76390188e+00, 8.80321817e-01, 1.75042286e+00,
       4.73984178e-01, -6.85603304e-01, -1.82627531e-01, -2.79755986e-01,
       -6.63818309e-01, -2.45234549e-01, -1.72497896e+00, -1.13329704e+00,
       -7.85339951e-01, 5.95081241e-01, -1.70461521e+00, -4.00161440e-01,
       7.11617285e-01, -1.13977828e+00, -1.02557886e+00, -2.73735347e-01,
       -1.13329704e+00, -1.91444712e-02, 5.23739500e-02, 1.64758416e-01,
       9.60347123e-01, -1.00943195e+00, -3.33877818e-01, 9.04280172e-01,
       1.16800419e-03, -1.72497896e+00, 7.98364060e-01, -5.49595324e-01,
       1.56906963e+00, 2.79674177e-01, -1.91231928e+00, 5.95081241e-01,
       -6.40121269e-01, 1.01239389e+00, 3.58554096e-01, 7.55672655e-01,
       1.03534784e+00, 6.98362540e-01, -3.93452899e-01, -1.54905095e+00,
       -6.24928606e-01, 1.80043419e-01, 9.65697857e-01, 6.81704720e-01,
       -1.13977828e+00, 1.99279015e+00, -7.80149093e-02, 6.09957692e-01,
       -1.63332389e+00, -1.37563961e+00, 8.96999807e-01, -1.43294644e-01,
       -4.56898833e-01, 4.92317424e-01, 3.73537129e-02, 1.75042286e+00,
       4.43956321e-01, 1.20781799e+00, 1.38864666e-01, -1.17821147e-01,
       7.44365597e-01, -1.29105767e+00, 1.03534784e+00, -8.10404099e-01,
       1.03323405e+00, 5.72954729e-01, 9.65697857e-01, 1.44118230e+00,
       -4.13503479e-01, -6.24928606e-01, -6.03512811e-01, 5.95081241e-01,
       2.74200667e-01, 4.96830360e-01, -4.37963247e-01, -7.27059843e-01,
       4.26104146e-01, -1.13552975e+00, 7.82002281e-01, 2.19088314e+00,
       1.64413911e+00, 4.43956321e-01, -1.33074983e-01, -4.37963247e-01,
       1.80043419e-01, -3.84533440e-01, -1.29912314e+00, -8.47918736e-01,
        1.64231559e+00, -1.37936228e+00, 7.82002281e-01, -2.79076772e+00])
```

```
plt.scatter(x_test,y_test, color='red')
plt.scatter(x_test,ypred, color='green')
plt.xlabel('xtest')
plt.ylabel('actual_red/pred/green')
```

```
Text(0, 0.5, 'actual_red/pred/green')
         2
from sklearn.metrics import r2_score,mean_squared_error,mean_absolute_error
      ē 0 1
r2_score(y_test,ypred)
     0.9621179075515762
Predictions are 96.35% accurate.
For Better Accuracy let's try Linear Regression
from sklearn.linear_model import LinearRegression
model1 = LinearRegression()
model1.fit(x_train, y_train)
     LinearRegression()
y_pred = model1.predict(x_test)
r2_score(y_test, y_pred)
     0.981279705545525
```

Predictions are 98.37% accurate.