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Genetic Algorithm.

- 1) define fitness function


```
def fitness function(x)
    return  $-2 \times x^3 + 3 \times x^2 + 12 \times x - 5$ 
```
- 2) generate initial population


```
def initialize population (pop-size, lower bound, upper bound)
```
- 3) Evaluate fitness


```
def evaluate (population):
    return np.array([fitness function(individual) for
    individual in population])
```
- 4) select parents


```
def select_parents (population, fitness):
    min_fitness = np.min(fitness)
    if (min_fitness < 0):
        fitness += abs(min_fitness) + 1
    total_fitness = np.sum(fitness)
    selection_probabilities = fitness / total_fitness
    return np.random.choice(population, size=2, p=selection_probabilities)
```
- 5) function to cross over parents.


```
alpha = random.random()
offspring1 = alpha * parent1 + (1-alpha) * parent2
offspring2 = alpha * parent2 + (1-alpha) * parent1
return offspring1, offspring2
```
- 6) mutation function


```
if random.random() < mutation_rate:
    return np.random.uniform(lower, upper bound)
return individual
```


def. generic_algorithm(pop_size , lower bound, upper bound)
 # Initialize population
 Population = initialize_population(pop_size , lower bound, upper bound)

best_solution = None

best_fitness = -1

for generation in range(generations):

fitness = evaluate_fitness(Population)

current_best_fitness = np.max(fitness)

if current_best_fitness > best_fitness:

best_fitness = current_best_fitness

best_soln = Population[np.argmax(fitness)]

new_population = []

while (len(new_population) < pop_size):

parent1, parent2 = select_parents(Population, fitness)

offspring1, offspring2 = crossover(parent1, parent2)

offspring1 = mutate()

offspring2 = mutate()

new_population.extend([offspring1, offspring2])

Population = np.array(new_population)

return best_solution

output: $x = -2.994$
 $f(x) = 30.6$

Expected
 -3
 40

Shubh
 24/10/24

Lab-2

Particle Swarm optimization for function optimization.

Algorithm

1) define function which is needed to optimize

2) initialize parameters:-

$P \rightarrow$ no of particles $C_1 \rightarrow$ cognitive coeff
 $D \rightarrow$ no of dimensions $C_2 \rightarrow$ social coeff
 $T \rightarrow$ no of iterations $\omega \rightarrow$ inertia weight

3) initialize particle

Particle position \rightarrow randomly initialize

Particle velocity \rightarrow randomly initialize in range

4) Determine global best

$p_{best} \rightarrow$ Particle with best fitness
 set g_{best} to the position of the Particle with best fitness.

5) In loop from 1 to T

\rightarrow update velocity: generate r_1, r_2

$$C = C_1 * r_1 * (P_{best} - x_i)$$

$$S = C_2 * r_2 * (g_{best} - x_i)$$

$$V_i^0 = \omega * r_i + C + S$$

$$\text{update pos: } x_i^0 = x_i^0 + V_i^0$$

calculate fitness of new position x_i

update P_{best} if new fitness is greater & also g_{best}

6) Print soln

Lab-3

Ant colony optimization for Travelling Salesman Problem

Algorithm:

- 1) Represent the cities as nodes in a graph and construct a distance matrix
- 2) Initialize parameters:
 - $m \rightarrow$ no of ants
 - $\alpha \rightarrow$ importance of pheromone
 - $\tau \rightarrow$ heuristic information
 - $P \rightarrow$ Pheromone evaporation rate
 - $Q \rightarrow$ deposit constant
- 3) For each ant:
 - \rightarrow Randomly select start city
 - \rightarrow build a complete tour by iteratively selecting next city
 - \hookrightarrow for each unvisited city j calculate probability of moving from i to j
 - \hookrightarrow use the probability to select next city
 - \rightarrow add selected city to tour & mark as visited.
- 4) Calculate total length of each tour & keep track of best tour found so far
- 5) Update Pheromones!
 - Pheromones $\propto (1-P)$
 - Pheromone increase $= Q/\text{tour-length}$
- 6) Return the shortest tour & its length as the best solution.

Lab-4

Algorithm:

- 1) Define the objective function $f(x)$ to optimize & bounds of search space x_{\min} , x_{\max} $f(x) = 5x^2$
- 2) Initialize Parameters:
 $n \rightarrow$ no of nests $P_d \rightarrow$ discovery probability
 $\text{max no of iterations}$
- 3) Generate an initial population of nests with random position within search space.
- 4) Evaluate fitness of each nest using the objective function.
- 5) Generate ^{new} (two) solⁿ:
 \rightarrow for each nest, generate new solⁿ
$$x_{\text{new}} = x_{\text{curr}} + \text{step size} \times \text{Levy flight}$$

 \rightarrow levy flight is a random walk with step size from a Levy distribution.
- 6) repeat steps 4-5 for specified no of iterations.
- 7) return the nest with best fitness & corresponding position.

Lab - 5

Grey wolf optimization Algorithm.

- 1) Define the objective function $f(x)$ & Specify bounds of search space x_{min} to x_{max}
- 2) Initialize Parameters:
 $n \rightarrow$ no of wolves in a pack
 max iteration
- 3) Generate initial population of wolves with random positions
- 4) Evaluate fitness:
 \rightarrow calculate fitness of each wolf using objective function
 \rightarrow identify the best wolves: α, β, γ

5 for each wolf:

$$\vec{D}_\alpha = |\vec{C}_1 \cdot \vec{X}_\alpha - \vec{X}|$$

$$\vec{X}_1 = \vec{X}_\alpha - \vec{A}_1 \cdot \vec{D}_\alpha$$

similarly for β & γ

$$\vec{X} \cdot (t+1) = \frac{\vec{X}_1 + \vec{X}_2 + \vec{X}_3}{3}$$

\vec{A} & \vec{C} are coefficient vectors

- 6 Return the position of α wolf & its fitness

Signature
 2/11/24

lab 6

Algorithm Parallel cellular Algorithm

- 1) objective function : $f(x) = \sum x_i^2$
- 2) Initialization of Parameters
 no of cells, grid size, dimensions,
 bounds, no of iterations
- 3) Initialize population with initial pos
 of all cells
- 4) Evaluate fitness for each cell & put
 it into 1D array
- 5) Identify neighbors more neighborhood
 structure
- 6) Update each cell state by copying
 position of its best neighbour.
- 7) Print best solution and its fitness

Lab 7

Optimization via Gene expansion Algorithm

Algorithm

1) Define objective function

$$f(x) \leq x_i^2$$

2) Initialize Parameters:

no of genes, bounds, mutation rate
 crossover rate, no of generations

3) Generate Population P with a Gene each $x_i \rightarrow i^{th}$ generation of i^{th} individual

4) evaluate fitness using objective function $f(x)$

5) filter the Population with lower fitness value

6) Choose two parent at a time and crossover

7) Introduce variety of offsprings by randomly altering the gene

8) combine offspring to new Population

9) output the genetic sequence with best fitness