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NMAM INSTITUTE OF TECHNOLOGY, NITTE

Off-Campus Centre of Nitte (Deemed to be University)

I Sem B. Tech (CBCS) Mid Semester Examinations - I, September 2023

PH1004-1 – QUANTUM COMPUTING AND MODERN PHYSICS

Duration: 1 Hour

Max. Marks. 20

Note: Answer any **One** full question from **each Unit**.

Unit – I		Marks	BT*	CO*	PO*
1.	a) Write any three differences between classical computing and quantum computing.	3	L*2	1	1
	b) What is a Linear Vector Space? Explain its Axioms.	4	L2	1	1
	c) Show that, $A = \begin{bmatrix} \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ \frac{i}{\sqrt{2}} & -\frac{i}{\sqrt{2}} \end{bmatrix}$ is unitary.	3	L3	1	1
2.	a) Outline the different postulates of Quantum mechanics.	3	L2	1	1
	b) Explain Dirac notation with its properties.	4	L2	1	1
	c) If $ \psi\rangle = A [2 0\rangle + 3i 1\rangle]$, then find $\langle\psi \psi\rangle$.	3	L3	1	1
Unit – II					
3.	a) Explain the terms Orthogonality, Orthonormality and Normalization.	3	L1	1	1
	b) What are Pauli matrices? Explain the interaction of Pauli matrices on 0 and 1 states.	4	L2	1	1
	c) If $ \alpha\rangle = \begin{pmatrix} a \\ b \end{pmatrix}$ and $ \beta\rangle = \begin{pmatrix} c \\ d \end{pmatrix}$ then prove that $\langle\alpha \beta\rangle = (\langle\beta \alpha\rangle)^*$	3	L3	1	1
4.	a) Explain the interaction of Identity matrix on 0 and 1 states.	3	L2	1	1
	b) What are qubits? Write any four properties of qubits.	4	L2	1	1
	c) If $ \psi\rangle = \begin{bmatrix} 3+i \\ 1-i \end{bmatrix}$ and $ \phi\rangle = \begin{bmatrix} 3i \\ 4 \end{bmatrix}$ Find their inner product.	3	L3	1	1

BT* Bloom's Taxonomy, L* Level; CO* Course Outcome; PO* Program Outcome

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NMAM INSTITUTE OF TECHNOLOGY, NITTE
Off-Campus Centre of Nitte (Deemed to be University)
I Sem B.Tech. (CBCS) Mid Semester Examinations - I, September 2022
MA1002-1 – CALCULUS AND DIFFERENTIAL EQUATIONS

Duration: 1 Hour

Max. Marks: 20

Note: Answer any **One** full question from **each Unit**.

Unit – I

- | | Marks | BT* | CO* | PO* |
|---------------------------------------------------------------------------------------------------------------------------------------|-------|-----|-----|-----|
| 1. a) Derive the expression for the radius of curvature in the Cartesian form. | 5 | L*1 | 1 | 1 |
| b) Show that, the angle at the point of intersection of the curves $r = 3 \cos \theta$ and $r = 1 + \cos \theta$ is $\frac{\pi}{6}$. | 5 | L2 | 1 | 2 |
| 2. a) Obtain the series expansion of $f(x) = \frac{1}{1+x}$ up to third degree terms. | 5 | L3 | 1 | 2 |
| b) Find the derivative of arc, $\frac{ds}{dt}$ for the curve $x = e^t \sin t, y = e^t \cos t$. | 5 | L2 | 1 | 2 |

Unit – II

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|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|---|----|---|---|
| 3. a) Verify Lagrange's mean value theorem for $f(x) = x(x-1)(x-2)$ in $(0, \frac{1}{2})$. | 4 | L3 | 1 | 2 |
| b) i) If $z = f(x, y), x = e^u \cos v, y = e^u \sin v$ then prove that $x \frac{\partial z}{\partial v} + y \frac{\partial z}{\partial u} = e^{2u} \frac{\partial z}{\partial y}$ | | | | |
| ii) If $u = \sin\left(\frac{x}{y}\right)$ where $x = e^t, y = t^2$ then find $\frac{du}{dt}$ as a function of t . | 6 | L2 | 2 | 2 |
| 4. a) If $u = x^2 - y^2, v = 2xy$ and $x = r \cos \theta, y = r \sin \theta$ then show that $\frac{\partial(u,v)}{\partial(r,\theta)} = 4r^3$. | 5 | L3 | 2 | 2 |
| b) Find Taylor's expansion of $f(x, y) = \tan^{-1}\left(\frac{y}{x}\right)$ about the point $(1, 1)$ up to second degree terms. | 5 | L3 | 2 | 2 |

BT* Bloom's Taxonomy, L* Level; CO* Course Outcome; PO* Program Outcome

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NMAM INSTITUTE OF TECHNOLOGY, NITTE
Off-Campus Centre of Nitte (Deemed to be University)

I Sem B.Tech. (CBCS) Mid Semester Examinations - I, September 2022

CS1001-1 – PROBLEM SOLVING THROUGH PROGRAMMING

Duration: 1 Hour

Max. Marks: 20

*Note: Answer any **One** full question from **each** Unit.*

Unit – I

	Marks	BT*	CO*	PO*
1. a) Describe the various steps involved in program development with a neat diagram.	5	L*2	1	1
b) Define the following terms i. Algorithm ii. Flowchart and write an algorithm and flowchart for computing Sum and Average of Three numbers.	5	L3	1	1
2. a) Explain classification of Computers.	5	L2	1	1
b) Define C token. List and explain any 4 rules for forming Identifiers with relevant examples.	5	L2	1	1

Unit – II

3. a) Define Type Conversion in C. Explain its types with suitable examples.	5	L2	2	1
b) Solve the following expressions i) $a/b \leq c-d+a\%10-b == d \geq e != b$ where $a=100, b=20, c=10, d=5, e=1$ ii) $-- a*(5+b)/12- c++ *b+15\%4$ where $a=3, b=4, c=5$	5	L3	2	1
4. a) Explain the following unformatted input and output function with syntax, code snippets and the output. i) gets() ii) putchar()	5	L2	2	1
b) Write a C program to find the Volume of Cylinder. Formula: $V=\pi r^2 h$	5	L3	2	1

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NMAM INSTITUTE OF TECHNOLOGY, NITTE
Off-Campus Centre of Nitte (Deemed to be University)

II Sem B.Tech. (CBCS) Mid Semester Examinations - I, February 2023

CS1001-1 – PROBLEM SOLVING THROUGH PROGRAMMING

Duration: 1 Hour

Max.

*Note: Answer any **One** full question from **each Unit**.*

Unit – I

		Marks	BT*	CO
a)	List and explain the types of computers based on their capacity.	5	L*2	
b)	Write an algorithm and flowchart to find the area and circumference of a circle.	5	L3	
a)	Define the following with an example: i. Token ii. Datatype iii. Keyword iv. Identifier v. constant	5	L2	
b)	Write a C program to swap two integers without using temporary variable.	5	L3	
a)	Explain any five Bitwise operators with an example for each.	5	L2	
b)	Write a C program to find maximum and minimum of three numbers using ternary operator.	5	L3	
a)	Explain the following formatted input and output function with syntax and example. i. scanf ii. printf	5	L2	
b)	Evaluate the following expressions: i) $a+2>b \parallel !c \&\& a==d * a-2<=e$ where $a=11, b=6, c=0, d=7, e=5$ ii) $m=i++ + j++ + ++k$ where $i=5, j=5, k=6$	5	L3	

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Off-Campus Centre of Nitte (Deemed to be University)
I Sem B.Tech. (CBCS) Mid Semester Examinations - I, September 2022
MA1002-1- CALCULUS AND DIFFERENTIAL EQUATIONS

Duration: 1 Hour

Note: Answer any **One** full question from **each Unit**.

Max. Marks: 20

Unit - I

1. a) With usual notation prove that $\tan \phi = r \frac{d\theta}{dr}$.
- b) Show that the radius of curvature of the curve $\sqrt{x} + \sqrt{y} = \sqrt{a}$ at the point $(\frac{a}{4}, \frac{a}{4})$ is $\frac{a}{\sqrt{2}}$.
2. a) Find the series expansion of the function $\log(1+x)$ up to 3 non vanishing terms.
- b) Show that the curves $r^2 \sin 2\theta = a^2$ and $r^2 \cos 2\theta = b^2$ cut each other orthogonally.

Marks	BT*	CO*	PO*
5	L*1	1	1
5	L2	1	2
5	L2	1	2
5	L3	1	2

Unit - II

3. a) Verify Cauchy's mean value theorem for $f(x) = \frac{x^3}{4} - 4x$, $g(x) = x^2$ in $(0, 3)$.
- b) i) If $u = f(e^{y-z}, e^{z-x}, e^{x-y})$ then prove that $\frac{\partial u}{\partial x} + \frac{\partial u}{\partial y} + \frac{\partial u}{\partial z} = 0$.
- ii) If $u = x^3 y e^z$ where $x = t, y = t^2, z = \log t$ then find $\frac{du}{dt}$.
- a) If $u = 2axy, v = a(x^2 - y^2)$ and $x = r \cos \theta, y = r \sin \theta$ then find $\frac{\partial(u,v)}{\partial(r,\theta)}$.
- b) Find Taylor's expansion of $f(x,y) = e^x \cos y$ about the point $(1, \frac{\pi}{4})$ up to second degree terms.

4	L3	1	2
6	L2	2	2
5	L3	2	2
5	L3	2	2

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Off-Campus Centre of Nitte (Deemed to be University)

I Sem B.Tech. (CBCS) Mid Semester Examinations - I, September 2022

HU1001-1 – TECHNICAL ENGLISH

Duration: 1 Hours

Max. Marks: 20

Note: Answer any **One** full question from **each Unit**.

Unit – I

	Marks	BT*	CO*	PO*
a) Transcribe the words into IPA and Mark the Primary Stress (I-V) and transcribe the words in IPA into English (VI-X). i) Educate ii) Democracy iii) Maintain iv) Sing v) Zero vi) /wert/ vii) /vɔɪs/ viii) /'ʌŋkl/ xi) /fi:ld/ x) /ri:d/	05	L*3	1	12
b) Discuss Word Stress. State any three rules to substantiate.	05	L2	1	12
a) Transcribe the plural forms of words (I-V) and past tense forms of words (VI-X) into IPA. i) Keep ii) Dog iii) Prize iv) Book v) Brush vi) Amaze vii) Divide viii) Hunt xi) Try x) Love	05	L3	1	12
b) List the differences between British and American accent of English Language.	05	L1	1	12

Unit – II

a) Is Spoken Communication different from Written Communication?	05	L1	2	9,11
b) Discuss the term Communication.	05	L2	2	9,11
a) Explain the essentials of effective communication.	05	L2	2	9,11
b) Describe some of the barriers to communication.	05	L2	2	9,11

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